

Constrained Parametric Min-Cuts for Automatic Object Segmentation

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Outline

- Introduction
- Method Overview
- Phase I: Generate Pool of Segments
- Phase II: Rank Segments
- Experiments
- Analysis
- Conclusion

Object Segmentation

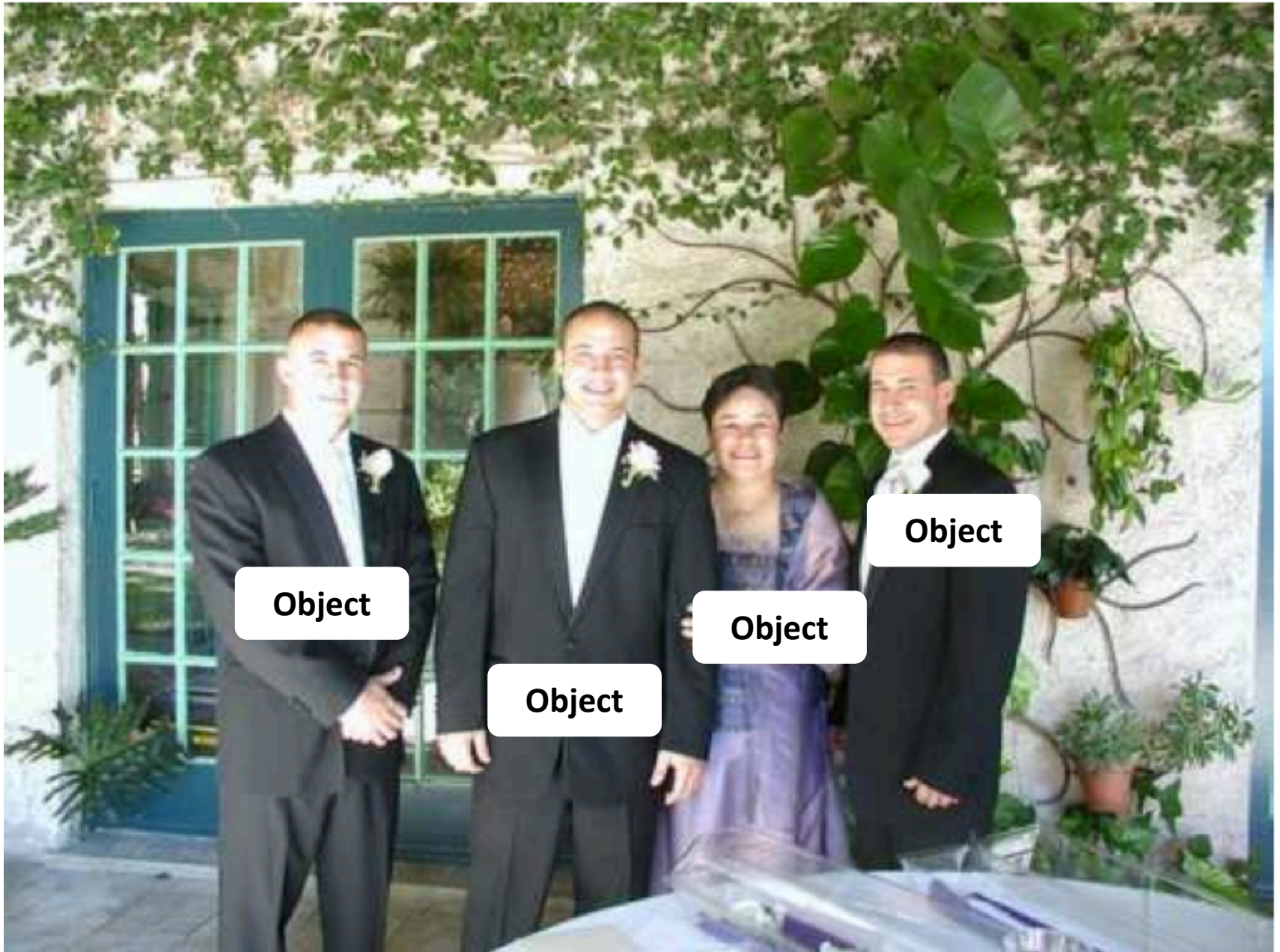


Image credit: Carreira & Sminchisescu (PAMI 2012)

