

CS 378 Lecture 16

Today

- RNNs
- LSTMs (the type of RNN you will be using)
- Implementation

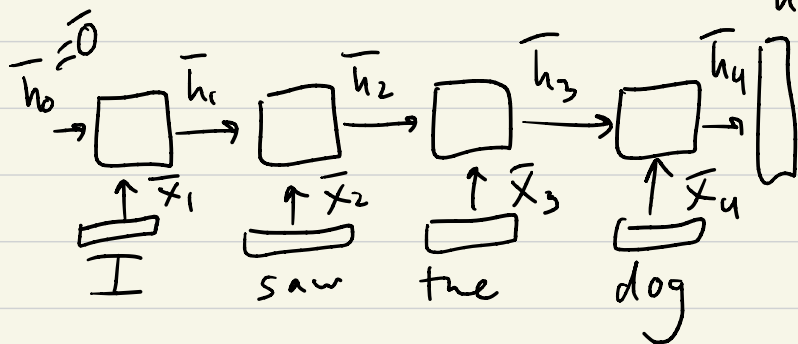
Announcements

- A4
- Midterm back soon

LM: $P(\bar{w})$ or

$P(w_i | w_1, \dots, w_{i-1})$
"predict the next word"

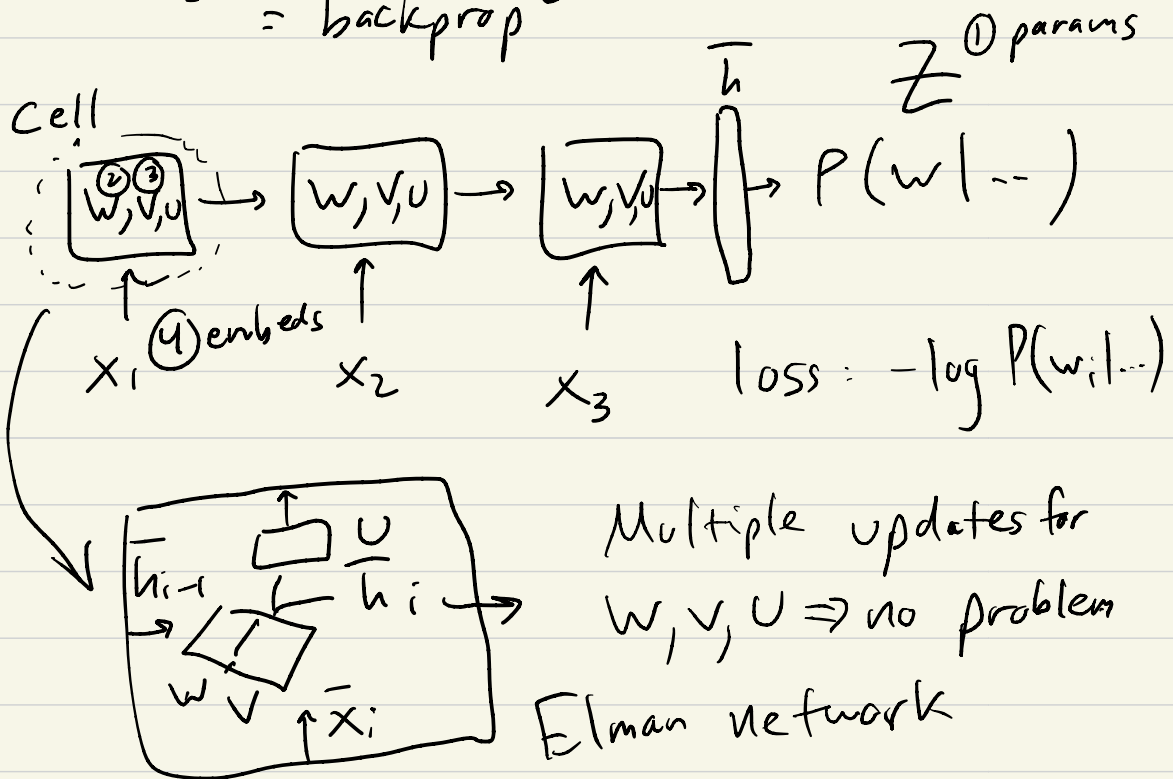
Recap RNNs + Language modeling



$Z: |V| \times d$
parameter matrix

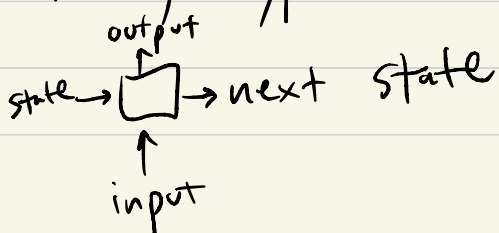
$$P(w \mid \text{I saw the dog}) \\ = \text{softmax}(Z \cdot \bar{h})$$

Training "Backpropagation through time"
= backprop



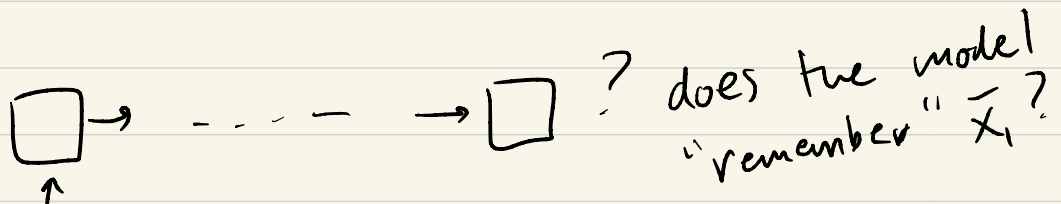
Long Short-term memory networks (LSTMs)

