



Software Model Checking via Large-Block Encoding

*Dirk Beyer¹, Alessandro Cimatti², Alberto Griggio³,
Erkan Keremoglu¹, Roberto Sebastiani³*

¹SFU, Vancouver, Canada, ²FBK-IRST and ³DISI-Univ. of Trento, Italy



Motivations

- ◆ SMT: very promising technology for verification
 - ◆ SMT solvers: efficient, powerful, scalable
 - ◆ Several SMT-based verification techniques recently proposed
- ◆ Software Model Checking: effective technique for software verification (e.g. SLAM, BLAST, verification of device drivers)
 - ◆ Popular approach: lazy abstraction with analysis of an abstract reachability tree (ART)
- ◆ Current ART-based approaches do not take full advantage of SMT solvers
 - ◆ Explicit exploration of the ART, SMT only used (mostly) for conjunctions of constraints



Contribution

- ◆ **Large-Block Encoding:** (simple) generalization of traditional ART-based approach aimed at better exploiting SMT technology
 - ◆ Less explicit search on the ART, more symbolic search within the SMT solver
 - ◆ Empirical evidence of the benefits on a set of standard benchmark C programs



Outline

- ◆ Background
- ◆ Large-Block Encoding
- ◆ Experimental evaluation



Background – Programs and CFAs

Programs represented as control-flow automata (CFAs)

- ◆ A CFA is a pair (L, G) , where:
 - ◆ L : set of program locations
 - ◆ G : set of edges $L \times Op \times L$
- ◆ l_0 entry point of a program,
 l_E error location

Background – Programs and CFAs

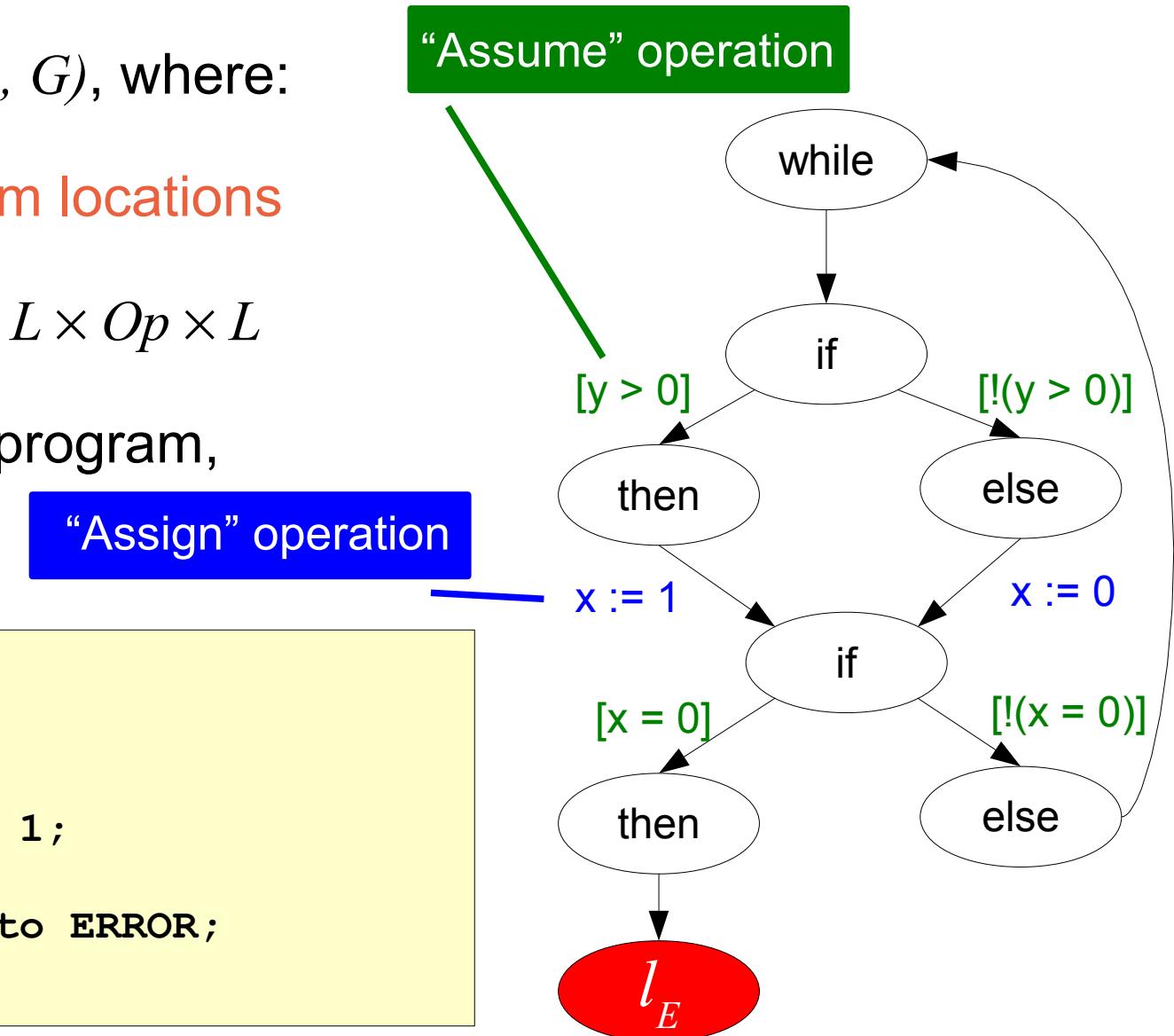
Programs represented as control-flow automata (CFAs)

- ◆ A CFA is a pair (L, G) , where:
 - ◆ L : set of program locations
 - ◆ G : set of edges $L \times Op \times L$
- ◆ l_0 entry point of a program,
 l_E error location

- ◆ Example:

```

while (1) {
    if (y > 0) x = 1;
    else x = 0;
    if (x == 0) goto ERROR;
}
  
```





Background – semantics

- ◆ Concrete state of a program: (l, s) , where
 - ◆ l is a location
 - ◆ s is an assignment to program variables (a formula $\bigwedge_i x_i = v$)
- ◆ Concrete semantics of an operation op given by SP_{op} :
 - ◆ Assign: $\text{SP}_{x:=e}(\varphi) = \exists \hat{x} : \varphi[x \mapsto \hat{x}] \wedge (x = e[x \mapsto \hat{x}])$
 - ◆ Assume: $\text{SP}_p(\varphi) = \varphi \wedge p$
- ◆ Path: seq. $\sigma = \langle (op_1, l_1) \dots (op_n, l_n) \rangle$ where (l_{i-1}, op_i, l_i) is a CFA edge
 - ◆ Semantics $\text{SP}_\sigma(\varphi) = \text{SP}_{op_n}(\dots \text{SP}_{op_1}(\varphi) \dots)$
 - ◆ Feasible if $\text{SP}_\sigma(\text{true})$ is satisfiable
- ◆ Location l reachable iff exists feasible path $\langle (op_1, l_1) \dots (op_n, l_n) \rangle$
- ◆ Program safe iff l_E not reachable



Background – ART-based SW MC

- ◆ Abstraction of $\varphi : \alpha(\varphi)$ such that $\varphi \models \alpha(\varphi)$
 - ◆ Abstract SP: $\text{SP}_{op}^{\alpha}(\varphi) = \alpha(\text{SP}_{op}(\varphi))$
- ◆ Abstract Reachability Tree (ART): unwinding of the CFA in an abstract space
 - ◆ Each node is an abstract state (l, φ)
 - ◆ children of (l, φ) : abstract successors: $\{(l_i, \hat{\varphi}_i)\}_i$
 - ◆ (l, op_i, l_i) is an edge in the CFA
 - ◆ $\hat{\varphi}_i = \text{SP}_{op_i}^{\alpha}(\varphi)$ and $\hat{\varphi}_i \not\models \perp$
 - ◆ (l, φ) has children only if not covered
 - ◆ there is no (l, ψ) in the ART s.t. $\varphi \models \psi$
 - ◆ ART safe if there is no (l_E, \cdot)



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

- ◆ Pick node

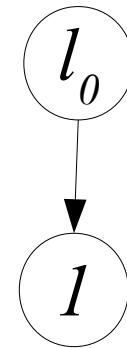
$$l_0$$



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

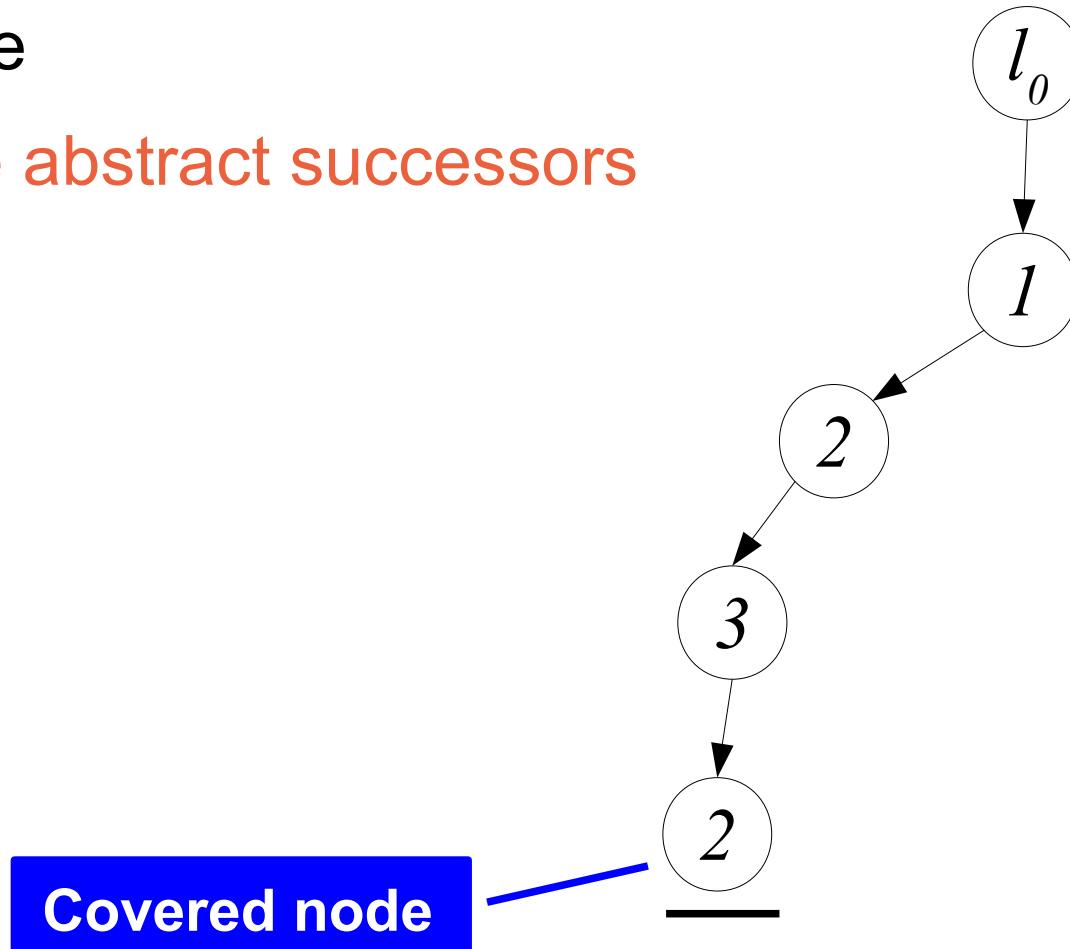
- ◆ Pick node
- ◆ Compute abstract successors



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

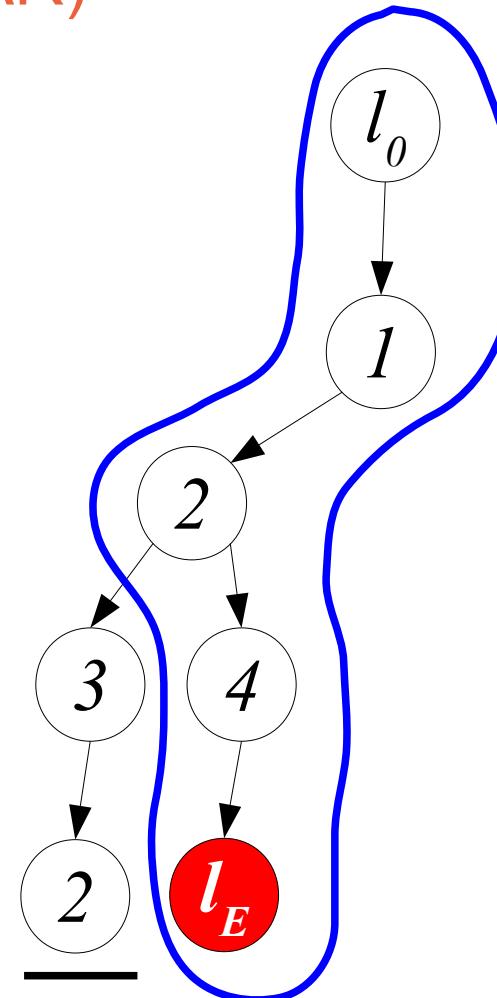
- ◆ Pick node
- ◆ Compute abstract successors



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

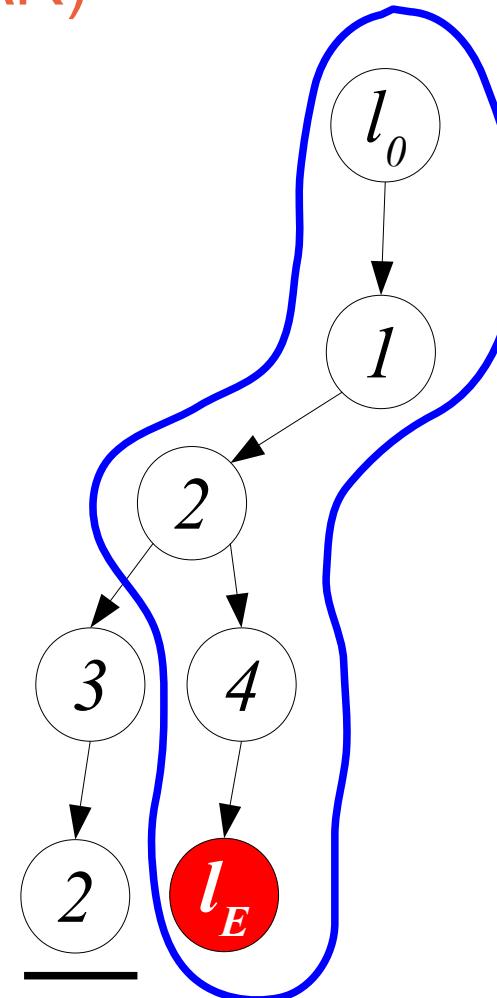
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
- ◆ If spurious:



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

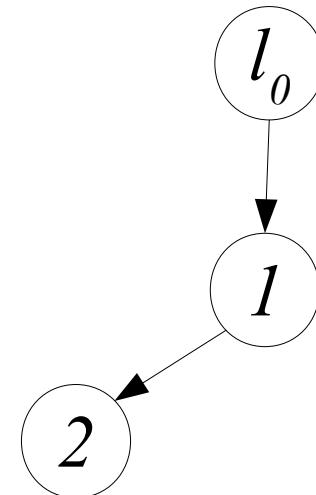
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

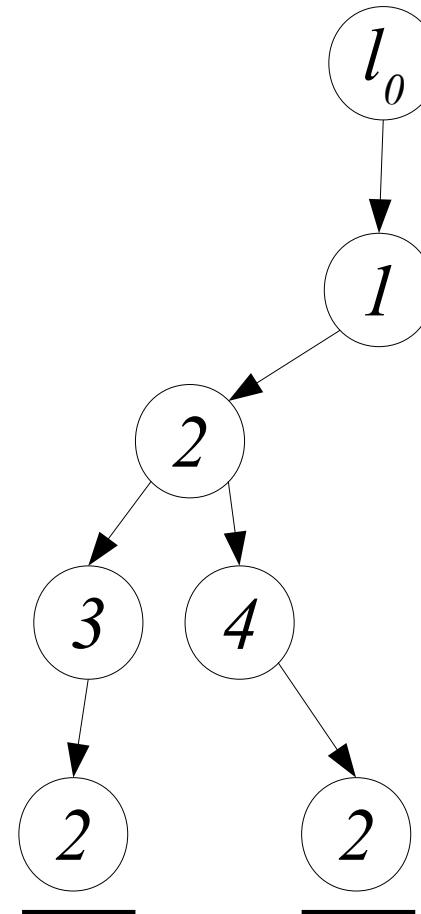
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction
 - ◆ undo part of the ART



