# **Syllabus**

# **1** Introduction

This class is about approximation algorithms for NP-hard optimization problems and their limitations. It assumes undergraduate knowledge of algorithms and complexity. The class meets on Mondays and Wednesdays at 2-3:30pm at RLP 0.104.

TA:

Instructor: Dana Moshkovitz danama@cs.utexas.edu Office hours: Friday 11am-noon GDC 4.432 Justin Oh s.justin.oh@gmail.com Office hours: Thursday 2-3pm TA Desk 1

The website for the class is:

www.cs.utexas.edu/~danama/courses/approximability18/index.html

We will use Canvas for grading: https://canvas.utexas.edu/

We will use Piazza for questions and answers: piazza.com/utexas/fall2018/cs395tmoshkovitz/home

# 2 Textbooks

There are several textbooks that cover some of the material:

- 1. David Williamson and David Shmoys, The Design of Approximation Algorithms, Cambridge University Press, 2011. Covers combinatorial approximation algorithms, applications of linear programming and semidefinite programming to approximation algorithms, as well as hardness of approximation based on the PCP Theorem.
- 2. Vijay Vazirani, Approximation Algorithms, Springer-Verlag, 2001. Covers similar material to the previous book.
- 3. Sanjeev Arora and Boaz Barak, Computational Complexity A Modern Approach, Cambridge University Press, 2009. Covers the Hadamard based construction of PCP, the combinatorial proof of the PCP Theorem, Fourier analysis. A draft of the book is available online free of charge, http://www.cs.princeton.edu/theory/index.php/Compbook/ Draft, but the latest edition contains corrections and improvements.

4. *Ryan O'Donnell, Analysis of Boolean Functions, Cambridge University Press, 2014.* Covers Fourier analysis.

There are many lecture notes online that cover topics from the class. For approximation algorithms check out the webpages of: Anupam Gupta and Ryan O'Donnell, Chandra Chekuri, Shuchi Chawla and others. For hardness of approximation check out the webpages of: Dana Moshkovitz, Ryan O'Donnell and Venkat Guruswami, Subhash Khot.

### 3 Syllabus

Basic combinatorial approximation algorithms; Linear programming (LP) and approximation algorithms; Semidefinite programming (SDP); Hierarchies of linear and semidefinite programming and their limitations; Hardness of Approximation, Multi-prover games and probabilistic checking of proofs (PCP); Linearity testing, Hadamard-based PCP, coding theory, Fourier analysis; Sum-Check and PCP with polylog queries; Composition, PCP of proximity, robust PCP, decoding PCP; Gap amplification (powering); expanders, small set expanders and PCP; Parallel repetition; The long code and optimal inapproximability results; The Unique Games Conjecture, Dictator tests and integrality gaps.

#### 4 Workshops

Some of the meetings will be regular lectures, and some will be "workshops" in which the students give mini-lectures. Workshops will give students ample opportunity to give lectures and receive feedback. The workshops will be held on Mondays as detailed on the course's website. Before a workshop we will publish a schedule with the topics of the mini-lectures. Usually there will be problems to solve and a mini-lecture will present a solution, but sometimes mini-lectures will be expositions of advanced topics.

# 5 Final Grade

Every student should solve one problem every week from the set of workshop problems. Over the semester, at least three of those problems should be ones designated *harder* or *longer*. Each solution will be graded on a scale of A=3/B=2/C=1/F=0. Each student will give a talk on their solution every few weeks. There will be a rotation among the students in the class to determine who speaks in which workshop.

The final grade will be determined as follows:

- 70% Correctness of solutions
- 15% Delivery of workshop talks
- 15% Participation