Object Segmentation

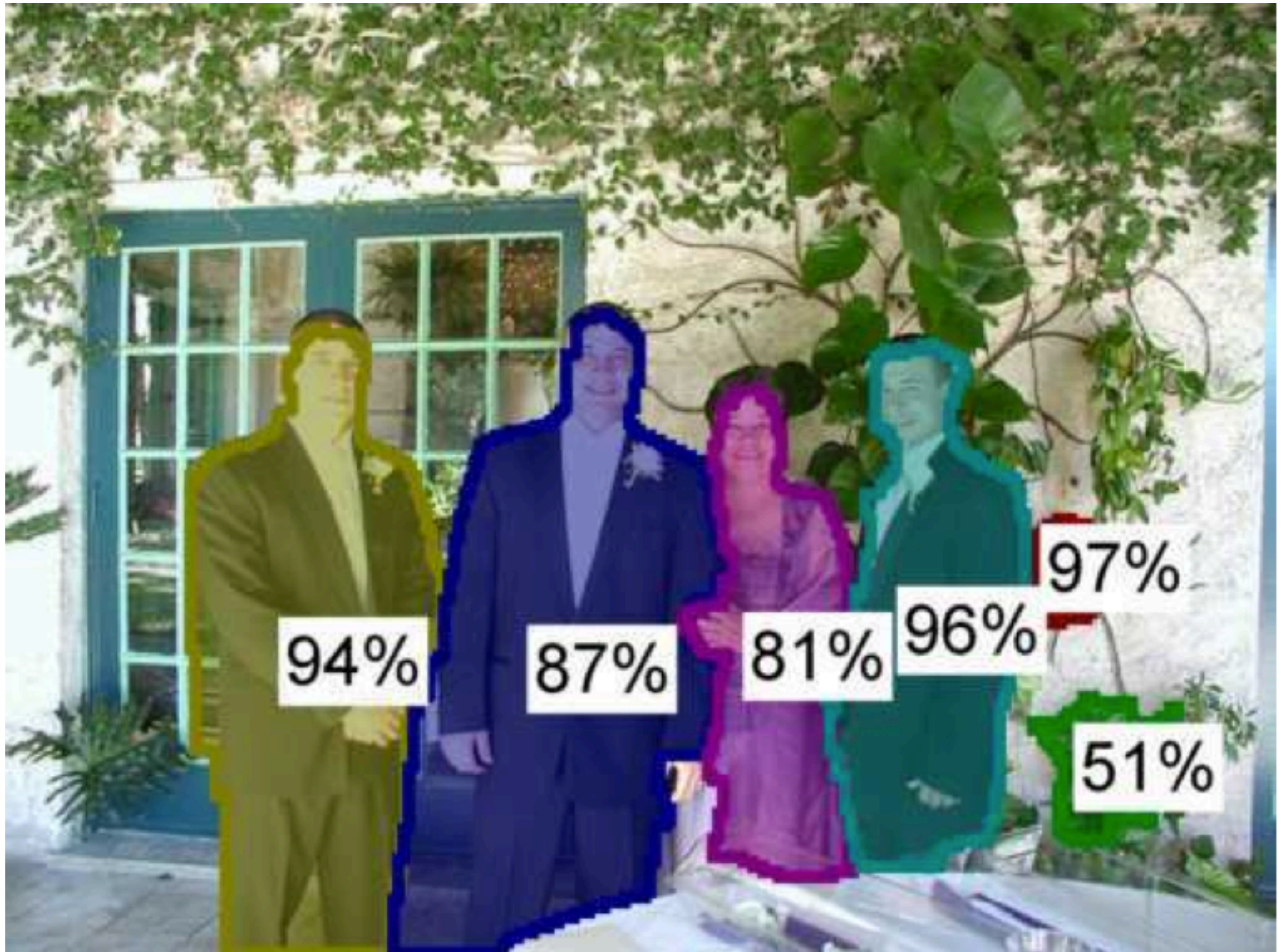


Image credit: Carreira & Sminchisescu (PAMI 2012)

Approaches

“Traditional” Way

VS

CPMC Way

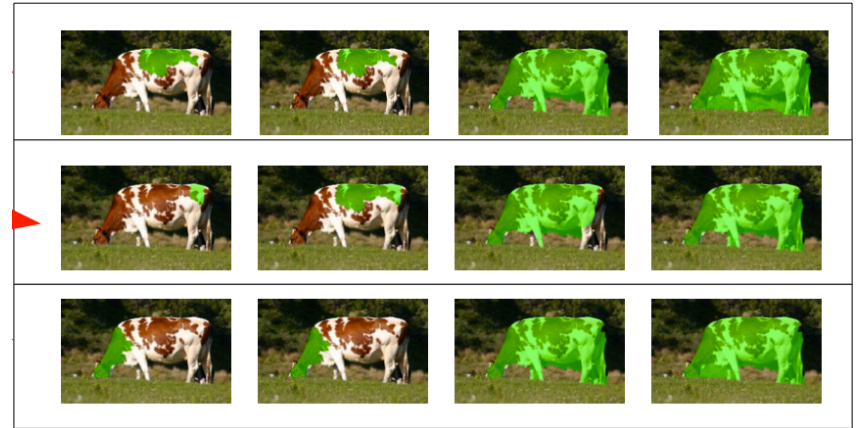
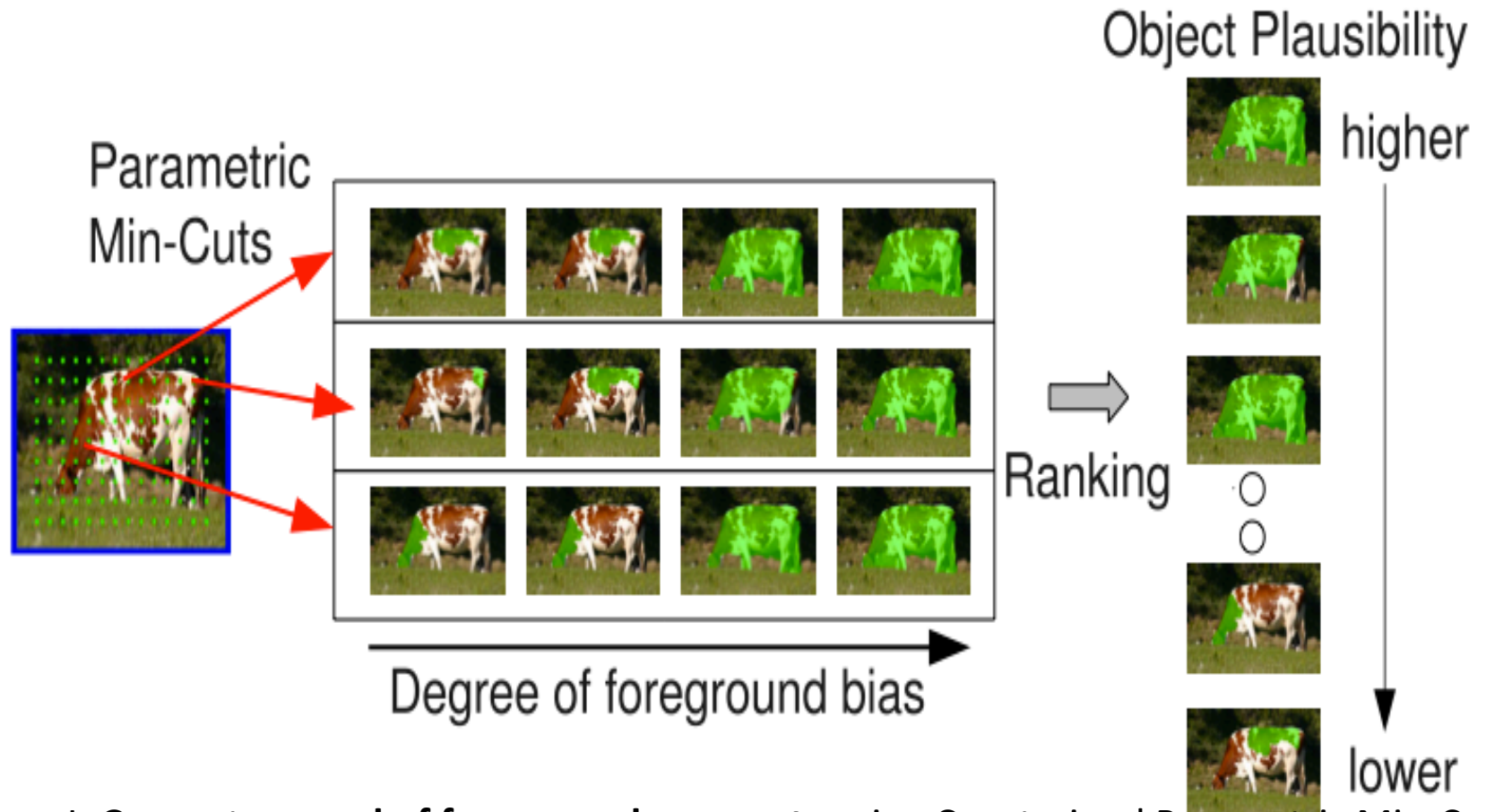


