Thought Experiment

Foundations of Computer Security Lecture 56: Cryptographic Protocols

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Consider the following scenario:

- Your friend Ivan lives in a repressive country where the police spy on everything and open all the mail.
- You need to send a valuable object to Ivan.

Lecture 56: 2

• You have a strongbox with a hasp big enough for several locks, but no lock to which Ivan also has a key.

How can you get the item to Ivan securely?

What's This Got to do with Computing?

Lecture 56: 1 Cryptographic Proto

A Possible Answer

You might take the following sequence of steps:

- Put the item into the box, attach your lock to the hasp, and mail the box to Ivan.
- Ivan adds his own lock and mails the box back to you.
- You remove your lock and mail the box back to him. He now removes his lock and opens the box.

The procedure just described could be regarded as a *protocol*—a structured dialog intended to accomplish some communication-related goal.

What goal: To send some content confidentially in the context of a hostile or untrustworthy environment, when the two parties don't already share a secret/key.

You could implement the "same" protocol to send a message confidentially across the Internet. Here,

- the valuable thing is the contents of a secret message;
- the *locks* are applications of some cryptographic algorithm with appropriate *cryptographic keys*.

But for this to work in the computing world there's a particular feature that the ciphers have to satisfy. *Can you see what it is?*

Imagine that instead of putting another lock on the hasp, Ivan puts your lockbox inside another locked box. The protocol no longer works; you can't reach inside his box to take off your lock in step 3.

On-line, you'd have to be able to "reach inside" his encryption to undo yours. One way this would be true is if the ciphers *commute*.

$$\{\{M\}_{k_1}\}_{k_2} = \{\{M\}_{k_2}\}_{k_1}$$

Most encryption algorithms don't have this property. But one that does is: exclusive or (XOR) your message with a randomly generated string (key) of the same length.

Let K_a be a random string generated by A, and K_b be a random string generated by B, both K_a and K_b of the same length as M.

 $A \to B : M \oplus K_a$ $B \to A : (M \oplus K_a) \oplus K_b$ $A \to B : ((M \oplus K_a) \oplus K_b) \oplus K_a)$

In step 3, the two applications of K_a "cancel out," leaving $(M \oplus K_b)$, which B can easily decrypt with his own key K_b .

Lecture 56: 5 Cryptographic Protocols	Lecture 56: 6 Cryptographic Protocols
Whoops!	Lessons
This is effectively using the one-time pad, so should be very strong. <i>Right?</i>	
Even though the one-time pad is a theoretically unbreakable cipher, there's a good reason it's called "one-time." Our protocol is fundamentally flawed. <i>Can you see why?</i>	 Cryptographic protocols accomplish security-related functions via a structured exchange of messages.
	They are very important to security on the Internet.
	 They are difficult to design and easy to get wrong in subtle
$ A \to B : M \oplus K_a $	ways.

 $A \to B : ((M \oplus K_a) \oplus K_b) \oplus K_a)$

An evesdropper who stores the three messages can XOR combinations of them to extract any of M, K_a , and K_b . Verify this for yourself.

Next lecture: Cryptographic Protocols II