A logic of authentication

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1 Preliminaries

- 1.1 Review
- 1.2 Outline
- 1.3 Preview

2 Background

2.1 Scope

- This paper is a tool you need to have in your toolbag
- But, it alone won't make you a security expert
- As earlier reading indicates: sophisticated crypto/protocol attacks are what designers (and academics) obsess about, but most real attacks come from "social engineering" or insider attacks
- Examples from "Why cryptosystems fail"
 - Insider arranges for all accounts to have same password
 - Insider steals money knows customer will be blamed
 - * Broad conclusion: make the entity responsible for verifying security the one at risk if security authorization fails
 - * In US burdon of proof on bank (for ATM)
 - * In Britain burdon of proof on end-user
 - Test-sequence causes machine to disgorge money
 - Fake ATM machine scam
 - ...
- Example from "reflections on trusting trust"
 - Do you trust the compiler, editor, ...
 - Once your system is cracked, you are doomed
 - Principle: minimize "trusted computing base"

2.1.1 Types of Attacks

- Needham (one of the authors) elsewhere classifies 4 types of attacks on crypto systems
 - This paper only looks at one of them.
- 1. Attacks on the cryptographic algorithm
 - brute force
 - Aside: You might be wondering: how does brute force computer decide it got the right message?
 - unstated assumption: message has redundancy to indicate it is "well formed"
 - examples: (1) ASCII text, english words (exceedingly unlikely random bits turn into ascii or english), (2) checksum, (3) magic number
 - BTW DES (56 bits) isn't enough any more
 - * Michael Wiener 1993: build a search machine (CMOS chips) \$1 million \rightarrow 3.5 hours \$10 million \rightarrow 21 minutes

key idea: easy to parallelize/build hardware: no per-key I/O just load each chip with "starting key" "encrypted message" "plaintext message"

- * 2002 assume (conservatively) halve cost every 2 years
- \ast a \$1M machine can crack 1 password every 600 seconds or so
- * about 100 passwords/day \rightarrow 30,000/year \rightarrow 100K passwords during a 3-year lifetime \rightarrow \$10/password
- * Don't use DES-56 for secrets worth more than \$1.00
- * Question: How much did it cost NSA to crack a password when they approved DES in the mid 1970s? about \$1000?

2. Attacks on the message

S-->A

<AAAAAAAA><BBBBBBBB><CCCCCCCC>...

"You can trust" "machine bar" "to act as badguy"

S-->A

<DDDDDDDD><EEEEEEEE><FFFFFFFF>...

"You can trust" "machine foo" "to act as dahlin"

adversary could munge second message
<DDDDDDDD><BBBBBBBBB><FFFFFFF>...

--> solution:

1. checsums across entire message

e.g. DES codes messages as seperate 64 bit blocks

- 2. chain encryption state across message
 - All standard practise today

Correct implementation assumed the "conjunction" rules in BAN paper

- 3. Attacks on keys based on guessing
 - Humans can't remember 56-bit DES keys (let alone 511-bit RSA keys)
 - These keys generated from something humans can remember: passwords
 - Humans generate really bad passwords
 - (e.g. the space of all likely passwords is a small subset of 2^{56} or 2^{511})
 - * common words (english or other languages)
 - * names (TV, movies, music, famous people, nicknames, brand names...)
 - * easily obtained information (birthday, licens #, userid..)
 - * keyboard batterns "qwerty"
 - * simple permutations (eg. backwards)
 - * systematic substitution (o \rightarrow 0, l \rightarrow 1)
 - * passwords on other systems
 - e.g. Internet work (nov 1988)
 - * no password
 - * user name
 - * user name appended to itself
 - * nickname for user name
 - * last name
 - * last name backwards
 - * 432 word dictionary
 - * dictionary of english words
- 4. attacks on the protocol by a set of messages
 - · adversary replays and misues my messages
 - e.g. consider how often I say "Hello, mike dahlin here"
 - here I am on machine redhook",
 - "here I am on redhook running telnet to senna",
 - "here I am on machine senna", ...)
 - · solution: timestamps and nonces
 - adversary uses message from one part of protocol in another part of a different conversation
 - (e.g. the CCITTT example in paper)

2.2 motivation

- Background:
- Needham and Schroeder built a distributed authentication protocol published 1978
- They were pretty famous and their protocol did (just about) exactly what you want it to do →
 so this protocol became famous and was actually used pretty widely

- When it got to be widely used, people found a bug
- This upset Needham and Schroeder
 - they had thought long and hard about the protocols and didn't realize they were making a much stronger assumption about one message than they wanted to
 - Cryptography has this tradition of naming protocols after their inventors the flawed protocl was called the "Needham Schroeder protocol"
- They are pretty smart guys and they made this mistake conclude: need a better way to design protocols
- I'm not sure of the exact timing, but I think the following is not too far off. The original
 protocol was published in 1978; the correction to the protocol was published in 1987 This bug
 hung around for a long time!
- Also, CCITT protocol made it a long ways through international standards process before this
 paper blew it out of the water.

