CS311H
Discrete Math for CS: Honors
Fall 2013

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Department of Computer Science
The University of Texas at Austin

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- I'm looking for a **proof** that your answer is correct

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$\boxed{\therefore \text{My wife shook 3 hands.}}$

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A use of theory in my research: RoboCup soccer

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    - For students who appreciate mathematical elegance
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- Make sure you're comfortable with rigorous proofs

A Walk through the Syllabus

Official syllabus is on-line

Workload Summary

- Pre-class learning (video modules and/or reading)

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- Pre-class questions   5%

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- Look at first HW assignment (requires module 3 to complete)