



Problem A Blueberry Waffle Time Limit: 1 Second(s)

You are using a waffle maker machine to make a delicious blueberry waffle. One side of your waffle is covered in blueberries, while the other side is plain. Initially, the cooking pan of the waffle maker lies horizontally. Once started, the cooking pan will rotate at a constant speed for a fixed duration, then stop. The cooking time is set so that when the waffle maker stops, the cooking pan will not be in a vertical position.

If the cooking pan is not horizontal after this time, the waffle maker will return to a horizontal position via the smallest rotation possible. Therefore, the waffle maker will rotate less than 90 degrees, either forward or backward, until the cooking pan is horizontal again.

The pan rotates at a rate of 180 degrees every r seconds, and stops after f seconds. You don't want to take out your waffle with its blueberry side down. Therefore you'd like to figure out whether the blueberry side of the waffle is up or down after the cooking pan returns to a horizontal position.



Input

The single line of input contains two integers r and f ($1 \le r, f \le 10^4$). The pan rotates at a rate of 180 degrees every r seconds, and stops after f seconds. It is guaranteed that after f seconds the cooking pan is not at a vertical position.

Output

Output a single line with a single string, which is up if the blueberry side of the waffle is up, or down otherwise.





Sample Input 1	Sample Output 1
10 20	up

Sample Input 2	Sample Output 2
10 34	down

Sample Input 3	Sample Output 3
10 47	down





Problem B Fading Wind Time Limit: 1 Second(s)

You're competing in an outdoor paper airplane flying contest, and you want to predict how far your paper airplane will fly. Your design has a fixed factor k, such that if the airplane's velocity is at least k, it will rise. If its velocity is less than k it will descend.

Here is how your paper airplane will fly:

- You start by throwing your paper airplane with a horizontal velocity of v at a height of h. There is an external wind blowing with a strength of s.
- While h > 0, repeat the following sequence:
 - Increase v by s. Then, decrease v by $\max(1, \left|\frac{v}{10}\right|)$. Note that $\left|\frac{v}{10}\right|$ is the value of $\frac{v}{10}$, rounded down to the nearest integer if it is not an integer.
 - If v > k, increase h by one.
 - If 0 < v < k, decrease h by one. If h is zero after the decrease, set v to zero.
 - If $v \leq 0$, set h to zero and v to zero.
 - Your airplane now travels horizontally by v units.
 - If s > 0, decrease it by 1.

Compute how far the paper airplane travels horizontally.

Input

The single line of input contains four integers h, k, v, and s $(1 \le h, k, v, s \le 10^3)$, where h is your starting height, k is your fixed factor, v is your starting velocity, and s is the strength of the wind.

Output

Output a single integer, which is the distance your airplane travels horizontally. It can be shown that this distance is always an integer.

Sample Input 1	Sample Output 1
1 1 1 1	1





Sample Input 2	Sample Output 2
2 2 2 2	9

Sample Input 3	Sample Output 3
1 2 3 4	68

Sample Input 4	Sample Output 4
314 159 265 358	581062



Problem C Creative Accounting Time Limit: 5 Second(s)

South Central USA Regional Contest

When accounting for the profit of a business, we can divide consecutive days into fixed-sized segments and calculate each segment's profit as the sum of all its daily profits. For example, we could choose seven-day segments to do our accounting in terms of weekly profit. We also have the flexibility of choosing a segment's starting day. For example, for weekly profit we can start a week on a Sunday, Monday, or even Wednesday. Choosing different segment starting days may sometimes change how the profit looks on the books, making it more (or less) attractive to investors.

As an example, we can divide ten consecutive days of profit (or loss, which we denote as negative profit) into three-day segments as such:

 $3, 2, -7 \mid 5, 4, 1 \mid 3, 0, -3 \mid 5$

This gives us four segments with profit -2, 10, 0, 5. For the purpose of this division, partial segments with fewer than the fixed segment size are allowed at the beginning and at the end. We say a segment is profitable if it has a strictly positive profit. In the above example, only two out of the four segments are profitable.

