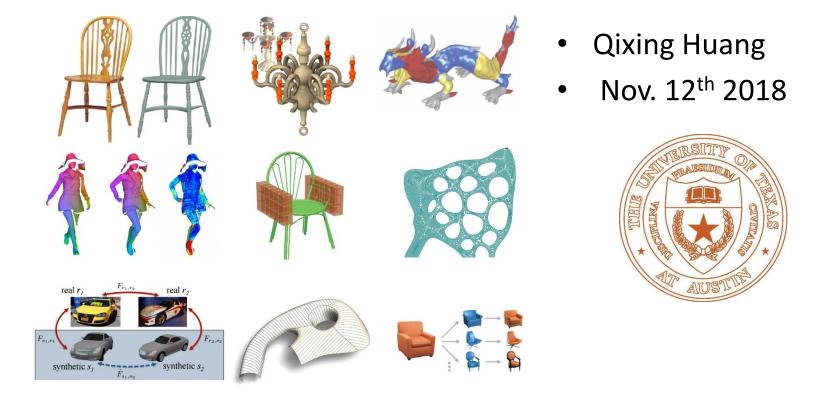
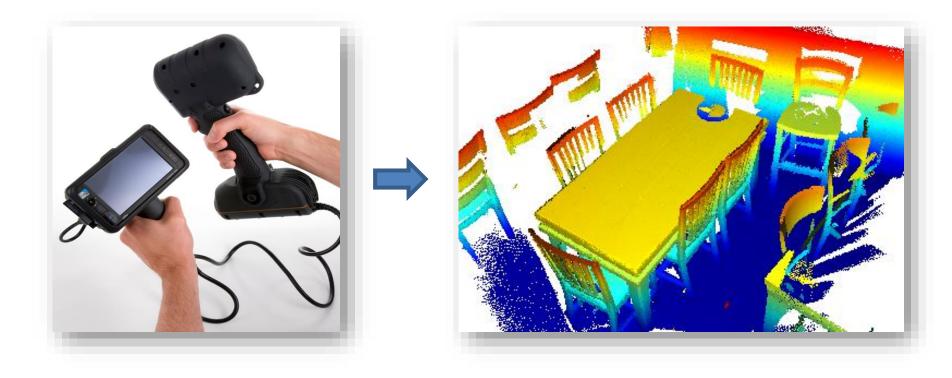
#### **Data-Driven RGBD Reconstruction**



#### **Geometry Reconstruction**



# A Standard Approach

• Scanning

• Registration

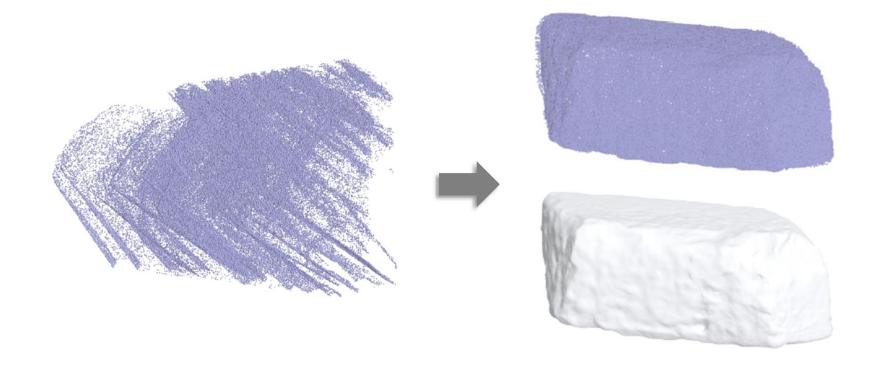
• Reconstruction

#### A standard pipeline

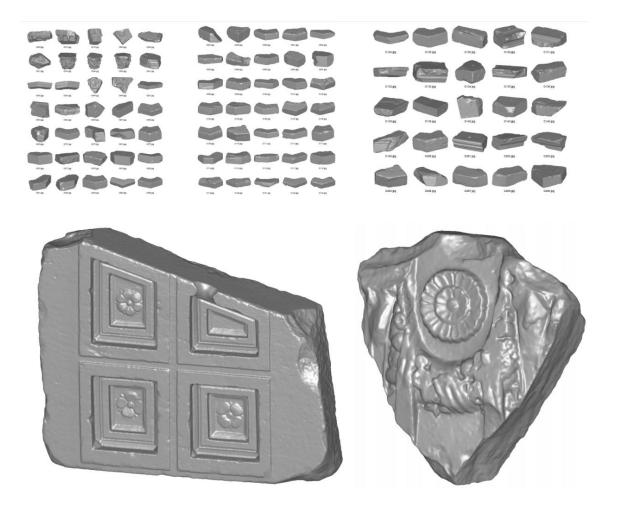




#### A standard pipeline



#### A standard pipeline



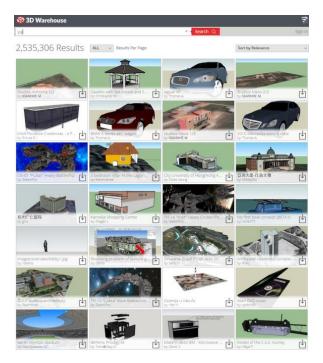
#### Limitation I – complete observation



### Data-Driven Geometry Reconstruction

# The Big Bang in internet 3D models

yobi3D shark



Q

Popular shark, sheep, bird, church, he

3D Warehouse

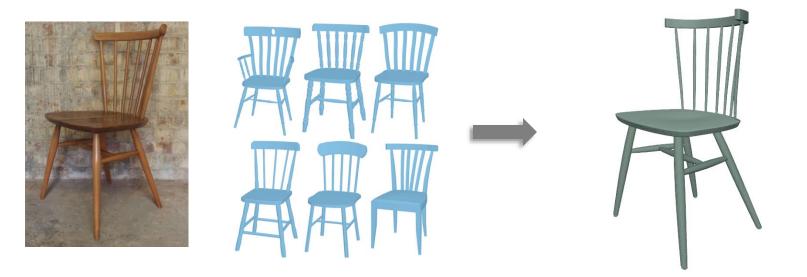
Yobi3D

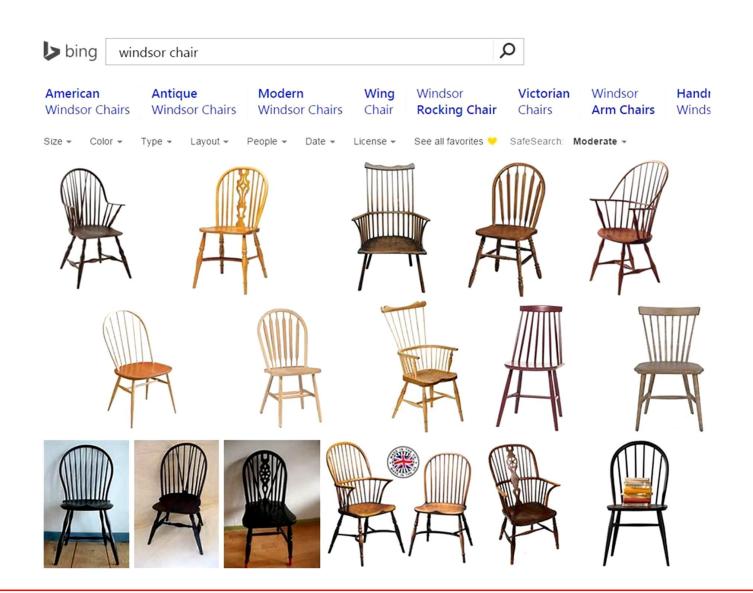
#### 3M models in more than 4K categories

