# Simultaneous Learning and Reshaping of an Approximated Optimization Task 

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## Motivation: A General Optimization Task



Goal: Optimize parameters for an autonomous vehicle for task of driving across town

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## Research Question:

Which optimization task(s) to use for learning, and can we determine this while simultaneously optimizing parameters?

## RoboCup 3D Simulation Domain

- Teams of 11 vs 11 autonomous robots play soccer
- Realistic physics using Open Dynamics Engine (ODE)
- Simulated robots modeled after Aldebaran Nao robot
- Robot receives noisy visual information about environment
- Robots can communicate with each other over limited bandwidth channel



## Omnidirectional Walk Engine Parameters to Optimize

| Notation | Description |
| :---: | :---: |
| $\operatorname{maxStep}_{\{x, y, \theta\}}$ | Maximum step sizes allowed for $x, y$, and $\theta$ |
| $y_{\text {shitt }}$ | Side to side shift amount with no side velocity |
| $z_{\text {torso }}$ | Height of the torso from the ground |
| $z_{\text {step }}$ | Maximum height of the foot from the ground |
| $f_{g}$ | Fraction of a phase that the swing foot spends on the ground before lifting |
| $f_{\text {a }}$ | Fraction that the swing foot spends in the air |
| $f_{\text {s }}$ | Fraction before the swing foot starts moving |
| $f_{\mathrm{m}}$ | Fraction that the swing foot spends moving |
| $\phi_{\text {length }}$ | Duration of a single step |
| $\delta_{\text {step }}$ | Factor of how fast the step sizes change |
| $\chi_{\text {offiset }}$ | Constant offset between the torso and feet |
| $X_{\text {factor }}$ | Factor of the step size applied to the forwards position of the torso |
| $\delta_{\text {targettfilt,roll\} }}$ | Factors of how fast tilt and roll adjusts occur for balance control |
| ankle ${ }_{\text {offset }}$ | Angle offset of the swing leg foot to prevent landing on toe |
| errnorm | Maximum COM error before the steps are slowed |
| errmax | Maximum COM error before all velocity reach 0 |
| $\mathrm{COM}_{\text {offset }}$ | Default COM forward offset |
| $\delta_{\text {COM }\{x, y, \theta\}}$ | Factors of how fast the COM changes $x, y$, and $\theta$ values for reactive balance control |
| $\delta_{\text {arm }\{x, y\}}$ | Factors of how fast the arm $x$ and $y$ offsets change for balance control |

## CMA-ES (Covariance Matrix Adaptation Evolutionary Strategy)


(image from wikipedia)

- Evolutionary numerical optimization method
- Candidates sampled from multidimensional Gaussian and evaluated for their fitness
- Weighted average of members with highest fitness used to update mean of distribution
- Covariance update using evolution paths controls search step sizes


## Obstacle Course Optimization Video

- Agent is measured on its cummulative performance across 11 activities
- Agent given reward for distance it is able to move toward active targets
- Agent is penalized it if falls over



## Obstacle Course Optimization Activities

- Long walks forward/backwards/left/right
(0) Walk in a curve
- Quick direction changes
- Stop and go forward/backwards/left/right
- Alternating moving left-to-right \& right-to-left
- Quick changes of target to simulate a noisy target
- Weave back and forth at 45 degree angles
- Extreme changes of direction to check for stability
- Quick movements combined with stopping
(1) Quick alternating between walking left and right
© Spiral walk both clockwise and counter-clockwise


## Evalution Function: 4v4 Game

- Teams of four agents play a 5 minute game against each other
- Team being evaluated plays against team using walk optimized with obstacle course
Fitness $_{4 \mathrm{v} 4}=$ goalsDifferential $* 15\left\{\frac{1}{2}\right.$ Field_Length $\}+$ avgBallPosition



## Single Activity Analysis

Fitness $_{4 \mathrm{v} 4}=0$ in expectation for for optimizing across all 11 activities

| Activity | Fitness $_{4 \mathrm{v} 4}$ | StdErr |
| :--- | :---: | :---: |
| 1 | -26.961 | 1.296 |
| 2 | -31.250 | 1.088 |
| 3 | -26.245 | 1.152 |
| 4 | -23.779 | 1.074 |
| 5 | -65.951 | 1.285 |
| 6 | -66.005 | 0.912 |
| 7 | -44.425 | 1.155 |
| 8 | -79.694 | 0.941 |
| 9 | -80.161 | 0.816 |
| 10 | -68.743 | 0.958 |
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No single activity gives as good or better performance than all activities combined.

