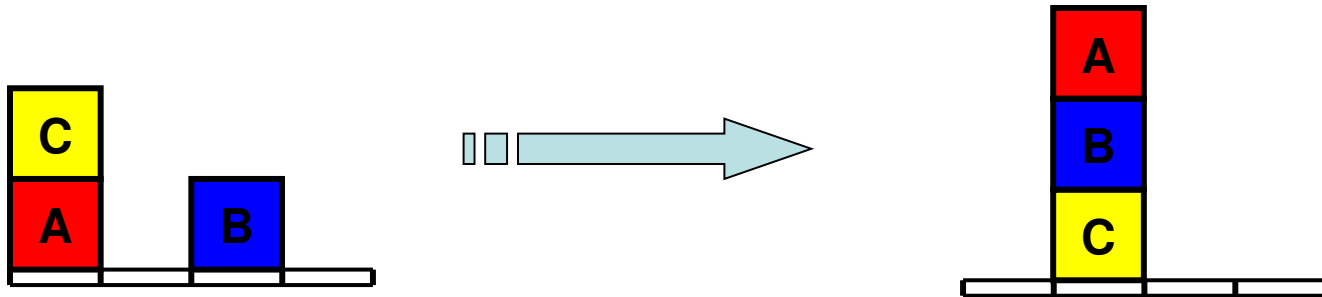


# Planning Problems

---

- Want a sequence of actions to turn a start state into a goal state



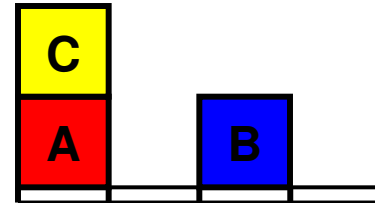
- Unlike generic search, states and actions have internal structure, which allows better search methods

This slide deck courtesy of Dan Klein at UC Berkeley

# State Space

---

On(C, A)
On(A, Table)
On(B, Table)
Clear(C)
Clear(B)



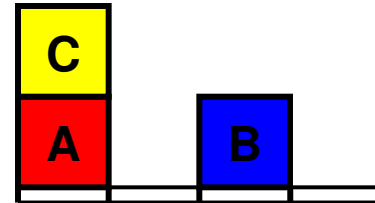
## ■ Representation

- States described by propositions or ground predicates
- Sparse encoding (database semantics): all unstated literals are false
- Unique names: each object has its own single symbol

# Actions

---

On(C, A)  
On(A, Table)  
On(B, Table)  
Clear(C)  
Clear(B)



ACTION: Move(b,x,y)

PRECONDITIONS: On(b,x), Clear(b), Clear(y)

POSTCONDITIONS: On(b,y), Clear(x)

$\neg$ On(b,x),  $\neg$ Clear(y)

ACTION: Move(C,A,Table)

PRECONDITIONS: On(C,A), Clear(C),  
Clear(Table)

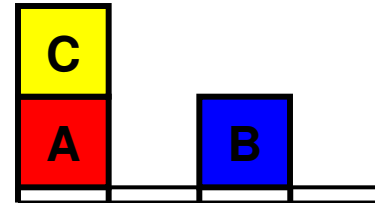
POSTCONDITIONS: On(C,Table), Clear(A)

$\neg$ On(C,A),  $\neg$ Clear(Table)

# Actions

---

On(C, A)  
On(A, Table)  
On(B, Table)  
Clear(C)  
Clear(B)



ACTION: MoveToBlock(b,x,y)

PRECONDITIONS: On(b,x), Clear(b), Clear(y),  
Block(b), Block(y), (b ≠ x), (b ≠ y), (x ≠ y)

POSTCONDITIONS: On(b,y), Clear(x)  
¬On(b,x), ¬Clear(y)

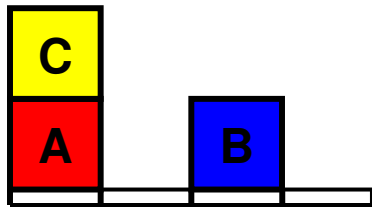
ACTION: MoveToTable(b,x)

PRECONDITIONS: On(b,x), Clear(b), Block(b), Block(x), (b ≠ x)

POSTCONDITIONS: On(b,Table), Clear(x)  
¬On(b,x)

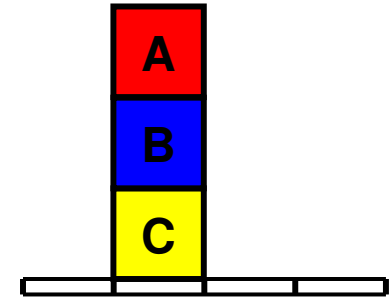
# Start and Goal States

---



Start State

On(C, A)  
On(A, Table)  
On(B, Table)  
Clear(C)  
Clear(B)  
Block(A)  
...