Image credit: Silberman et. al. (ECCV 2012)

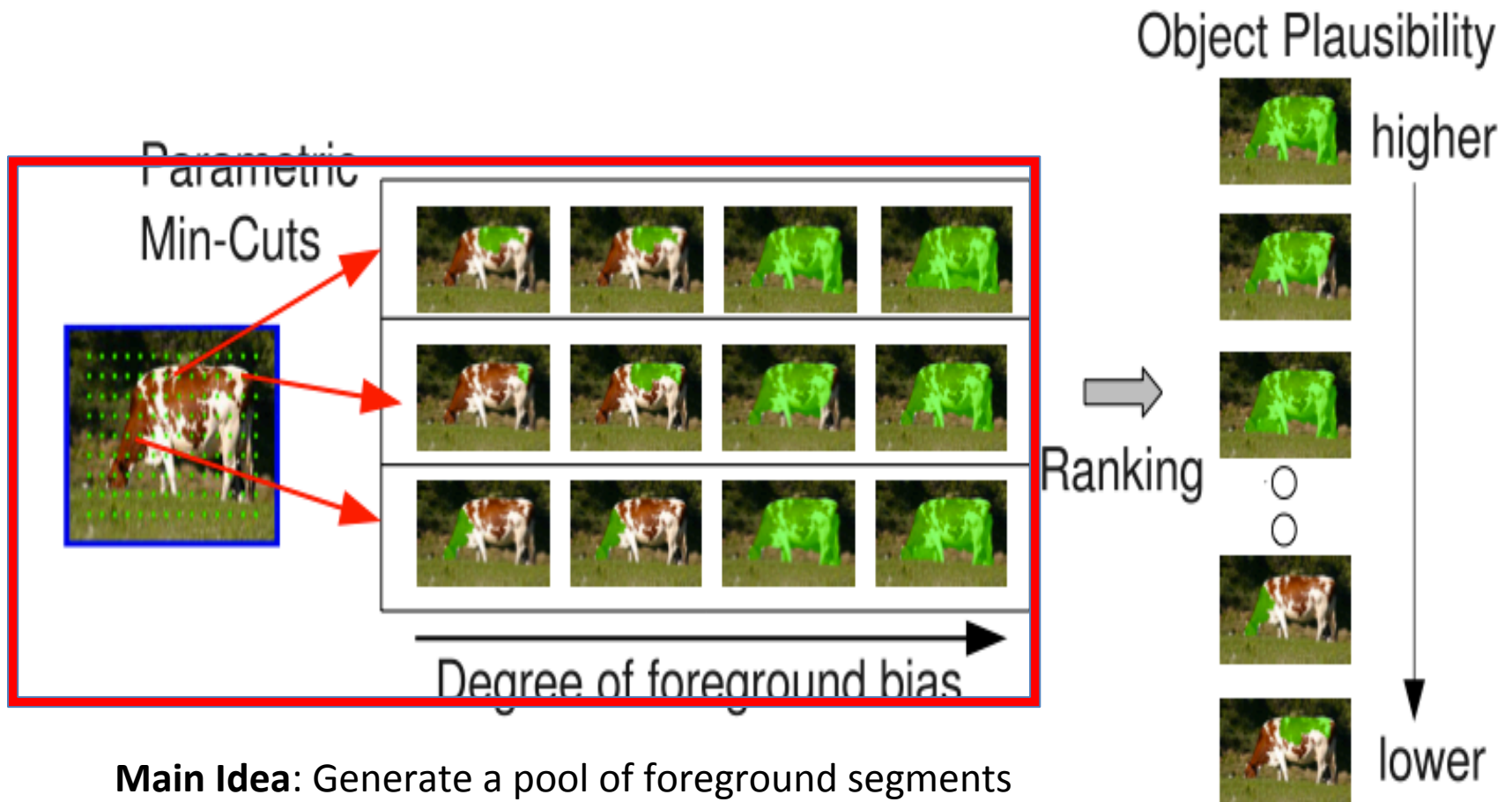
Image credit: Carreira & Sminchisescu (CVPR 2010)

Method Overview



Phase I: Generate a **pool of foreground segments** using Constrained Parametric Min-Cuts

Phase II: **Rank the segments** by learning a random forest regressor



Main Idea: Generate a pool of foreground segments

1. Seed the image-graph with foreground and background seeds
2. Map the image onto a weighted graph
3. Solve the CPMC optimization objective
4. Repeat 1 – 3 with varying seeds and parameters
5. Filter initial candidates with fast rejection

Image credit: Carreira & Sminchisescu (CVPR 2010)

