

Announcements

- A4 due Tues
- A5 out Tues, due the following Tues

Recap Word alignment w/ IBM Model 1

$\bar{s} = \text{Je fais un bureau NULL } (s_1, \dots, s_m, \text{NULL})$
 $\bar{a} = 1 \quad \swarrow \quad \searrow \quad \searrow \quad \quad [1, 2, 2, 3, 4]$
 $\bar{t} = \text{I am making a desk } (t_1, \dots, t_n)$

$$P(\bar{t}, \bar{a} | \bar{s}) = \prod_{i=1}^n P(a_i) P(t_i | s_{a_i})$$

constant $\frac{1}{m+1}$ parameters $P(t|s)$ matrix
 $|V_s| \times |V_t|$ "emissions"

Inference:

$$P(a_i | \bar{s}, \bar{t}) \propto P(t_i | s_{a_i})$$

Learning: ~~$\max \sum_{j=1}^D \log P(\bar{t}^{(j)}, \bar{a}^{(j)} | \bar{s}^{(j)})$~~ no $\bar{a}$ labeled

Instead: $\max \sum_{j=1}^D \log \underbrace{\sum_{\bar{a}} P(\bar{t}^{(j)}, \bar{a} | \bar{s}^{(j)})}_{P(\bar{t}^{(j)} | \bar{s}^{(j)})}$

Expectation Maximization: repeat E+M:

E-step: compute posteriors $P(a_i | \bar{s}^{(j)}, \bar{t}^{(j)})$
on each train ex

"labeling the data"

M-step: count + normalize using posteriors
as labels (soft labels)

Je NULL
I

Je fais NULL
I do

I-Je $\geq 50\%$ prob $\Rightarrow$ will lead to high prob
of $P(I|Je)$ after M-step

Today: ① HMM alignment

② Phrase extraction

③ Phrase-based decoding

④ Syntactic MT

⑤ seq2seq models / NMT (next time)

HMM Alignment (Vogel 1996)

Same as

Model 1, except: $P(\bar{a}) = \prod_{i=1}^n \frac{1}{m+1}$
 $P(a_i)$

HMM:

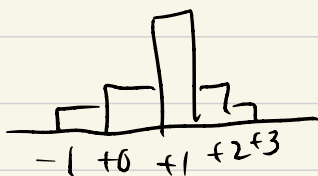
$$P(\bar{a}) = \prod_{i=1}^n P(a_i | a_{i-1})$$

Categorical ($a_i - a_{i-1}$)

$a_i = 1 \dots 20$

NN $\rightarrow$ VBZ

14 $\rightarrow$ 15 ???



Phrase Extraction ① Run alignment model
in both directions
(Fr $\rightarrow$ En, En $\rightarrow$ Fr)

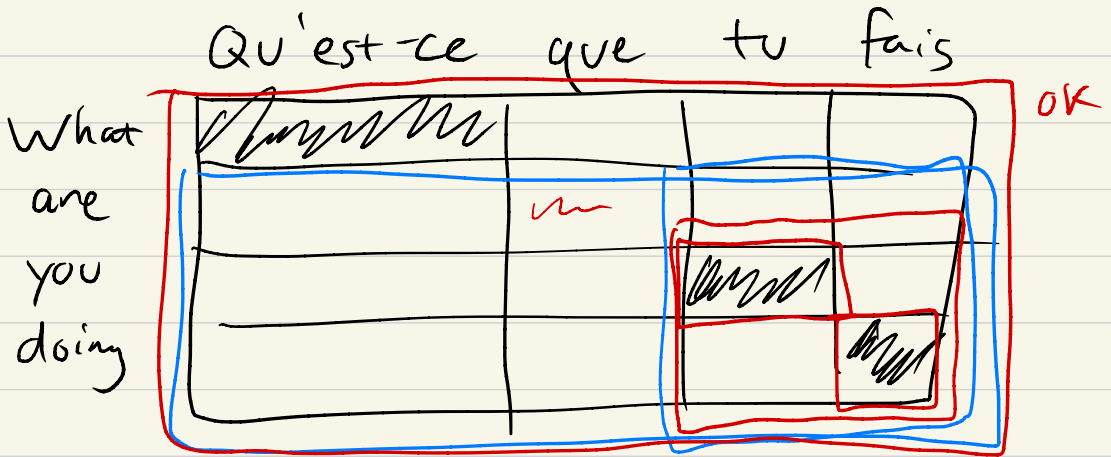
② Intersect them

③ Find aligned phrases by drawing "boxes"

④ Count phrases, build phrase table

Qu'est-ce que tu fais NULL
What are you doing

What are you doing
Qu'est-ce que tu fais



tu - you
fais - doing
tu fais = you doing

not a phrase

Requirements

- "Corners" of rectangle are aligned
- Words in phrase cannot align outside rectangle

Phrase-based decoding

One thing we could do :

$$\max_{\bar{T}} \sum_{\bar{a}} P(\bar{a}, \bar{T} | \bar{S}) \quad \text{using Model 1/} \\ \text{HMM}$$

Word level translation doesn't work well

New modeling paradigm

Noisy channel (Shannon / Weaver 50s)

I see source $\bar{S}$

Model is that there's an underlying
'signal' $\bar{T}$, $\bar{S}$ is emitted from $\bar{T}$

$$\underbrace{P(\bar{T} | \bar{S})}_{\text{likely } \bar{T}} \propto \underbrace{P(\bar{S} | \bar{T})}_{\text{emission of } \bar{S}} \underbrace{P(\bar{T})}_{\text{prior over } \bar{T}} \leftarrow \text{prior over } \bar{T}$$

View translation in "reverse" direction

TM is based on phrases