If we try a different starting day, we can obtain:

$$3, 2 \mid -7, 5, 4 \mid 1, 3, 0 \mid -3, 5$$

This gives us four segments with profit 5, 2, 4, 2. All four segments are profitable, which makes our business look much more consistent.

You're given a list of consecutive days of profit, as well as an integer range. If we can choose any segment size within that range and any starting day for our accounting, what is the minimum and maximum number of profitable segments that we can have?

Input

The first line of input has three space-separated integers n, ℓ and h ($1 \le \ell \le h \le n \le 3 \times 10^4$, $h - \ell \le 1,000$), where n is the number of days in the books, ℓ is the minimum possible choice of segment size, and h is the maximum possible choice of segment size.

Each of the next n lines contains a single integer $p (-10^4 \le p \le 10^4)$. These are the daily profits, in order.





Output

Output on a single line two space-separated integers min and max, where min is the minimum number of profitable segments possible, and max is the maximum number of profitable segments possible. Both min and max are taken over all possible choices of segment size between ℓ and h and all possible choices of starting day.

Sample Input 1	Sample Output 1
10 3 5	2 4
3	
2	
-7	
5	
4	
1	
3	
0	
-3	
5	



Problem D Chocolate Chip Fabrication Time Limit: 1 Second(s)

You are making a chocolate chip cookie using a machine that has a rectangular pan composed of unit squares. You have determined the shape of your cookie, which occupies some squares in that area. Each square of your cookie must be chocolate chipified.

To make the cookie you will repeatedly perform the following two steps:

- 1. You place cookie dough in some unit squares.
- 2. You expose the cookie dough to a shallow chocolate chip solution. Any cookie dough square that does not have all four adjacent squares (up, down, left, right) filled with cookie dough becomes chocolate chipified. Note that any cookie dough in a square on the boundary of the pan always gets chipified.

The following example shows how to make a cookie of the shape shown on the left (s):

(s)	(a1)	(a2)	(b1)	(b2)
-X-X-	-D-D-	-C-C-	-C-C-	-C-C-
XXXXX	-D-D-	-C-C-	DCDCD	CCCCC
XXXXX	-DDD-	-CCC-	DCCCD	CCCCC
-XXX-	D	C	-DCD-	-CCC-
X			D	C

First you place cookie dough in 8 squares (a1). All squares become chipified after the first solution exposure (a2). You place cookie dough in 8 more squares (b1). The second exposure makes every square chipified and completes the cookie (b2).

Your chocolate chip solution is expensive, so you want to ensure that you perform the exposure as few times as possible. Given a cookie shape, determine the minimum number of chocolate chip solution exposures required to make the cookie.

Input

The first line of input contains two integers n and m ($1 \le n, m \le 1,000$), indicating the pan has n rows and m columns of unit squares.

Each of the next n lines contains a string of exactly m characters, where each character is either "X", representing a square occupied by your cookie, or "–", representing an empty square.

The shape of your cookie occupies at least one square. Note that the shape may consist of multiple pieces that are disconnected.



Output

Output the minimum number of chocolate chip solution exposures required to make your cookie.

Sample Input 1	Sample Output 1
5 5	2
-X-X-	
XXXXX	
XXXXX	
-XXX-	
X	

Sample Input 2	Sample Output 2
4 5	1
XXX	
X-X	
X-XXX	
XX	

Sample Input 3	Sample Output 3
5 5	3
XXXXX	





Problem E Everything Is A Nail Time Limit: 5 Second(s)

As an employee of the Iffy Colossal Pinnacle Construction (ICPC) company building a very tall skyscraper, you have a number of tasks to complete high above the ground in a specific order. You can always choose to skip a task, but you fear that doing so too many times might cause some catastrophic failure of the building. You cannot revisit or complete a task once it has been skipped.