## Weighting Each Activity

Weights $=W_{1} \ldots W_{11}$
Baseline $w_{i \in[1,11]}=1$
Activity rewards $=r_{1} \ldots r_{11}$

$$
\text { reward }=\sum_{i \in[1,11]} w_{i} \cdot r_{i}
$$

where $r_{i}$ is the activity reward from the $i$-th activity and $w_{i}$ is its weight

Want to learn weights that improve performance of fitness ${ }_{4 v 4}$ simultaneously as we optimize parameters for the walk engine.

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Want to learn weights that improve performance of fitness ${ }_{4 v 4}$ simultaneously as we optimize parameters for the walk engine...otherwise weighting problem becomes waiting problem.

## Activity Weight Analysis

| Activity | Fitness $_{4 \mathrm{v} 4}, w_{i}=0$ | Fitness $_{4 \mathrm{v} 4}, w_{i}=\mathbf{2}$ |
| :--- | :---: | :---: |
| 1 | 5.142 | 1.126 |
| 2 | 1.529 | 5.238 |
| 3 | -23.076 | -0.373 |
| 4 | -12.437 | 4.720 |
| 5 | 0.181 | -3.659 |
| 6 | 1.801 | -1.321 |
| 7 | -0.997 | 5.325 |
| 8 | 4.262 | -6.358 |
| 9 | -7.979 | -3.077 |
| 10 | 2.473 | -18.182 |
| 11 | 2.403 | 4.203 |

Colors represent statistically significant positive and negative fitness All standard errors less than 1.76

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Baseline combination of all equal weights of 1 is not optimal

## Learning Weights

- Run 4 v 4 evaluation of population members every 10 th generation of CMA-ES
- Compute least squares regression between activity rewards and the 4 v 4 evaluation task reward

Find $w$ vector such that reward $=\sum_{i \in[1,11]} w_{i} \cdot r_{i} \approx$ fitness $_{4 \mathrm{v} 4}$

- Update weights for each activity based on the computed regression coefficients


## Negative Weights

- Allowing for negative weights is bad as it encourages poor performace on tasks
- Must use non-negative least squares regression or set negative weights equal to zero so as to not have negative weights



## Population Convergence

- Correlation drops close to zero amplifying noise




## Regression Activity Weights



- Weights don’t converge


## Learning Rate and Normalization

- Compute correlation of act. rewards to Fitness ${ }_{4 \mathrm{vv}}$ for learning rate $w_{i}=$ lastWeight $_{i}+\left(\right.$ currentWeight $_{i}-$ LastWeight $\left._{i}\right) * \mid$ correlation $_{i} \mid$
- Use z-score based normalization for each activity reward such that $r_{i}=\frac{r_{i}-\bar{r}_{i}}{\sigma_{i}}$



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## Best value 6.535 (1.399)



## Activity Weights



- Weights begin to converge
- Highest weight activities: spirals, stop and go, weave
- Zero weight activities: quick direction change, noisy target, extreme movements, quick alternating directions

Future Work


Watching 100s of simulated soccer games

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## Future Work

- Experiment with different activities for an obstacle course
- Infant walk trajectories
- Record walk trajectories from gameplay


Watching 100s of simulated soccer games

## Future Work

- Experiment with different activities for an obstacle course
- Infant walk trajectories
- Record walk trajectories from gameplay
- Automate the construction of activities by learning/evolving activities during the course of optimization


Watching 100s of simulated soccer games

More Information

> UT Austin Villa 3D Simulation Team homepage: www.cs.utexas.edu/~AustinVilla/sim/3dsimulation/
> Email: patmac@cs.utexas.edu


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Wedesday at 12:20, Session A1 - Robotics I:
Humanoid Robots Learning to Walk Faster: From the Real World to Simulation and Back

## Cummulative Approach

- Compute correlation across all generations
- Use z-score based normalization for each activity reward such that $r_{i}=\frac{r_{i}-\bar{r}_{i}}{\sigma_{i}}$