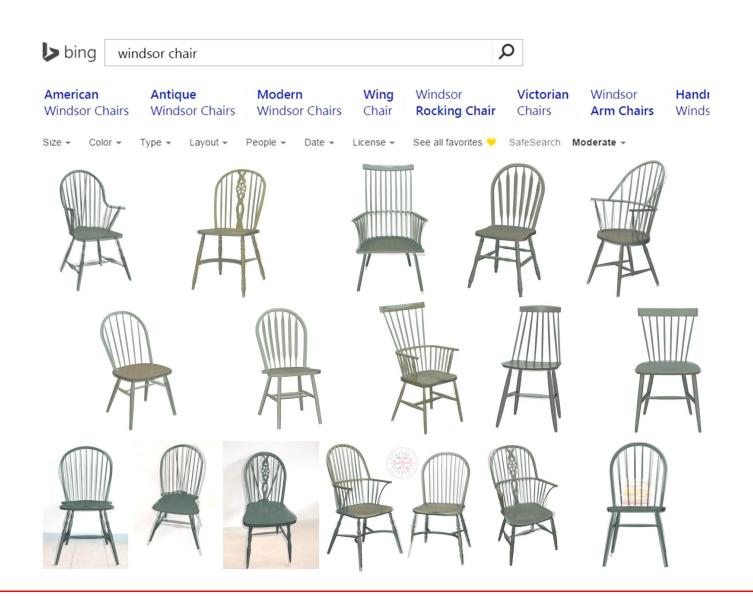
#### Image-based shape retrieval



#### Single-view image based shape modeling

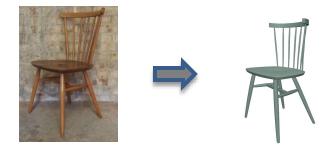






# The benefit of data-driven geometry processing

• Partial observation

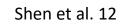


Structural information



Classification





Nearest Neighbor





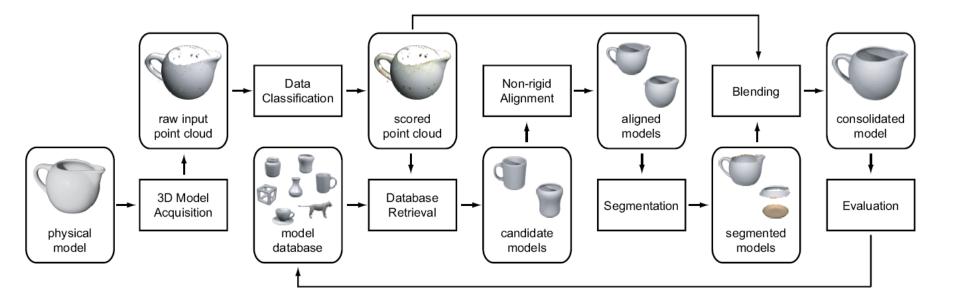




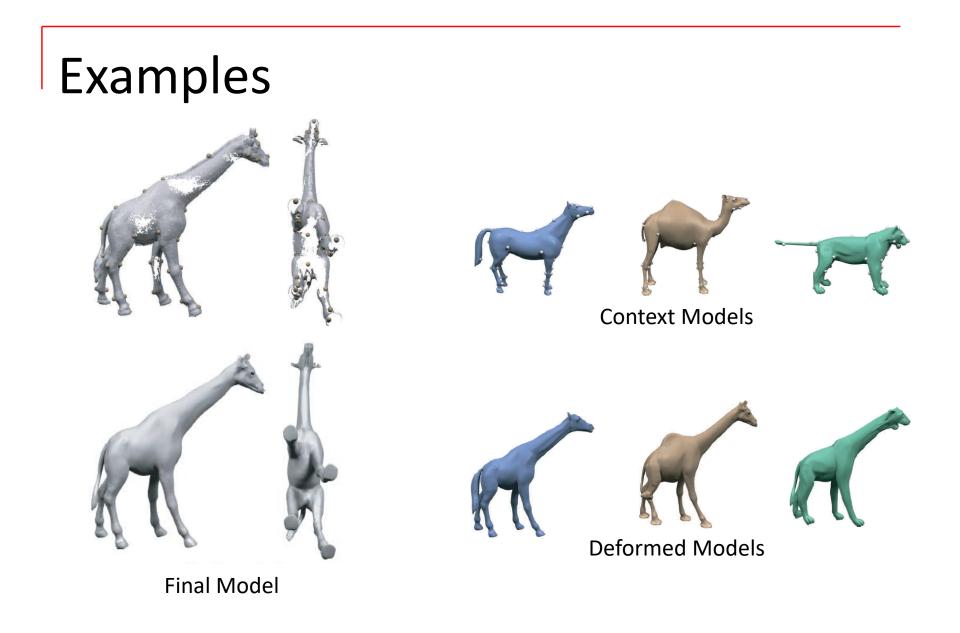