Each task is a nail, a screw, or a bolt. You have three tools: a hammer (works on nails), a screwdriver (works on screws), and a wrench (works on bolts). When you start a new task you can choose to switch your tool out by dropping it (hopefully no one was below you at the time), but when you do so you permanently lose the dropped tool.

Given the list of tasks in the order they should be completed, determine the maximum number of tasks that can be completed. You may choose to use any tool as the initial tool.

Input

The first line of input contains an integer n $(1 \le n \le 3 \times 10^5)$, which is the number of tasks you need to complete.

Each of the next n lines contains a single integer t ($0 \le t \le 2$). These are the tasks, in order. Each task is one of 0 (nail), 1 (screw), or 2 (bolt).

Output

Output a single integer, which is the maximum number of tasks that can be completed.





Sample Input 1	Sample Output 1
10	10
1	
1	
1	
0	
0	
0	
0	
2	
2	
2	

Sample Input 2	Sample Output 2
10	5
0	
1	
2	
0	
1	
2	
0	
1	
2	
0	





Problem F Family Visits Time Limit: 2 Second(s)

You are a college student living on your own. However, your doting family still likes to visit you, and they often stop by to check on your room at night before going to dinner. Your family will be worried if they find a mess in your room. Therefore you make an effort to ensure that they never see a mess in your room when visiting at night. You have some free time each afternoon that allows you to clean up, but the amount of free time varies each day due to prior commitments.

Luckily, your schedule is planned out well. You know exactly how big of a mess you will make each morning, how much mess you can clean each afternoon, and on which nights your family will stop by. Since you are lazy, you want to spend as few afternoons as possible cleaning such that your family will always see a room without any mess. You may assume that your room starts completely clean, and any mess that is not cleaned remains until it is cleaned.

Input

The first line of input contains two integers, n and d ($1 \le d \le n \le 1,000$), where n is the number of days in your schedule and d is the number of days your family will visit.

Each of the next n lines contains two integers m and c ($0 \le m, c \le 1,000$). For each day, in order, m is the amount of mess you make in the morning, and c is the amount you can clean in the afternoon.

Each of the next d lines contains a single integer v ($1 \le v \le n$). These are the days on which your family will visit, and they are listed in strictly increasing order.

Output

Output the smallest number of afternoons you have to spend cleaning to ensure your family will never see a mess. If it is not possible, output -1.





Sample Input 1	Sample Output 1
6 2	3
1 2	
2 1	
1 4	
3 2	
3 6	
2 3	
3	
6	

Sample Input 2	Sample Output 2
10 5	7
12 10	
0 2	
7 1	
1 8	
3 4	
3 4	
2 3	
1 2	
10 1	
7 5	
2	
4	
5	
6	
8	





Problem G Glitches Time Limit: 4 Second(s)

You have been hired by the International Circuit Production Corporation (ICPC), to help assess their digital circuit designs. Digital logic circuits are composed of logic gates. Each logic gate has a symbolic representation for use in circuit diagrams, and a truth table which specifies the output of the gate for each possible combination of inputs. The image to the right shows the logic symbol and truth table for the



two-input NAND gate. In this example, there is a 10 nanosecond delay between the time that one of the inputs changes and the time that the output changes.

Since *any* Boolean function can be implemented using only two-input NAND gates, and two-input NAND gates are cheap, ICPC has decided to use only this type of gate for their designs. But there is a potential problem with that plan. The figure below shows a slightly more complex circuit and its corresponding truth table:



In this figure there is a wire, labeled R, which connects the output of Gate1 to an input of Gate2. There are also wires labeled x and y, connecting external inputs, and a wire labeled OUTPUT that carries the output of the circuit. Each wire has a unique name, and can carry only the values 1 (for true) and 0 (for false). A signal is a change of value on a wire. An input signal on y goes through Gate1 and is delayed by 9ns before it affects R, but it goes directly to Gate2.

