CS313H

Prof: Peter Stone

Department of Computer Science
The University of Texas at Austin

Good Morning, Colleagues

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Are there any questions?

Logistics

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  - Opportunity to submit questions for coverage in discussion (perhaps at a slower pace than in class)

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- Dr. Stone says um a lot

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- Applications

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- More formal versions of module proofs

Eulerian and Hamiltonian Graphs

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2. Eulerian Circuit?
3. Hamiltonian Path?
4. Hamiltonian Circuit?

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- Induction on the number of vertices
- Induction on the number of edges
- Consider the longest simple path $W = v_0, ..., v_r$ (there are a finite number of these paths, so the longest one certainly exists; if it's not unique pick any old one). Prove that W is an Eulerian circuit.

Assignments for Thursday

- Module C1