

Where are we now?

- Early in the class: sentences are just sequences of words
- Now we can understand them in terms of tree structures as well
- Why is this useful? What does this allow us to do?

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 We're going to see how parsing can be a stepping stone towards more formal representations of language meaning

Today First-order logic Compositional semantics with first-order logic CCG parsing for database queries Lambda-DCS for question answering

	First-order Logic
First-Order Logic	 Powerful logic formalism including things like entities, relations, and quantifications
	 Propositions: let a = It is day, b = It is night a v b = either a is true or b is true, a => ¬b = a implies not b
	More complex statements: "Lady Gaga sings"
	sings is a predicate (with one argument), function f: entity => true/false
	 sings(Lady Gaga) = true or false, have to execute this against some database (called a <i>world</i>)
	 [[sings]] = denotation, set of entities which sing (sort of like executing this predicate on the world — we'll come back to this)

Quantification

- Universal quantification: "forall" operator
 - ∀x sings(x) ∨ dances(x) => performs(x)

"Everyone who sings or dances performs"

- Existential quantification: "there exists" operator
 - ► ∃x sings(x) "Someone sings"
- > Source of ambiguity! "Everyone is friends with someone"
 - ∀x ∃y friend(x,y)

Jy ∀x friend(x,y)



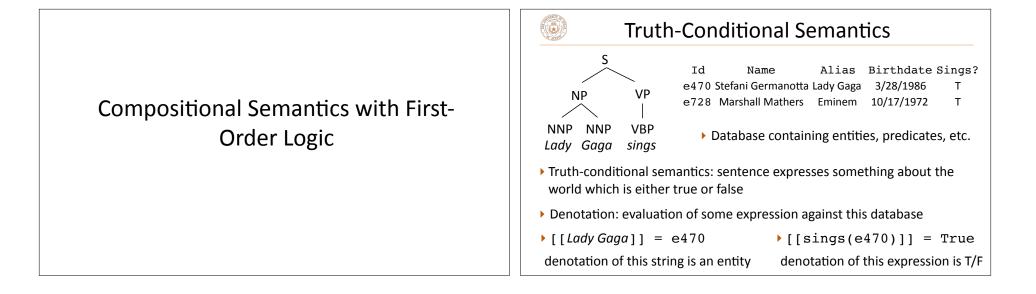
Logic in NLP

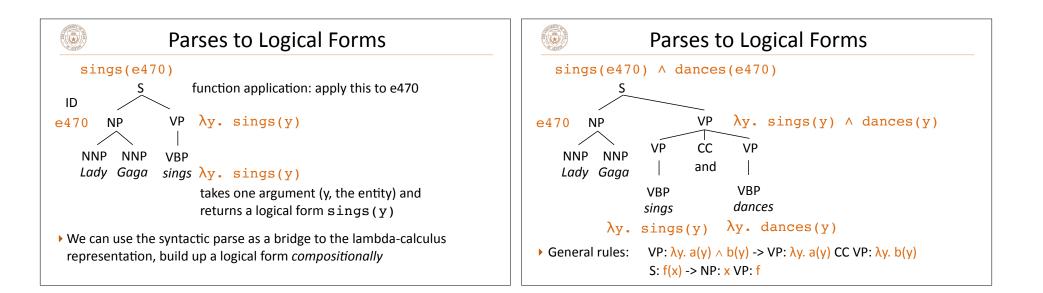
Question answering:

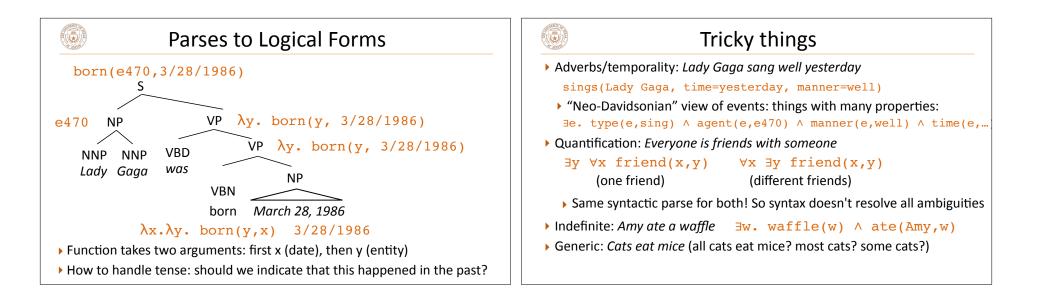
Who are all the American singers named Amy?

