CS378
Autonomous Multiagent Systems
Spring 2005

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Week 2b: Thursday, January 27th

Good Afternoon, Colleagues

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- Progress in the teamwork challenge?
  (off-line review, on-line tracking)
- Infrastructure challenge: rescue too?

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- Optional: do rescue assignments 2 and 3 instead

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- single-agent vs. multiagent

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Biological: real virus

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Discrete? Accessible? Deterministic? Static? Episodic?