CS388: Natural Language Processing

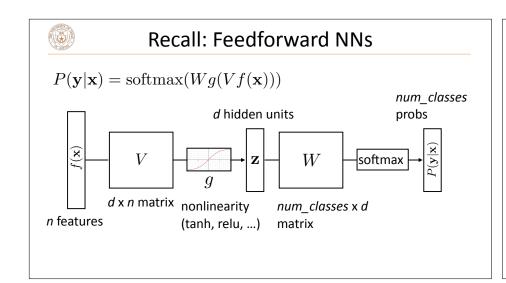
Lecture 7: Word Embeddings

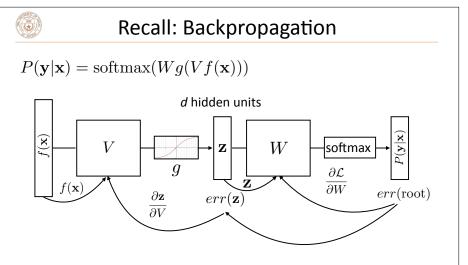




Administrivia

- ▶ Mini 1 grades out soon
- ▶ Project 1 due Thursday







This Lecture

- ▶ Implementing NNs
- ▶ Training tips
- Word representations
- word2vec/GloVe
- Evaluating word embeddings

Implementing NNs

(see ffnn example.py on the course website)



Computation Graphs

- ▶ Computing gradients is hard! Computation graph abstraction allows us to define a computation symbolically and will do this for us
- ▶ Automatic differentiation: keep track of derivatives / be able to backpropagate through each function:

$$y = x * x \longrightarrow (y,dy) = (x * x, 2 * x * dx)$$

▶ Use a library like Pytorch or Tensorflow. This class: Pytorch



Computation Graphs in Pytorch

```
Define forward pass for P(\mathbf{y}|\mathbf{x}) = \operatorname{softmax}(Wg(Vf(\mathbf{x}))) class FFNN(nn.Module): def __init__(self, inp, hid, out): super(FFNN, self).__init__() self.V = nn.Linear(inp, hid) self.g = nn.Tanh() self.W = nn.Linear(hid, out) self.softmax = nn.Softmax(dim=0) def forward(self, x): return self.softmax(self.W(self.g(self.V(x))))
```



Computation Graphs in Pytorch

```
P(\mathbf{y}|\mathbf{x}) = \operatorname{softmax}(Wg(Vf(\mathbf{x}))) \quad \text{ei*: one-hot vector} \\ \text{of the label} \\ \text{(e.g., [0, 1, 0])} \\ \text{ffnn = FFNN()} \\ \text{def make\_update(input, gold\_label):} \\ \text{ffnn.zero\_grad() # clear gradient variables} \\ \text{probs = ffnn.forward(input)} \\ \text{loss = torch.neg(torch.log(probs)).dot(gold\_label)} \\ \text{loss.backward()} \\ \text{optimizer.step()} \\
```



Training a Model

Define a computation graph

For each epoch:

For each batch of data:

Compute loss on batch

Autograd to compute gradients

Take step with optimizer

Decode test set

Training Tips



Batching

- ▶ Batching data gives speedups due to more efficient matrix operations
- ▶ Need to make the computation graph process a batch at the same time

```
# input is [batch_size, num_feats]
# gold_label is [batch_size, num_classes]
def make_update(input, gold_label)
    ...
    probs = ffnn.forward(input) # [batch_size, num_classes]
    loss = torch.sum(torch.neg(torch.log(probs)).dot(gold_label))
    ...
```

▶ Batch sizes from 1-100 often work well



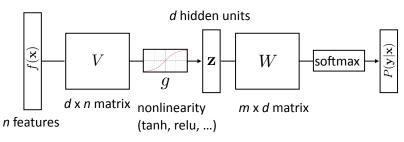
Training Basics

- ▶ Basic formula: compute gradients on batch, use first-order optimization method (SGD, Adagrad, etc.)
- ▶ How to initialize? How to regularize? What optimizer to use?
- ▶ This lecture: some practical tricks. Take deep learning or optimization courses to understand this further



How does initialization affect learning?

$$P(\mathbf{y}|\mathbf{x}) = \text{softmax}(Wg(Vf(\mathbf{x})))$$

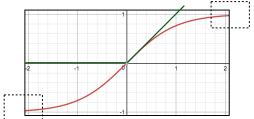


- ▶ How do we initialize V and W? What consequences does this have?
- Nonconvex problem, so initialization matters!



How does initialization affect learning?

▶ Nonlinear model...how does this affect things?