**Parametric Methods** 

#### **Nearest Neighbor**

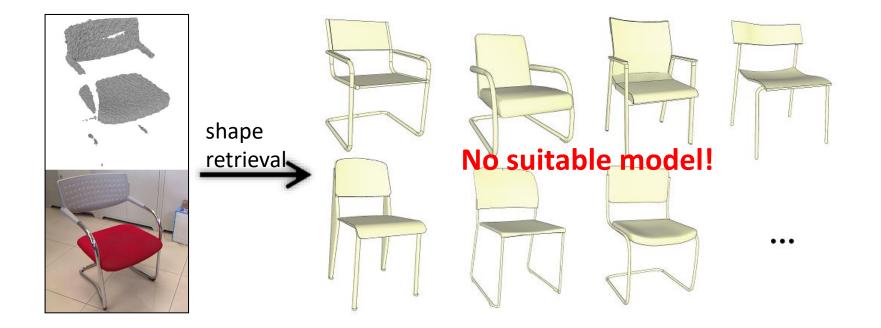
# **Example-Based Scan Completion**



Example-Based 3D Scan Completion, SGP'05

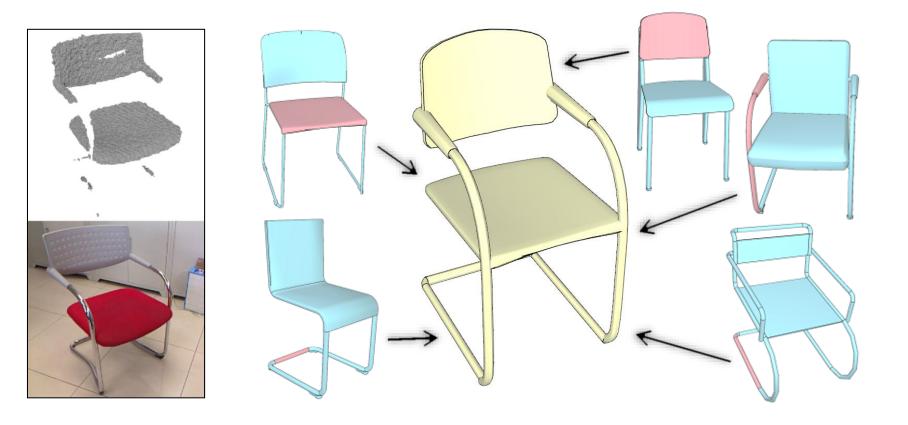


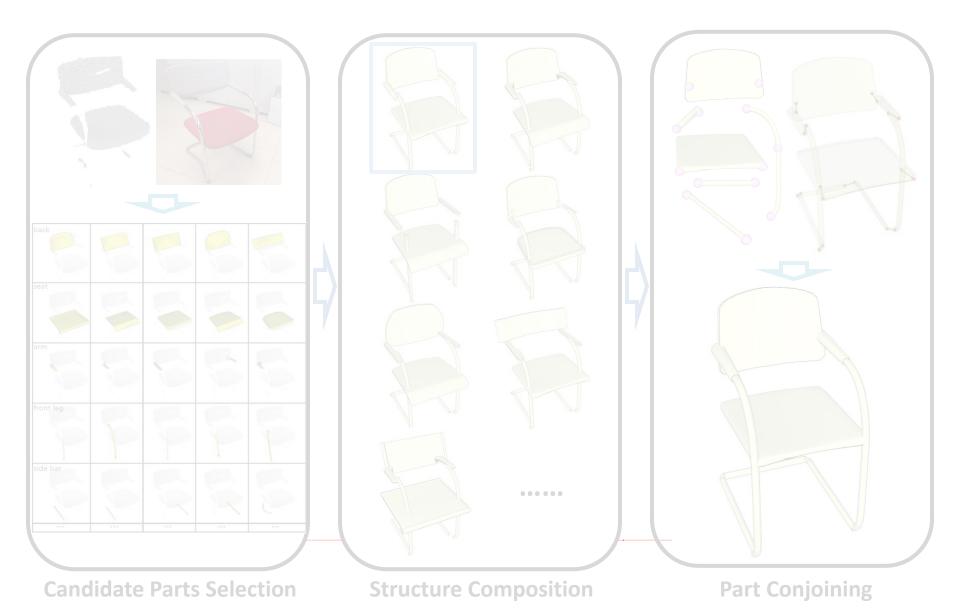
# Part-based Shape Reconstruction [TOG'12]

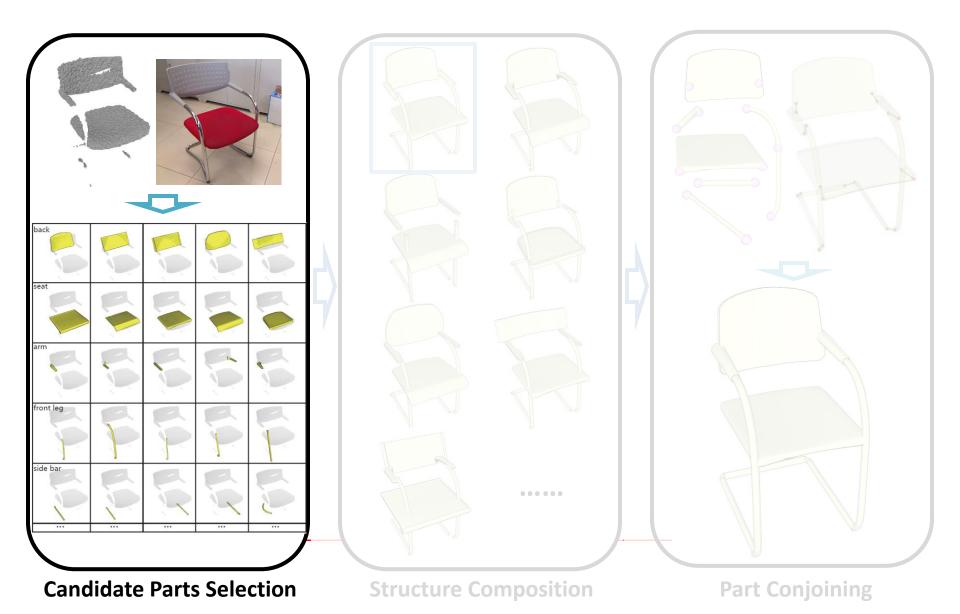


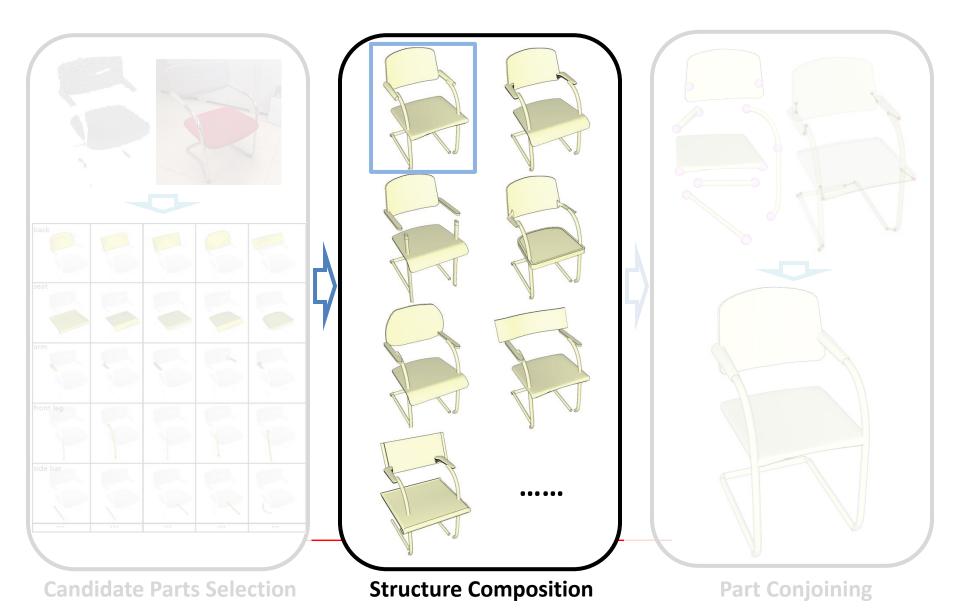
Structure Recovery by Part Assembly TOG'12