2.2.1 The needham schroeder protocol

- 1. $A \rightarrow S$: A, B, N_a (Note: N_a is a nonce)
- 2. $S \to A$: $\{N_a, B, K_{ab}, \{K_{ab}, A\}_{K_{bs}}\}_{K_{as}}$
- 3. $A \rightarrow B$: $\{K_{ab}, A\}_{K_{ba}}$
- 4. $B \rightarrow A$: $\{N_b\}_{K_{ab}}$
- 5. $A \to B$: $\{N_h 1\}_{K_{ab}}$
- Notice this looks pretty much like kerberos
 - (Actually, kerberos looks pretty much like this!)
- Intuition:
 - Step 2: S sends A K_{ab} and $\{K_{ab}\}K_{bs}$ all encrypted by K_{as}
 - \rightarrow A has and believes K_{ab} (in fact, believes A $\stackrel{Kab}{\leftrightarrow}$ B)
 - Step 3: A sends B $\{K_{ab}\}K_{bs}$
 - \rightarrow B has and believes (?) K_{ab}
 - Step 4-5: A and B handshake nonces to make sure they're both currently talking to each other
- QUESTION: What's the problem with this?
- ANSWER: Message 3 is not protected by nonces
 - There's no way for B to conclude that the K_{ab} it receives is a current key
 - Example: Intruder has unlimited time to crack an old session key and reuse it as if it were fresh
 - Example: Suppose A's private key were compromised Intruder uses K_a to get K_{as} for many services s \rightarrow intruder can continue to use these session keys even after K_a 's private key is changed

- In BAN logic, we will discover that B believes S once said ($A \overset{Kab}{\leftrightarrow} B$), but we will not be able to show that B believes S believes ($A \overset{Kab}{\leftrightarrow} B$)
 - So we won't be able to take S has jurisdiction over (A $\stackrel{K}{\leftrightarrow}$ B) and upgrade to B believing that it has a good key.

2.2.2 Timestamps and nonces

- · goal: avoid being confused by replays
- (x) is fresh == this message has never gone over the network before
- you do this by including a nonce
 - 1. a timestamp in the message
 - 2. challenge-response:

If I issue a new challenge and get a new response then the message is fresh

• In the logic, the only way to upgrade from principle once said X to principle believes X is the nonce verification rule:

P believes (X) is fresh, P believes Q once said X P believes Q believes X

- In the example, after B decrypts the message, we have
 - B believes S once said A ^{Kab} B
 e.g., "A and B can communicate using shared key Kab"
- There's no way to get from that step to a statement about belief unless you include as an initial
 assumption
 - B believes (A $\overset{Kab}{\leftrightarrow}$ B) is fresh
- If you make that assumption that B accepts the key as new, then you can proceed:
 - B believes S believes A $\overset{Kab}{\leftrightarrow}$ B (e.g., B believes S believes A and B can communicate using K_{ab})
 - B believes A $\overset{K_ab}{\leftrightarrow}$ B (e.g., B believes A and B can communicate using K_{ab} authority)

- ...

3 Admin

4 BAN Logic

4.1 Definitions and notation

Verbose	Blackboard
A believes X	$A \models X$
A once said X	$A \sim X$
A sees X	$\mathbf{A} \triangleleft \mathbf{X}$
A has jurisdiction over X	$A \Rightarrow X$
(X) is fresh	#(X)
K is a shared key for communicating between A and B	$A \stackrel{K}{\leftrightarrow} B$
V is a secret shared between A and B	$A \stackrel{V}{\rightleftharpoons} B$
K is B's public key	$\stackrel{K}{\longmapsto} \mathrm{B}$

4.1.1 Key postulates in the logic

1. message meaning

• This is the rule that lets you upgrade from

P sees X

to

P believes Q once said X

• e.g., for shared keys

A believes (A
$$\overset{Kab}{\leftrightarrow}$$
 B), A sees $X_{K_{ab}}$
A believes B once said X

- To upgrade from "A sees X" to "A believes B once said X" X must be associated with a secret B has:
 - $-A \stackrel{Kab}{\leftrightarrow} B A$ and B's shared key
 - B's private key
 - A and B's shared secret

2. Nonce verification

- lets you upgrade from
- Q once said X
- to
- Q believes X
- discussed above

A believes (X) is fresh, A believes B once said X

A believes B believes X

3. jurisdiction

- Lets you upgrade from A believes X to B believes X
- e.g., lets you transfer beliefs from authority to someone who trusts authority

A believes B has jurisdiction over X, A believes B believes X

A believes X

- 4. etc.
 - (joining, dividing, associating freshness with entire message...