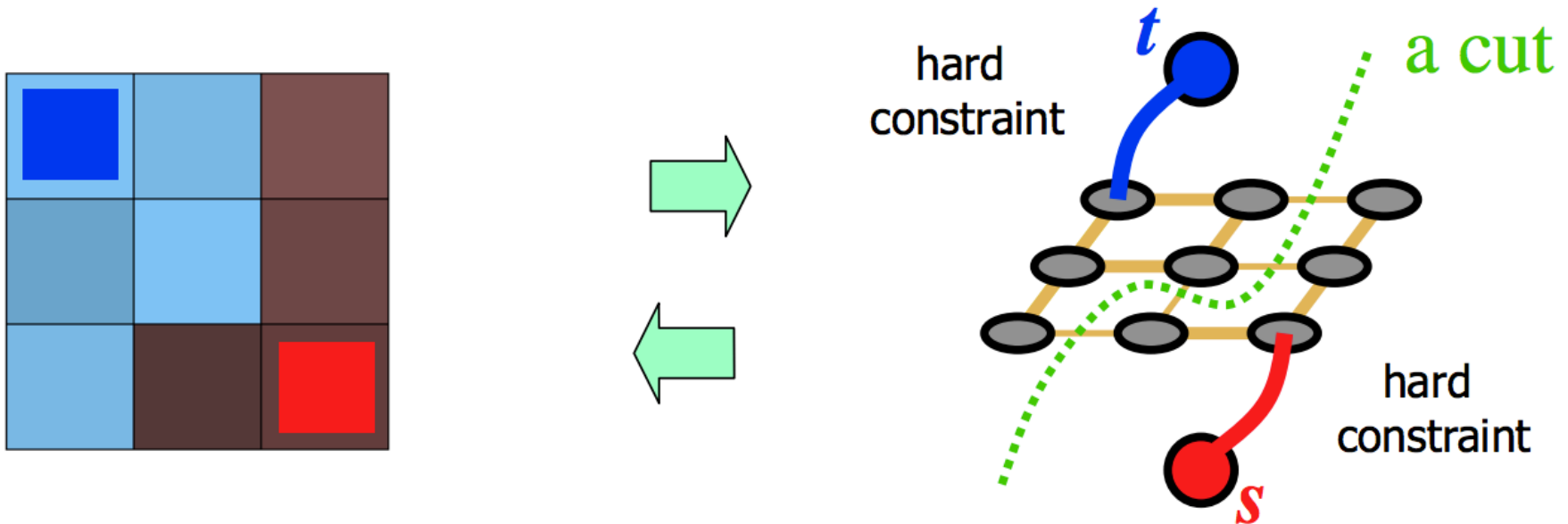
Seeding Policy

- Foreground seeds
 - 5x5 grid approach
- Background seeds
 - Seed along image border
 - Vertical edges on border
 - Horizontal edges on border
 - All but bottom edge



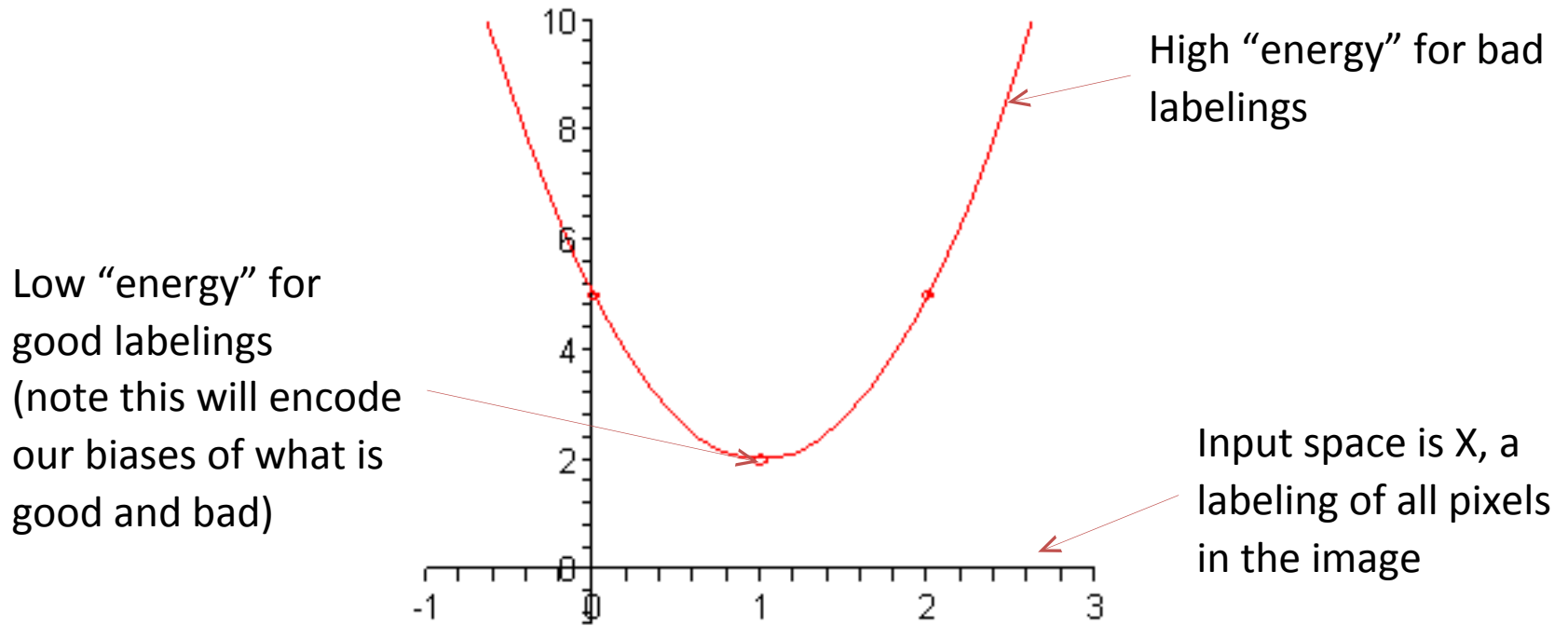
Mapping onto a Weighted Graph

- Map the image onto a weighted graph where:
 - Nodes are pixels
 - Weighted edges represent similarity between pixels
 - Add 2 special nodes: one to foreground, one to background



Optimization Objective

- We want to design a function such that



MINIMIZE

$$E^\lambda(X) = \sum_{u \in \mathcal{V}} D_\lambda(x_u) + \sum_{(u,v) \in \mathcal{E}} V_{uv}(x_u, x_v)$$

Optimization Objective

MINIMIZE

$$E^\lambda(X) = \sum_{u \in \mathcal{V}} D_\lambda(x_u) + \sum_{(u,v) \in \mathcal{E}} V_{uv}(x_u, x_v)$$

