Skinning

Recall **skinning:** given motion of skeleton, how does skin move?

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Given: undeformed (rest) skeleton and deformed skeleton





world



















Key (and confusing) point:

 U₃ maps from undeformed local to world coords (doesn't move point)



Key (and confusing) point:

- U₃ maps from undeformed local to world coords (doesn't move point)
- Identity maps undeformed to deformed bone coords (and does move point)



Undeformed to deformed skin position (world coordinates):

$$\tilde{q} = D_3 U_3^{-1} q$$





Undeformed to deformed skin position (world coordinates):

 $\tilde{q} = D_3 U_3^{-1} q$





joint controlling

nearest bone

Undeformed to deformed skin position (world coordinates):



Problems with Nearest-Bone

Which bone does point belong to?



Problems with Nearest-Bone

Which bone does point belong to? One solution: **average** $\begin{bmatrix} \frac{1}{2}D_1U_1^{-1} + \frac{1}{2}D_2U_2^{-1} \end{bmatrix} q$ $D_1U_1^{-1}q \downarrow$ $D_2U_2^{-1}q$

Linear-Blend Skinning

Each vertex feels **weighted average** of each joint's transformations

$$\tilde{q}_i = \sum_{\text{joints } j} w_{ij} D_j U_j^{-1} q_i$$

Joints controlling nearby bones have higher weight



Linear-Blend Skinning

How to determine **skinning weights** w?



Use only nearest bone

Linear-Blend Skinning

How to determine **skinning weights** w?



Use only nearest bone

Spatially blend the weights

(In practice: paint weights by hand)

The "Arm Twist" Problem



(Why does this happen?)

Each individual joint undergoes a **rigid transformation**

combination rotation and translation

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Arm twist / candy wrapper problem:

linear blend of rigid motions not rigid

Translations alone: trivial to blend

$$\{\mathbf{t}_1,\ldots,\mathbf{t}_n\}\mapsto \sum_i \alpha_i \mathbf{t}_i$$

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Rotations alone: blend using SLERP

- use quaternions
- do not use Euler angles!

Idea: separately blend translation and rotation components of rigid motion



where is the child bone half way in between the motion?

where is the child bone half way in between the motion?

(where it the origin?)

 T_1

where is the child bone half way in between the motion?

(where it the origin?)

 T_2

 T_2

$blend(T_1, T_2, 1/2)$

 T_1

where is the child bone half way in between the motion?

(where it the origin?)

 T_1

where is the child bone half way in between the motion?

(where it the origin?)

 T_2

 T_2

 T_1

where is the child bone half way in between the motion?

(where it the origin?)

 $blend(T_1, T_2, 1/2)$

Blended transformation **not** coordinateindependent

 different origins --> totally different blends

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must also blend centers of rotation

Dual Quaternion Skinning

Represents rigid motion as pair of quaternions, solving all these problems



no more arm twisting issues

used in Maya, etc.

Other Skinning Challenges

Volume Conservation



Avoiding Animation Altogether

Motion capture ("mocap")



Avoiding Animation Altogether

Simulation ("inverse kinematics")



Animation Recap

Most common pipeline:

- build a 3D model of the character
- **rig** the 3D model (build a skeleton inside)
- skin the model (determine joint-skin weights)
- animate the skeleton by specifying keyframes; skin moves with it

Animation Recap

Most common pipeline:

• model, rig, skin, animate

Automatic approaches exist for each step

• not great, but getting better

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Still a grand challenge: use Kinect to build a fully rigged and skinned digital avatar