4.2 Needham Shroeder protocol example

Assumptions

- $A \models S \Rightarrow A \stackrel{K}{\leftrightarrow} B$
- $B \models S \Rightarrow A \stackrel{K}{\leftrightarrow} B$
- $A \models \#(Na)$
- $B \not\equiv \#(Nb)$
- $A \models A \overset{Kas}{\leftrightarrow} S$
- $S \models A \stackrel{Kas}{\leftrightarrow} S$
- $\begin{array}{ccc}
 B & \sqsubseteq B & \stackrel{Kbs}{\leftrightarrow} S \\
 \end{array}$
- $S \models B \stackrel{Kbs}{\leftrightarrow} S$
- Protocol analysis:
- 1. $A \rightarrow S$: A, B, N_a (Note: N_a is a nonce)
- 2. $S \to A$: $\{N_a, A \overset{Kab}{\leftrightarrow} B, \{A \overset{Kab}{\leftrightarrow} B\}_{K_{bs}}\}_{Kas}$
 - Apply message meaning:
 - $A \models S \sim \{N_a, A \overset{Kab}{\leftrightarrow} B\}$
 - Apply "if one part of a formula is fresh, the entire formula must be fresh" (rule 5 in article) $A \models \#(A \overset{cob}{\longleftrightarrow} B)$
 - Apply nonce verification:
 - $A \models S \models A \stackrel{Kab}{\leftrightarrow} B$
 - Apply jurisdiction:
 - $A \models A \stackrel{Kab}{\leftrightarrow} B$
- 3. $A \rightarrow B: \{A \overset{Kab}{\leftrightarrow} B\}_{K_{ba}}$
 - Apply message meaning:
 - $B \equiv S \sim A \stackrel{Kab}{\leftrightarrow} B$
 - We're stuck!
 - No way to get to B \sqsubseteq S \sqsubseteq A $\overset{Kab}{\leftrightarrow}$ B
- 4. $B \rightarrow A$: $\{N_b\}_{K_{ab}}$
 - · Apply message meaning:
 - $A \models B \sim N_b$
 - $\mathbf{A} \; \models \mathbf{B} \; \sim \mathbf{A} \overset{\mathit{Kab}}{\leftrightarrow} \mathbf{B}$
 - Apply nonce verification:

$$(\text{recall A} \models \#(A \stackrel{Kab}{\leftrightarrow} B))$$

- $A \models B \models A \stackrel{Kab}{\leftrightarrow} B$
- Notice, this message is a bit subtle. The nonce is not here to prove freshness to A. Ignore
 it in interpreting this message. A already knows that K_{ab} is fresh, and already knows that
 A Kab B, so this message proves to A that B believes in the shared key.

- From A's point of view, this message could just be $B \to A$: $\{0_{K_{ab}}\}$
- Without this message, A would end the protocol knowing that A $\overset{Kab}{\leftrightarrow}$ B, but not knowing that the key had successfully been transmitted to B.
- Would this message have been better formalized as:

4.
$$B \to A$$
: $\{A \overset{Kab}{\leftrightarrow} B, N_b\}_{Kab}$

- 5. $A \to B: \{N_b 1\}_{K_{ab}}$
 - Without a shared key, no way to apply message meaning and no way for B to know who said this. We're stuck.
 - What was desired:
 - Apply (erroneously, it turns out) message meaning

$$B \models A \mid \sim \{N_b - 1, A \overset{Kab}{\leftrightarrow} B\}$$

- Apply nonce verification (to get this far, B $\models \#(Kab)$):
- $B \models A \models A \stackrel{Kab}{\leftrightarrow} B$

One last point

- The construction of messages 4 and 5 suggests (I think incorrectly) that N_b has something to
 do with proving freshness. E.g., that it is a challenge/response for A to prove it has the key. All
 we really need to do is send 2 different messages encrypted by the shared key. E.g.,
 - 4) $B \rightarrow A$: $\{Message4\}_{K_{ab}}$
 - 5) $A \rightarrow B$: $\{Message5\}_{K_{ab}}$
- How should this be formalized?
- At some level what we are saying is:
 - $-4) B \rightarrow A: \{A \overset{Kab}{\leftrightarrow} B\}_{Kab}$
 - 5) $A \rightarrow B$: $\{A \overset{Kab}{\leftrightarrow} B\}_{Kab}$

But since we need to ignore the " $C \to D$ " part of the message, how would these things be distinguishable? (e.g., how to avoid replay attacks?)

- Proposal:
 - $-4) B \rightarrow A: \{B, A \overset{Kab}{\leftrightarrow} B\}_{Kab}$
 - 5) $A \rightarrow B$: $\{A, A \overset{Kab}{\leftrightarrow} B\}_{K\rightarrow A}$
 - This, I think, follows the "prudent practice" of "Explicit communication...interpretation of the message should depend only on its content."
 - English translation: "After receiving Kab, B says that Kab is a key that A and B can use to communicate." and similarly for msg 5.