Penalize on the node-pixel assignment
Determines “foreground bias”

$$D_\lambda(x_u) = \begin{cases} 0 & \text{if } x_u = 1, u \notin \mathcal{V}_b \\ \infty & \text{if } x_u = 1, u \in \mathcal{V}_b \\ \infty & \text{if } x_u = 0, u \in \mathcal{V}_f \\ f(x_u) + \lambda & \text{if } x_u = 0, u \notin \mathcal{V}_f \end{cases}$$

No penalty for labeling as foreground

Prevent labeling background nodes as foreground, and vice versa

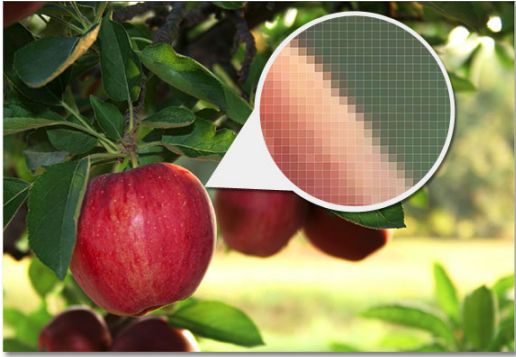
Penalizes for labeling as background (controls degree of foreground bias)

$$\begin{cases} f(x_u) = 0 & \longrightarrow \text{Uniform bias } (\lambda \text{ everywhere}) \\ f(x_u) = \ln p_f(x_u) - \ln p_b(x_u) & \longrightarrow \text{Supplement with color term based on color distributions} \end{cases}$$

Optimization Objective

MINIMIZE

$$E^{\lambda}(X) = \sum_{u \in \mathcal{V}} D_{\lambda}(x_u) + \underbrace{\sum_{(u,v) \in \mathcal{E}} V_{uv}(x_u, x_v)}_{\text{Penalize assigning different labels to "similar" neighbors}}$$



$$V_{uv}(x_u, x_v) = \begin{cases} 0 & \text{if } x_u = x_v \\ g(u, v) & \text{if } x_u \neq x_v \end{cases}$$

if $x_u = x_v$ → Adjacent pixels are usually in the same class, so no penalty

if $x_u \neq x_v$ → Different labels – penalize based on similarity

$$g(u, v) = \exp \left[- \frac{\max(gPb(u), gPb(v))}{\sigma^2} \right]$$

→ Measures similarity between u and v

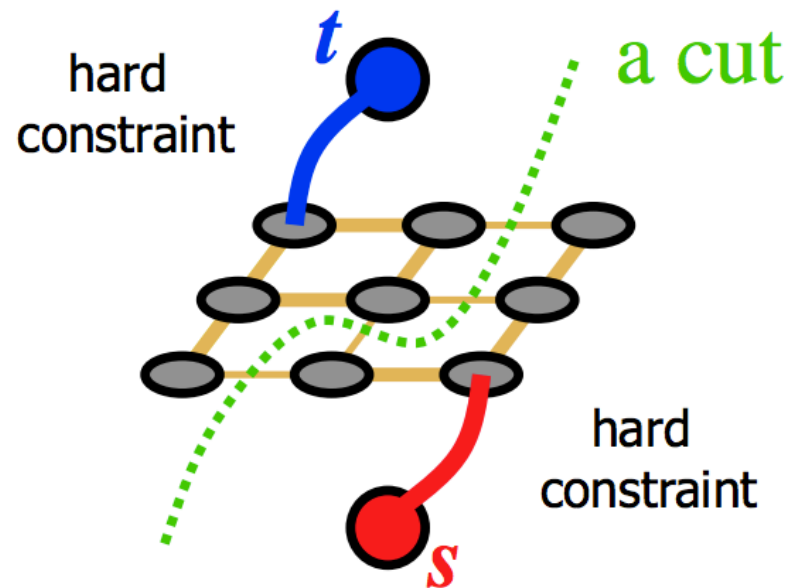
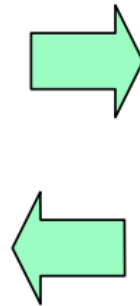
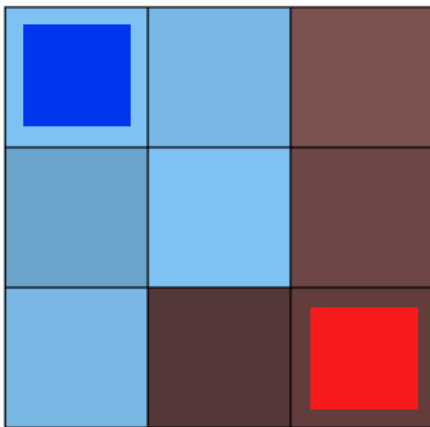
gPb is the contour detector from Arbelaez et. al.

Constrained Parametric Min Cuts (CPMC)

MINIMUM

$$E^\lambda(X) = \sum_{u \in \mathcal{V}} D_\lambda(x_u) + \sum_{(u,v) \in \mathcal{E}} V_{uv}(x_u, x_v)$$

Equivalent to min-cut on graph



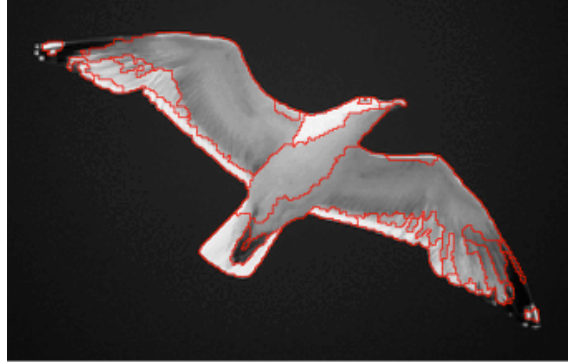
Fast Rejection

- Now we have about 10,000 candidate segments!
 - Need to eliminate some:

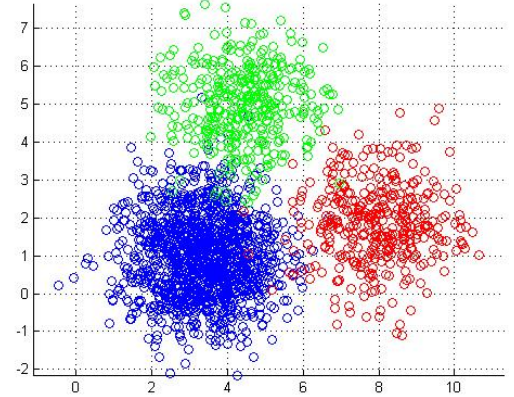
Remove small segments
(less than 150 pixels)



Sort by ratio cut, and
keep top 2000

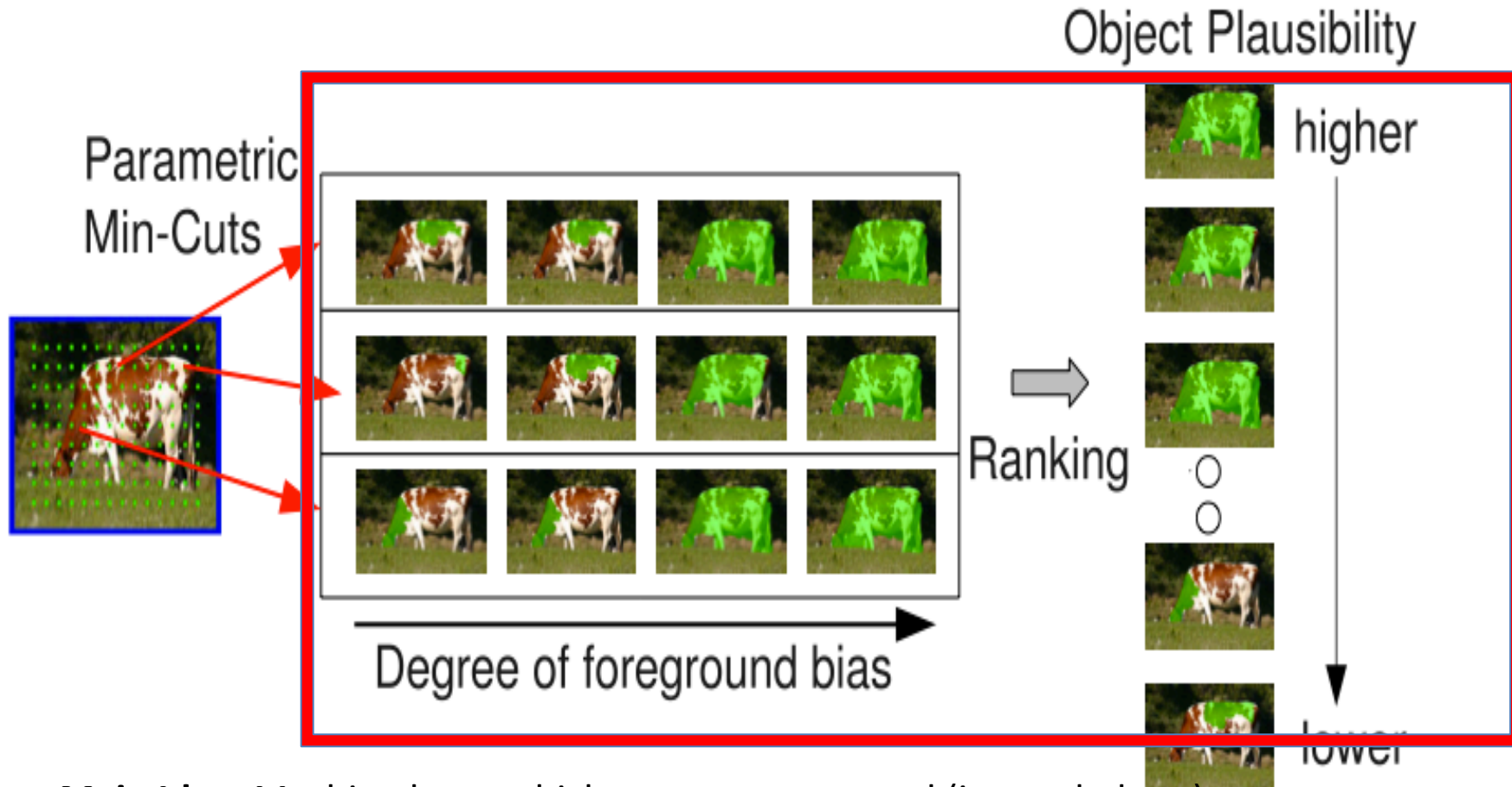


Cluster using overlap, and
keep lowest energy segment
in each cluster



- Only around 150 candidates left

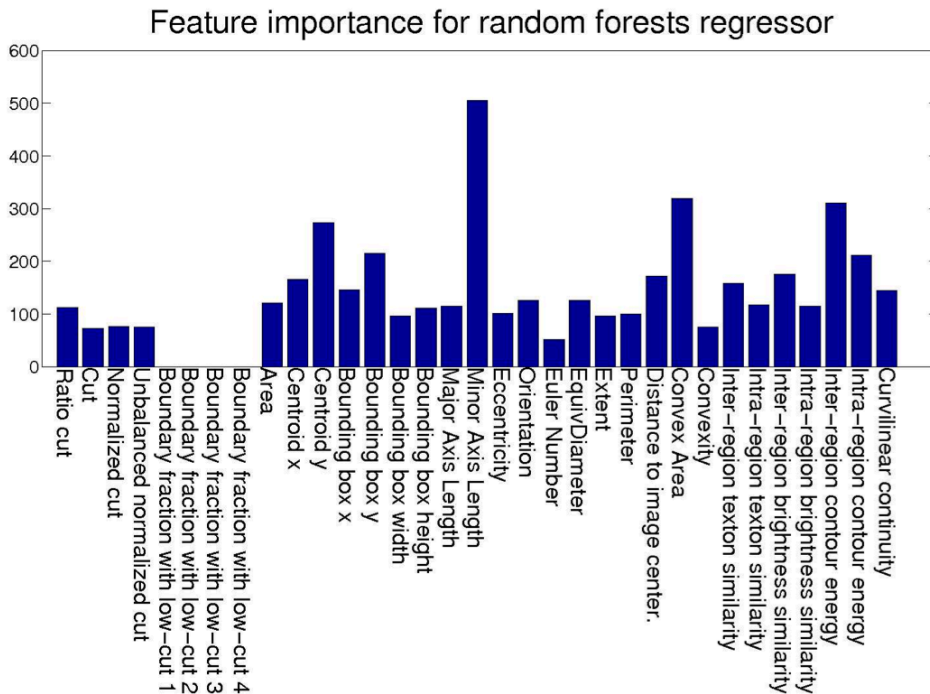
Phase II



Main Idea: Machine learn which segments are good (i.e. rank them)