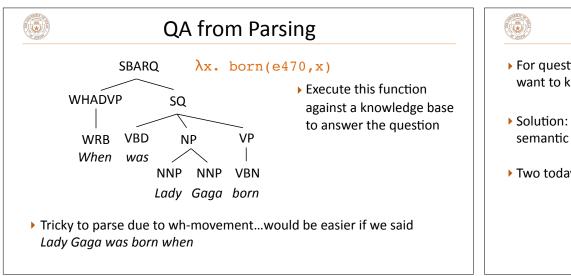
 $\lambda x.$ nationality(x,USA) \land sings(x) \land firstName(x,Amy)

- Function that maps from x to true/false, like filter. Execute this on the world to answer the question
- > Lambda calculus: powerful system for expressing these functions
- Information extraction: Lady Gaga and Eminem are both musicians musician(Lady Gaga) ∧ musician(Eminem)
 - Can now do reasoning. Maybe know: ∀x musician(x) => performer(x) Then: performer(Lady Gaga) ∧ performer(Eminem)



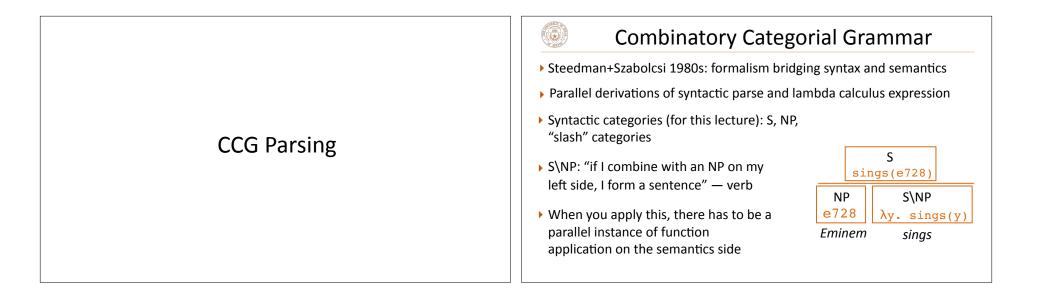


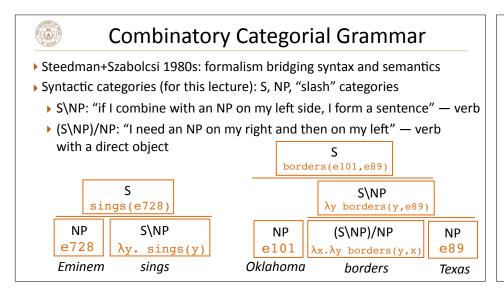


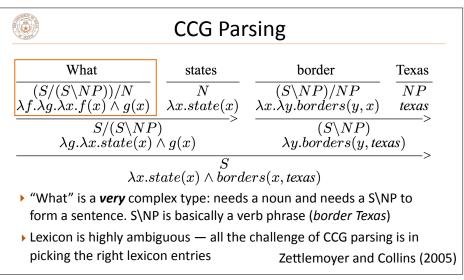


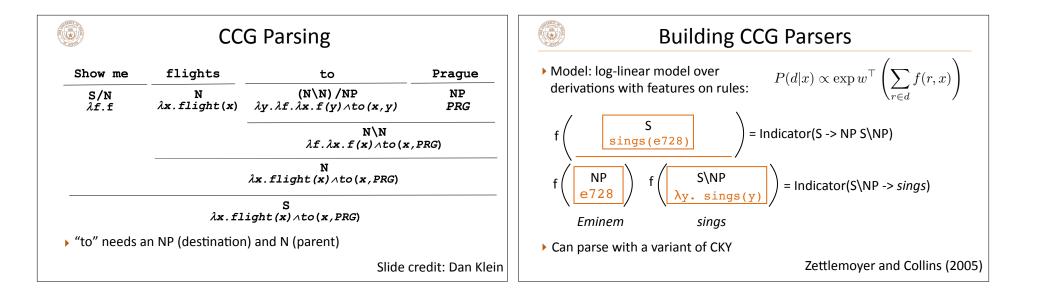
Semantic Parsing

- For question answering, syntactic parsing doesn't tell you everything you want to know, but indicates the right structure
- Solution: semantic parsing: many forms of this task depending on semantic formalisms
- > Two today: CCG (looks like what we've been doing) and lambda-DCS







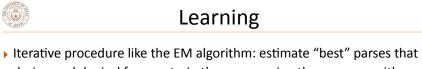


Building CCG Parsers	Lexicon
 Training data looks like pairs of sentences and logical forms What states border Texas λx. state(x) ∧ borders(x, e89) Problem: we don't know the derivation Texas corresponds to NP e89 in the logical form (easy to figure out) 	 GENLEX: takes sentence S and logical form L. Break up logical form into chunks C(L), assume any substring of S might map to any chunk What states border Texas λx. state(x) ∧ borders(x, e89) Chunks inferred from the logic form based on rules: NP: e89 (S\NP)/NP: λx. λy. borders(x, y)
