

CS378 Spring 2020 Midterm Review

1 PCFGS/CKY

Here's a PCFG with start symbol VP, nonterminals {VP, PP, P, V, NNS}, and terminals {sells, to, books, meetings}.

$VP \rightarrow V\ NNS\ PP$ [0.5]

$VP \rightarrow V\ NNS$ [0.5]

$PP \rightarrow P\ NNS$ [1.0]

$V \rightarrow \text{sells}$ [0.5]

$V \rightarrow \text{books}$ [0.5]

$P \rightarrow \text{to}$ [1.0]

$NNS \rightarrow \text{books}$ [0.5]

$NNS \rightarrow \text{meetings}$ [0.5]

1. Apply lossless binarization to this grammar to obtain a binary grammar.

2. Fill in the CKY chart for *sells books*. Use log base 2.

3. Fill in the CKY chart for *books meetings*. Use log base 2.

4. Fill in the CKY chart for *sells books to books*. Use log base 2.

2 Skip-gram

The skip-gram model is defined by

$$P(\text{context} = y | \text{word} = x) = \frac{\exp(\mathbf{v}_x \cdot \mathbf{c}_y)}{\sum_{y'} \exp(\mathbf{v}_x \cdot \mathbf{c}_{y'})}$$

where x is the “main word”, y is the “context word” being predicted, and \mathbf{v} , \mathbf{c} are d -dimensional vectors corresponding to words and contexts, respectively. Note that each word has independent vectors for each of these, so each word really has two embeddings.

The skip-gram model considers the neighbors of a word to be words within a k -word window on either side (i.e., $k = 1$ gives the two immediately adjacent words). The skip-gram objective, log likelihood of this training data, is $\sum_{(x,y)} \log P(y|x)$, where the sum is over all training examples.

1. What happens to the number of training examples if $k = 5$?

2. How does the runtime change with larger k ?

3. Think about the context of the word *balloons* in the following sentences:

he blew up balloons for the birthday party

I popped balloons using a pin because I didn't like seeing the bright colors

In these contexts (and more generally), what do you think will change about what the skip-gram model learns for *balloons* as you change $k = 1$ to $k = 3$? What about $k = 10$?