1. Generate features that could describe “good” segments
2. Train a Random Forest
3. Diversify the rankings

Segment Features



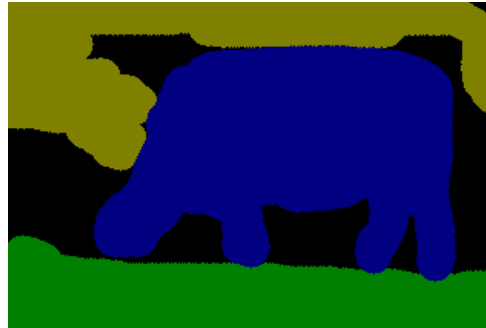
- Graph Partition Properties (8)
 - Common for segmentation
- Region Properties (18)
 - Location and scale of objects
- Gestalt Properties (8)
 - Mid-level cues (e.g. continuity)

Random Forest Regression

- Non-linear model that uses several regression trees
- We **maximize** the **pixel-wise overlap** between a segment S . and the ground truth G .

$$O(S, G) = \frac{|S \cap G|}{|S \cup G|}$$

- Penalizes on over-segmenting and under-segmenting



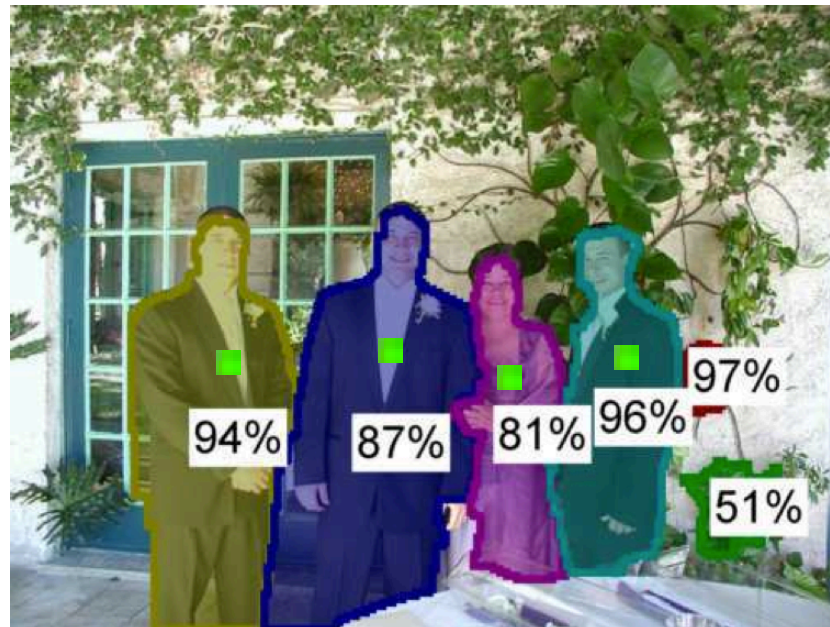
High Rank



Low Rank

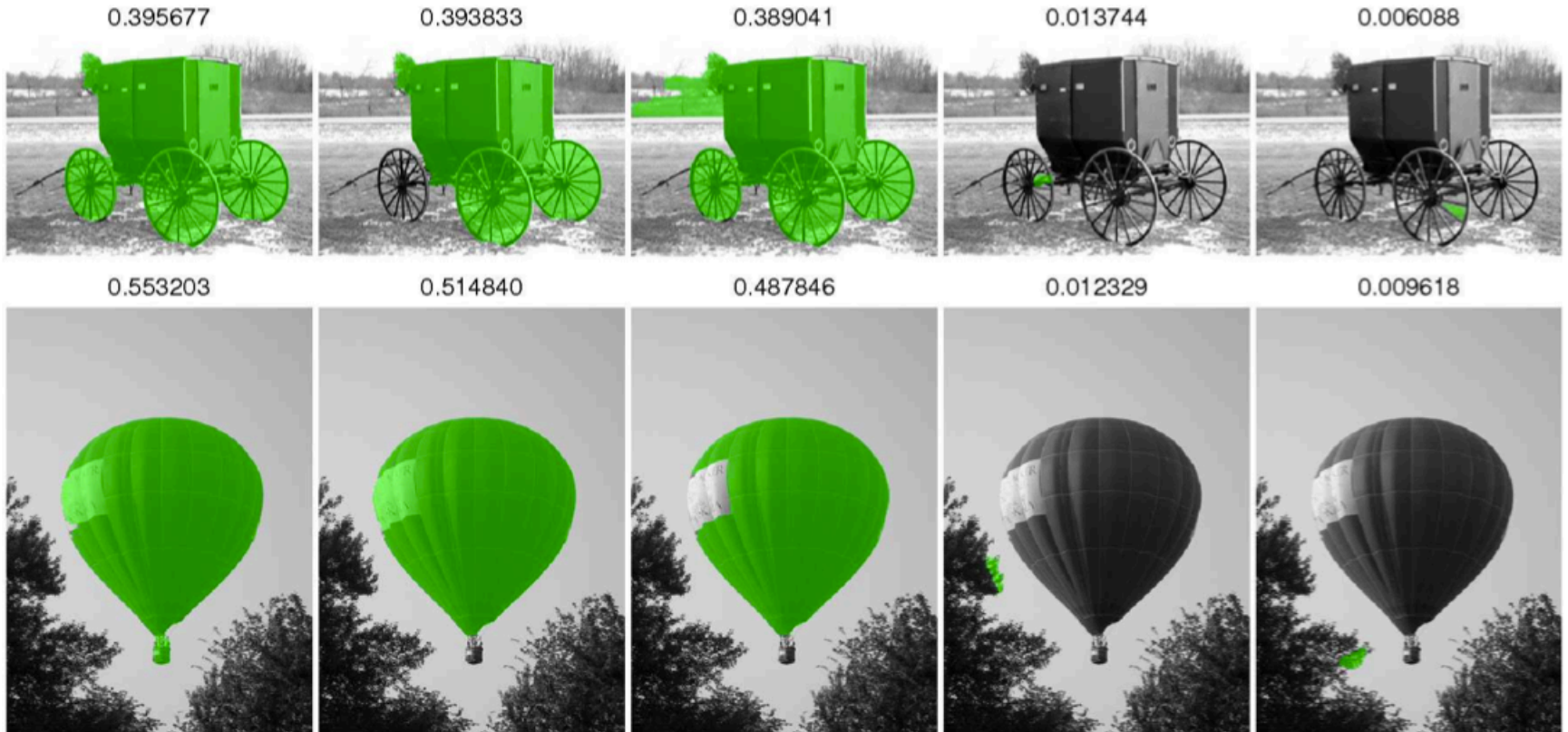
Maximal Marginal Relevance (MMR)