Many types of RNNs



LSTMs (1998)

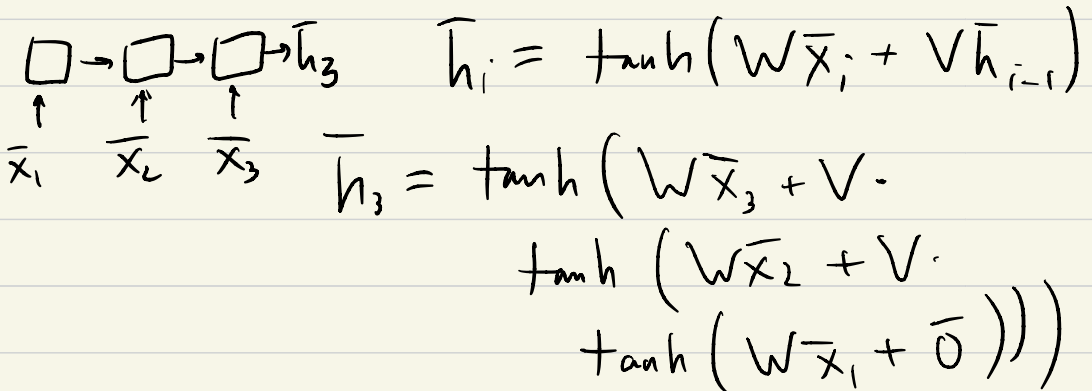
short-term memory: what the model
can remember in its state



LONG short-term memory
(remember for longer)

Problem w/ Elman networks

vanishing / exploding gradients



Assume $\tanh$ is the identity fun

$$\bar{h}_3 = W\bar{x}_3 + VW\bar{x}_2 + V^2W\bar{x}_1$$

after n steps $\Rightarrow V^{n-1}\bar{x}_1$

LSTM gates

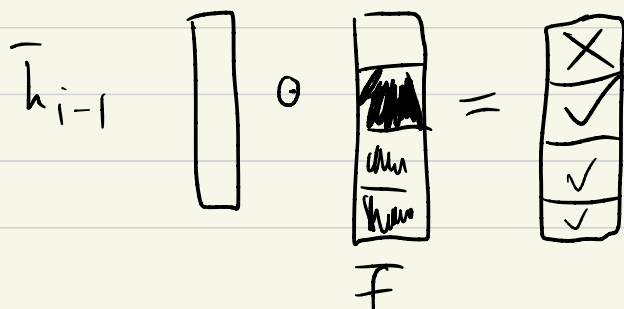
~~Elman: $\bar{h}_i = \tanh(W\bar{x}_i + V\bar{h}_{i-1})$~~

input gate $\downarrow$

Gated: $\bar{h}_i = \bar{h}_{i-1} \odot \bar{f} + \text{function}(\bar{x}_i, \bar{h}_{i-1}) \odot i$