- ▶ If cell activations are too large in absolute value, gradients are small
- ▶ ReLU: larger dynamic range (all positive numbers), but can produce big values, can break down if everything is too negative



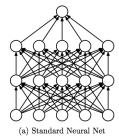
Initialization

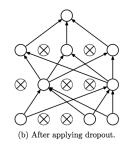
- 1) Can't use zeroes for parameters to produce hidden layers: all values in that hidden layer are always 0 and have gradients of 0, never change
- 2) Initialize too large and cells are saturated
- ▶ Can do random uniform / normal initialization with appropriate scale
- Glorot initializer: $U\left[-\sqrt{\frac{6}{\text{fan-in}+\text{fan-out}}},+\sqrt{\frac{6}{\text{fan-in}+\text{fan-out}}}\right]$
 - ▶ Want variance of inputs and gradients for each layer to be the same
- Batch normalization (loffe and Szegedy, 2015): periodically shift+rescale each layer to have mean 0 and variance 1 over a batch (useful if net is deep)



Dropout

- ▶ Probabilistically zero out parts of the network during training to prevent overfitting, use whole network at test time
- Form of stochastic regularization
- Similar to benefits of ensembling: network needs to be robust to missing signals, so it has redundancy



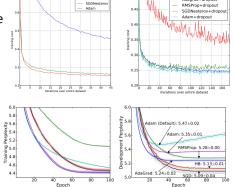


▶ One line in Pytorch/Tensorflow

Srivastava et al. (2014)

Optimizer

- Adam (Kingma and Ba, ICLR 2015):
 very widely used. Adaptive step size
 + momentum
- Wilson et al. NIPS 2017: adaptive methods can actually perform badly at test time (Adam is in pink, SGD in black)
- One more trick: gradient clipping (set a max value for your gradients)



Word Representations



Word Representations

- ▶ Neural networks work very well at continuous data, but words are discrete
- ▶ Continuous model <-> expects continuous semantics from input
- "You shall know a word by the company it keeps" Firth (1957)

the president said that the downturn was over +



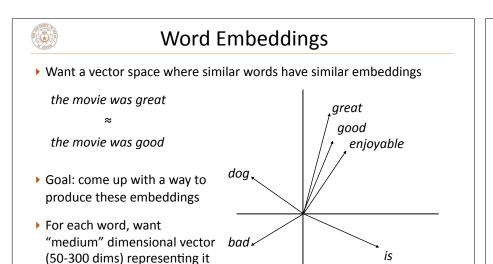




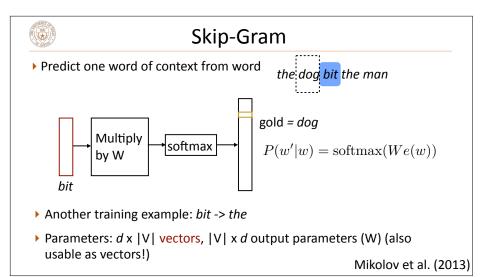
(e) Generative Parsing (Training Set)

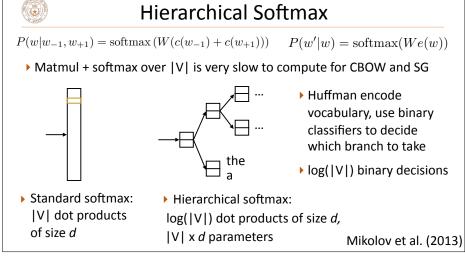
[Finch and Chater 92, Shuetze 93, many others]

slide credit: Dan Klein



word2vec/GloVe





Hierarchical Softmax



Skip-Gram with Negative Sampling

▶ Take (word, context) pairs and classify them as "real" or not. Create random negative examples by sampling from unigram distribution

(bit, the) => +1
$$(bit, cat) => -1 \qquad P(y=1|w,c) = \frac{e^{w\cdot c}}{e^{w\cdot c}+1} \qquad \text{words in similar contexts select for similar c vectors}$$

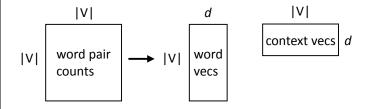
- ▶ d x |V| vectors, d x |V| context vectors (same # of params as before)
- \blacktriangleright Objective = $\log P(y=1|w,c) + \frac{1}{k} \sum_{i=1}^n \log P(y=0|w_i,c)$ sampled

Mikolov et al. (2013)



Connections with Matrix Factorization

 Skip-gram model looks at word-word co-occurrences and produces two types of vectors

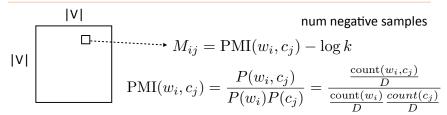


▶ Looks almost like a matrix factorization...

Levy et al. (2014)



Skip-Gram as Matrix Factorization



Skip-gram objective exactly corresponds to factoring this matrix:

- lacktriangleright If we sample negative examples from the unigram distribution over words
- ...and it's a weighted factorization problem (weighted by word freq)

Levy et al. (2014)



GloVe (Global Vectors)

 Also operates on counts matrix, weighted regression on the log co-occurrence matrix

- ▶ Objective = $\sum_{i,j} f(\text{count}(w_i, c_j)) \left(w_i^\top c_j + a_i + b_j \log \text{count}(w_i, c_j) \right) \right)^2$
- Constant in the dataset size (just need counts), quadratic in voc size
- ▶ By far the most common word vectors used today (5000+ citations)

Pennington et al. (2014)



fastText: Sub-word Embeddings

Same as SGNS, but break words down into n-grams with n = 3 to 6

where:

3-grams: <wh, whe, her, ere, re>

4-grams: <whe, wher, here, ere>,

5-grams: <wher, where, here>,

6-grams: <where, where>

Replace $w \cdot c$ in skip-gram computation with $\left(\sum_{g \in \operatorname{ngrams}} w_g \cdot c\right)$

Advantages?