- Rankings returned by Random Forests put similar segments together
- MMR diversifies the rankings
 - After the top segment, each subsequent segment is the original score minus a redundancy measure (the overlap)



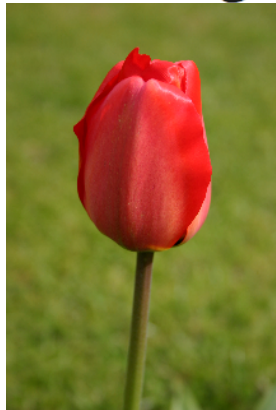
Experiments

- Weizmann's Segmentation Evaluation Database
 - 100 grayscale images
 - One prominent foreground object in each



Experiments

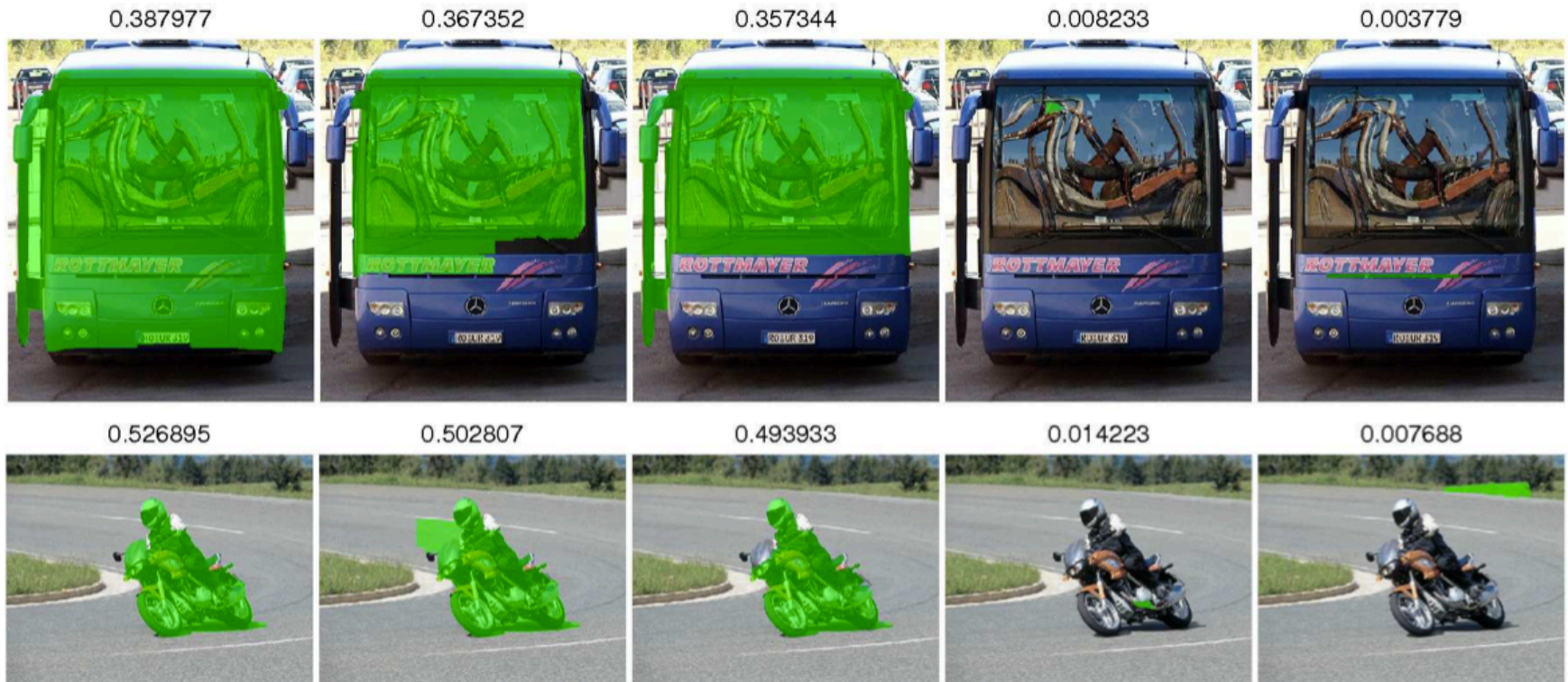
- Microsoft Research Cambridge Dataset v2 (MSRC)
 - 591 color images, 23 classes
 - Evaluated as pool of segments, not individual rankings



|R|: # pixels in ground truth

Experiments

- Visual Object Challenge (VOC) 2009
 - 3000 color images, 20 classes
 - Evaluated as pool of segments, not individual rankings



e

$|R|$: # pixels in ground truth

Analysis

- Strengths
 - Gives multiple possible foreground segments and their scores
 - More likely to represent an object using less segments
- Weaknesses
 - Very small objects
 - Seeding density and hollow objects
 - Partially occluded objects
 - Only “grows” one foreground segment at a time
 - Computationally expensive (too many cuts)



Conclusions

- Comparison to related work
 - Arbelaez et. al.
 - Silberman et. al.
- Extensions
 - Multiple object segmentation
 - Applied to object recognition, perhaps in an unsupervised, active setting

Questions?