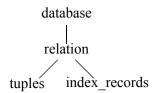
CS386D Problem Set #7

[1] Consider the following three relations, each having 9 attributes listed in increasing order of selectivity (i.e., the most selective attribute is listed first):

For the following questions, assume the MGL graph below. Also, assume that the first five attributes



of relations A and B are indexed. Using the *Degree 2 Cursor Stability Record Locking Protocol (CS2)* presented in class, what locks would be *taken and held* till the end of the transaction for each statement? And how many locks would this be? (Assume *n* is the number of tuples that fully qualify and let *m* be the number of tuples that are qualified only by index records).

```
(a) select *
from A
where A2= 2 and A4 = 4
(b) select *
from A
where A8 = 8
(c) update A
set A1 = a1, A2 = a2
where A8 = 9 and A5 = 5
(d) delete A
where A4 = 4
(e) select *
from A,B
where A3=3 and B4=4 and A2=B2
(f) update A
set A1 = A1+1
where A1 > 3
```

[2] Resolve [1], except use the RR2 protocol.

Solutions

Note: in problem [1], I'm counting the number of locks that are held till the end of the transaction. The actual number of locks taken is a bit more — remember, in CS2 we place and remove locks on tuples we are not interested in. These locks are NOT counted below. And remember: attributes **A1..A5** and **B1..B5** are indexed; the remaining attributes of relations **A** and **B** are not indexed.

[2a] The following 3 + n locks are taken:

```
IR(database), IR(relation A), R(A2=2), foreach tuple t that satisfies (A2=2) and (A4=4): R(t)
```

[2b] The following 2 locks would be held:

```
IR(database), R(relation A)
```

Note that the indices don't help in restricting the read set of \mathbf{A} ; hence a read lock on relation \mathbf{A} is needed.

[2c] The following 5 + 3n locks are taken:

```
\begin{array}{l} IW(database), \ IW(relation \ A), \ w(A1=a1), \ W(A2=a2), \ R(A5=5), \\ for each tuple t that satisfies (A8=9) and (A5=5): \\ \hline W(t), \ W(A1=t[A1]), \ W(A2=t[A2]) \end{array}
```

Note that the index records (A1=a1) and (A2=a2) are write-locked because their index records are updated. The index lock (A5=5) is locked in read mode because the record is read, not updated. Each qualified tuple is write-locked for updates.

[2d] The following 3 + 5n locks are taken:

Note that each tuple to be deleted is write-locked, along with every index record that references that tuple is write-locked because those index records are to be updated.

[2e] *Note: locks are taken only during retrieval, NOT during join processing.* The following 5 + 2*n* locks are held:

```
IR(database), IR(relation A), R(A3=3),
foreach tuple t that satisfies (A3=3): R(t)
IR(relation B), R(B4=4),
foreach tuple r that satisfies (B4=4): R(r)
```

[2f] This is a tricky one. If you process this query using the A1 index, you'll see that you'll fall into an endless loop. That is, you update a tuple, and its new index record will be inserted into the list of tuples that you have to update again. This is called the *Halloween Problem*. So, the only way to process this query is by using a scan. A total of 2 locks are taken, even though many A records and index records may be updated.

IW(database), W(relation A)

Note: problem 3 is the same as problem #2. Differences in the answers are (1) tuples are qualified only on index predicates (and not also on residuals) and (2) (basically) n is replaced by m in the number of locks taken, where $n \le m$.

[3a] The following 3 + m locks are taken:

IR(database), IR(relation A), R(A2=2), foreach tuple t that satisfies (A2=2): R(t)

[3b]The following 2 locks are taken:

IR(database), R(relation A)

[3c] The following 5 + m + 2n locks are taken:

Note here: all tuples that satisfy (A5=5) are locked in W mode. Only for those tuples that are actually updated (those that satisfy A8=9) will write locks be placed on A1=t[A1] and A2=t[A2].

[3d] The following 3 + 5m locks are taken:

```
\begin{array}{l} IW(database), \ IW(relation \ A), \ W(A4=4) \\ for each tuple t that satisfies (A4=4): \\ W(t), \ W(A1=t[A1]), \ W(A2=t[A2]), \ W(A3=t[A3]), \ W(A5=t[A5]) \end{array}
```

[3e] The following 5 + 2m locks are taken:

```
IR(database), IR(relation A), R(A3=3),
foreach tuple t that satisfies (A3=3): R(t)
IR(relation B), R(B4=4),
foreach tuple r that satisfies (B4=4): R(r)
```

[3f] The following 2 locks are taken:

```
IW(database), W(relation A)
```