Learning to Correct Mistakes: Backjumping in Long-Horizon Task and Motion Planning



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Challenges in long-horizon planning:

- Long-horizon search in TAMP problems is intractable due to a large depth and branching factor
- Early actions may make future actions infeasible, leading to many backtracking steps

Research question:

• How can we identify a culprit variable to improve planning efficiency?

Two learning models with two sampling methods:

- Imitation learning: directly predicting a culprit variable by leveraging access to the true culprit in training data
- Plan feasibility prediction: counterfactual approach for binary prediction
- Sampling methods: batch sampling and forgetting

Contributions:

- We exploit long-horizon dependency in TAMP and propose to learn a backjumping policy for planning efficiency
- Our models empirically outperform baselines (e.g., backtracking) in two representative domains

Dirty laundry:

- Generalization is tested in similar tasks only: what is good representation?
- Several assumptions (perfect action and observation), but other work exists addressing them
- A really long horizon of hundred of actions has yet to be evaluated





[Search tree example]



[Pick-and-place task]

[NAMO task]



[Proposed learning models]

Task	Backtracking	IL RNN	IL Attn	PF RNN	PF Attn
Packing NAMO	$\begin{array}{c} 4414 \pm 879 \\ (21 \pm 10) \times 10^4 \end{array}$	$\begin{array}{c} \textbf{2464} \pm \textbf{464} \\ \textbf{543} \pm \textbf{187} \end{array}$	$\begin{array}{c} 2638 \pm 602 \\ 425 \pm 153^* \end{array}$	$\begin{array}{c} \textbf{2205} \pm \textbf{313} \\ \textbf{529} \pm \textbf{188} \end{array}$	$\begin{array}{c} \textbf{2062} \pm \textbf{297}^{*} \\ 2614.7 \pm 709.5 \end{array}$
Packing (11) Packing (12)	$\begin{array}{c} 12098 \pm 2518 \\ 34719 \pm 6514 \end{array}$	$\begin{array}{c} 5350 \pm 1094^{*} \\ 15139 \pm 3080^{*} \end{array}$	$\begin{array}{c} \textbf{7044} \pm \textbf{1481} \\ \textbf{16339} \pm \textbf{3971} \end{array}$	$\begin{array}{c} \textbf{6142} \pm \textbf{767} \\ 22377 \pm 3244 \end{array}$	$\begin{array}{c} {\bf 7109 \pm 809} \\ {\bf 31824 \pm 3925} \end{array}$
Packing (BS)	13541 ± 4205	$\textbf{4464} \pm \textbf{1160}$	7073 ± 2040	$\textbf{4556} \pm \textbf{749}$	$\textbf{4311} \pm \textbf{690}^{*}$

[Main result: the number of nodes visited in the search tree obtained by solving 100 problems]