Due to the delays from the gates, *glitches* can occur. A glitch is a period of time that starts when the value on the OUTPUT wire changes, and it does not match what the truth table logic of the circuit says it should be. The glitch ends when the value on the OUTPUT wire changes to match the value from the truth table for the circuit.

For example, if input x has a value of 1, and input y has a value of 0, then the output of the circuit will be 1. If at some time t, the value of y changes to 1, then the change in y affects the inputs to Gate2 immediately, but the change in





R is delayed by 9ns. As a result, at time t + 5ns, OUTPUT changes to 0. But, according to the truth table, OUTPUT should still be 1. At time t + 9ns, the value of R changes to 0, which causes OUTPUT to transition back to 1 at time t + 14ns.

The period between time t + 5ns and time t + 14ns is a glitch. During this period, the output of the circuit has changed from its correct output to an incorrect output. The output was correct at time t, became incorrect, and then became correct again. If Gate1 had zero delay, the glitch would not have occurred.

Two opposite signals cannot occur at the same time on the same wire; such an event would be unobservable and would not affect any gates that have that wire as an input.

Given a logic circuit description and a single set of changes on the input wires, simulate the circuit and calculate the number of glitches that occur.

Input

The first line of input contains three integers i $(1 \le i \le 200)$, g $(1 \le g \le 1,500)$ and s $(1 \le s \le i)$, where i is the number of input wires, g is the number of gates, and s is the number of input wires that will change. The total number of wires in the circuit will be i (input wires) plus g (gates), since the output of each gate defines a new wire.

Each of the next *i* lines gives a single input wire specification as a string *name* and an integer *value*, space-separated. The *name* is a string of characters consisting only of the characters 'a'- 'z', 'A'-'Z', and '0'-'9', and is at most 40 characters long. The *value* is the initial value of the wire, either 0 or 1.

Each of the next g lines contains three strings $wire_a$, $wire_b$, $wire_o$ followed by an integer delay ($0 < delay \le 1,500$), all space-separated. This is a description of one two-input NAND gate, where $wire_a$ and $wire_b$ are the wires connected to the gate's inputs, $wire_o$ is the gate's output wire, and delay is the delay of the gate in nanoseconds. The output wire of a gate will not be the output wire of any other gate. There will be no loops in the circuit. The output wire of exactly one gate will have the name 'OUTPUT', indicating that this wire is the output of the entire circuit.

The final line contains a list of *s* space-separated input wire names. At the beginning of the simulation, these wires will simultaneously change their values (from 0 to 1, or 1 to 0).

Output

Print the number of glitches that occur. A glitch with duration zero is not counted as a glitch.





Sample Input 1	Sample Output 1
2 2 1	1
x 1	
у О	
x y R 9	
R y OUTPUT 5	
У	

Sample Input 2	Sample Output 2
2 4 2	1
Slow 0	
Fast 0	
SlowNOT NAND OUTPUT 10	
Slow Slow SlowNOT 7	
Fast Fast FastNOT 1	
Fast FastNOT NAND 1	
Slow Fast	

This page is intentionally left blank.



Problem H Sun and Moon Time Limit: 1 Second(s)

You recently missed an eclipse and are waiting for the next one! To see any eclipse from your home, the sun and the moon must be in alignment at specific positions. You know how many years ago the sun was in the right position, and how many years it takes for it to get back to that position. You know the same for the moon. When will you see the next eclipse?

Input

The input consists of two lines.

The first line contains two integers, d_s and y_s ($0 \le d_s < y_s \le 50$), where d_s is how many years ago the sun was in the right position, and y_s is how many years it takes for the sun to be back in that position.

The second line contains two integers, d_m and y_m ($0 \le d_m < y_m \le 50$), where d_m is how many years ago the moon was in the right position, and y_m is how many years it takes for the moon to be back in that position.