 What corresponds to (S/(S\NP))/N λf.λg.λx. f(x) ^ g(x) How do we infer that without being told it? 	 Any substring can parse to any of these in the lexicon <i>Texas</i> -> NP: e89 is correct <i>border Texas</i> -> NP: e89 <i>What states border Texas</i> -> NP: e89
Zettlemoyer and Collins (2005)	Zettlemoyer and Collins (2005

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GENLEX				
	Rules	Categories produced from logical form		
Input Trigger	Output Category	$\arg \max(\lambda x.state(x) \land borders(x, texas), \lambda x.size(x))$		
constant c	NP:c	NP: texas		
arity one predicate p_1	$N: \lambda x.p_1(x)$	$N: \lambda x.state(x)$		
arity one predicate p_1	$S \setminus NP : \lambda x.p_1(x)$	$S \setminus NP : \lambda x.state(x)$		
arity two predicate p_2	$(S \setminus NP)/NP : \lambda x.\lambda y.p_2(y,x)$	$(S \setminus NP)/NP : \lambda x. \lambda y. borders(y, x)$		
arity two predicate p_2	$(S \setminus NP)/NP : \lambda x.\lambda y.p_2(x,y)$	$(S \setminus NP)/NP : \lambda x. \lambda y. borders(x, y)$		
arity one predicate p_1	$N/N:\lambda g.\lambda x.p_1(x)\wedge g(x)$	$N/N:\lambda g.\lambda x.state(x)\wedge g(x)$		
literal with arity two predicate p ₂ and constant second argument c	$N/N:\lambda g.\lambda x.p_2(x,c)\wedge g(x)$	$N/N:\lambda g.\lambda x.borders(x,texas)\wedge g(x)$		
arity two predicate p_2	$(N \setminus N)/NP : \lambda x . \lambda g . \lambda y . p_2(x, y) \land g(x)$	$(N \setminus N)/NP : \lambda g.\lambda x.\lambda y.borders(x, y) \land g(x)$		
an $\arg \max / \min$ with second argument arity one function f	$NP/N: \lambda g. rg \max / \min(g, \lambda x.f(x))$	$NP/N:\lambda g. rgmax(g,\lambda x.size(x))$		
an arity one numeric-ranged function f	$S/NP:\lambda x.f(x)$	$S/NP:\lambda x.size(x)$		

