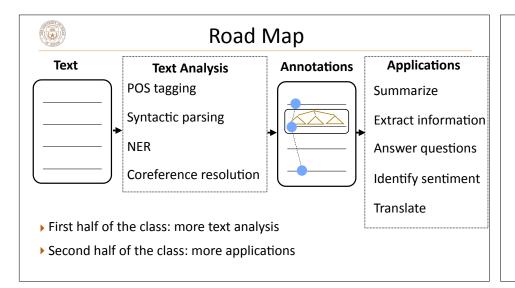


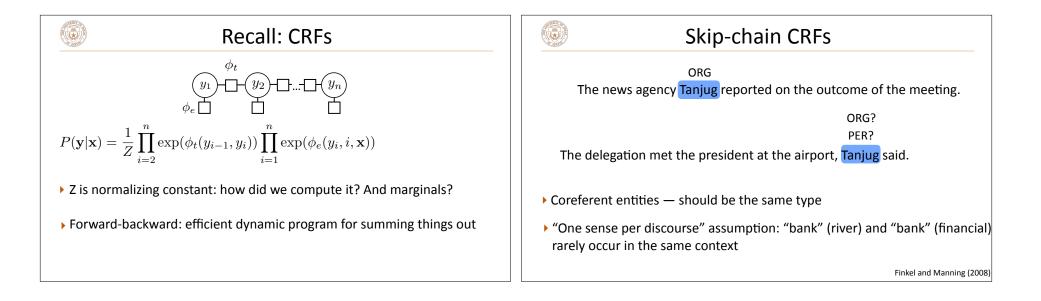
Recall: Global Training with Early Updating	6 Administrivia
<pre>For each epoch For each sentence For i=12*len(sentence)  # 2n transitions in arc-standard beam[i] = compute_successors(beam[i-1]) If beam[i] does not contain gold:     # Feats are cumulative up until this point     apply_gradient_update(feats(gold[0:i]) - feats(beam[i,0]))     break # If we got to the end, gold may still not be one-best If i == 2*len(sentence):     apply_gradient_update(feats(gold) - feats(beam[2*len(sentence),0]))</pre>	<ul> <li>Survey results: pace a bit too fast (assumes too much prior knowledge)</li> <li>Fast pace for a couple of lectures on graph-structured models, classical machine translation</li> <li>More moderate pace on fundamentals of NNs / RNNs / neural MT</li> <li>Details for projects: I'll try to do this more</li> <li>Frontiers / current research: after RNNs</li> <li>More materials: precision/recall of readings?</li> <li>"Don't have expectations for the final project"</li> <li>It starts at 9:30am: sorry :(</li> </ul>