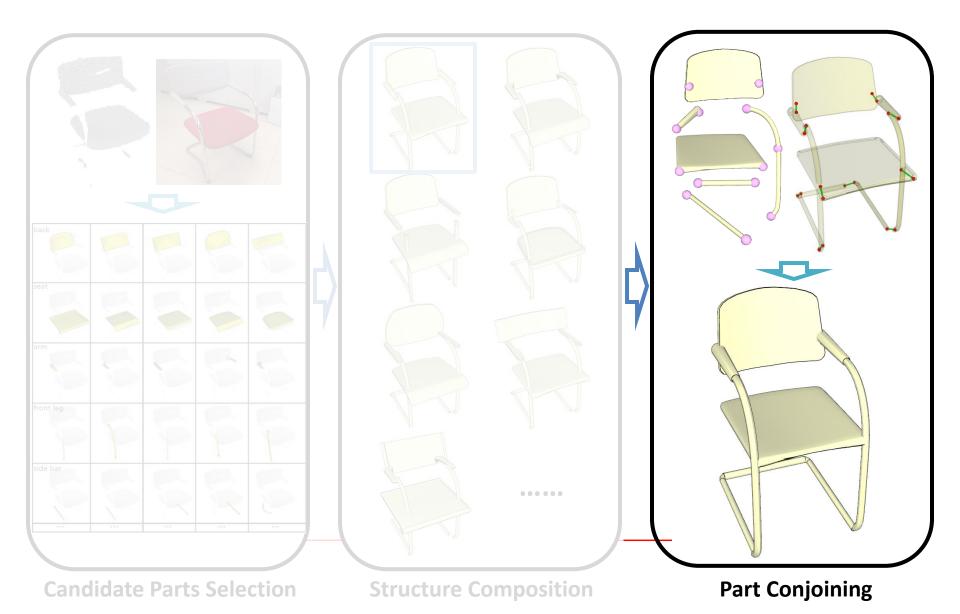
#### Recover the structure by part assembly