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

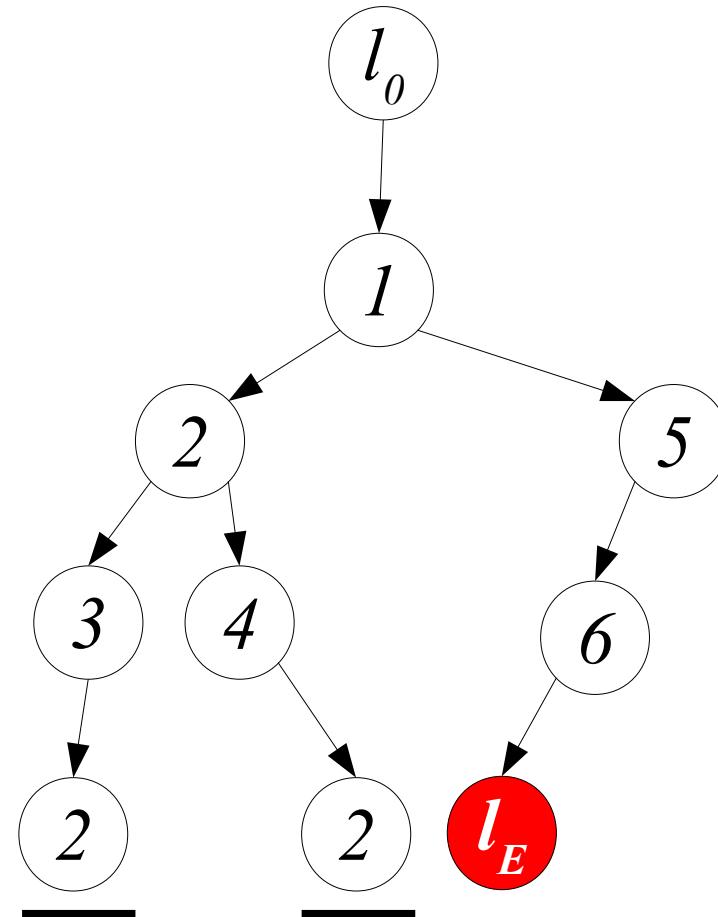
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction
 - ◆ undo part of the ART
 - ◆ **Rebuild subtree**



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

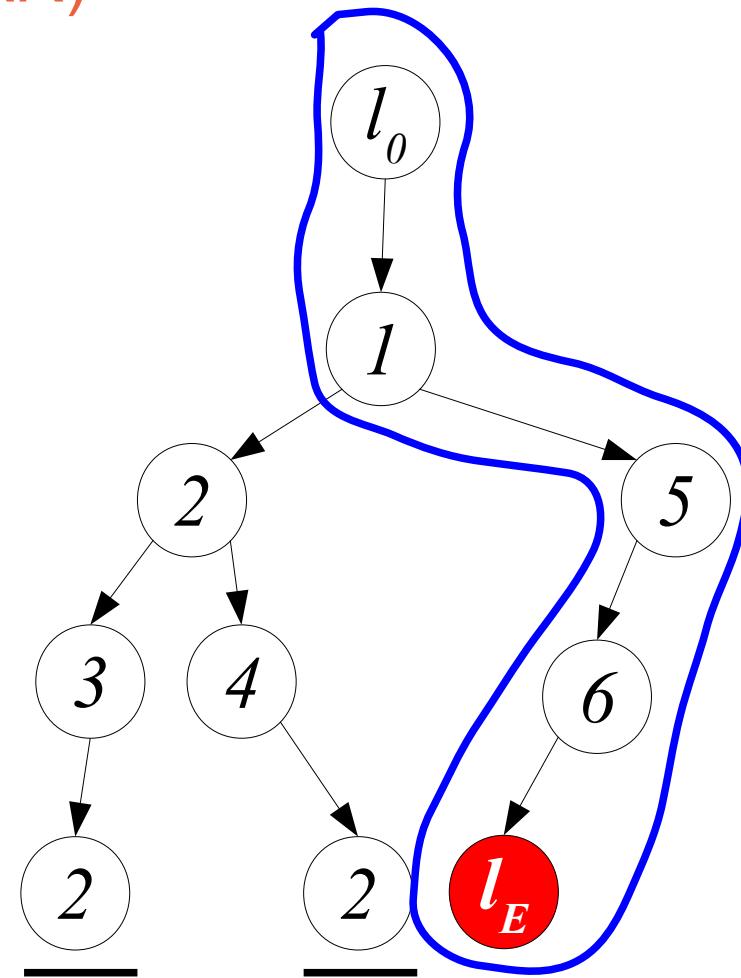
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction
 - ◆ undo part of the ART
 - ◆ Rebuild subtree



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

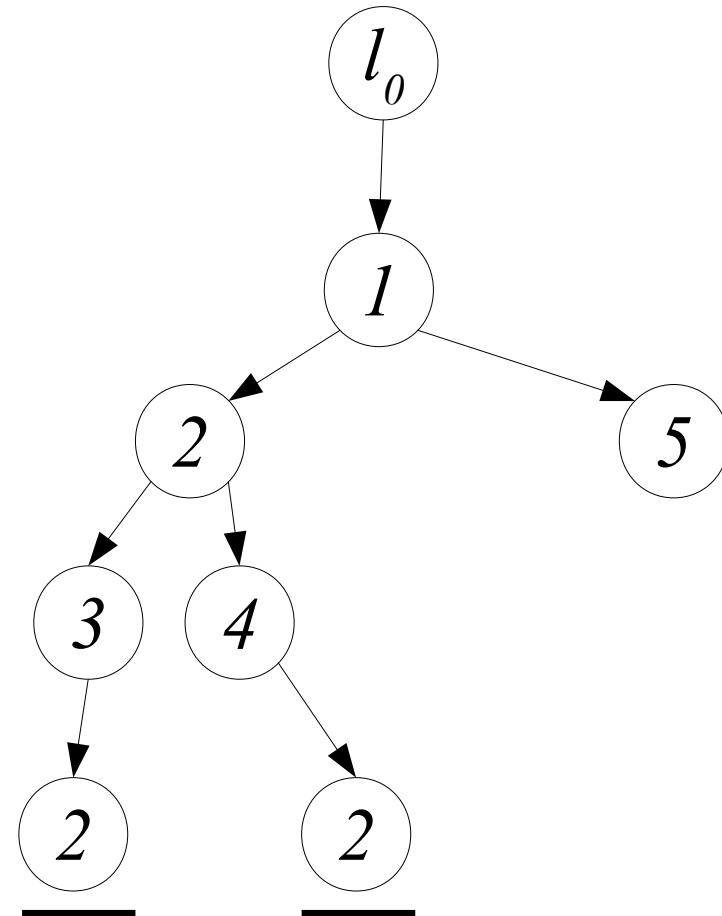
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction
 - ◆ undo part of the ART
 - ◆ Rebuild subtree



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

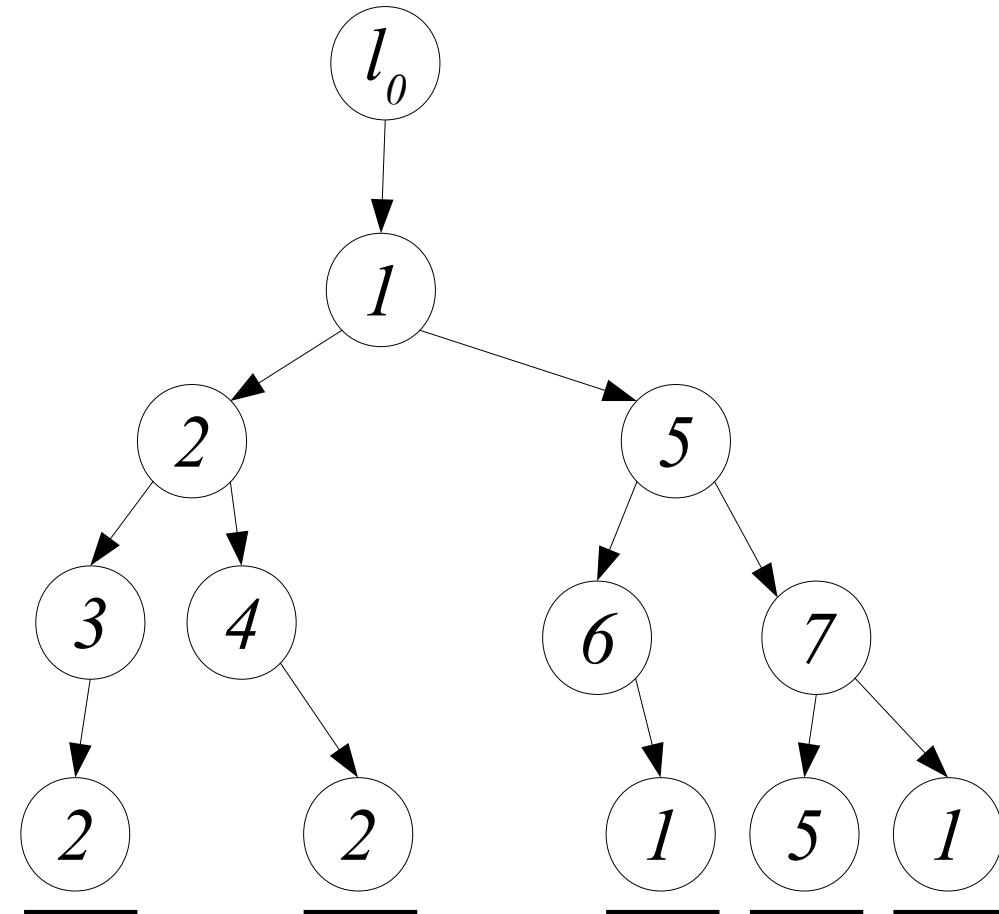
- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction
 - ◆ undo part of the ART
 - ◆ Rebuild subtree



Background – ART-based SW MC (2)

On-the-fly ART construction with counterexample-guided abstraction refinement (CEGAR)

- ◆ Pick node
- ◆ Compute abstract successors
- ◆ If error reached:
analyze abstract trace
 - ◆ If spurious:
 - ◆ refine abstraction
 - ◆ undo part of the ART
 - ◆ Rebuild subtree
- ◆ ART safe \Rightarrow Program safe





Background – Predicate abstraction

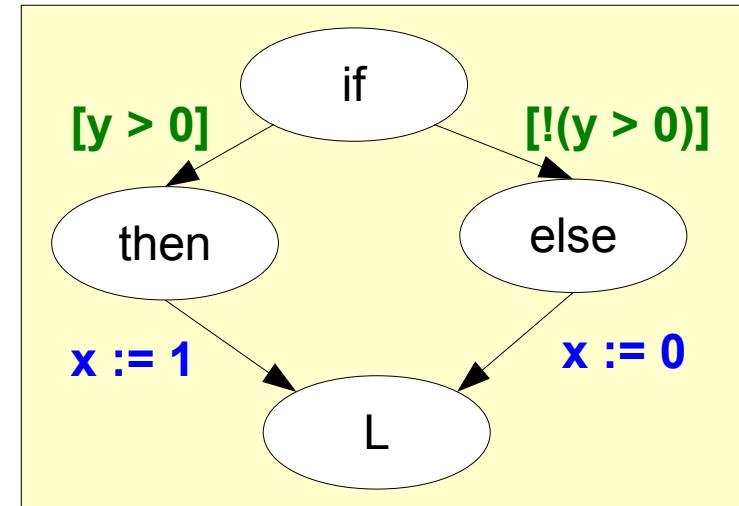
- ◆ Abstraction of φ as a Boolean combination of a set of predicates P
- ◆ Boolean abstraction
 - ◆ $\alpha_P^{\mathbb{B}}(\varphi)$ strongest Boolean combination of P s.t. $\varphi \models \alpha^{\mathbb{B}}(\varphi)$
 - ◆ Expensive to compute
 - ◆ Traditional approach: $2^{|P|}$ calls to a decision procedure
- ◆ Cartesian abstraction
 - ◆ $\alpha_P^{\mathbb{C}}(\varphi) = \bigwedge\{p \in P \mid \varphi \models p\} \cup \bigwedge\{\neg p \mid p \in P \text{ and } \varphi \models \neg p\}$
 - ◆ Much cheaper to compute
 - ◆ Much weaker
- ◆ Abstraction refinement: add more predicates to P

Background – Cartesian vs Boolean abst.

♦ Example

$$\varphi = ((y > 0) \wedge (x = 1)) \vee (\neg(y > 0) \wedge (x = 0))$$

$$P = \{(x = 0), (y = 0)\}$$



Background – Cartesian vs Boolean abst.

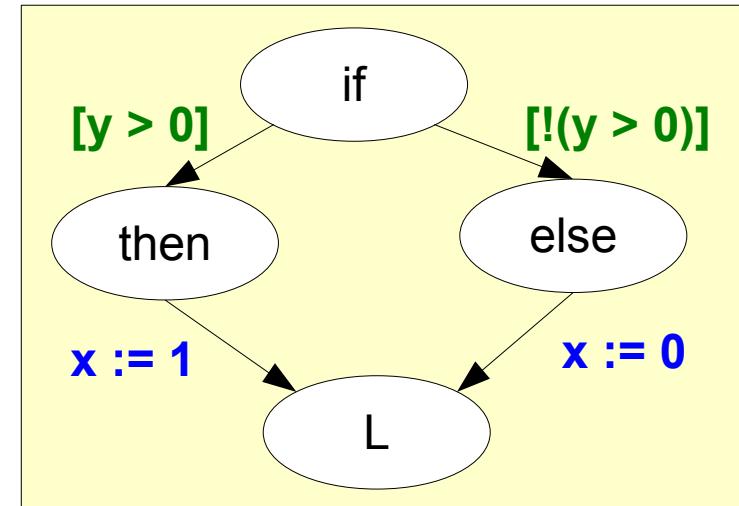
- ◆ Example

$$\varphi = ((y > 0) \wedge (x = 1)) \vee (\neg(y > 0) \wedge (x = 0))$$

$$P = \{(x = 0), (y = 0)\}$$

- ◆ $\alpha_P^C(\varphi) = \top$, since

$$\begin{array}{ll} \varphi \not\models (x = 0) & \varphi \not\models \neg(x = 0) \\ \varphi \not\models (y = 0) & \varphi \not\models \neg(y = 0) \end{array}$$



Background – Cartesian vs Boolean abst.

- ◆ Example

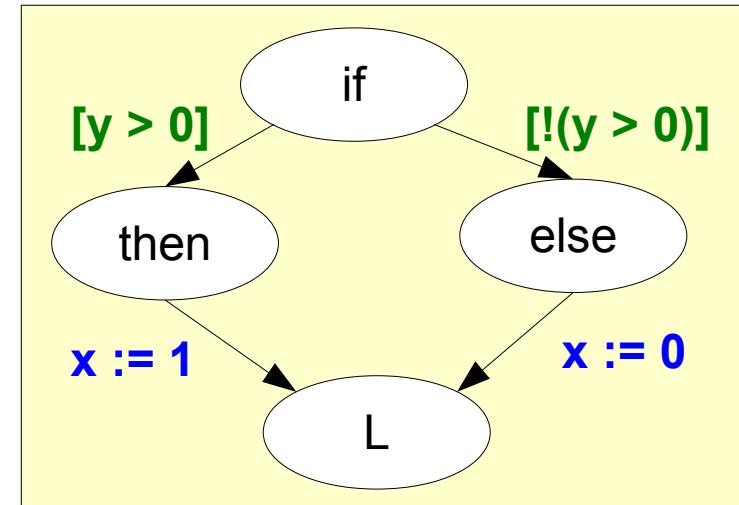
$$\varphi = ((y > 0) \wedge (x = 1)) \vee (\neg(y > 0) \wedge (x = 0))$$

$$P = \{(x = 0), (y = 0)\}$$

- ◆ $\alpha_P^{\mathbb{C}}(\varphi) = \top$, since

$$\begin{array}{ll} \varphi \not\models (x = 0) & \varphi \not\models \neg(x = 0) \\ \varphi \not\models (y = 0) & \varphi \not\models \neg(y = 0) \end{array}$$

- ◆ $\alpha_P^{\mathbb{B}}(\varphi) = (y = 0) \rightarrow (x = 0)$



Background – Cartesian vs Boolean abst.