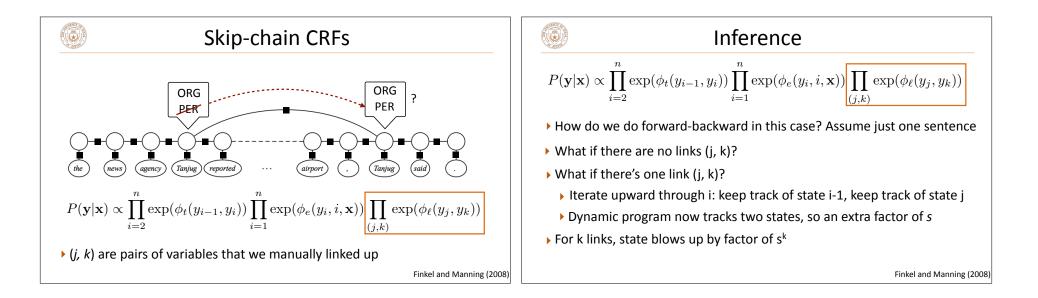


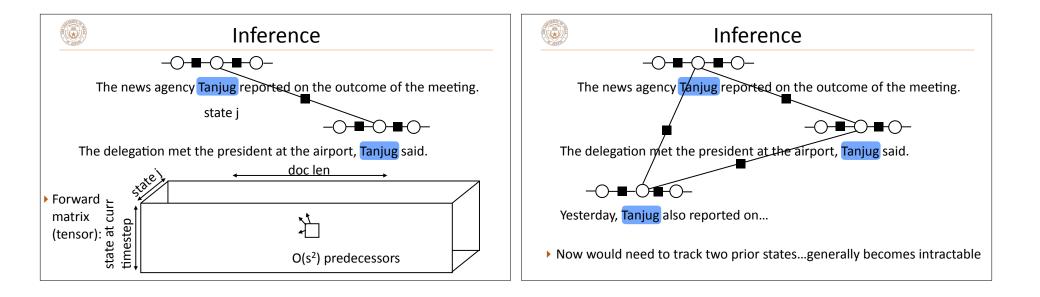
## Road Map

Sequences: POS, NER

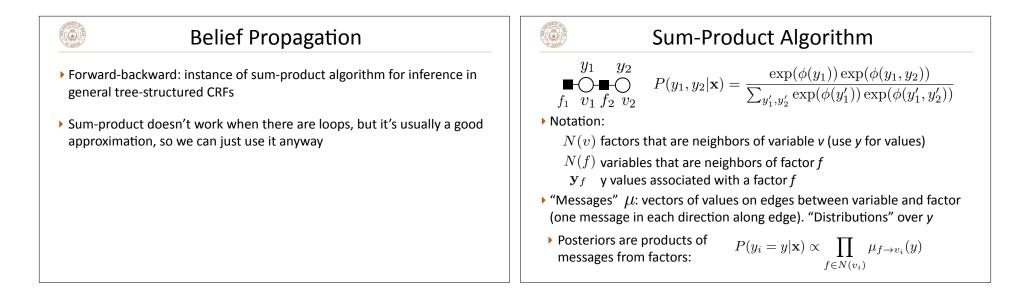
- > Trees: constituency parsing, dependency parsing, semantic role labeling
- Today: graph-structured models with two inference techniques: belief propagation, Gibbs sampling
- > Next time: classical (non-neural) machine translation
- > Then, part 2 of the class: neural networks, RNNs, CNNs, etc.