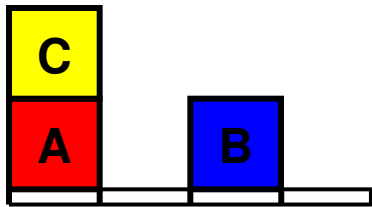
Goal State

On(B, C)  
On(A, B)

Important: goal  
satisfied by any  
state which  
entails goal list

[MoveToTable(C,A), Move(B,Table,C),  
Move(A,Table,B)]

# Planning Problems



On(C, A)  
On(A, Table)  
On(B, Table)  
Clear(C)  
Clear(B)

Sparse encoding,  
but complete  
state spec

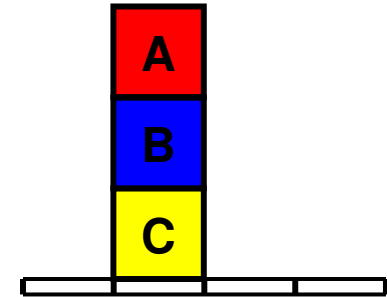
Action schema,  
instantiates to give  
specific ground actions

ACTION: MoveToTable(b,x)

PRECONDITIONS: On(b,x), Clear(b), Block(b), Block(x), ( $b \neq x$ )

POSTCONDITIONS: On(b,Table), Clear(x)

$\neg$ On(b,x)



Goal

Set of goal states,  
only requirements  
specified (think  
unary constraints)

On(B, C)  
On(A, B)

**Which goal first?**

# Practice

---

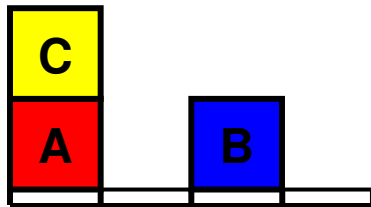
- Problem 10.2: “Applicable”
- Problem 10.3a,b: Representation

Where do they come from?

Could they be learned?

# Kinds of Plans

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Start State

On(C, A)
On(A, Table)
On(B, Table)
Clear(C)
Clear(B)
Block(A)
...

## Sequential Plan

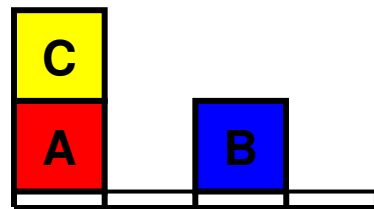
MoveToTable(C,A) > Move(B,Table,C) > Move(A,Table,B)

## Partial-Order Plan

MoveToTable(C,A)		
	>	Move(A,Table,B)]
Move(B,Table,C)		



# Forward Search



Start State

On(C, A)  
On(A, Table)  
On(B, Table)  
Clear(C)  
Clear(B)  
Block(A)  
...

MoveToTable(C,A)

MoveToBlock(C,A,B)

MoveToBlock(B, Table, C)

~~On(C, A)~~  
On(A, Table)  
On(B, Table)  
Clear(C)  
Clear(B)  
Block(A)  
...  
+Clear(A)  
+On(C, Table)

Applicable actions

# Backward Search

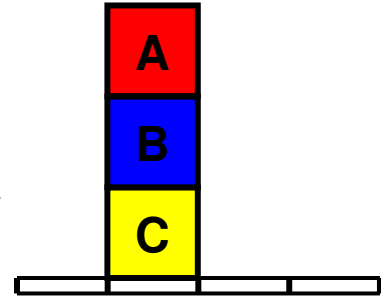
ACTION: MoveToBlock(b,x,y)  
PRECONDITIONS: On(b,x), Clear(b), Clear(y),  
Block(b), Block(y), (b ≠ x), (b ≠ y),  
(x ≠ y)  
POSTCONDITIONS: On(b,y), Clear(x)  
¬On(b,x), ¬Clear(y)

MoveToBlock(A,Table,B)

MoveToBlock(A,x',B)

On(B, C)  
~~On(A, B)~~  
+On(A, Table)  
+Clear(A)  
+Clear(B)  
+...

Relevant actions



Goal State

On(B, C)  
On(A, B)

$$g' = (g - \text{ADD}(a)) \cup \text{Precond}(a)$$