$\uparrow$ prev state $\uparrow$ elementwise $\times$

$\bar{f}$: forget gate, values in $[0, 1]$



If $\bar{f} = 1$:
 $\bar{h}_{i-1}$ is
 totally
 preserved

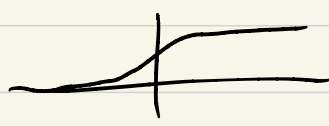
Where do f , i come from?

(added for
post exercise)
bias

$$f = \text{sigmoid} \left(W^{(1)} \bar{x}_i + W^{(2)} \bar{h}_{i-1} + \bar{b}_{\text{forget}} \right)$$

$$i = \text{sigmoid} \left(W^{(3)} \bar{x}_i + W^{(4)} \bar{h}_{i-1} + \bar{b}_{\text{input}} \right)$$

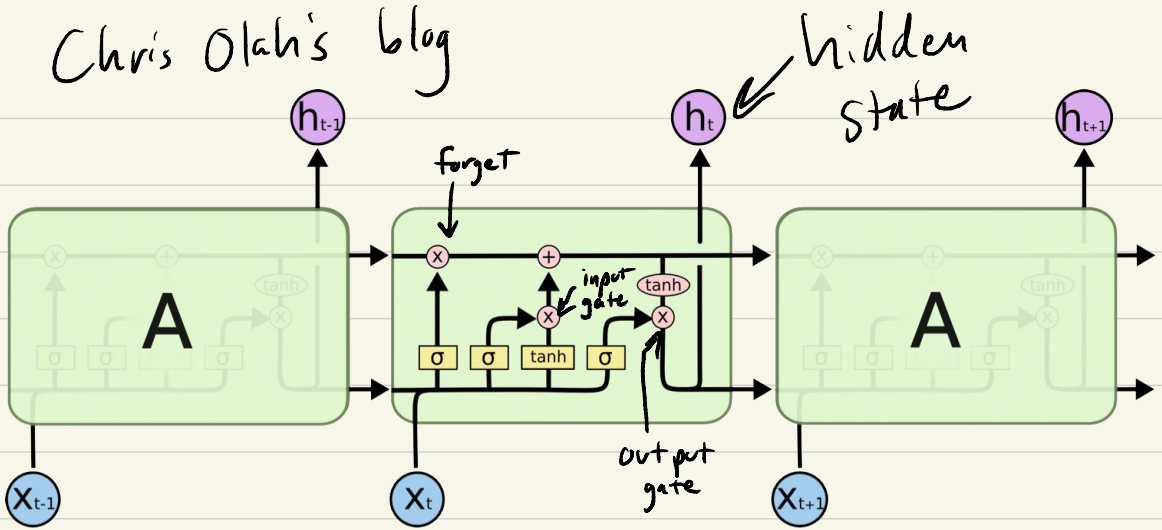
Sigmoid

$$\sigma = \frac{e^x}{1+e^x}$$


$$\bar{h}_{i-1} \cdot \bar{f} \xrightarrow{\text{forget}} \boxed{} + \boxed{} \cdot \bar{i} \xrightarrow{\text{update}} \bar{h}_i$$

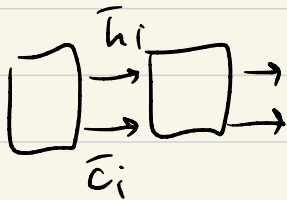
$\uparrow$
 $\bar{x}_i$

Chris Olah's blog



LSTM: 8 weight + matrices

hidden state $\bar{h}$
cell state $\bar{c}$ } tuple of the LSTM state



Poll:

discussed lstm-lecture.py

$$\begin{array}{ccc} \varnothing \rightarrow \varnothing \rightarrow \varnothing \rightarrow \bar{h} & \nearrow & [1, 1, 2]^{\bar{h}} \\ [0, 1, 2] & \Leftrightarrow & [0, 1, 3]^{\bar{h}} \end{array}$$