Output

Output a single integer, the number of years until the next eclipse. The data will be set in such a way that there is not an eclipse happening right now and there will be an eclipse within the next 5,000 years.

Sample Input 1	Sample Output 1
3 10	7
1 2	

This page is intentionally left blank.





Problem I Color Tubes Time Limit: 1 Second(s)

There is a new puzzle generating buzz on social media—Color Tubes. The rules are relatively simple: you are given n + 1 tubes filled with 3n colored balls. Each tube can hold at most 3 balls, and each color appears on exactly 3 balls (so there are n colors).

Using a series of moves, you are supposed to reach a Color Tubes state—each tube should either hold balls of a single color or it should be empty.

The only move allowed is to take the top ball from one tube and place it into a different tube that has room for it (i.e. holds at most two balls before the move).

You want to write a program to solve this puzzle for you. Initially, you are not interested in an optimal solution, but you want your program to be good enough to solve any puzzle configuration using at most 20n moves.

Input

The first line of input contains a single integer n ($1 \le n \le 1,000$), which is the number of colors.

Each of the next n + 1 lines contains three integers b, m and t ($0 \le b, m, t \le n$), which are the descriptions of each tube, where b is the color of the ball on the bottom, m is the color of the ball in the middle, and t is the color of the ball on the top.

The tubes are numbered from 1 to n + 1 and are listed in order. The colors are numbered from 1 to n. The number 0 describes an empty space. It is guaranteed that no empty space will be below a colored ball.

Output

On the first line output an integer m, the number of moves that your program will use to solve the puzzle. Remember, m has to be at most 20n.

On the next m lines, output two space-separated integers u and v that describe a move $(1 \le u, v \le n+1)$. In each move, you are taking the uppermost ball out of tube u and placing it in tube v, where it will fall until it hits the uppermost ball already in that tube, or the bottom of the tube if the tube is empty.

Your solution will be deemed incorrect if it uses more than 20n moves, or any of the moves are not allowed, or the final configuration is not a Color Tubes state.





Sample Input 1	Sample Output 1
3	6
2 2 0	3 1
1 3 1	2 3
3 1 2	2 4
3 0 0	3 2
	3 2
	3 4

Sample Input 2	Sample Output 2
1	0
0 0 0	
1 1 1	



Problem J

Three Dice Time Limit: 1 Second(s)

South Central USA Regional Contest

Given a list of three-letter words, generate one possible set of three, six-sided dice such that each word can be formed by the top faces of some arrangement of the three dice. You must distribute 18 distinct letters across the 18 total faces of the dice. There may be multiple possible sets of dice that satisfy the requirement; any correct set will be accepted.

Input

The first line of input contains an integer $n \ (1 \le n \le 1,000)$, which is the number of words.

Each of the next n lines contains one three-letter word made up only of lowercase letters (a-z). There may be duplicate words in the list, and the words might contain identical letters.

Output

Output a single line. If there exists a set of dice that can form all of the words, output any such set. Output the set of dice as one line with three space-separated strings, each consisting of six lowercase letters. If no such set of dice can be formed, output a single line with the number 0.

Sample Input 1	Sample Output 1
3	zounds plight fakery
lad	
fin	
sly	

Sample Input 2	Sample Output 2
1	0
dad	





Sample Input 3	Sample Output 3
11	vortex whacky fusing
aft	
cog	
far	
irk	
kit	
yes	
tau	
rag	
own	
uke	
via	





Problem K Food Processor Time Limit: 1 Second(s)

You have a food processor with a variety of blades that can be attached to it, as well as some food you would like to process into smaller pieces.

The food processor can have one blade attached at any time. Each blade processes food by reducing its average piece size at a particular exponential rate, but it also has a maximum average piece size requirement; if the average piece size of the food is too big for the blade, the food processor will get stuck. Given a starting average food piece size, a target average piece size, and a set of blades for your food processor, determine the minimum amount of processing time needed to process your food into the target average piece size.