Bojanowski et al. (2017)



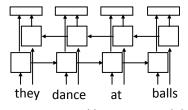
Using Word Embeddings

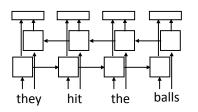
- ▶ Approach 1: learn embeddings as parameters from your data
 - ▶ Often works pretty well
- ▶ Approach 2: initialize using GloVe, keep fixed
 - ▶ Faster because no need to update these parameters
- ▶ Approach 3: initialize using GloVe, fine-tune
 - Works best for some tasks



Preview: Context-dependent Embeddings

▶ How to handle different word senses? One vector for balls





- ▶ Train a neural language model to predict the next word given previous words in the sentence, use its internal representations as word vectors
- ▶ Context-sensitive word embeddings: depend on rest of the sentence
- ▶ Huge improvements across nearly all NLP tasks over GloVe

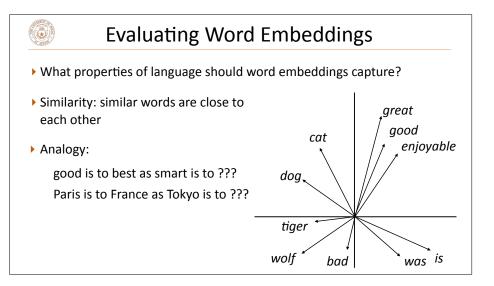
Peters et al. (2018)



Compositional Semantics

- ▶ What if we want embedding representations for whole sentences?
- Skip-thought vectors (Kiros et al., 2015), similar to skip-gram generalized to a sentence level (more later)
- ▶ Is there a way we can compose vectors to make sentence representations? Summing?
- Will return to this in a few weeks as we move on to syntax and semantics

Evaluation



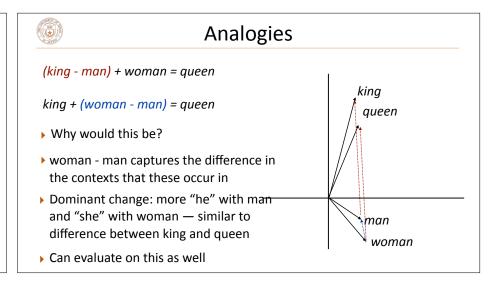


Similarity

Method	WordSim	WordSim	Bruni et al.	Radinsky et al.	Luong et al.	Hill et al.
	Similarity	Relatedness	MEN	M. Turk	Rare Words	SimLex
PPMI	.755	.697	.745	.686	.462	.393
SVD	.793	.691	.778	.666	.514	.432
SGNS	.793	.685	.774	.693	.470	.438
GloVe	.725	.604	.729	.632	.403	.398

- ▶ SVD = singular value decomposition on PMI matrix
- ▶ GloVe does not appear to be the best when experiments are carefully controlled, but it depends on hyperparameters + these distinctions don't matter in practice

Levy et al. (2015)





What can go wrong with word embeddings?

- ▶ What's wrong with learning a word's "meaning" from its usage?
- ▶ What data are we learning from?
- What are we going to learn from this data?



What do we mean by bias?

10. magician

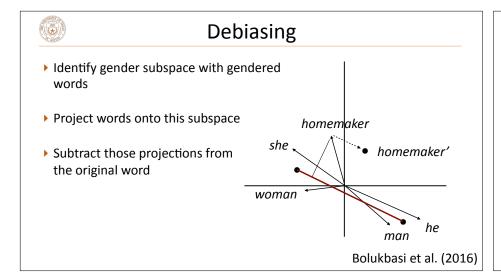
 Identify she - he axis in word vector space, project words onto this axis

Nearest neighbor of (b a + c) 4. librarian 5. socialite 6. hairdresser 7. nanny 8. bookkeeper 9. stylist 10. housekeeper 11. interior designer 12. guidance counselor Extreme he occupations 1. maestro skipper 3. protege 4. philosopher 6. architect 5. captain 7. financier 9. broadcaster 8. warrior

11. figher pilot

Bolukbasi et al. (2016)

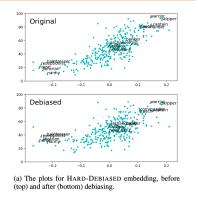
Manzini et al. (2019)





Hardness of Debiasing

- Not that effective...and the male and female words are still clustered together
- Bias pervades the word embedding space and isn't just a local property of a few words



Gonen and Goldberg (2019)



Takeaways

- ▶ Lots to tune with neural networks
 - ▶ Training: optimizer, initializer, regularization (dropout), ...
 - ▶ Hyperparameters: dimensionality of word embeddings, layers, ...
- ▶ Word vectors: learning word -> context mappings has given way to matrix factorization approaches (constant in dataset size)
- ▶ Lots of pretrained embeddings work well in practice, they capture some desirable properties
- ▶ Even better: context-sensitive word embeddings (ELMo)
- Next time: RNNs and CNNs