- ◆ Example

$$\varphi = ((y > 0) \wedge (x = 1)) \vee (\neg(y > 0) \wedge (x = 0))$$

$$P = \{(x = 0), (y = 0)\}$$

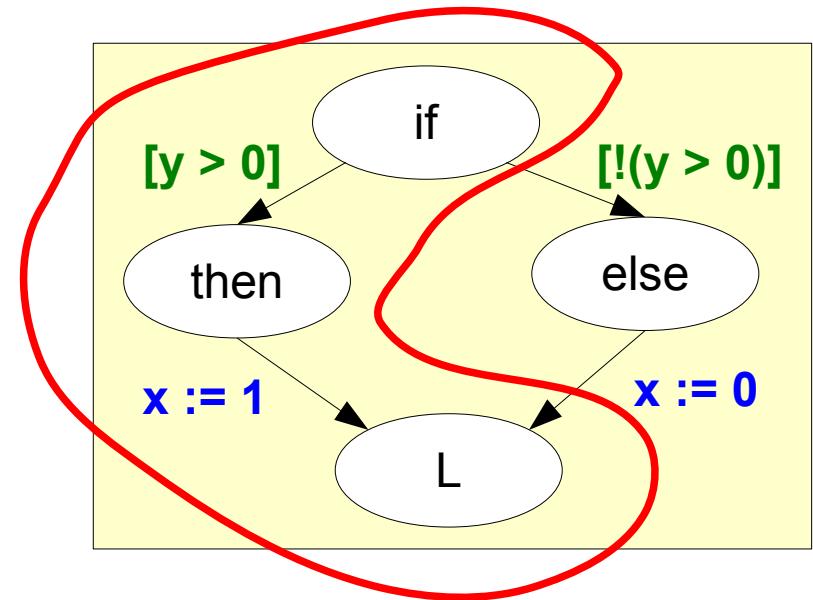
- ◆ $\alpha_P^{\mathbb{C}}(\varphi) = \top$, since

$$\begin{array}{ll} \varphi \not\models (x = 0) & \varphi \not\models \neg(x = 0) \\ \varphi \not\models (y = 0) & \varphi \not\models \neg(y = 0) \end{array}$$

- ◆ $\alpha_P^{\mathbb{B}}(\varphi) = (y = 0) \rightarrow (x = 0)$

- ◆ However, e.g. for $\varphi_{\text{then}} = (y > 0) \wedge (x = 1)$

$$\alpha_P^{\mathbb{C}}(\varphi_{\text{then}}) = \alpha_P^{\mathbb{B}}(\varphi_{\text{then}}) = \neg(x = 0) \wedge \neg(y = 0)$$



Background – Cartesian vs Boolean abst.

- ◆ Example

$$\varphi = ((y > 0) \wedge (x = 1)) \vee (\neg(y > 0) \wedge (x = 0))$$

$$P = \{(x = 0), (y = 0)\}$$

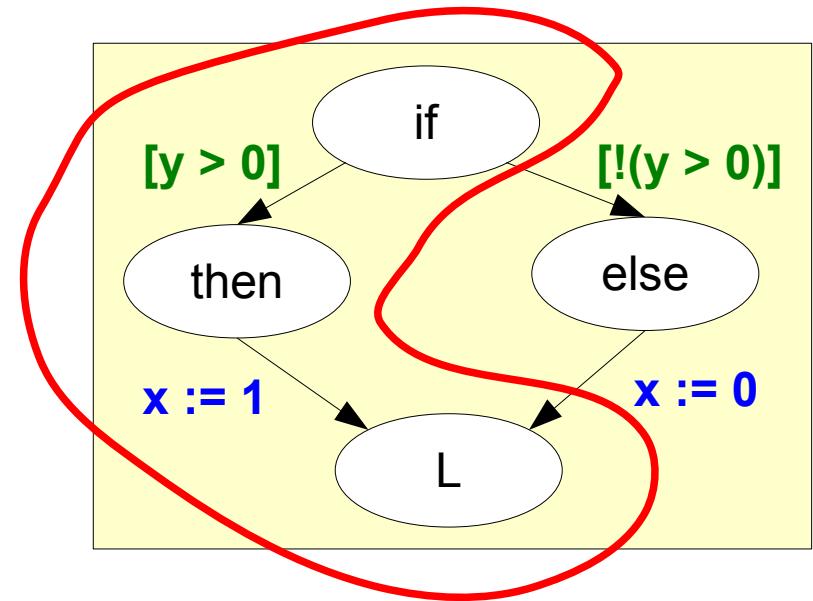
- ◆ $\alpha_P^C(\varphi) = \top$, since

$$\begin{array}{ll} \varphi \not\models (x = 0) & \varphi \not\models \neg(x = 0) \\ \varphi \not\models (y = 0) & \varphi \not\models \neg(y = 0) \end{array}$$

- ◆ $\alpha_P^B(\varphi) = (y = 0) \rightarrow (x = 0)$

- ◆ However, e.g. for $\varphi_{then} = (y > 0) \wedge (x = 1)$

$$\alpha_P^C(\varphi_{then}) = \alpha_P^B(\varphi_{then}) = \neg(x = 0) \wedge \neg(y = 0)$$



Cart. abst. often good enough for ART-based SW MC in practice



Outline

- ◆ Background
- ◆ Large-Block Encoding
- ◆ Experimental evaluation



ART and SMT solvers

- ◆ Using an ART, **reduced cost** in computing abstractions
 - ◆ Separate SP_{op}^{α} computation for each edge (*single block*)
 - ◆ Cartesian abstraction works well in practice
 - ◆ *Consequence: very simple queries to the SMT solver*
- ◆ However, up to **exponential number of paths** to explore *explicitly* in the ART
 - ◆ *Exponentially-many trivial SMT solver calls*

Power, scalability and features of modern SMT solvers
not fully exploited



Example of exponential ART

```
if (p1) {x1 = 1;} else {x1 = 0;}  
...  
if (pn) {xn = 1;} else {xn = 0;}  
  
if (p1) { if (!x1) goto ERROR; }  
...  
if (pn) { if (!xn) goto ERROR; }
```

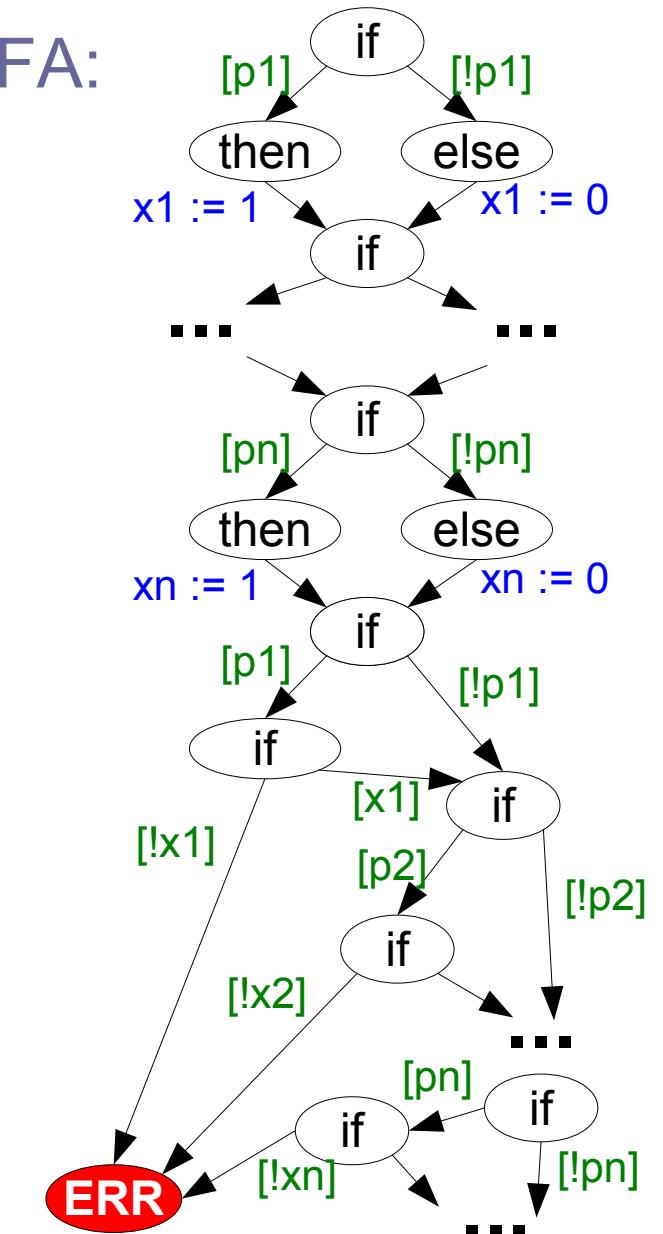
Example of exponential ART

```

if (p1) {x1 = 1;} else {x1 = 0;}
...
if (pn) {xn = 1;} else {xn = 0;}
if (p1) { if (!x1) goto ERROR; }
...
if (pn) { if (!xn) goto ERROR; }

```

CFA:



Example of exponential ART

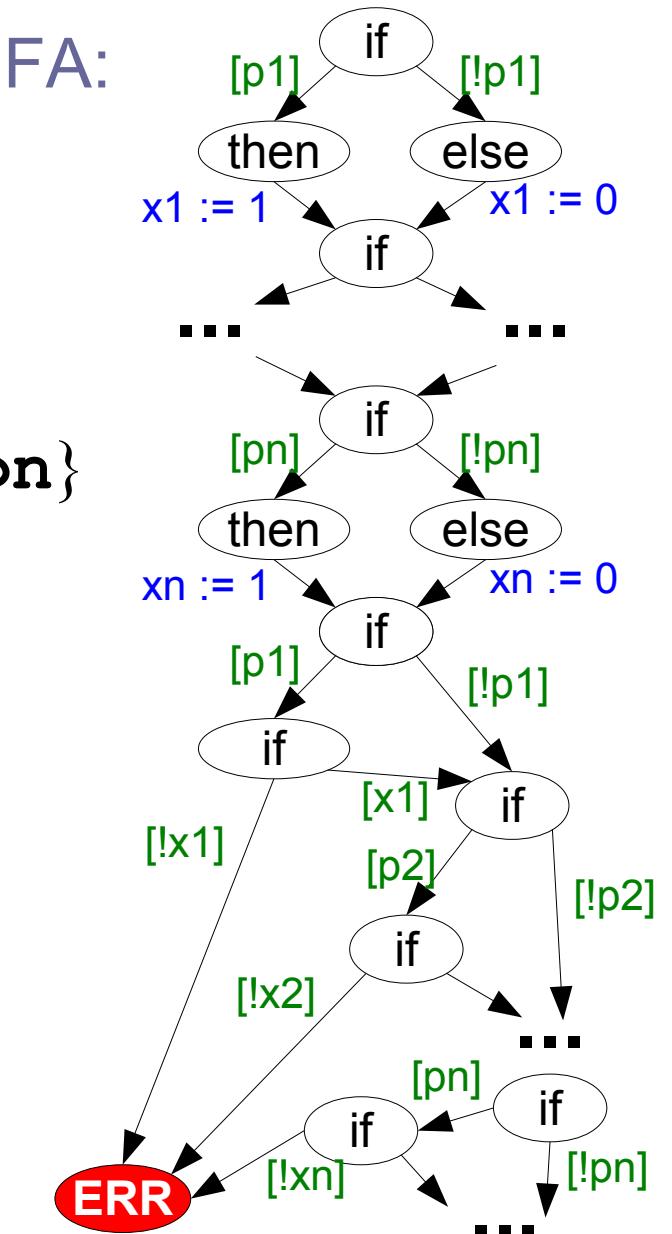
```

if (p1) {x1 = 1;} else {x1 = 0;}
...
if (pn) {xn = 1;} else {xn = 0;}
if (p1) { if (!x1) goto ERROR; }
...
if (pn) { if (!xn) goto ERROR; }

```

Preds needed: $\{(\mathbf{x1=0}), \dots, (\mathbf{xn=0}), p1, \dots, pn\}$

CFA:



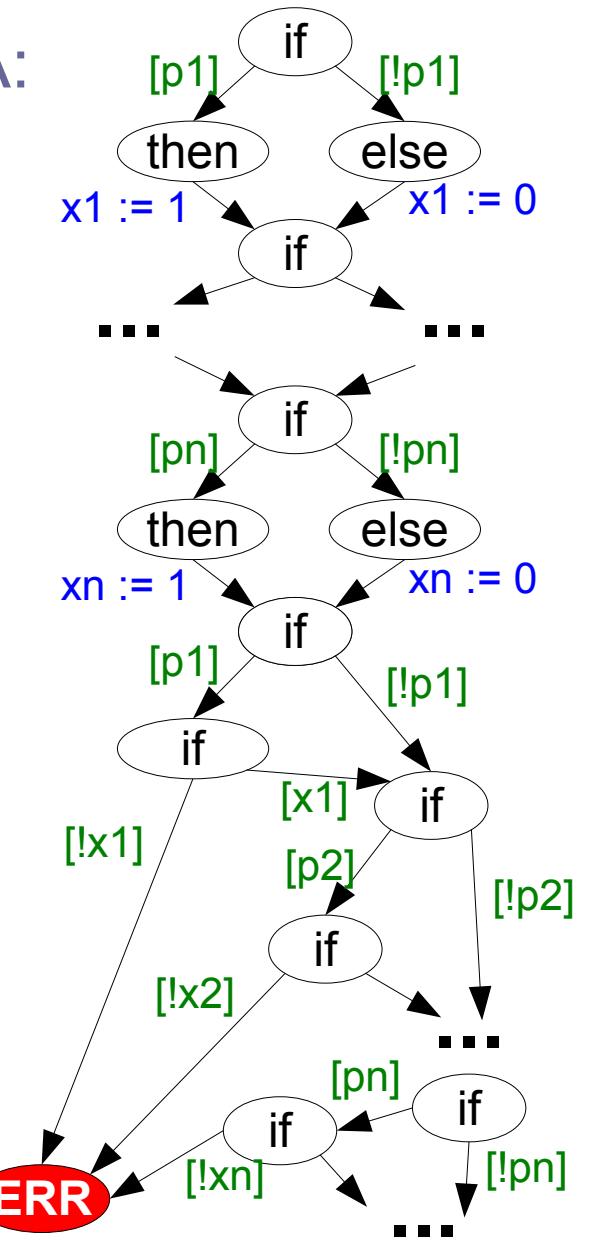
Example of exponential ART

```

if (p1) {x1 = 1;} else {x1 = 0;}
...
if (pn) {xn = 1;} else {xn = 0;}
if (p1) { if (!x1) goto ERROR; }
...
if (pn) { if (!xn) goto ERROR; }

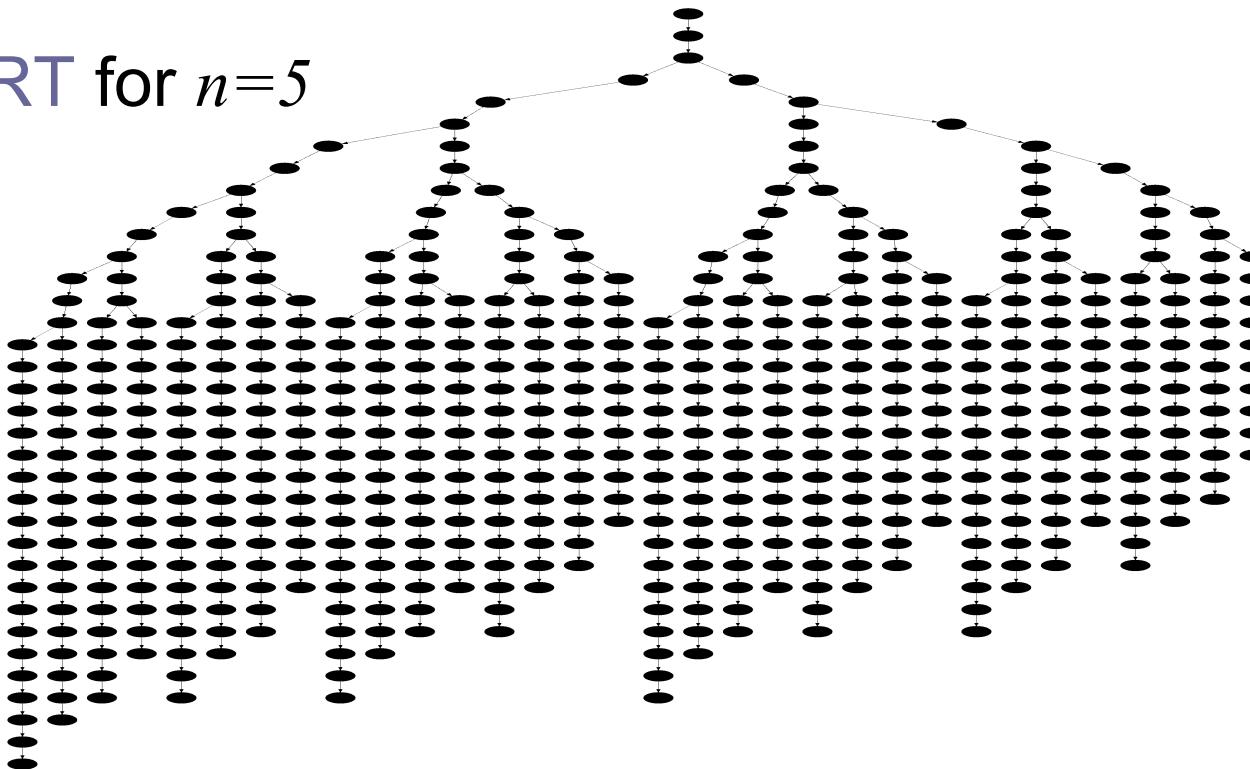
```