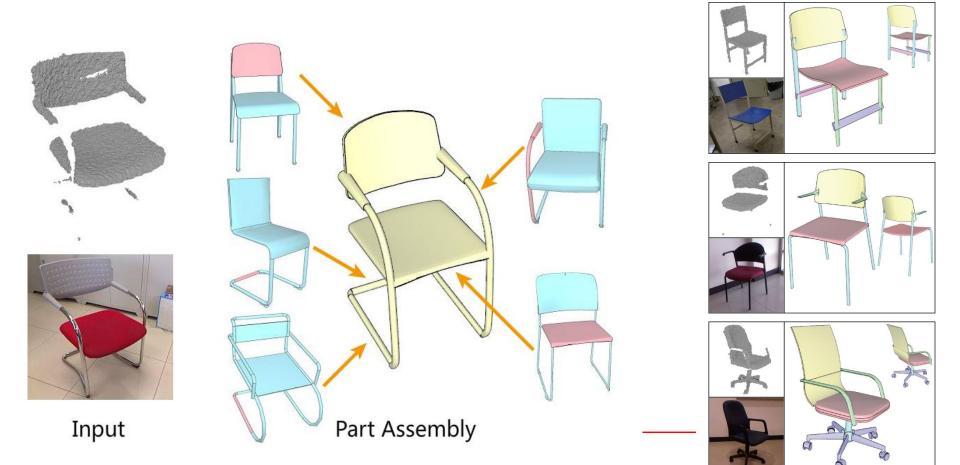






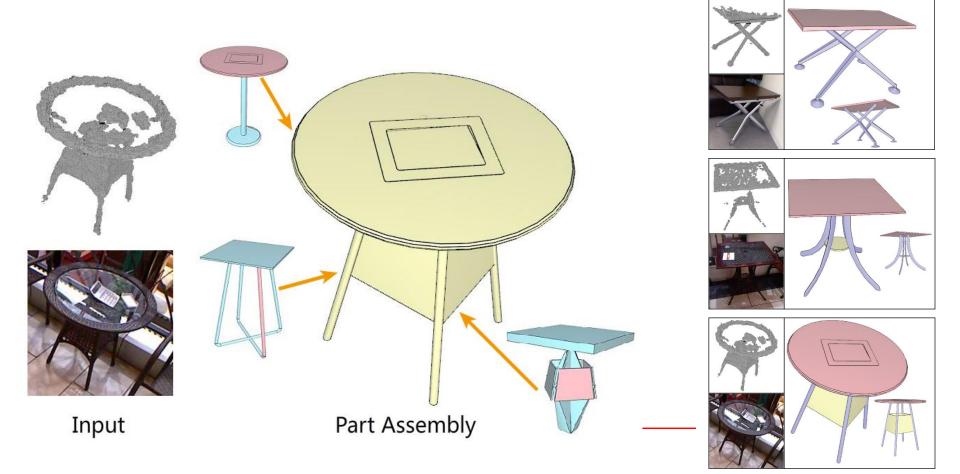
### **Results: Chairs**

• 70 repository models, 11 part categories



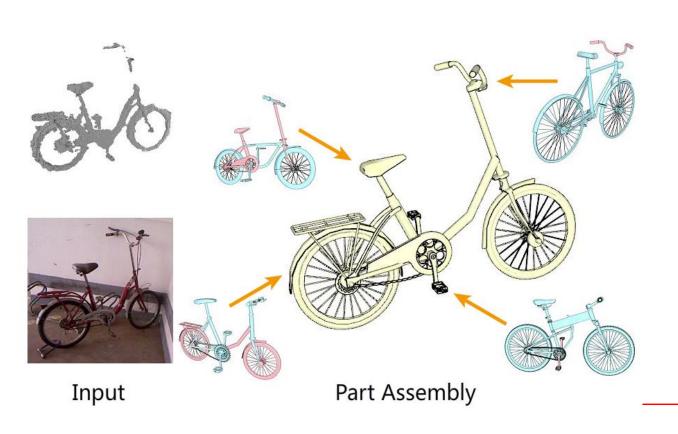
### **Results: Tables**

• 61 repository models, 4 part categories



# **Results: Bicycles**

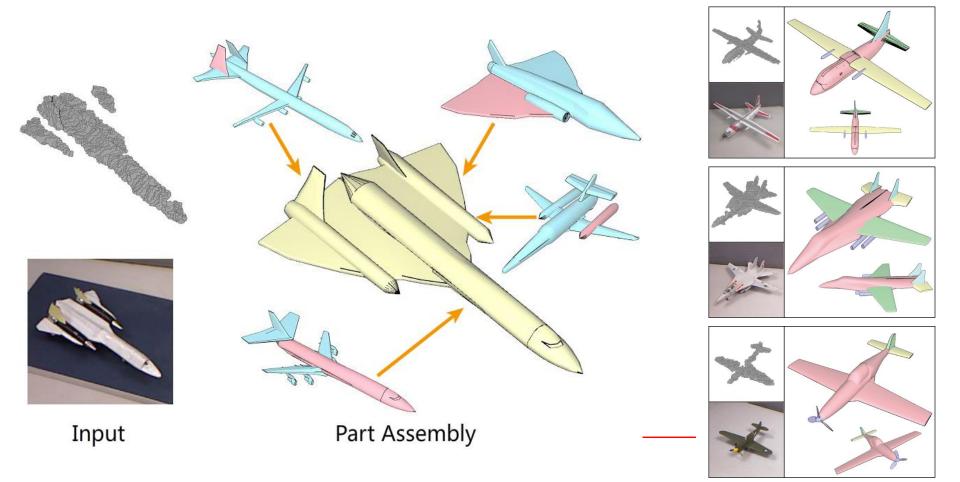
• 38 repository models, 9 part categories





# **Results: Airplanes**

• 70 repository models, 6 part categories



### Discussion

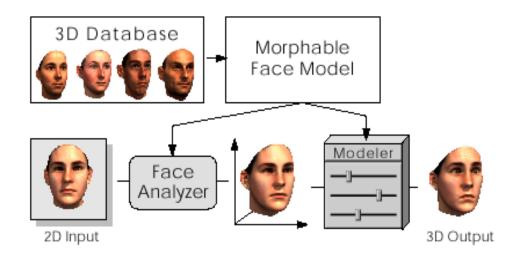
- Hard to make it fully automatic --- many parameters to tune
- More data -> better algorithm

• Easy to add user interaction

#### Parametric Methods

# A Morphable model for the synthesis of 3D faces

• Start with a catalogue of 200 3D Cyberware scans



Build a model of *average* shape and texture, and principal *variations*

#### Morphable 3D face model

$$\mathbf{S}_{mod} = \sum_{i=1}^{m} a_i \mathbf{S}_i, \quad \mathbf{T}_{mod} = \sum_{i=1}^{m} b_i \mathbf{T}_i, \quad \sum_{i=1}^{m} a_i = \sum_{i=1}^{m} b_i = 1.$$
$$\vec{a} = (a_1, a_2 ... a_m)^T \qquad \vec{b} = (b_1, b_2 ... b_m)^T$$

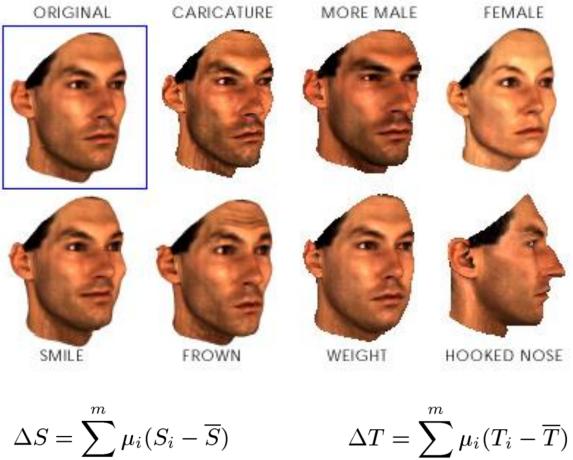
$$S_{model} = \overline{S} + \sum_{i=1}^{m-1} \alpha_i s_i , \ T_{model} = \overline{T} + \sum_{i=1}^{m-1} \beta_i t_i , \quad (1)$$

The probability for coefficients 
$$\vec{\alpha}$$
 is given by  

$$p(\vec{\alpha}) \sim exp[-\frac{1}{2}\sum_{i=1}^{m-1} (\alpha_i/\sigma_i)^2], \qquad (2)$$