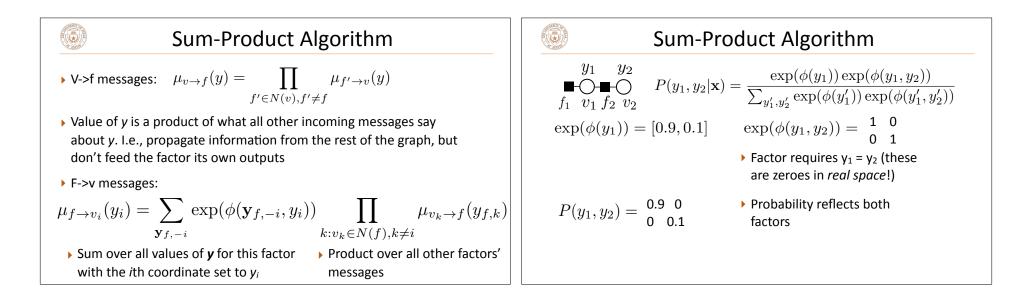


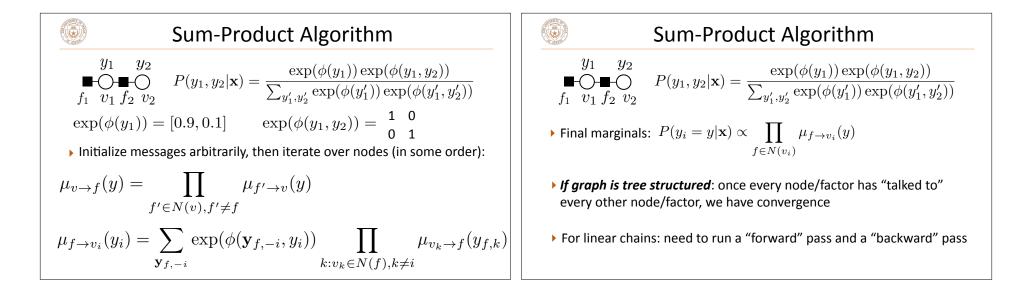


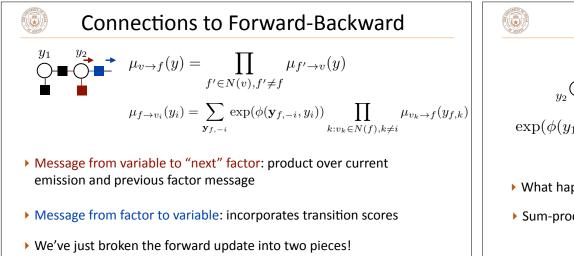


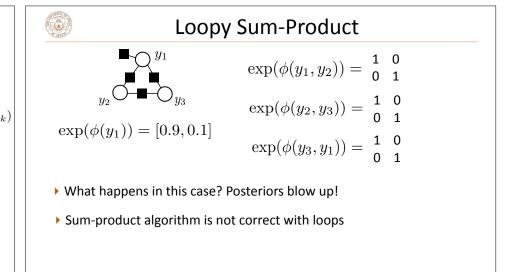


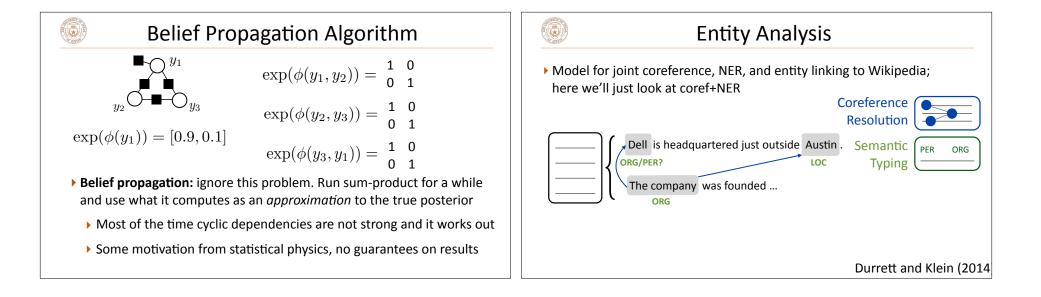


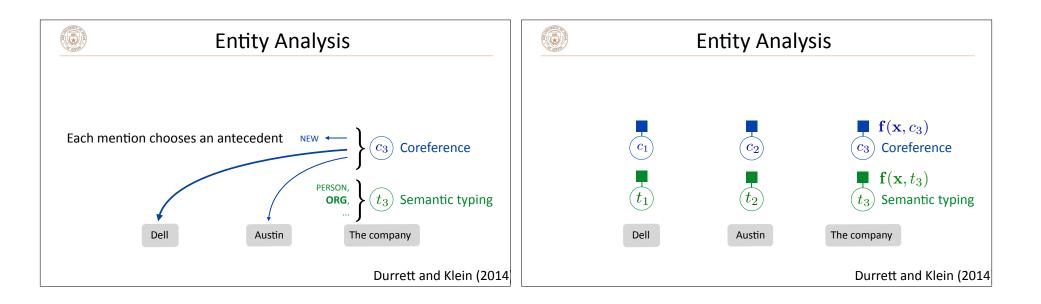


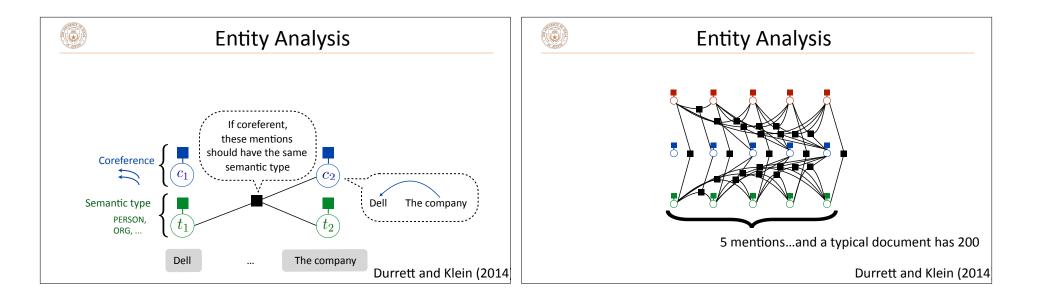


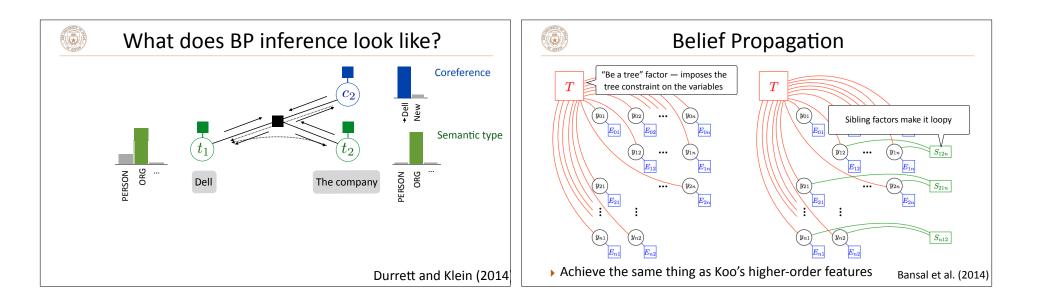


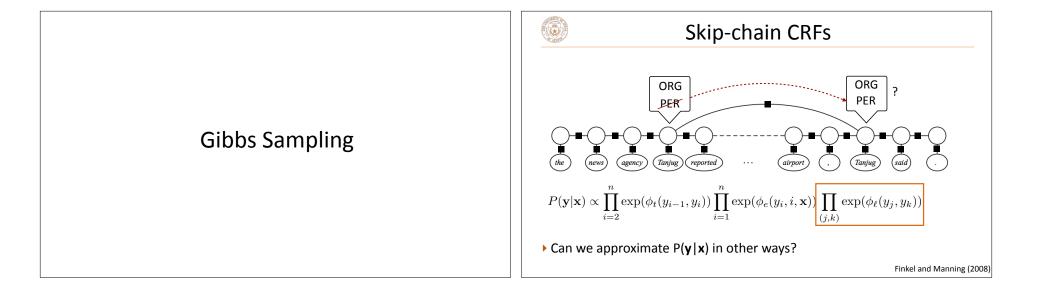


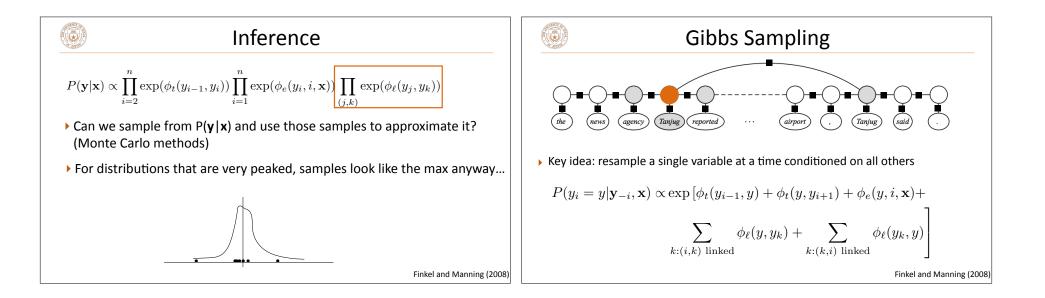


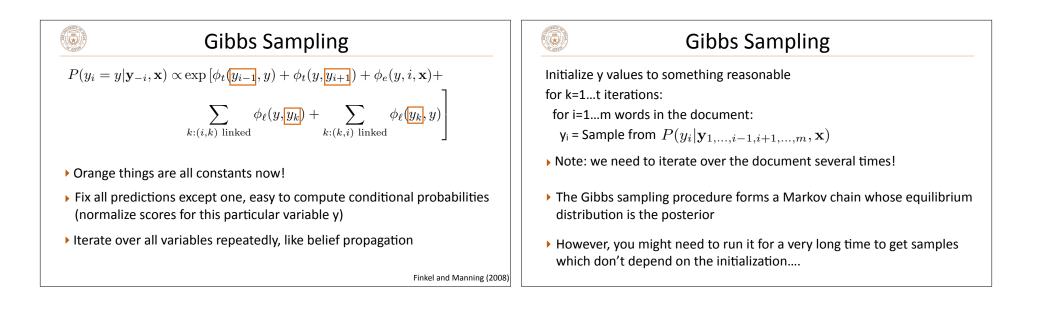












Problems with Gibbs Sampling	Gibbs Sampling							
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$				CoNLL				
$x_1$		Approach	LOC	ORG	MISC	PER	ALL	
1 0.01 0.49		B&M LT-RMN	—	-	-	-	80.09	
		B&M GLT-RMN	—	_	_	_	82.30	
Start with x = (0, 0)		Local+Viterbi	88.16	80.83	78.51	90.36	85.51	
$\mathbf{P}(- $		NonLoc+Gibbs	88.51	81.72	80.43	92.29	86.86	
$P(x_2 x_1=0) = [0.98, 0.02]$ > stay at (0, 0) 98% of the time								
$P(x_1 x_2=0) = [0.98, 0.02]$ > stay at (0, 0) 98% of the time								
Takes ~50 steps before we switch to (1, 1) — need to run Gibbs sampling for a long time to get a good approximation of the posterior								
							Finkel	and Manning (2

