CS378 Autonomous Multiagent Systems Spring 2004

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Week 13b: Thursday, April 22nd

Good Afternoon, Colleagues

Are there any questions?

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- Why does open bidding reduce winner's curse? (?)
- How do royalties reduce risk?

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- How do royalties reduce risk?
- 2 or 8 hotels in TAC? Why bidding?
- Open/close loop?
- Entertainment ticket distribution change?

Logistics

Next week's classes

Logistics

- Next week's classes
- Keep working on your project!

Spectrum licenses

- Worth a lot
- But how much to whom?
- Used to be assigned
 - took too long
- Switched to lotteries
 - too random
 - clear that lots of value given away

So decided to auction

Goals of mechanism

- Efficient allocation (assign to whom it's worth the most)
- Promote deployment of new technologies
- Prevent monopoly (or close)
- Get some licenses to designated companies
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Revenue an afterthought (but important in end)

Choices

- Which basic auction format?
- Sequential or simultaneous auctions?
- Combinatorial bids allowed?
- How to encourage designated companies?
- Up front payments or royalties?
- Reserve prices?
- How much information public?

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Any oversight in auction design can have harmful repercussions, as bidders can be counted on to seek ways to outfox the mechanism.

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- Need to be flexible to allow bidders to create aggregations
- Secondary market might allow for some corrections
 - Likely to be thin
 - High transaction costs



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Used laboratory experiments too

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Went with activity rules

Combinatorial Bids

Nationwide bidding could decrease efficiency and revenue

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- Nationwide bidding could decrease efficiency and revenue
- Full combinatorial bidding too complex
 - Winner determination problem
 - Active research area

Aiding Designated Bidders

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Royalties vs. Up-front Payments

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Reserve Prices

- Not necessary in such a competitive market
- Did include withdrawal penalties

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 - Lots of bidders
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- Incremental design changes
 - New problems always arise
 - Bidders indeed find ways to circumvent mechanisms
- Lessons to be learned via agent-based experiments

Class Discussion

David Barksdale on strategic demand reduction

Trading Agent Competition

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- Autonomous agents act as travel agents
 - Game: 8 agents, 12 min.
 - Agent: simulated travel agent with 8 clients
 - Client: TACtown → Tampa within 5-day period
- Auctions for flights, hotels, entertainment tickets
 - Server maintains markets, sends prices to agents
 - Agent sends bids to server over network

28 Simultaneous Auctions

Flights: Inflight days 1-4, Outflight days 2-5 (8)

 Unlimited supply; prices tend to increase; immediate clear; no resale

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Entertainment: Wrestling/Museum/Park days 1-4 (12)

 Continuous double auction; initial endowments; quote is bid-ask spread; resale allowed

Client Preferences and Utility

Preferences: randomly generated per client

- Ideal arrival, departure days
- Good Hotel Value
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Score: Sum of client utilities – expenditures

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Prices known $\Rightarrow G^*$ known \Rightarrow optimal bids known

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Goal: analytically calculate optimal bids

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- Current hotel and flight prices
- Current time in game
- Hotel closing times
- Agents in the game (when known)
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- Value of *i*th copy is avg($V_i V_{i-1}$)

Other Uses of Sampling

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Entertainment: Bid more (ask less) than expected value of having one more (fewer) ticket

Finals

Team	Avg.	Adj.	Institution
ATTac	3622	4154	AT&T
livingagents	3670	4094	Living Systems (Germ.)
whitebear	3513	3931	Cornell
Urlaub01	3421	3909	Penn State
Retsina	3352	3812	CMU
CaiserSose	3074	3766	Essex (UK)
Southampton	3253*	3679	Southampton (UK)
TacsMan	2859	3338	Stanford

- ATTac improves over time
- livingagents is an open-loop strategy

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- EarlyBidder: motivated by TAC-01 entry livingagents
 - Immediately bids high for G^* (with $SimpleMean_{ns}$)
 - Goes to sleep



Stability

• 7 EarlyBidder's with 1 ATTac

Agent	Score	Utility
ATTac	2431 ± 464	8909 ± 264
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EarlyBidder gets more utility; ATTac pays less

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Agent	Relative Score		
	Phase I	Phase III	
$ATTac_{ns}$	105.2 ± 49.5 (2)	$166.2 \pm 20.8 \ (1)$	
ATTac _s	$27.8 \pm 42.1 (3)$	$122.3 \pm 19.4 \ (2)$	
EarlyBidder	$140.3 \pm 38.6 \ (1)$	$117.0 \pm 18.0 \ (3)$	
$SimpleMean_{ns}$	$-28.8 \pm 45.1 \ (5)$	$-11.5 \pm 21.7 \ \ (4)$	
SimpleMean _s	$-72.0 \pm 47.5 (7)$	$-44.1 \pm 18.2 (5)$	
$Conditional Mean_{ns}$	$8.6 \pm 41.2 \ (4)$	$-60.1 \pm 19.7 (6)$	
Conditional Mean _s	$-147.5 \pm 35.6 \ (8)$	$-91.1 \pm 17.6 \ (7)$	
CurrentPrice	$-33.7 \pm 52.4 \ (6)$	$-198.8 \pm 26.0 \ \ (8)$	



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- Other complex rules



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Strategies People Use

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It's a poker game!