# Adding attributes

i=1

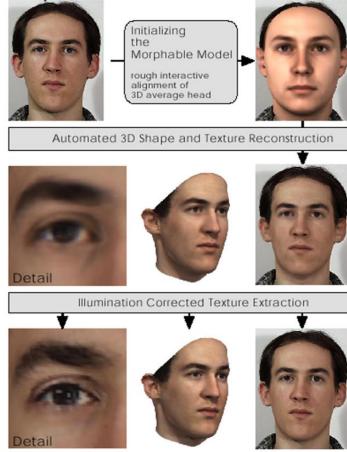


$$G_i - \overline{S})$$

i=1

# Reconstruction from single image

2D Input



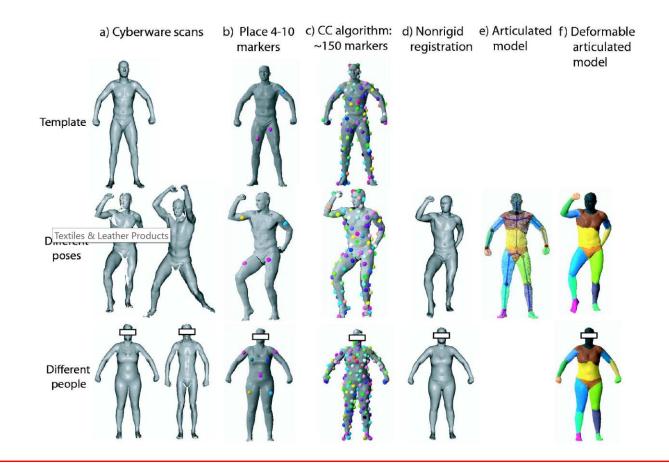
#### Phong illumination model

$$E_I = \sum_{x,y} \|\mathbf{I}_{input}(x,y) - \mathbf{I}_{model}(x,y)\|^2$$

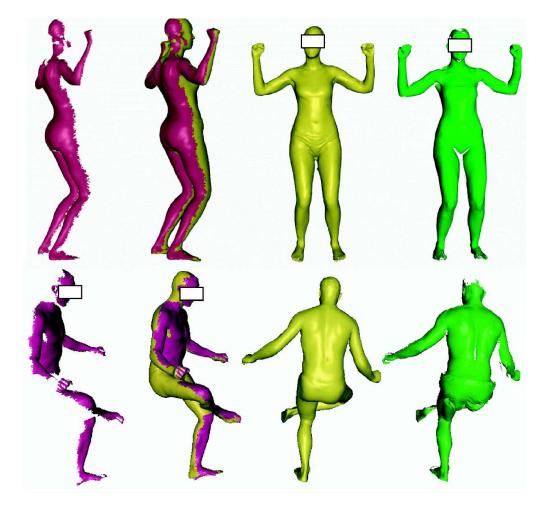
$$E = \frac{1}{\sigma_N^2} E_I + \sum_{j=1}^{m-1} \frac{\alpha_j^2}{\sigma_{S,j}^2} + \sum_{j=1}^{m-1} \frac{\beta_j^2}{\sigma_{T,j}^2} + \sum_j \frac{(\rho_j - \bar{\rho}_j)^2}{\sigma_{\rho,j}^2}$$

# SCAPE: Shape completion and animation of people --- joint pose and shape model

[Anguelov et al 05]



SCAPE: Shape completion and animation of people --- joint pose and shape model



## **Data-Driven Shape Modeling**

#### Modeling By Example [Funkhouser et al. 04]





Figure 6: Results of shape similarity queries where the query provided to the system is (top) the chair with the legs selected, and (bottom) the chair with the arms selected.

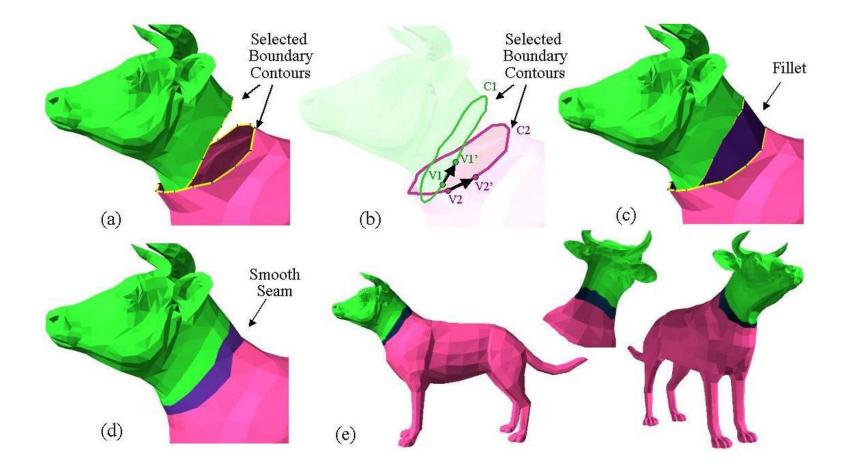
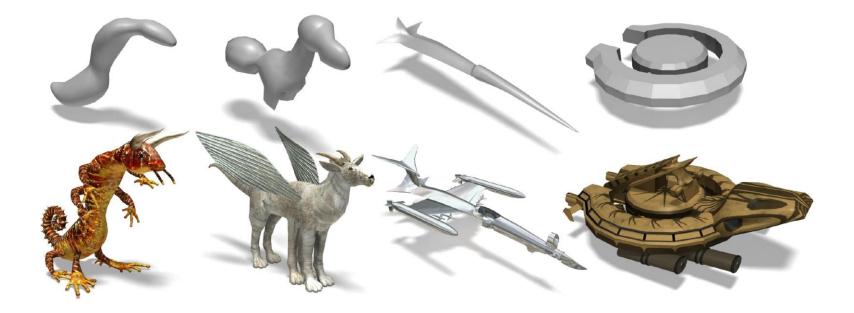


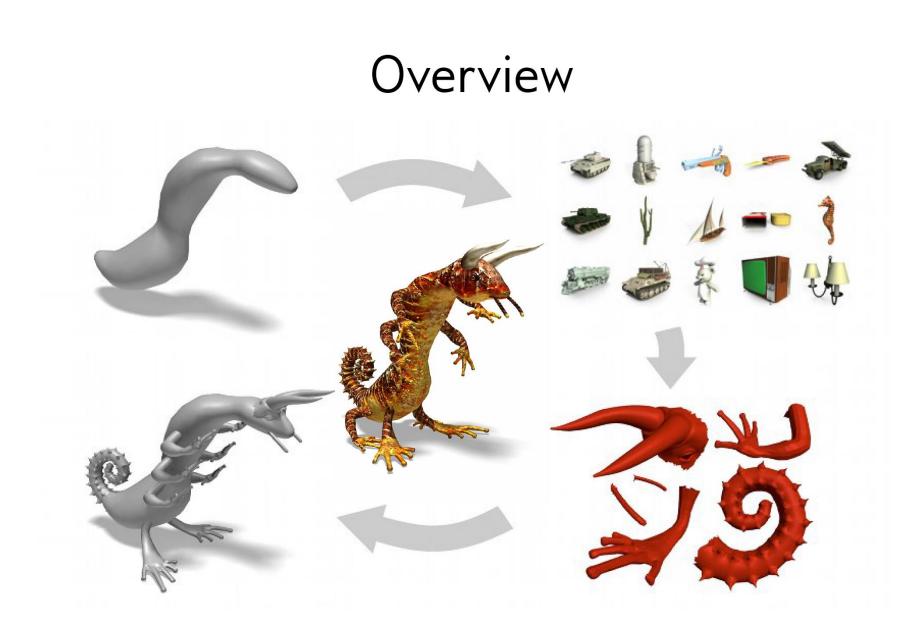
Figure 8: Attaching the head of a cow to the body of a dog: (a) a boundary contour is selected on each part (C1 and C2); (b) the pair of closest points (V1 and V2) is found and the local direction near those points is used to determine the relative orientation of the contours; (c) a fillet is constructed attaching the contours; (d) the mesh is smoothed in the region nearby the seams of the fillet. (e) the result is a smooth, watertight seam.