CFA:



Preds needed: $\{ (x_1=0), \dots, (x_n=0), p_1, \dots, p_n \}$

ART for $n=5$





Large-Block Encoding

- ◆ *Main idea: use a “more coarse-grained” ART*
 - ◆ No more 1:1 mapping between ART paths and program paths
 - ◆ Each ART edge encodes a **loop-free subpart** of the program
 - ◆ Each ART path encodes a **set** of program paths
- ◆ **Consequences:**
 - ◆ reduce size of the ART (up to exponentially)
 - ◆ Increase cost of SP_{op}^{α} , path feasibility checks, refinement



Large-Block Encoding

- ◆ *Main idea: use a “more coarse-grained” ART*
 - ◆ No more 1:1 mapping between ART paths and program paths
 - ◆ Each ART edge encodes a **loop-free subpart** of the program
 - ◆ Each ART path encodes a **set** of program paths
- ◆ **Consequences:**
 - ◆ reduce size of the ART (up to exponentially)
 - ◆ Increase cost of SP_{op}^{α} , path feasibility checks, refinement

Less explicit search, more (symbolic) work for the SMT solver



Large-Block Encoding: implementation

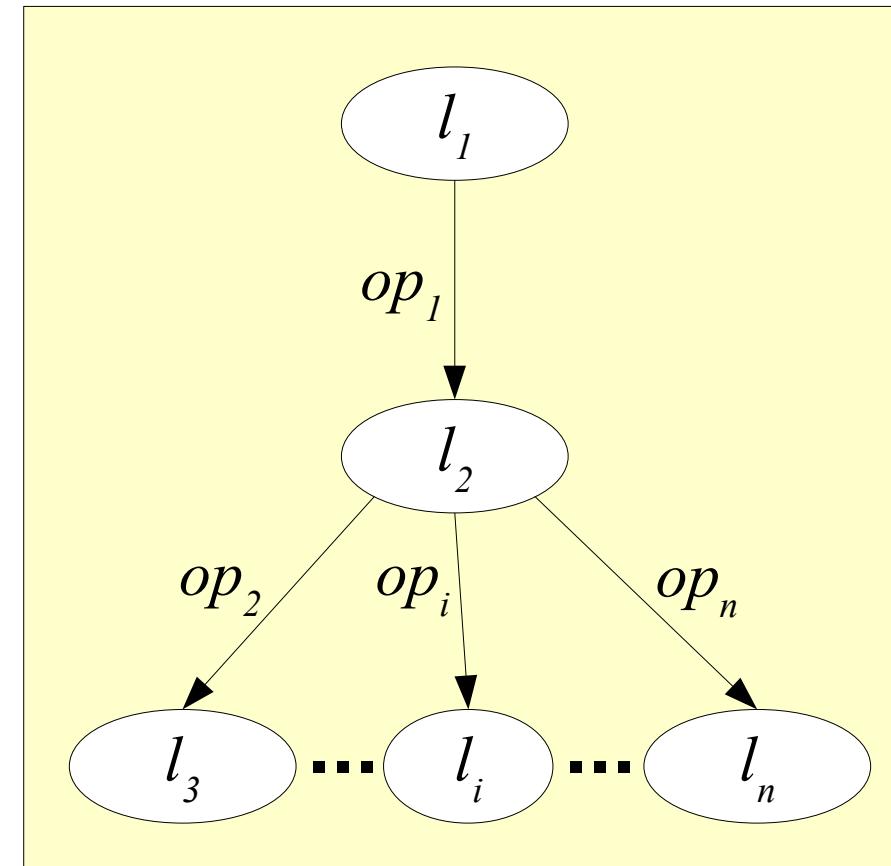
- ◆ *Do not modify the algorithm, modify the CFA*
- ◆ Summarization of the CFA
 - ◆ Fixpoint application of 2 summarization rules

Large-Block Encoding: implementation

- ◆ *Do not modify the algorithm, modify the CFA*
- ◆ Summarization of the CFA
 - ◆ Fixpoint application of 2 summarization rules

Rule 1 (Sequence)

- ◆ Conditions:
 - ◆ $l_1 \neq l_2$
 - ◆ No other incoming edges to l_2

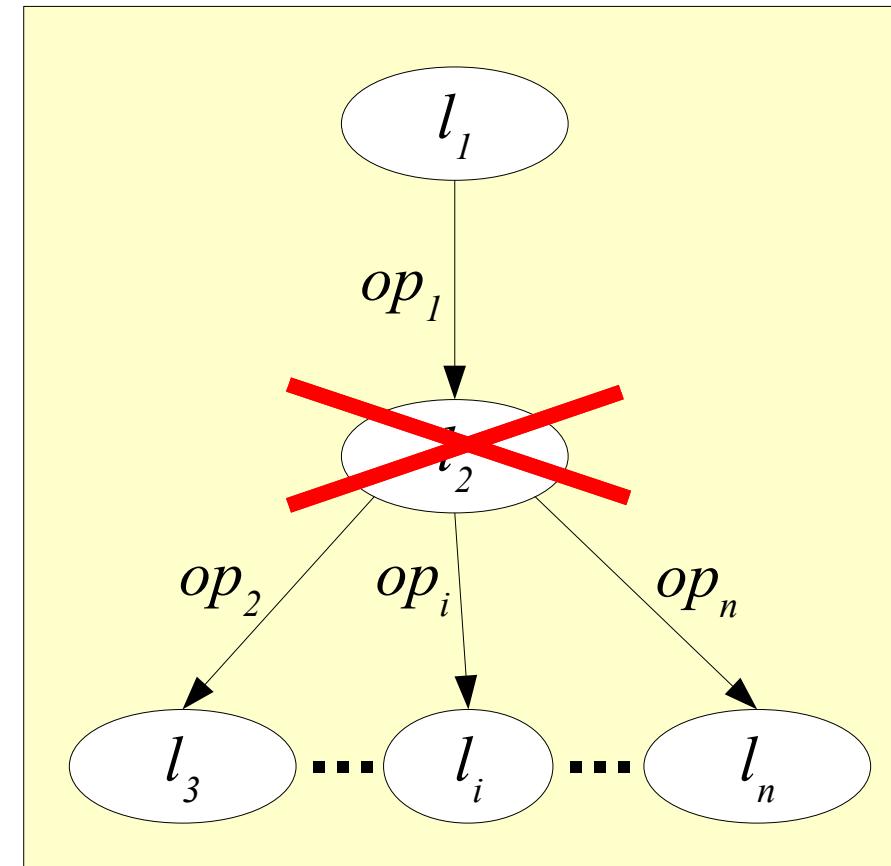


Large-Block Encoding: implementation

- ◆ *Do not modify the algorithm, modify the CFA*
- ◆ Summarization of the CFA
 - ◆ Fixpoint application of 2 summarization rules

Rule 1 (Sequence)

- ◆ Conditions:
 - ◆ $l_1 \neq l_2$
 - ◆ No other incoming edges to l_2



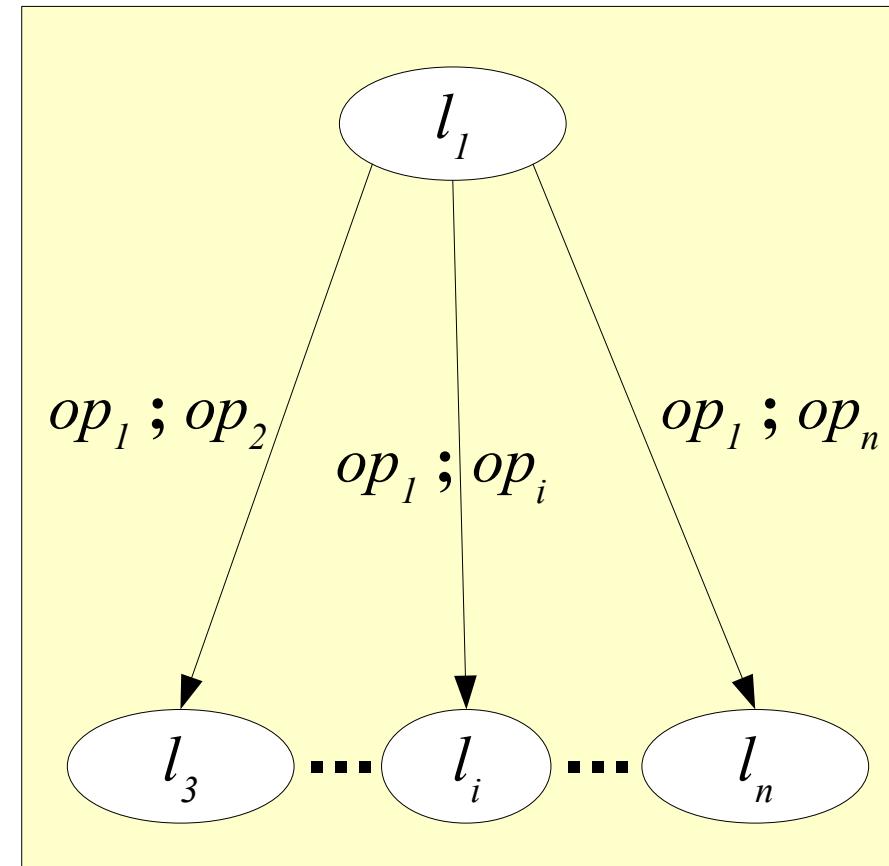
Large-Block Encoding: implementation

- ◆ *Do not modify the algorithm, modify the CFA*
- ◆ Summarization of the CFA
 - ◆ Fixpoint application of 2 summarization rules

Rule 1 (Sequence)

- ◆ Conditions:
 - ◆ $l_1 \neq l_2$
 - ◆ No other incoming edges to l_2

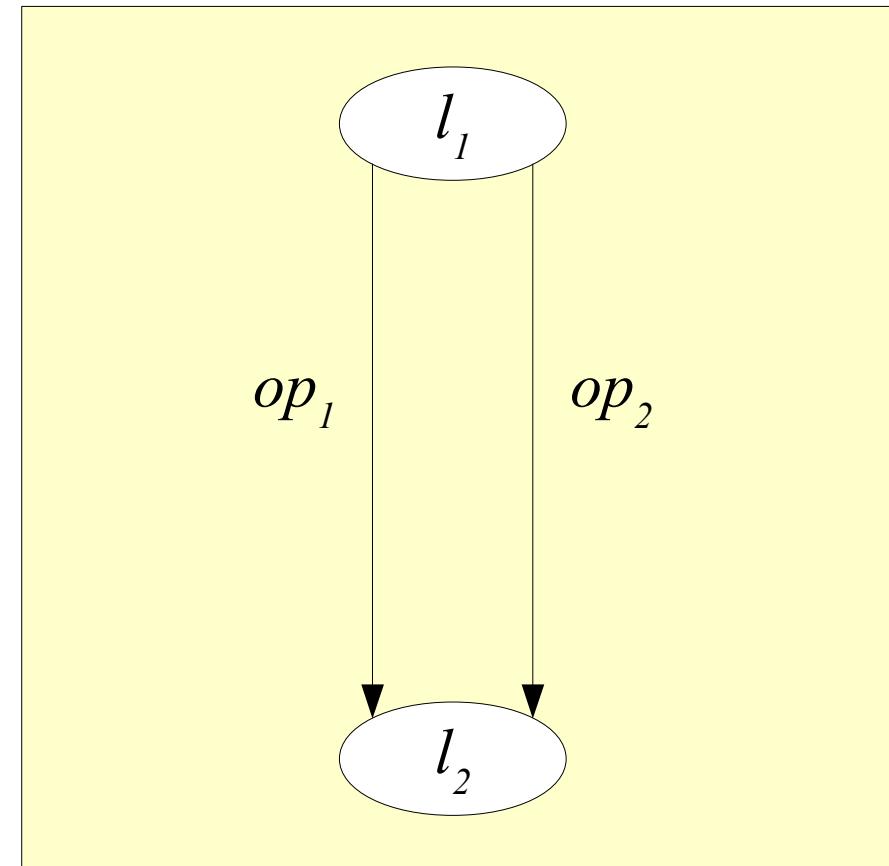
$$\text{SP}_{op_1;op_2}(\varphi) = \text{SP}_{op_2}(\text{SP}_{op_1}(\varphi))$$



Large-Block Encoding: implementation

- ◆ *Do not modify the algorithm, modify the CFA*
- ◆ Summarization of the CFA
 - ◆ Fixpoint application of 2 summarization rules

Rule 2 (Choice)

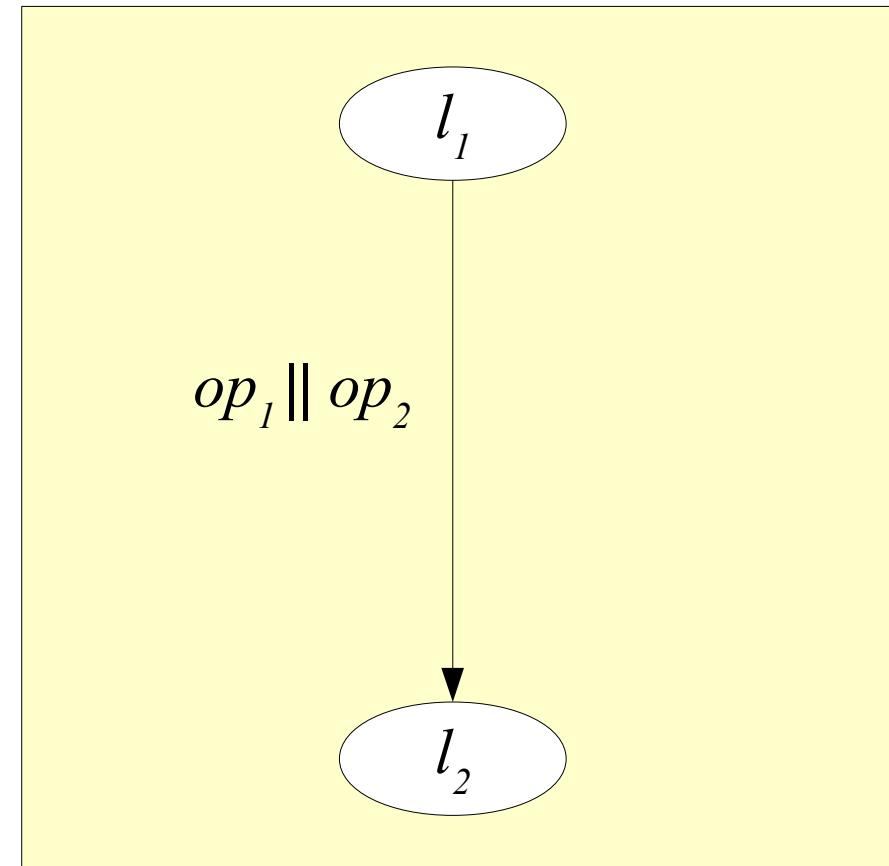


Large-Block Encoding: implementation

- ◆ *Do not modify the algorithm, modify the CFA*
- ◆ Summarization of the CFA
 - ◆ Fixpoint application of 2 summarization rules