Realistic FCC auction simulator (FAucS)

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- Utility is profit $\Rightarrow \Sigma_l(value-cost)$
- modeled 5 most important bidders
 - others served mainly to raise prices (small bidders)
 - lower valuations (75% → pessimistic)

Bidding Strategies

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 - explicit communication not allowed...

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 - convention: unlucky bidders may take licences until fair
- Small bidders take licences from owners
 - big bidders remember licence's owner
 - allocate while small bidders active

RSDR vs. Knapsack

Method	Agent	Profit (\$M)		Ratio	Cost
Knapsack	1	980	(± 170)	1.00	.82
	2	650	(±85)	1.00	.82
	3	830	(±91)	1.00	.84
	4	170	(±20)	1.00	.84
	5	550	(±96)	1.00	.86
PRSDR	1	1240	(±210)	1.26	.76
	2	820	(±83)	1.25	.77
	3	1300	(±290)	1.58	.74
	4	300	(±44)	1.78	.79
	5	930	(±240)	1.68	.76

44% more profit; avg. ratio 1.51

Robustness

- What if someone cheats?
 - cheat: defect back to knapsack
 - others stay out of its way \Rightarrow big win
- Solution: Punishing RSDR (PRSDR)
 - cheaters may not own licences
 - recall: non-cheaters take licence from owner = fairing
 - convention: cheater takes your licence ⇒ take it back
 - * take it back first while still have money
 - * aggressively punitive: skips optimizers

Simplification: pointing out cheaters by hand

PRSDR Results

Method	Ratio	Cost
Knapsack	1.00	.84
(P)RSDR	1.51	.76
RSDR Cheater	1.63	.76
RSDR Victims	1.22	.79
PRSDR Cheater	1.02	.83
PRSDR Enforcers	1.17	.81

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Threats work!

Extensions

- Change small bidder valuations
 - test robustness
 - RSDR is optimal for preserving profit
- Multiple cheaters
 - current punishment too aggressive
 - collapse back to knapsack instead

Extentions

Method	Ratio	Local Ratio	Cost
Multiple Cheater	1.03		.84
Multiple Enforcer	1.01		.83

Extentions

Method	Ratio	Local Ratio	Cost
Multiple Cheater	1.03		.84
Multiple Enforcer	1.01		.83
50%, Knapsack	1.70	1.00	.74
50%, PRSDR	3.42	2.02	.51
75%, Knapsack	1.00	1.00	.84
75%, PRSDR	1.51	1.51	.76
85%, Knapsack	0.68	1.00	.89
85%, PRSDR	0.81	1.19	.87

Future Work

- Robustness enhancements
 - better punishment method
- More complex value functions
 - inter-market dependencies
- Automatic cheater detection
 - partial cheating vs. detection arms race
 - smack back into compliance
- Generalization to other auctions
 - more robust to tie-breaking procedure variations

Summary

- Communication-free coordination
- Enables much higher profits
- Works even uncertain knowledge
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Summary

- Communication-free coordination
- Enables much higher profits
- Works even uncertain knowledge
- Real-world functionality relies on simple assumptions:
 - bidders want more profit
 - bidders familiar with PRSDR and its benefits
 - bidders willing to try it risk-free

Last-minute bidding (R,O, 2001)

- eBay: first-price, ascending auction
- Amazon: auction extended if bid in last 10 minutes
- eBay: bots exist to incrementally raise your bid to a maximum
- Still people snipe. Why?
 - There's a risk that the bid might not make it
 - However, common-value ⇒ bid conveys info
 - Late-bidding can be seen as implicit collusion
 - Or . . . , lazy, unaware, etc. (Amazon and eBay)
- Finding: more late-bidding on eBay,
 - even more on antiques rather than computers

Small design-difference matters



Late Bidding as Best Response

- Good vs. incremental bidders
 - They start bidding low, plan to respond
 - Doesn't give them time to respond
- Good vs. other snipers
 - Implicit collusion
 - Both bid low, chance that one bid doesn't get in
- Good in common-value case
 - protects information

Overall, the analysis of multiple bids supports the hypothesis that last-minute bidding arises at least in part as a response by sophisticated bidders to unsophisticated incremental bidding.