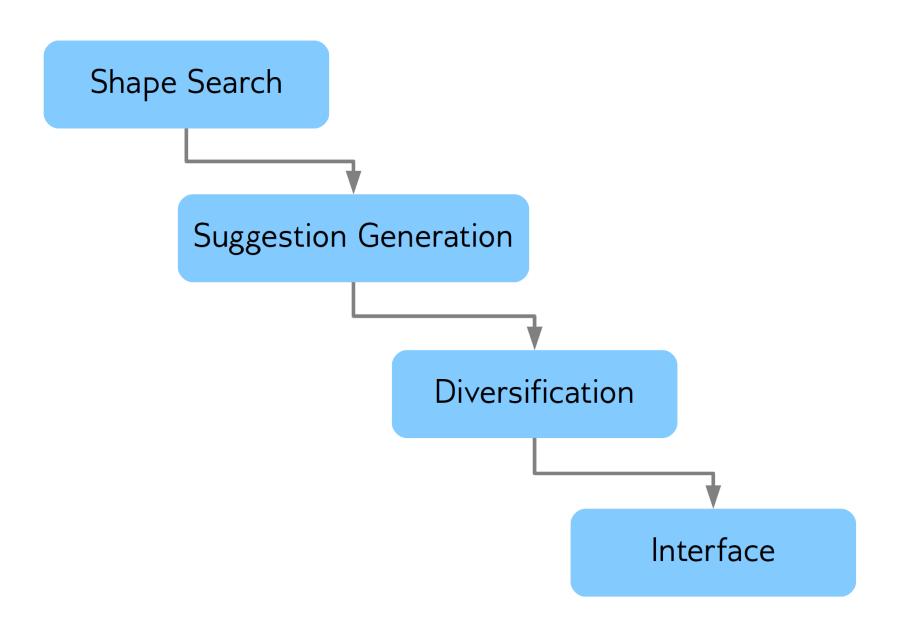
Data-Driven Suggestions for Creativity Support in 3D Modeling [Chaudhuri and Koltun' 11]

# Basic idea

• Automatically suggest ways in which the user can extend a basic shape, to stimulate creative exploration

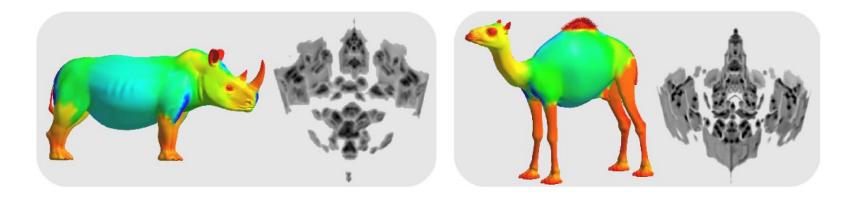




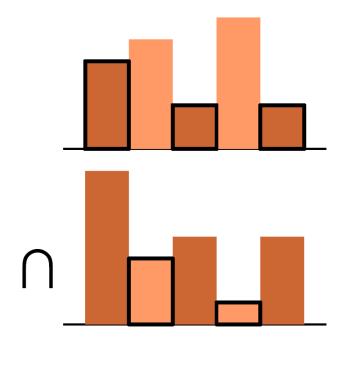


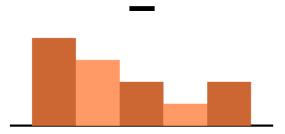
# $D^3$ histogram

- Bin pairs of sample points on the shape
- Bins indexed by the distance between a pair of points, and the shape diameter (local thickness) of each point
- Comparison by histogram intersection and pyramid matching, for partial and approximate matches

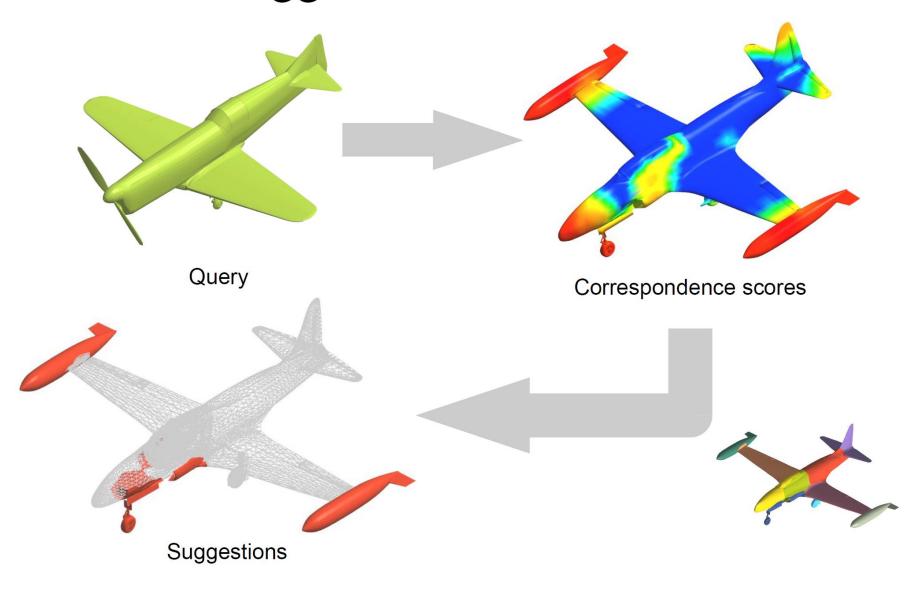


## Histogram Intersection





## Suggestion Generation



## Segmentation

- Prior segmentation of database models based on shape diameter and approximate convexity
- No need for compatible segmentation of query

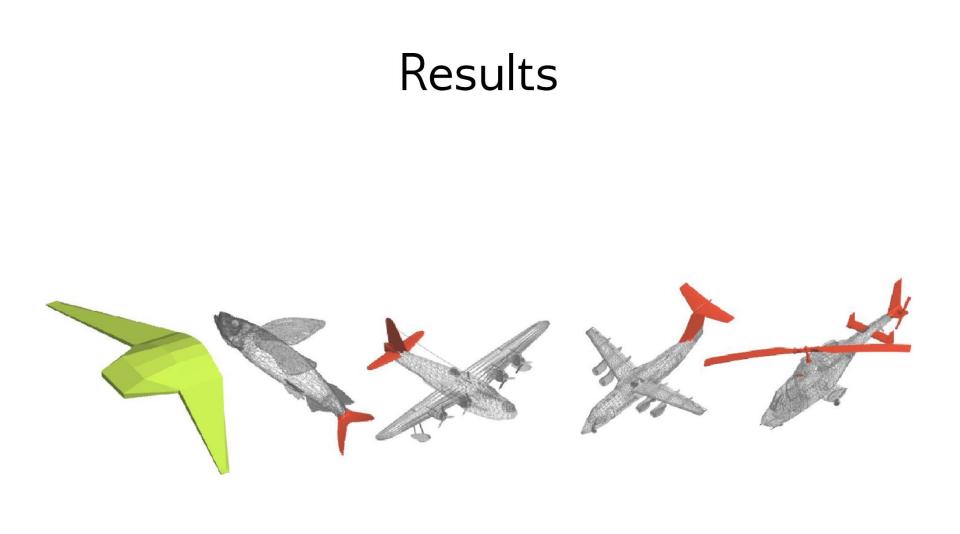


# Diversification

- **Problem:** Large databases contain many nearidentical shapes
  - If one is a good match, so are its twins
  - Most of the top-ranked options look the same
- Maximal Marginal Relevance (MMR) breaks up long runs of similar results in a ranked list [Carbonell and Goldstein '98]