Rule 2 (Choice)

$$\text{SP}_{op_1 \parallel op_2}(\varphi) = \text{SP}_{op_1}(\varphi) \vee \text{SP}_{op_2}(\varphi)$$

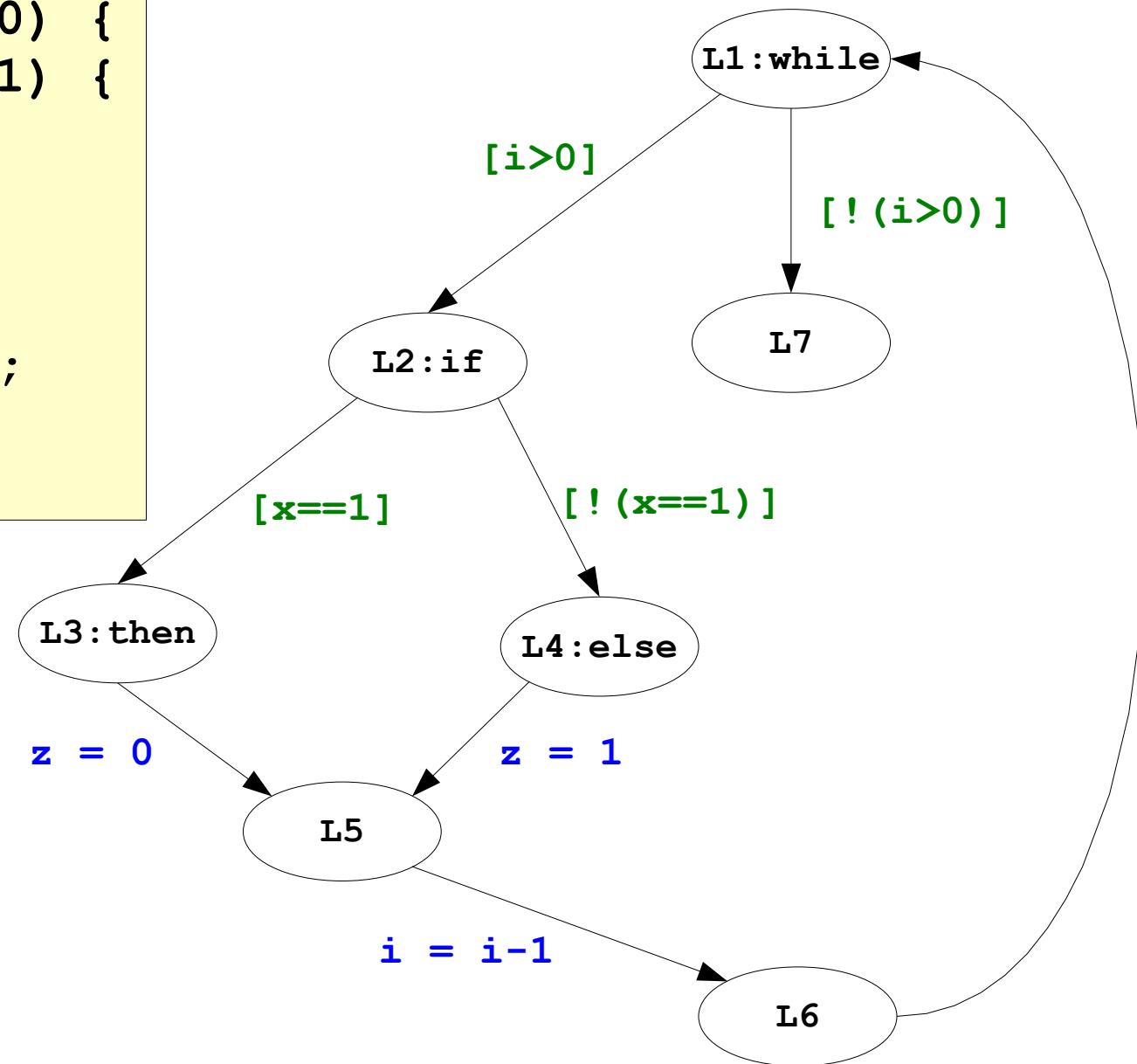


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   ...

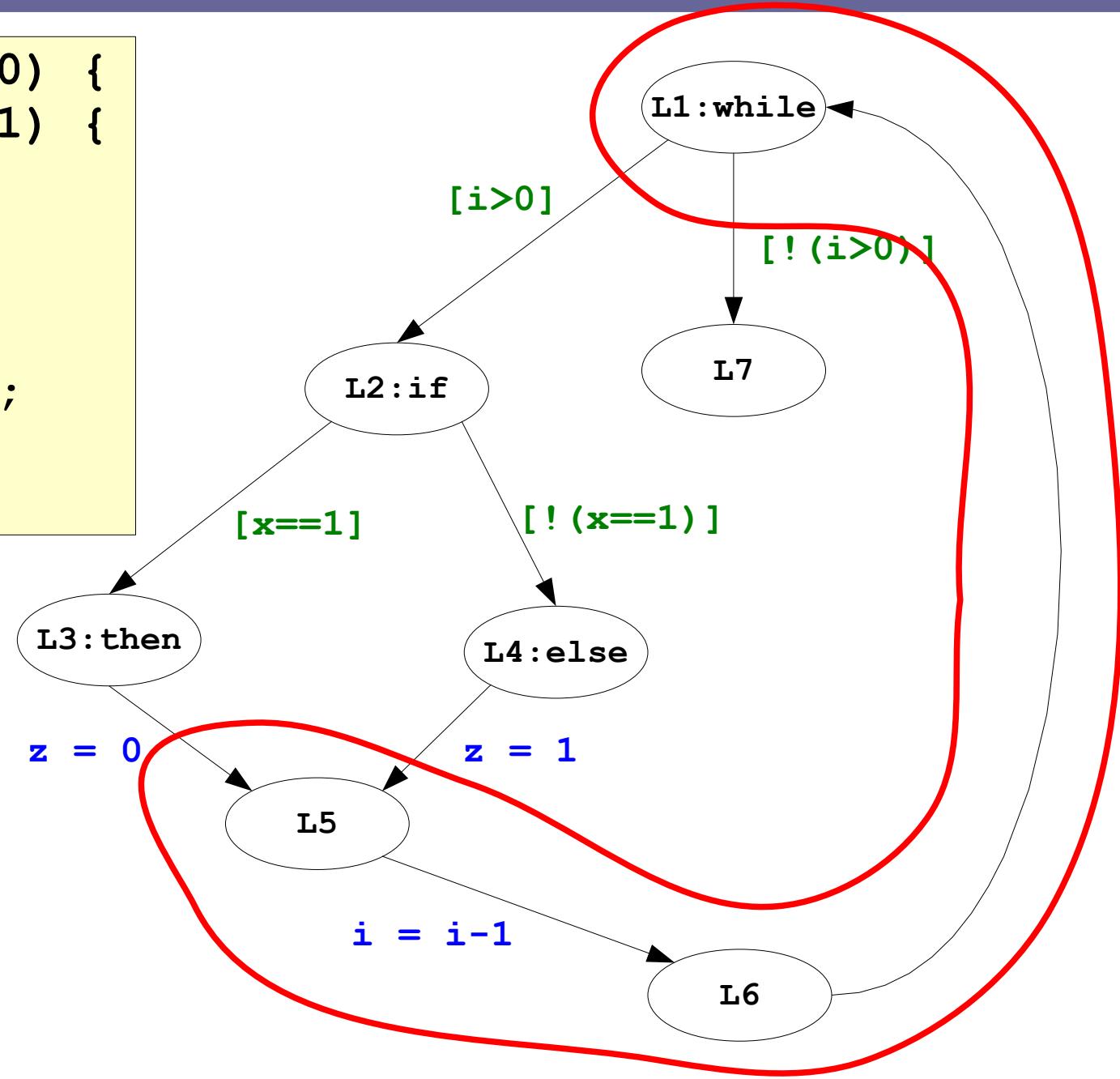
```



CFA summarization – Example

```

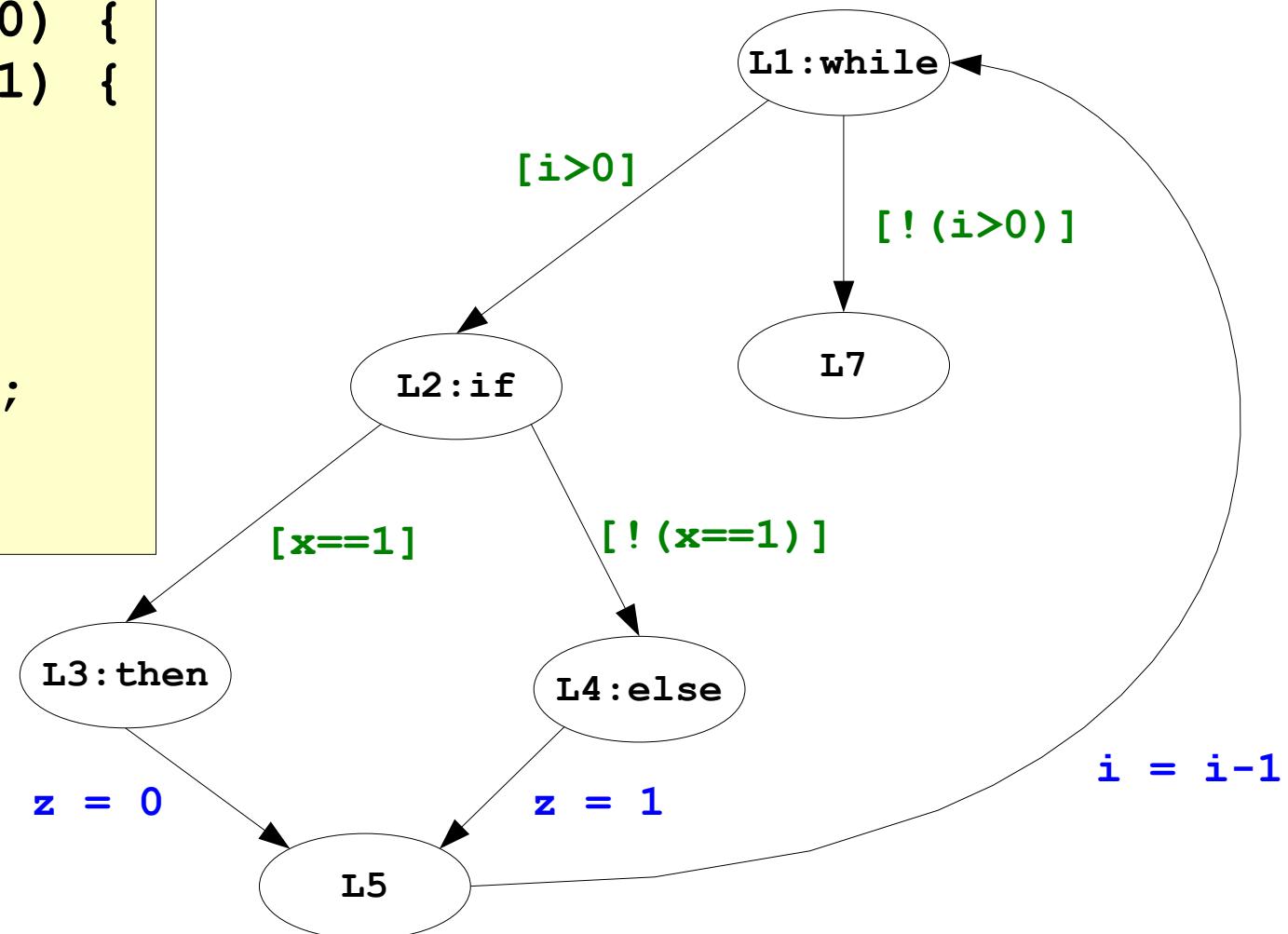
L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   ...
  
```



CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...
  
