#### Simultaneous Learning and Reshaping of an Approximated Optimization Task

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## Motivation: A General Optimization Task

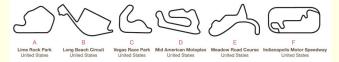


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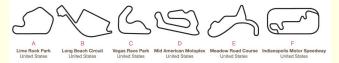


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#### **Research Question:**

Which optimization task(s) to use for learning, and can we determine this while simultaneously optimizing parameters?

## RoboCup 3D Simulation Domain

- Teams of 11 vs 11 autonomous robots play soccer
- Realistic physics using Open Dynamics Engine (ODE)
- Simulated robots modeled after Aldebaran Nao robot
- Robot receives noisy visual information about environment
- Robots can communicate with each other over limited bandwidth channel

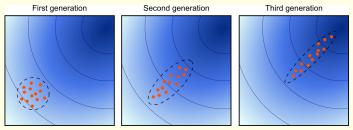




## **Omnidirectional Walk Engine Parameters to Optimize**

Notation	Description	
maxStep <sub>{x,y,<math>\theta</math>}</sub>	Maximum step sizes allowed for $x$ , $y$ , and $\theta$	
<i>y</i> shift	Side to side shift amount with no side velocity	
Ztorso	Height of the torso from the ground	
Zstep	Maximum height of the foot from the ground	
fg	Fraction of a phase that the swing	
_	foot spends on the ground before lifting	
fa	Fraction that the swing foot spends in the air	
fs	Fraction before the swing foot starts moving	
f <sub>m</sub>	Fraction that the swing foot spends moving	
$\phi_{length}$	Duration of a single step	
$\delta_{step}$	Factor of how fast the step sizes change	
Xoffset	Constant offset between the torso and feet	
Xfactor	Factor of the step size applied to	
Atactor	the forwards position of the torso	
$\delta_{\text{target{tilt,roll}}}$	Factors of how fast tilt and roll	
otarget{tilt,roll}	adjusts occur for balance control	
ankle <sub>offset</sub>	Angle offset of the swing leg foot	
annoottset	to prevent landing on toe	
err <sub>norm</sub>	Maximum COM error before the steps are slowed	
err <sub>max</sub>	Maximum COM error before all velocity reach 0	
COM <sub>offset</sub>	Default COM forward offset	
$\delta_{\text{COM}\{x,y,\theta\}}$	Factors of how fast the COM changes $x$ , $y$ , and $\theta$	
	values for reactive balance control	
$\delta_{\operatorname{arm}\{x,y\}}$	Factors of how fast the arm x and y	
	offsets change for balance control	

# CMA-ES (Covariance Matrix Adaptation Evolutionary Strategy)



(image from wikipedia)

- Evolutionary numerical optimization method
- Candidates sampled from multidimensional Gaussian and evaluated for their fitness
- Weighted average of members with highest fitness used to update mean of distribution
- Covariance update using evolution paths controls search step sizes

#### **Obstacle Course Optimization Video**

- Agent is measured on its cummulative performance across 11 activities
- Agent given reward for distance it is able to move toward active targets
- Agent is penalized it if falls over



# **Obstacle Course Optimization Activities**

- Long walks forward/backwards/left/right
- Walk in a curve
- Quick direction changes
- Stop and go forward/backwards/left/right
- Alternating moving left-to-right & right-to-left
- Quick changes of target to simulate a noisy target
- Weave back and forth at 45 degree angles
- Extreme changes of direction to check for stability
- Quick movements combined with stopping
- Quick alternating between walking left and right
- Spiral walk both clockwise and counter-clockwise

#### Evalution Function: 4v4 Game

- Teams of four agents play a 5 minute game against each other
- Team being evaluated plays against team using walk optimized with obstacle course

Fitness<sub>4v4</sub> = goalsDifferential  $*15\{\frac{1}{2}$ Field\_Length $\} + avgBallPosition$ 



## Single Activity Analysis

Fitness<sub>4v4</sub> = 0 in expectation for for optimizing across all 11 activities

Activity	Fitness <sub>4v4</sub>	StdErr
1	-26.961	1.296
2	-31.250	1.088
3	-26.245	1.152
4	-23.779	1.074
5	-65.951	1.285
6	-66.005	0.912
7	-44.425	1.155
8	-79.694	0.941
9	-80.161	0.816
10	-68.743	0.958
11	-82.862	0.928

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No single activity gives as good or better performance than all activities combined.

Weighting Each Activity

Weights =  $w_1 \dots w_{11}$ Baseline  $w_{i \in [1,11]} = 1$ 

Activity rewards =  $r_1...r_{11}$ 

$$reward = \sum_{i \in [1,11]} \mathbf{w}_i \cdot \mathbf{r}_i$$

where  $r_i$  is the activity reward from the *i*-th activity and  $w_i$  is its weight

Want to learn weights that improve performance of fitness $_{4v4}$  simultaneously as we optimize parameters for the walk engine.

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Want to learn weights that improve performance of fitness<sub>4v4</sub> simultaneously as we optimize parameters for the walk engine...otherwise weighting problem becomes waiting problem.

