# CS394R Reinforcement Learning: Theory and Practice Fall 2007

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# Good Afternoon Colleagues

Are there any questions?

# **This Chapter**

• Solution methods given a model

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- Solution methods given a model
  - So no exploration vs. exploitation
- Why is it called dynamic programming?

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- Exercises 4.1, 4.2

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  - p. 107: Is LP still inefficient?

#### **Student Discussion**

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- Email discussion linked to the book web page

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  - True in general?

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  - Then: no model, but bootstrapping