```

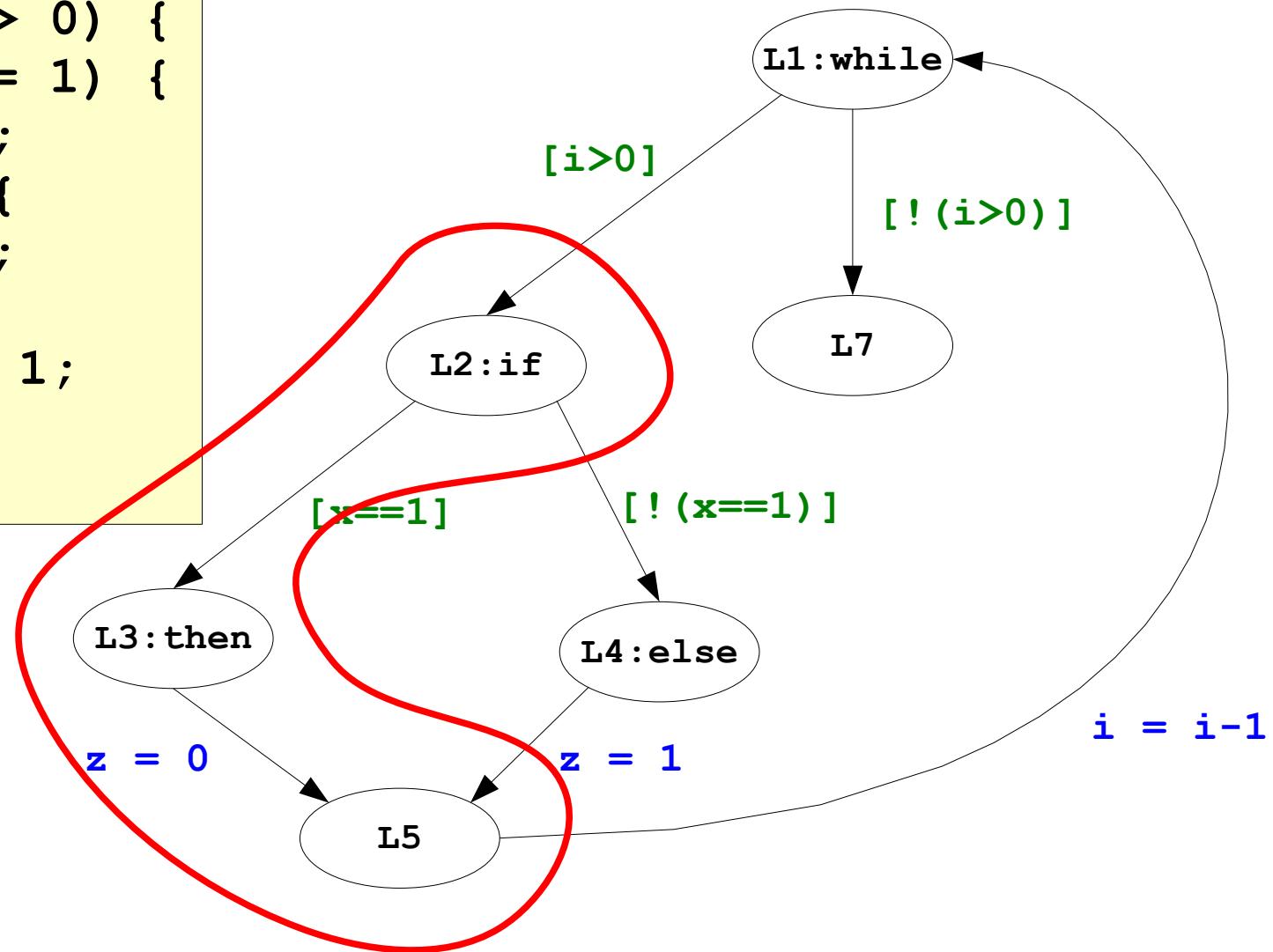


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   ...

```

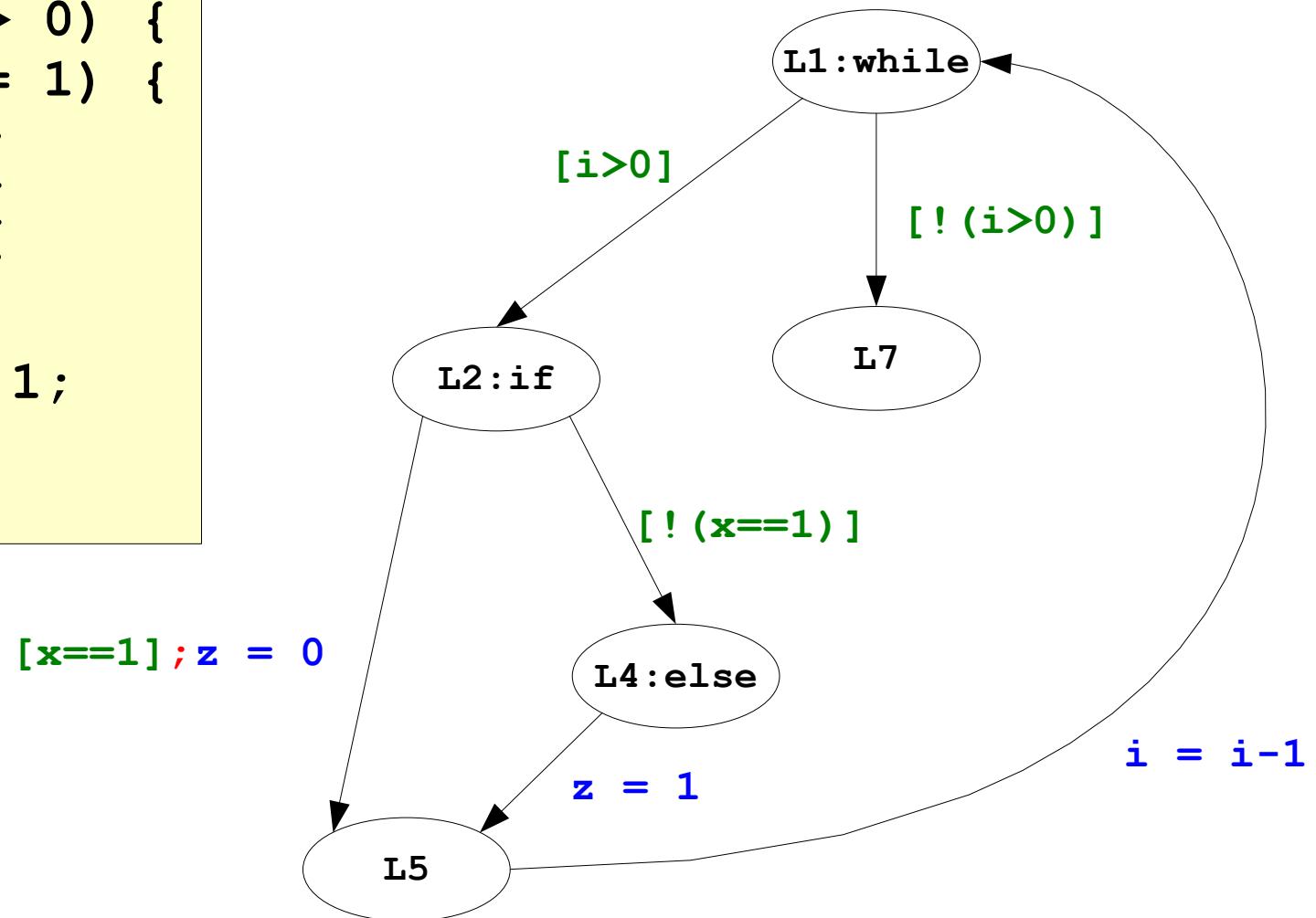


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   ...

```

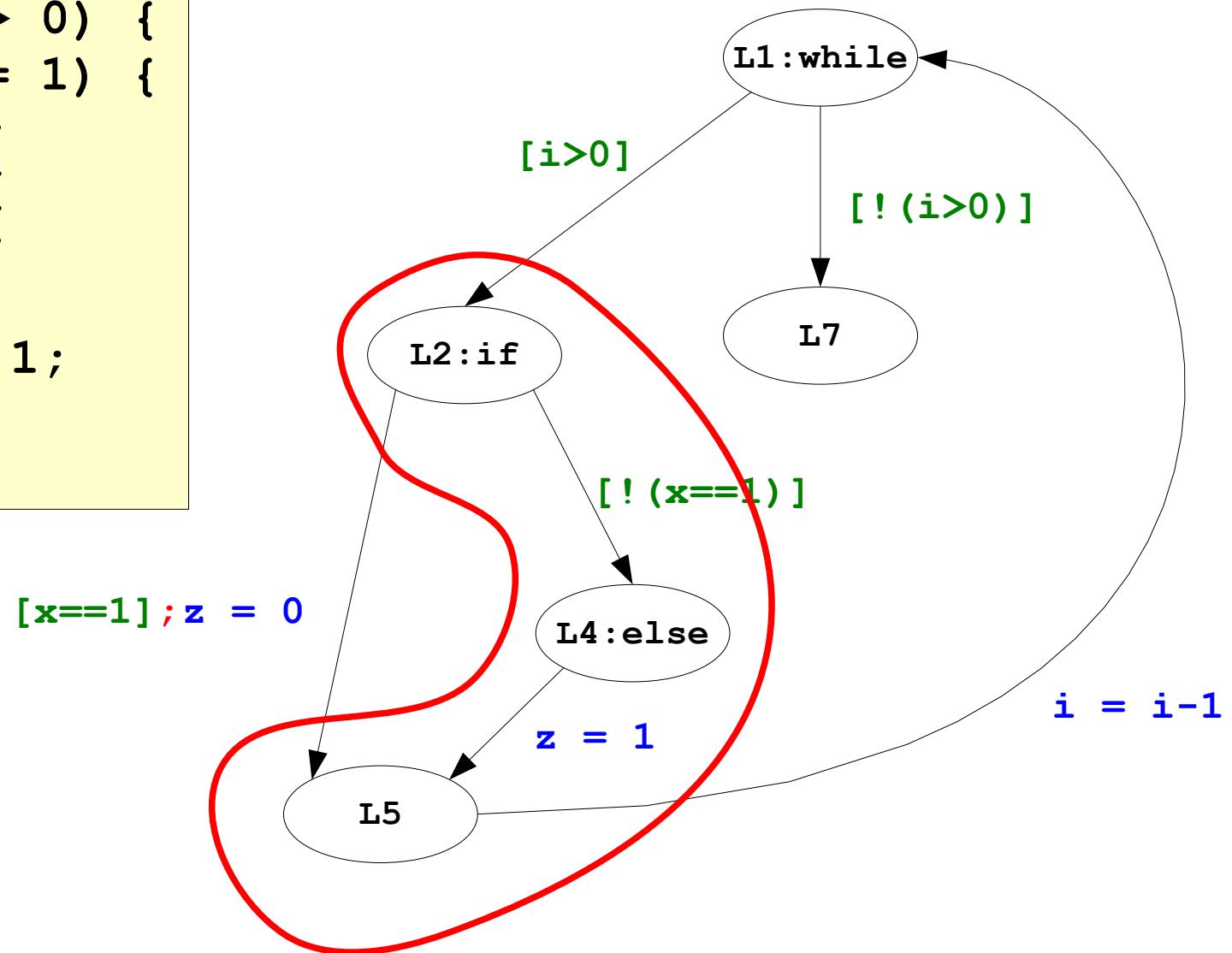


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...

```

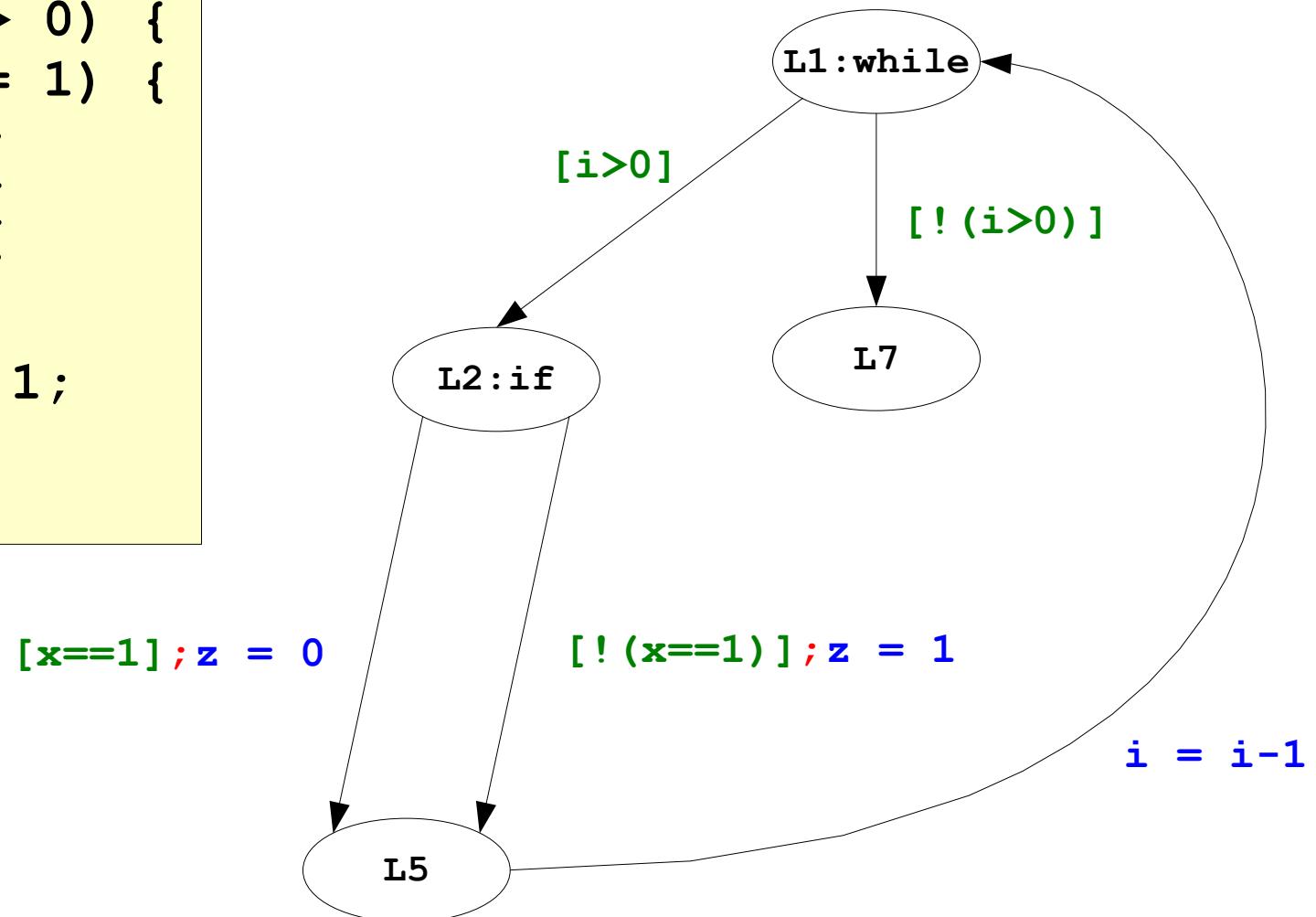


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...

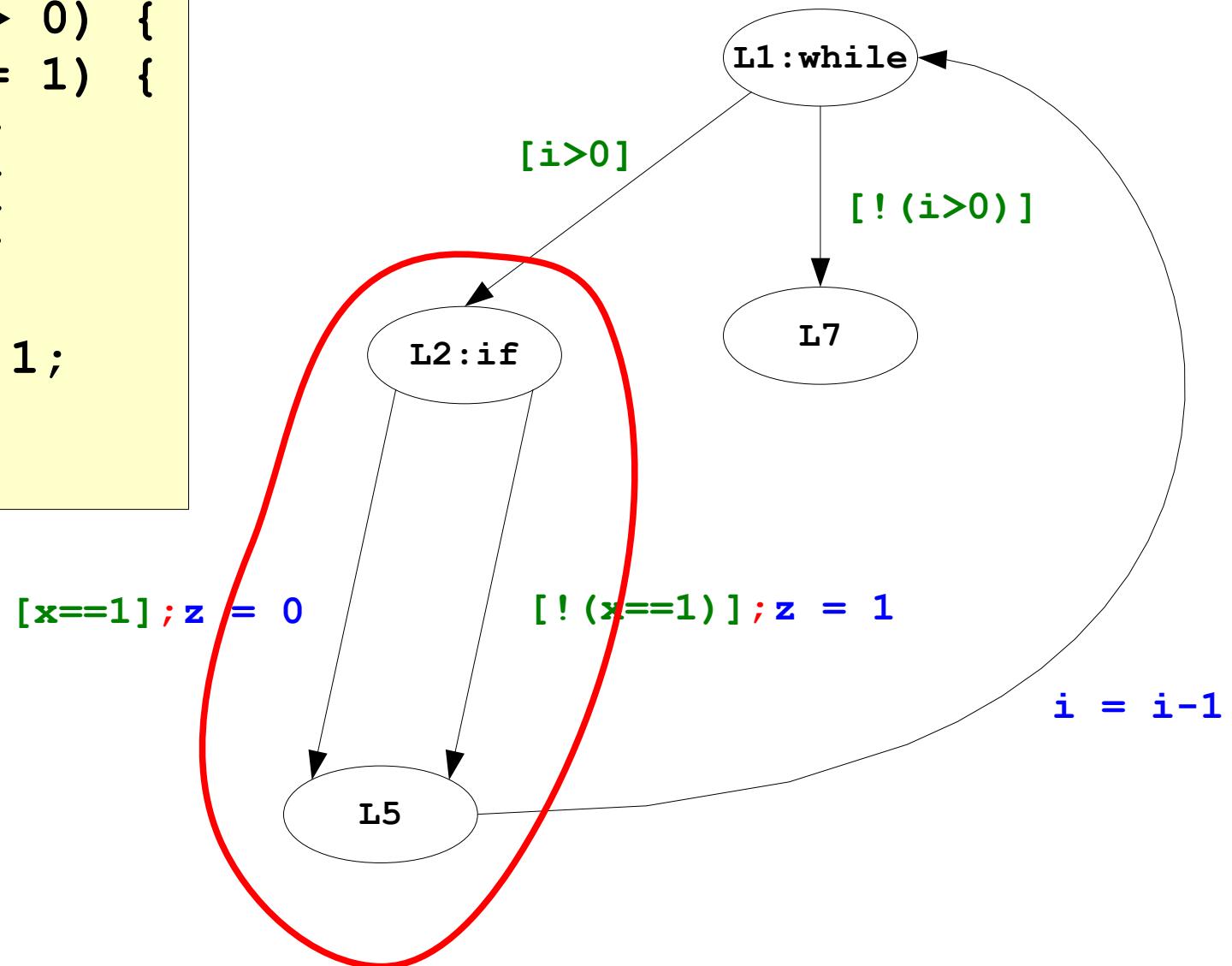
```



CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...
  
```

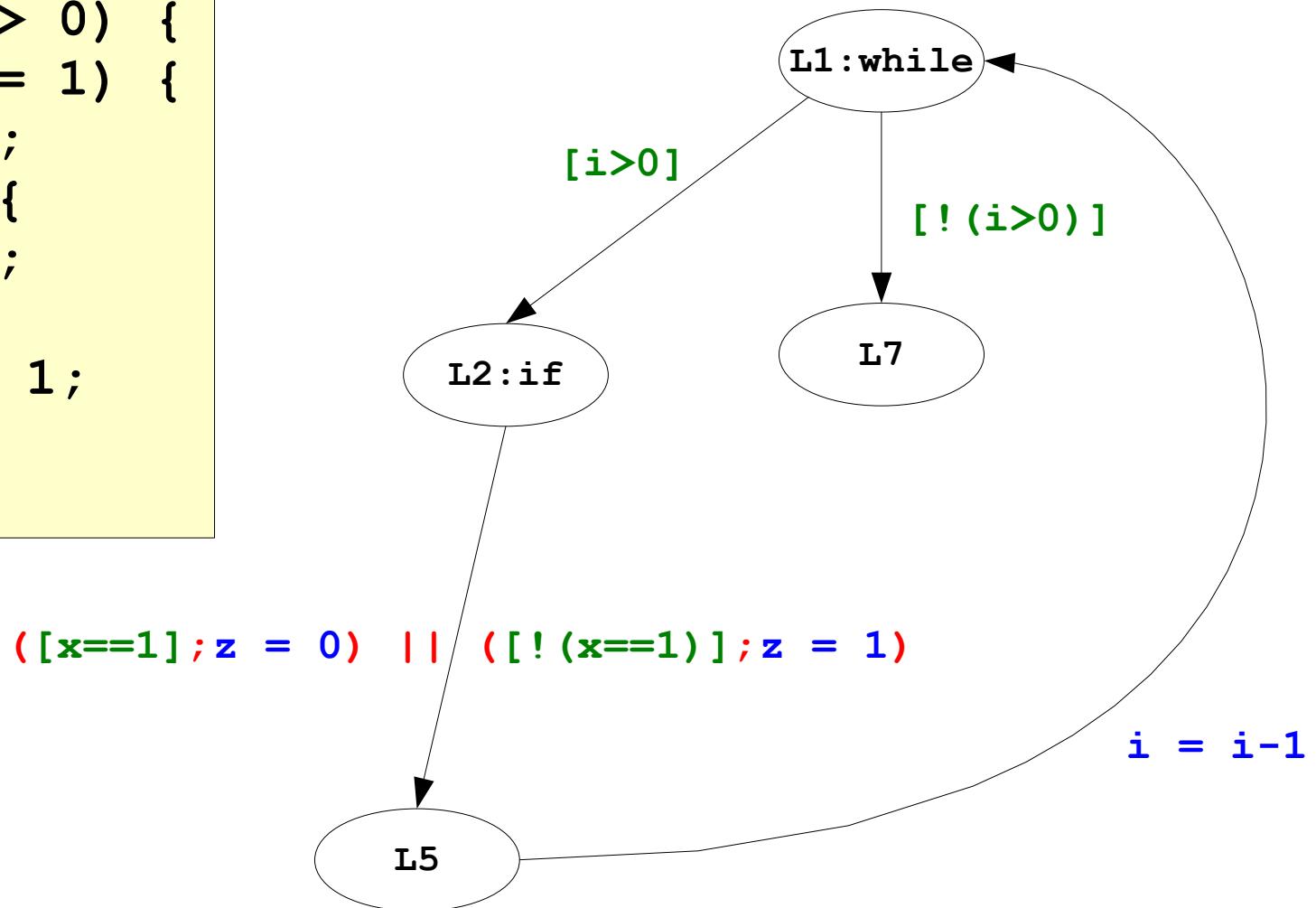


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...

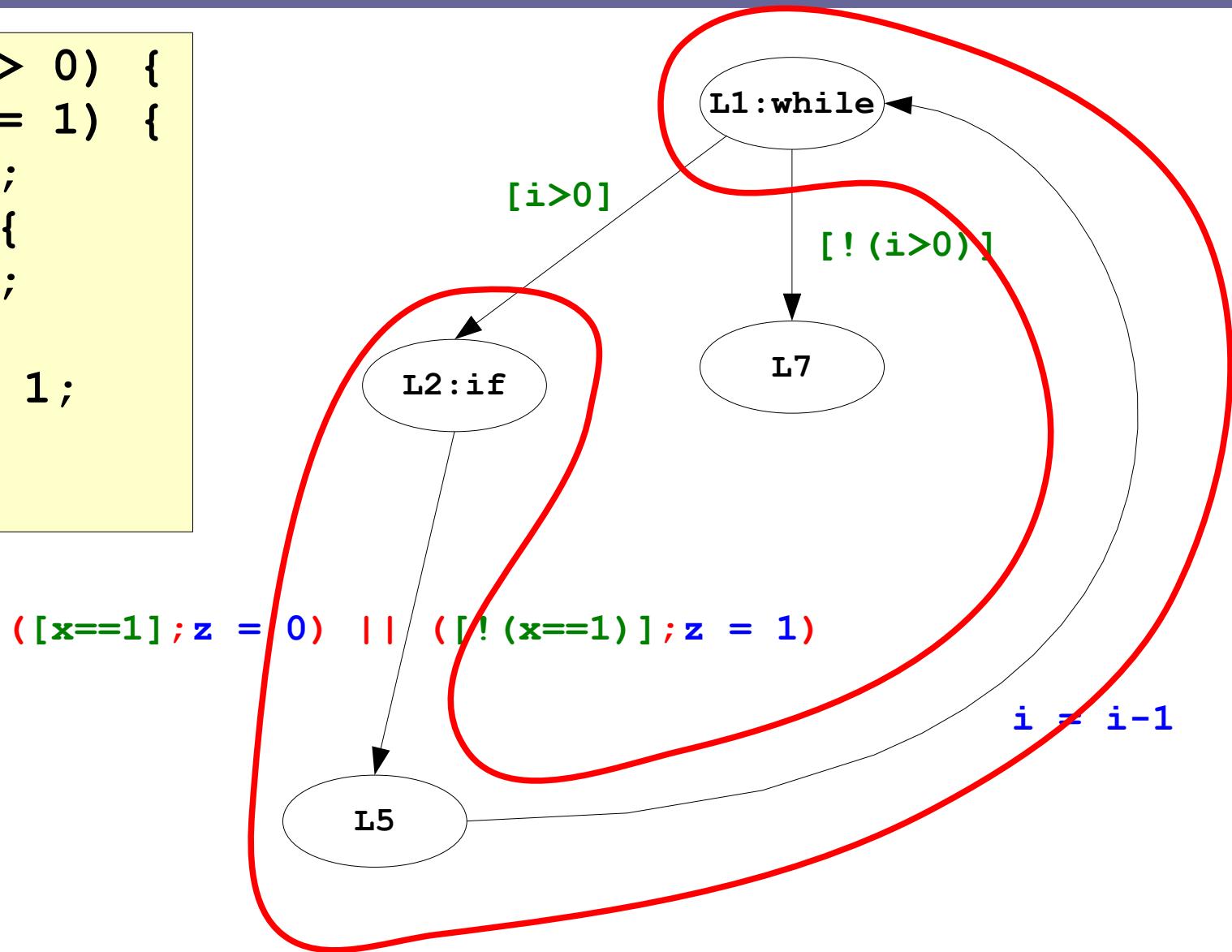
```



CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...
  
```

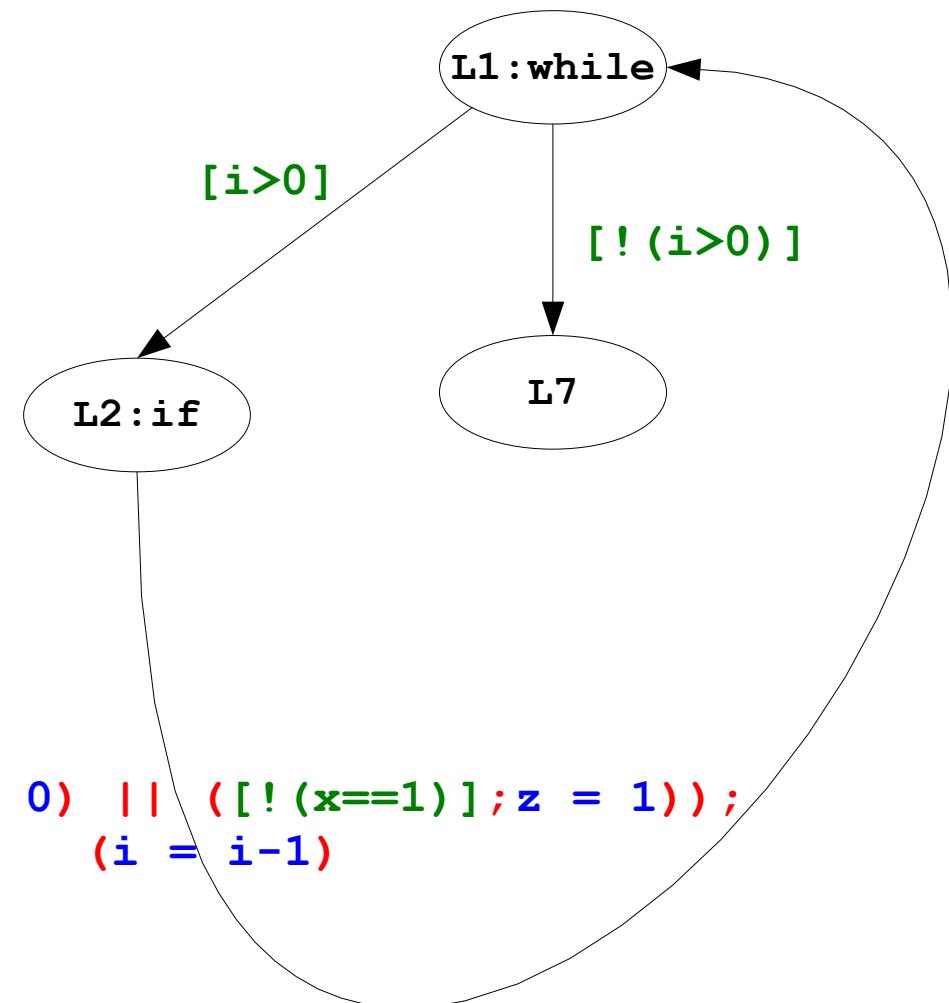


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...

```

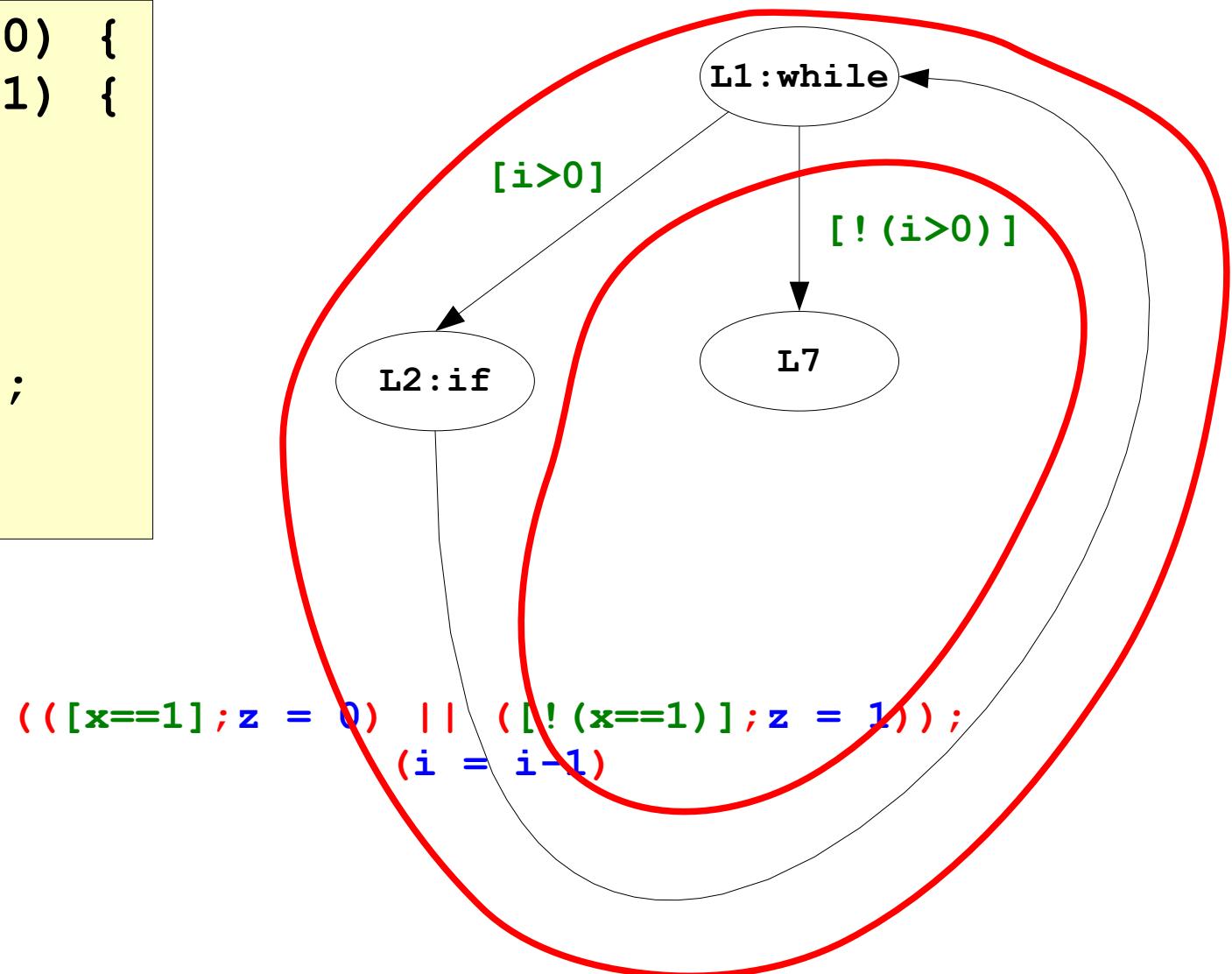


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...

```

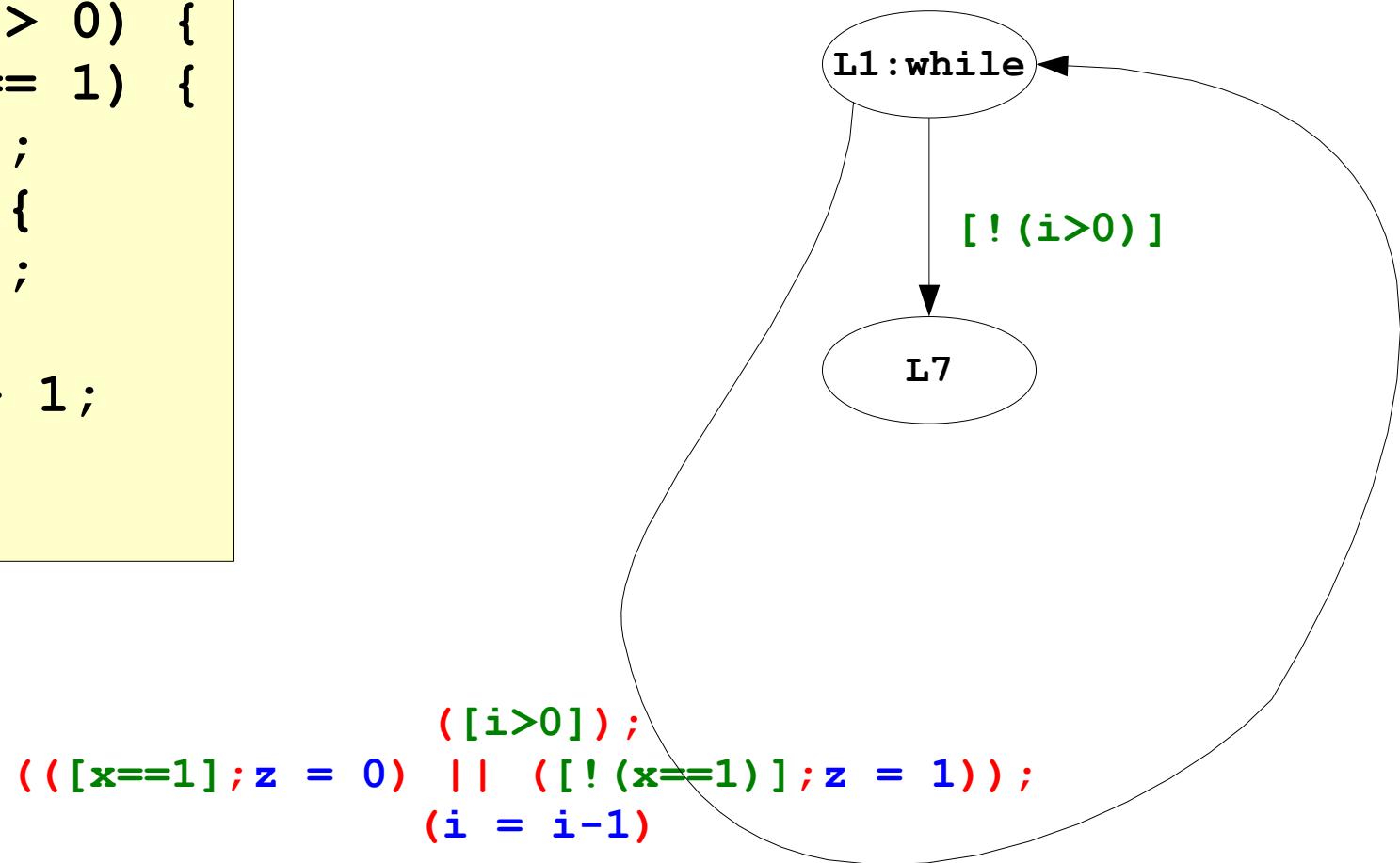


CFA summarization – Example