Very complex and hand-engineered way of taking lambda calculus expressions and "backsolving" for the derivation



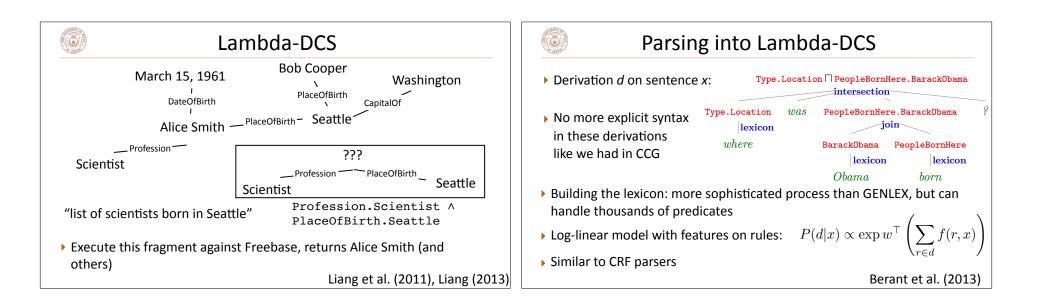
- derive each logical form, retrain the parser using these parses with supervised learning
- We'll talk about a simpler form of this in a few slides

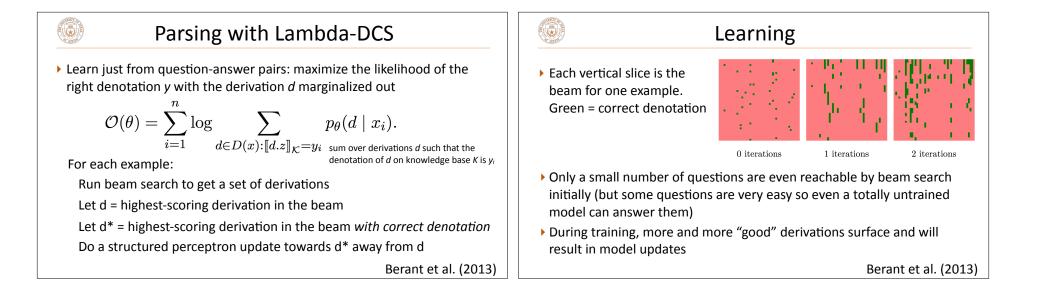
Zettlemoyer and Collins (2005)

Zettlemoyer and Collins (2005)

Applications
GeoQuery: answering questions about states (~80% accuracy)
Jobs: answering questions about job postings (~80% accuracy)
ATIS: flight search
 Can do well on all of these tasks if you handcraft systems and use plenty of training data: these domains aren't that rich
What about broader QA?

Lambda-DCS	Lambda-DCS
Dependency-based compositional semantics — original version was	Lambda-DCS Lambda calculus
less powerful than lambda calculus, lambda-DCS is as powerful	Seattle $\lambda x. x = Seattle$
Designed in the context of building a QA system from Freebase	PlaceOfBirth $\lambda x.\lambda y.$ PlaceOfBirth(x,y)
Freebase: set of entities and relations	PlaceOfBirth.Seattle λx . PlaceOfBirth(x,Seatt)
March 15, 1961 Bob Cooper Washington	Looks like a tree fragment over Freebase
DateOfBirth CapitalOf	??? — PlaceOfBirth - Seattle
Alice Smith — PlaceOfBirth – Seattle /	Profession.Scientist \wedge λx . Profession(x,Scientist
[[PlaceOfBirth]] = set of pairs of (person, location)	PlaceOfBirth.Seattle
Liang et al. (2011), Liang (2013)	Liang et al. (2011), Liang (20





Takeaways
Can represent meaning with first order logic and lambda calculus
Can bridge syntax and semantics and create semantic parsers that can interpret language into lambda-calculus expressions
Useful for querying databases, question answering, etc.
 Next time: neural net methods for doing this that rely less on having explicit grammars