## Activity Weight Analysis

Activity	$Fitness_{4v4}, w_i = 0$	$Fitness_{4v4}, w_i = 2$
1	5.142	1.126
2	1.529	5.238
3	-23.076	-0.373
4	-12.437	4.720
5	0.181	-3.659
6	1.801	-1.321
7	-0.997	5.325
8	4.262	-6.358
9	-7.979	-3.077
10	2.473	-18.182
11	2.403	4.203

Colors represent statistically significant positive and negative fitness All standard errors less than 1.76

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Colors represent statistically significant positive and negative fitness All standard errors less than 1.76 Baseline combination of all equal weights of 1 is not optimal  Run 4v4 evaluation of population members every 10th generation of CMA-ES

 Compute least squares regression between activity rewards and the 4v4 evaluation task reward

Find **w** vector such that reward =  $\sum_{i \in [1,11]} \mathbf{w}_i \cdot \mathbf{r}_i \approx \text{fitness}_{4v4}$ 

Update weights for each activity based on the computed regression coefficients

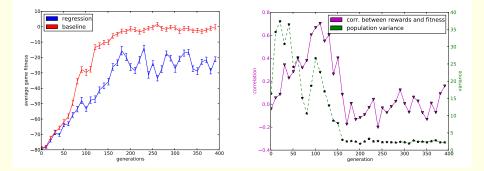
#### **Negative Weights**

- Allowing for negative weights is bad as it encourages poor performace on tasks
- Must use non-negative least squares regression or set negative weights equal to zero so as to not have negative weights

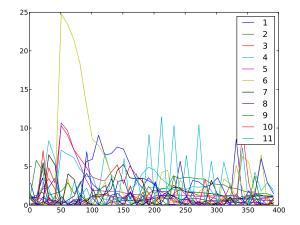


#### Population Convergence

### Correlation drops close to zero amplifying noise



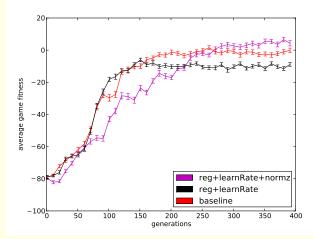
# **Regression Activity Weights**



# • Weights don't converge

#### Learning Rate and Normalization

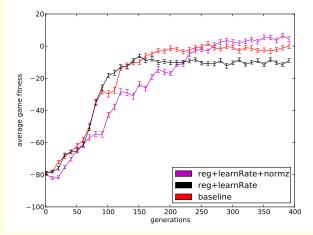
- Compute correlation of act. rewards to Fitness<sub>4v4</sub> for learning rate  $w_i = \text{lastWeight}_i + (\text{currentWeight}_i \text{LastWeight}_i) * |\text{correlation}_i|$
- Use z-score based normalization for each activity reward such that  $r_i = \frac{r_i \bar{r_i}}{\sigma_i}$



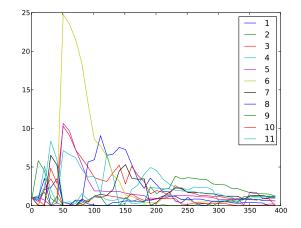
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  w<sub>i</sub> = lastWeight<sub>i</sub> + (currentWeight<sub>i</sub> LastWeight<sub>i</sub>) \* |correlation<sub>i</sub>|
- Use z-score based normalization for each activity reward such that

 $r_i = \frac{r_i - r_i}{\sigma_i}$  Best value 6.535 (1.399)



# Activity Weights



- Weights begin to converge
- Highest weight activities: spirals, stop and go, weave
- Zero weight activities: quick direction change, noisy target, extreme movements, quick alternating directions



## Watching 100s of simulated soccer games

Patrick MacAlpine (2013)



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## • Experiment with different activities for an obstacle course

- Infant walk trajectories
- Record walk trajectories from gameplay



# Watching 100s of simulated soccer games

- Experiment with different activities for an obstacle course
  - Infant walk trajectories
  - Record walk trajectories from gameplay
- Automate the construction of activities by learning/evolving activities during the course of optimization

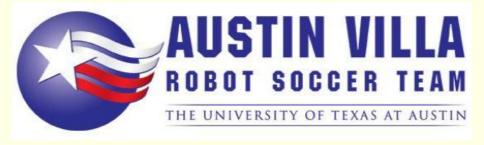


Watching 100s of simulated soccer games

More Information

UT Austin Villa 3D Simulation Team homepage: www.cs.utexas.edu/~AustinVilla/sim/3dsimulation/

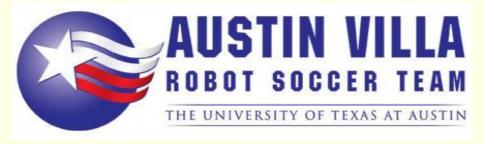
Email: patmac@cs.utexas.edu



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Wedesday at 12:20, Session A1 - Robotics I: Humanoid Robots Learning to Walk Faster: From the Real World to Simulation and Back

#### **Cummulative Approach**

- Compute correlation across all generations
- Use z-score based normalization for each activity reward such that  $r_i = \frac{r_i \bar{r_i}}{\sigma_i}$