```

L1: while (i > 0) {
L2:   if (x == 1) {
L3:     z = 0;
L4:   } else {
L5:     z = 1;
L6:   }
L7:   i = i - 1;
L8: }
L9: ...

```





Large blocks and predicate abstraction

- ◆ With Large-Block Encoding:
 - ◆ Each edge represents a whole loop-free subpart of a program
 - ◆ ART paths represent sets of program paths
- ◆ Consequence: Cartesian abstraction can't be used anymore
 - ◆ Too weak
 - ◆ Need to keep track of dependencies among predicates
- ◆ In this work: experiment with Boolean abstraction
 - ◆ Exponential in the worst case, but can exploit recent work in computation of Boolean abstraction with SMT ([\[Lahiri et al CAV06\]](#), [\[Cavada et al FMCAD07\]](#))
 - ◆ Huge progress wrt. previous techniques
- ◆ Cost of the analysis moved from explicit path enumeration to symbolic SP^α computation



Large blocks and abstraction refinement

- ◆ One error trace in the ART corresponds to a set of concrete traces
 - ◆ Complexity increased also for counterexample analysis and abstraction-refinement
 - ◆ With interpolation-based refinement [Henzinger et al POPL04], exploit improvements in Craig interpolant computation with SMT ([Cimatti et al TACAS08, CADE09], [Fuchs et al TACAS09], [Goel et al CADE09])



Outline

- ◆ Background
- ◆ Large-Block Encoding
- ◆ Experimental evaluation



Experimental evaluation

- ◆ Implementation within CPAchecker
 - ◆ <http://www.cs.sfu.ca/~dbeyer/cpachecker>
 - ◆ Not only Large-Block Encoding (**LBE**), but also traditional “Single-Block” (**SBE**)
- ◆ Use MathSAT as SMT backend
 - ◆ Boolean abstraction via All-SMT, efficient interpolation for refinement
- ◆ Comparison of CPAchecker-LBE vs
 - ◆ CPAchecker-SBE
 - ◆ Same language, same infrastructure, ...
 - ◆ BLAST
 - ◆ State-of-the-art ART-based SW MC
 - ◆ 4 different configurations tested



Benchmark instances

- ◆ **test_locks**
 - ◆ Artificial instances that show exponential blowup of ART with SBE
- ◆ **ntdrivers**
 - ◆ Windows NT device drivers
 - ◆ “standard” instances used in previous work
 - ◆ Taken from BLAST distribution
- ◆ **SSH**
 - ◆ Check properties of SSH client and server protocols
 - ◆ Taken from BLAST distribution, used in previous work
- ◆ For ntdrivers and SSH, test also programs with artificial bugs



Results - test_locks

Program	Blast			CPAchecker	
	Best result	-dfs	-predH 7	SBE	LBE
test_locks5.c	4.50		4.96	4.01	0.29
test_locks6.c	7.81		8.81	7.22	0.34
test_locks7.c	13.91		15.15	12.63	0.34
test_locks8.c	25.00		26.49	23.93	0.57
test_locks9.c	46.84		49.29	52.04	0.38
test_locks10.c	94.57		97.85	131.39	0.40
test_locks11.c	204.55		208.78	MO	0.70
test_locks12.c	529.16		533.97	MO	0.46
test_locks13.c	1229.27		1232.87	MO	0.49
test_locks14.c	>1800.00		>1800.00	MO	0.50
test_locks15.c	>1800.00		>1800.00	MO	0.29
TOTAL	9 / 2155.61		9 / 2178.17	6 / 231.22	11 / 4.76



Results - test_locks

Program	Blast			CPAchecker	
	Best result	-dfs	-predH 7	SBE	LBE
test_locks5.c	4.50		4.96	4.01	0.29
test_locks6.c	7.81		8.81	7.22	0.34
test_locks7.c	13.91		15.15	12.63	0.34
test_locks8.c	25.00		26.49	23.93	0.57
test_locks9.c			9.29	52.04	0.38
test_locks10.c			7.85	131.39	0.40
test_locks11.c			8.78	MO	0.70
test_locks12.c	529.16		533.97	MO	0.46
test_locks13.c	1229.27		1232.87	MO	0.49
test_locks14.c	>1800.00		>1800.00	MO	0.50
test_locks15.c	>1800.00		>1800.00	MO	0.29
TOTAL	9 / 2155.61		9 / 2178.17	6 / 231.22	11 / 4.76

2 more instances,
>500x faster



Results – ntdrivers and SSH – safe

Program	Blast			CPAchecker	
	Best result	-dfs	-predH 7	SBE	LBE
cdaudio	175.76		264.12	MO	53.55
diskperf	>1800.00		>1800.00	MO	232.00
floppy	218.26		>1800.00	MO	56.36
kbfiltr	23.55		32.80	41.12	7.82
parport	738.82		915.79	MO	378.04
s3_clnt.01	33.01		1000.41	755.81	19.51
s3_clnt.02	62.65		312.77	1075.45	16.00
s3_clnt.03	60.62		314.74	746.31	49.50
s3_clnt.04	63.96		197.65	730.80	25.45
s3_srvr.01	811.27		1036.89	>1800.00	125.33
s3_srvr.02	360.47		360.47	>1800.00	122.83
s3_srvr.03	276.19		276.19	>1800.00	98.47
s3_srvr.04	175.64		301.85	>1800.00	71.77
s3_srvr.06	304.63		304.63	>1800.00	59.70
s3_srvr.07	478.05		666.53	>1800.00	85.82
s3_srvr.08	115.76		115.76	>1800.00	61.29
s3_srvr.09	445.21		1037.09	>1800.00	126.47
s3_srvr.10	115.10		115.10	>1800.00	63.36
s3_srvr.11	367.98		844.28	>1800.00	162.76
s3_srvr.12	304.05		304.05	>1800.00	170.33
s3_srvr.13	580.33		878.54	>1800.00	74.49
s3_srvr.14	303.21		303.21	>1800.00	50.38
s3_srvr.15	115.88		115.88	>1800.00	21.01
s3_srvr.16	305.11		305.11	>1800.00	127.82
TOTAL	23 / 6435.51	22 / 10003.06		5 / 3349.48	24 / 2260.07



Results – ntdrivers and SSH – safe

Program	Blast			CPAchecker	
	Best result	-dfs	-predH 7	SBE	LBE
cdaudio	175.76		264.12	MO	53.55
diskperf	>1800.00		>1800.00	MO	232.00
floppy	218.26		>1800.00	MO	56.36
kbfiltr	23.55		32.80	41.12	7.82
parport	738.82		915.79	MO	378.04
s3_clnt.01	33.01		1000.41	755.81	19.51
s3_clnt.02	62.65		312.77	1075.45	16.00
s3_clnt.03	60.62		314.74	746.31	49.50
s3_clnt.04	63.96		197.65	730.80	25.45
s3_srvr.01	811.27		1036.89	>1800.00	125.33
s3_srvr.02	360.47		360.47	>1800.00	122.83
s3_srvr.03	276.19		276.19	>1800.00	98.47
s3_srvr.04	175.64		301.85	>1800.00	71.77
s3_srvr.06			4.63	>1800.00	59.70
s3_srvr.07			6.53	>1800.00	85.82
s3_srvr.08			5.76	>1800.00	61.29
s3_srvr.09			7.09	>1800.00	126.47
s3_srvr.10	115.10		115.10	>1800.00	63.36
s3_srvr.11	367.98		344.28	>1800.00	162.76
s3_srvr.12	304.05		304.05	>1800.00	170.33
s3_srvr.13	580.33		878.54	>1800.00	74.49
s3_srvr.14	303.21		303.21	>1800.00	50.38
s3_srvr.15	115.88		115.88	>1800.00	21.01
s3_srvr.16	305.11		305.11	>1800.00	127.82
TOTAL	23 / 6435.51	22 / 10003.06		5 / 3349.48	24 / 2260.07

1 more instance,
~3.2x faster



Results – ntdrivers and SSH – safe

Program	Blast			CPAchecker	
	Best result	-dfs	-predH 7	SBE	LBE
cdaudio	175.76		264.12	MO	53.55
diskperf	>1800.00		>1800.00	MO	232.00
floppy	218.26		>1800.00	MO	56.36
kbfiltr	23.55		32.80	41.12	7.82
parport	738.82		915.79	MO	378.04
s3_clnt.01	33.01		1000.41	755.81	19.51
s3_clnt.02	62.65		312.77	1075.45	16.00
s3_clnt.03	60.62		314.74	746.31	49.50
s3_clnt.04	63.96		197.65	730.80	25.45
s3_srver.01	811.27		1036.89	>1800.00	125.33
s3_srver.02	360.47		360.47	>1800.00	122.83
s3_srver.03	276.19		276.19	>1800.00	98.47
s3_srver.04	175.64		301.85	>1800.00	71.77
s3_srver.06			4.63	>1800.00	59.70
s3_srver.07			6.53	>1800.00	85.82
s3_srver.08			5.76	>1800.00	61.29
s3_srver.09			7.09	>1800.00	126.47
s3_srver.10	115.10		115.10	>1800.00	63.36
s3_srver.11	367.98		344.28	>1800.00	162.76
s3_srver.12	304.05		304.05	>1800.00	170.33
s3_srver.13	530.33		878.54	>1800.00	74.49
s3_srver.14	303.21		303.21	>1800.00	50.38
s3_srver.15	115.88		115.88	>1800.00	21.01
s3_srver.16	305.11		305.11	>1800.00	127.82
TOTAL	23 / 6435.51	22 / 10003.06		5 / 3349.48	24 / 2260.07

2 more instances,
~5x faster



Results – ntdrivers and SSH – unsafe

Program	Blast		CPAchecker	
	Best result	- bfs -predH 7	SBE	LBE
cdaudio	18.79	99.82	74.39	9.85
diskperf	889.79	>1800.00	26.53	6.78
floppy	119.60	>1800.00	36.49	4.30
kbfiltr	46.80	144.25	75.45	11.52
parport	1.67	10.95	14.62	2.64
s3_clnt.01	8.84	28.30	1514.90	3.33
s3_clnt.02	9.02	9.02	843.42	3.27
s3_clnt.03	6.64	6.64	780.72	2.61
s3_clnt.04	9.78	9.78	724.04	3.18
s3_srvr.01	7.59	7.59	MO	2.09
s3_srvr.02	7.16	7.16	>1800.00	2.10
s3_srvr.03	7.42	7.42	>1800.00	2.08
s3_srvr.04	7.33	7.33	>1800.00	1.93
s3_srvr.06	39.81	56.11	MO	5.08
s3_srvr.07	310.84	310.84	>1800.00	28.35
s3_srvr.08	40.51	73.59	>1800.00	36.47
s3_srvr.09	265.48	265.48	>1800.00	4.94
s3_srvr.10	40.24	66.88	>1800.00	12.01
s3_srvr.11	49.05	49.05	>1800.00	4.80
s3_srvr.12	38.66	38.66	>1800.00	6.11
s3_srvr.13	251.56	251.56	>1800.00	15.20
s3_srvr.14	39.94	53.93	1656.54	4.63
s3_srvr.15	40.19	77.51	>1800.00	10.19
s3_srvr.16	39.54	55.97	>1800.00	5.21
TOTAL	24 / 2296.25	22 / 1637.84	10 / 5747.10	24 / 188.67

Results – ntdrivers and SSH – unsafe

Program	Blast		CPAchecker	
	Best result	- bfs -predH 7	SBE	LBE
cdaudio	18.79	99.82	74.39	9.85
diskperf	889.79	>1800.00	26.53	6.78
floppy	119.60	>1800.00	36.49	4.30
kbfiltr	46.80	144.25	75.45	11.52
parport	1.67	10.95	14.62	2.64
s3_clnt.01	8.84	28.30	1514.90	3.33
s3_clnt.02	9.02	9.02	843.42	3.27
s3_clnt.03	6.64	6.64	780.72	2.61
s3_clnt.04	9.78	9.78	724.04	3.18
s3_srvr.01	7.59	7.59	MO	2.09
s3_srvr.02	7.16	7.16	>1800.00	2.10
s3_srvr.03	7.42	7.42	>1800.00	2.08
s3_srvr.04	7.33	7.33	>1800.00	1.93
s3_srvr.06		6.11	MO	5.08
s3_srvr.07		0.84	>1800.00	28.35
s3_srvr.08		3.59	>1800.00	36.47
s3_srvr.09		5.48	>1800.00	4.94
s3_srvr.10	40.24	36.88	>1800.00	12.01
s3_srvr.11	49.05	49.05	>1800.00	4.80
s3_srvr.12	38.66	38.66	>1800.00	6.11
s3_srvr.13	251.56	251.56	>1800.00	15.20
s3_srvr.14	39.94	53.93	1656.54	4.63
s3_srvr.15	40.19	77.51	>1800.00	10.19
s3_srvr.16	39.54	55.97	>1800.00	5.21
TOTAL	24 / 2296.25	22 / 1637.84	10 / 5747.10	24 / 188.67

~12x faster



Results – ntdrivers and SSH – unsafe

Program	Blast		CPAchecker	
	Best result	- bfs -predH 7	SBE	LBE
cdaudio	18.79	99.82	74.39	9.85
diskperf	889.79	>1800.00	26.53	6.78
floppy	119.60	>1800.00	36.49	4.30
kbfiltr	46.80	144.25	75.45	11.52
parport	1.67	10.95	14.62	2.64
s3_clnt.01	8.84	28.30	1514.90	3.33
s3_clnt.02	9.02	9.02	843.42	3.27
s3_clnt.03	6.64	6.64	780.72	2.61
s3_clnt.04	9.78	9.78	724.04	3.18
s3_srvr.01	7.59	7.59	MO	2.09
s3_srvr.02	7.16	7.16	>1800.00	2.10
s3_srvr.03	7.42	7.42	>1800.00	2.08
s3_srvr.04	7.33	7.33	>1800.00	1.93
s3_srvr.06	6.11	6.11	MO	5.08
s3_srvr.07	0.84	0.84	>1800.00	28.35
s3_srvr.08	3.59	3.59	>1800.00	36.47
s3_srvr.09	5.48	5.48	>1800.00	4.94
s3_srvr.10	36.88	36.88	>1800.00	12.01
s3_srvr.11	49.05	49.05	>1800.00	4.80
s3_srvr.12	38.66	38.66	>1800.00	6.11
s3_srvr.13	251.56	251.56	>1800.00	15.20
s3_srvr.14	39.54	53.93	1656.54	4.63
s3_srvr.15	40.19	77.51	>1800.00	10.19
s3_srvr.16	39.54	55.97	>1800.00	5.21
TOTAL	24 / 2296.25	22 / 1637.84	10 / 5747.10	24 / 188.67

2 more instances,
~9.2x faster



Conclusions

- ◆ **Large-Block Encoding**: new approach to ART-based SW MC, for better exploiting modern **SMT** solvers
 - ◆ Move cost from explicit path enumeration to symbolic computations within the SMT solver
 - ◆ Nice improvements on standard benchmark programs
- ◆ **Future work**
 - ◆ Dynamic computation of large blocks
 - ◆ Allows for adjusting the symbolic/explicit tradeoff “on the fly”
 - ◆ Experiment with approximated abstractions, cheaper than Boolean
 - ◆ Extend to McMillan's CAV'06 approach (no predicate abstraction, use interpolants directly)

