CS 378 Lecture L Class 0 dataset Class 1 Perfectly balanced... Classification 1: Features, Perceptron Announcement - AO solutions ...As all things should be - Al released credit: Machine Learning Memes on Facebook -Polls from Lec 1 - Lecture notes on course website (this PDF + typed note) - Book notation diverges from lectures - Grey OH's Change

Social impact: -resume parser - generate hate speech - anything on a biased dataset - Surveillance - generate fake - people put trust news science in Fland systems (mistranslations, etc.) - deepfakes

Classification Points XER F(x)ER Label yE(-1,+1) Classifier maps X - Y f: feature extractor Linear classifier: weight vector wER<sup>n</sup> Decision rule:  $\overline{W}^{T}f(\overline{x}) \stackrel{?}{\Rightarrow} \stackrel{?}{0} \qquad \overline{W} \stackrel{\circ}{f(\overline{x})} \stackrel{Compare}{\underset{N \lor her}{}} \stackrel{}{} \stackrel{T}{\Rightarrow} \stackrel{?}{0} \qquad \overline{W} \stackrel{\circ}{f(\overline{x})} \stackrel{Compare}{\underset{N \lor her}{}} \stackrel{}{} \stackrel{}{} \stackrel{T}{\Rightarrow} \stackrel{?}{0} \qquad \underbrace{F(\overline{x})_{2}} \stackrel{Veal}{\underset{N \lor her}{} \stackrel{}{} \stackrel{}}{} \stackrel{}{} \stackrel{}{} \stackrel{}{} \stackrel{}{} \stackrel{}}{} \stackrel{}{} \stackrel{}{} \stackrel{}{} \stackrel{}{} \stackrel{}}{} \stackrel{}{} \stackrel{}{} \stackrel{}}{} \stackrel{}{} \stackrel{}{} \stackrel{}}{} \stackrel{}}{} \stackrel{}}{} \stackrel{}}{} \stackrel{}}{} \stackrel{}{} \stackrel{}}{} \stackrel{$  $f(\bar{x}_{i})$ WTF(x) the 20 boundary

Sentiment

X = the movie was great! would watch again!

(1) Feature extraction  $\overline{X} \Rightarrow f(\overline{x})$ String  $\mathbb{R}^n$ 2) Learning  $(f(x^{(i)}), y^{(i)}) = Classifier W$ ) labeled examples  $\left(\begin{array}{c} x \\ x \end{array}\right)$   $\left(\begin{array}{c} x \\ y \end{array}\right)$ String +1/-1  $\left[-1.2\right]$ [-1.2, +2.7, -..]

Feature Extraction X = the movie was great Bag-of-words featurization X => f(x) (count of the word?) I if sent x contains that word I Vocab the a of -- movie -- great -- was-10,000 - dim  $f(x) \in \mathbb{R}^{|V|}$  vocab size (learned in a bit) What are the weights? -2.1 ... ]  $\overline{W} = [---+3.7]$ terrible great p051 1124

Preprocessing O Vocab selection: what words are in the vector space? (common words: lok or so) word is Dif a word in Dif a word in Unseen, replace with L I \_\_\_\_\_OJ was great! great was great! after takenization was great! Tokenization: split on whitespace split out punctuation handle hyphenated words Stopward filtering: Throw out "a", "the", -...
Cowercasing

So far: Unigram bag-of-words Bigram bag-of-words Unigram: IOK words Bigram: (10K)<sup>2</sup> => maybe ~/M pairs observed To manage the features: Maintain an index  $\left\{ \begin{array}{c} \text{the: } O \\ a \le 1 \\ \vdots \\ \text{onovie: } 47 \\ \vdots \end{array} \right\} \qquad \left\{ \begin{array}{c} \text{i} \\ \text{was great: } n \\ \text{i} \\ \text{i} \\ \text{i} \end{array} \right\}$ was great: 742

Machine Learning Parameters to optimize to fit some training data  $\left(\overline{X}^{(i)}, \overline{Y}^{(i)}\right)_{i=1}^{D}$ 10K unigrams in BoW Search over R<sup>10K</sup> for the best w Need a training objective Objective: loss (dataset)  $loss = \sum loss(\overline{X}^{(i)}, \gamma^{(i)}, \overline{w})$ veights, how badly do we screw up?"

Stochastic gradsent descent for t in range (0, epochs) for i in range (0, D)  $\overline{W} \leftarrow \overline{W} \sim \overline{X} - \frac{\partial}{\partial \overline{w}} \log(\overline{X}^{(i)}, \overline{Y}^{(i)}, \overline{w})$   $1 \approx \frac{step}{size} partial$ derivative update To by subtracting gradient of the loss

Perceptron Initialize w=0 for t in range (0, epochs) For i in range (0, D)  $Y_{pred} \in \begin{cases} 1 & \text{if } \overline{w}^{T}f(\overline{x}^{(i)}) > 0 \\ -1 & \text{else} \\ (\text{corract}) \\ \overline{w} \in \begin{cases} \overline{w} & \text{if } y_{prd} = y^{(i)} \\ \overline{w} + \alpha f(\overline{x}^{(i)}) & \text{if } y^{(i)} = +1 \\ \overline{w} - \alpha f(\overline{x}^{(i)}) & \text{if } y^{(i)} = -1 \end{cases}$ 

Say X=1 for now At the end: cut put  $\overline{w}$  as our weights

Why make this update?  $\overline{W} + f(\overline{X}^{(i)})$ 

Suppose we have:

 $y^{(i)} = t$ wrong  $\overline{w}^{T} f(\overline{x}^{(i)}) \Longrightarrow -1.3$ After update:  $\left(\overline{w} + f(\overline{x}^{(i)})\right)^T f(\overline{x}^{(i)})$  is now n larger dot product uf f(z(i)) W/itself is positive

good bad not  $gacd = \left[ \left[ 0 0 \right] \right]$ not good = [ ] 0 [] bad = [0 ( v]

 $\overline{w} \left( \begin{array}{c} 0 & 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} \right) = \overline{w} \left( \begin{array}{c} 0 \\ \overline{w} \end{array} 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