Note that we only care about the time spent actively processing food; we do not track time spent switching out blades or loading/unloading the food processor.

Input

The first line of input contains three integers s, t, and n ($1 \le t < s \le 10^6$, $1 \le n \le 10^5$), where s is the starting average piece size, t is the target average piece size, and n is the number of blades.

Each of the next n lines contains two integers m and $h (1 \le m, h \le 10^6)$. These are the blades, where m is the maximum average piece size of the blade and h is the number of seconds the blade needs to halve the average piece size.

Output

Output a single number, which is the minimum amount of time in seconds needed to process the food to the target average piece size. If it is not possible to reach the target, output -1. Your answer should have a *relative* error of at most 10^{-5} .

Sample Input 1	Sample Output 1
10 1 2	23.219281
10 10	
4 5	





Sample Input 2	Sample Output 2
10000 9999 1	1.4427671804501932E-4
10000 1	







Problem L Branch Manager Time Limit: 4 Second(s)

You are managing a transportation network of one-way roads between cities. People travel through the transportation network one by one in order all starting from the same city, and each person waits for the person before them to stop moving before starting. The people follow a simple algorithm until they reach their destination: they will look at all the outgoing roads from the current city, and choose the one that leads to the city with the smallest label. A person will stop when they either reach their destination, or reach a city with no outgoing roads. If at any point someone fails to reach their destination, the rest of the people still waiting in line will leave.

Before each person enters the transportation network, you can permanently close down any subset of roads to guarantee they reach their destination. The roads that you choose to close down will not be available for future people.

There are n cities, labeled from 1 to n. There are n - 1 directed roads, and each road will always be from a lower labeled city to a higher labeled one. The network will form a rooted tree with city 1 as the root. There are m people that want to travel through the network. Each person starts from city 1, and has a specific destination city d in mind. These people will line up in the given order. What is the maximum number of people you can route correctly to their destination if you close roads optimally?

Input

The first line of input contains two integers n and m ($2 \le n, m \le 2 \times 10^5$), where n is the number of cities and m is the number of people.

Each of the next n - 1 lines contains two integers a and b ($1 \le a < b \le n$), denoting a directed road from city a to b. These roads will describe a rooted tree with city 1 as the root.

Each of the next m lines contains a single integer d ($2 \le d \le n$), denoting the destination city of the next person in line.

Output

Output a single integer, which is the maximum number of people you can route to the correct destination.





Sample Input 1	Sample Output 1
8 5	5
1 2	
4 8	
4 6	
1 4	
2 5	
4 7	
2 3	
5	
2	
6	
4	
8	

Sample Input 2	Sample Output 2
4 4	1
1 2	
1 3	
1 4	
3	
2	
3	
4	



Problem M Alchemy Time Limit: 1 Second(s)

South Central USA Regional Contest

You just finished day one of your alchemy class! For your alchemy homework, you have been given a string of lowercase letters and wish to make it a palindrome. You're only a beginner at alchemy though, so your powers are limited. In a single operation, you may choose exactly two adjacent letters and change each of them into a different lowercase letter. The resulting characters may be the same as or different from one another, so long as they were both changed by the operation.

Formally, if the string before the operation is s and you chose to change characters s_i and s_{i+1} to produce string t, then $s_i \neq t_i$ and $s_{i+1} \neq t_{i+1}$ must be true, but $t_i = t_{i+1}$ is permitted.

Compute the minimum number of operations needed to make the string a palindrome.

Input

The single line of input contains a string of $n \ (2 \le n \le 100)$ lowercase letters, the string you are converting into a palindrome.

Output

Output a single integer, which is the minimum number of operations needed to make the string a palindrome.

Sample Input 1	Sample Output 1
ioi	0

Sample Input 2	Sample Output 2
noi	1

Sample Input 3	Sample Output 3
ctsc	1





Sample Input 4	Sample Output 4
fool	2

Sample Input 5	Sample Output 5
vetted	2