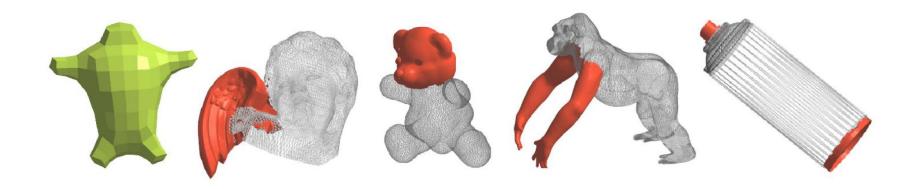
## Results

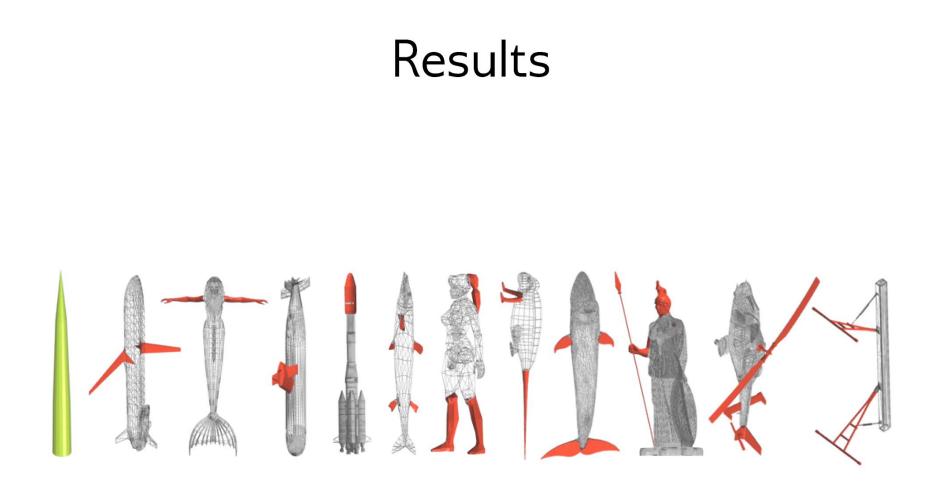




# Results

## Results





# **Results: Creatures**



# **Results: Aircraft**



#### Exploratory Modeling with Collaborative Design Spaces [Talton et al. 09]



91 dimension tree-space [Weber and Penn 95]



130 dimension human-space [Allen et al. 03]

## **Density Estimation from data**

$$\hat{f}(\mathbf{x}) = \frac{1}{N} \sum_{i=1}^{N} K_i(\mathbf{x})$$
$$K_i(\mathbf{x}) = \mathcal{G}(\mathbf{x}; \mathbf{x}_i, \mathbf{\Sigma}_i) = \frac{1}{(2\pi)^{n/2} |\mathbf{\Sigma}_i|^{1/2}} \exp\left[-\frac{1}{2} (\mathbf{x} - \mathbf{x}_i)^T \mathbf{\Sigma}_i^{-1} (\mathbf{x} - \mathbf{x}_i)\right]$$

 $\mathcal{N}$ 

$$\Sigma_{s,t} = \sum_{i=1}^{N} \omega_i \left[ (\mathbf{x}_i)_s - (\mathbf{x})_s \right] \left[ (\mathbf{x}_i)_t - (\mathbf{x})_t \right]$$
$$\omega_i = \frac{\mathcal{G}(\mathbf{x}_i; \mathbf{x}, \alpha \| \mathbf{x} - \mathbf{x}_{d(k)} \|^2 \mathbf{I})}{\sum_{j=1}^{N} \mathcal{G}(\mathbf{x}_j; \mathbf{x}, \alpha \| \mathbf{x} - \mathbf{x}_{d(k)} \|^2 \mathbf{I})}$$

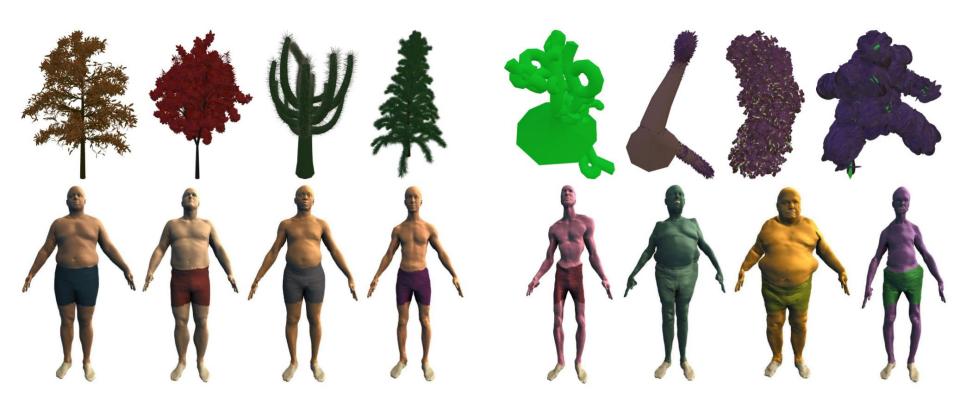
# Sampling

Local sampling

$$rac{1}{arphi} \, \mathcal{G}ig(\mathbf{x};\mathbf{x}_0, \mathbf{\Sigma}_0ig) \cdot \hat{f}(\mathbf{x})$$

**Constrained sampling** 

$$\hat{f}(\mathbf{x}_{1} | \mathbf{x}_{2}) = \frac{1}{N} \sum_{i=1}^{N} K_{i}(\mathbf{x}_{1} | \mathbf{x}_{2}) = \frac{1}{N} \sum_{i=1}^{N} G(\mathbf{x}_{1}; \mathbf{x}_{i_{1}|2}, \mathbf{\Sigma}_{i_{1}|2})$$
$$\mathbf{x}_{i_{1}|2} = \mathbf{x}_{i_{1}} + \mathbf{\Sigma}_{i_{12}} \mathbf{\Sigma}_{i_{22}}^{-1}(\mathbf{x}_{2} - \mathbf{x}_{i_{2}})$$
$$\mathbf{\Sigma}_{i_{1}|2} = \mathbf{\Sigma}_{i_{11}} - \mathbf{\Sigma}_{i_{12}} \mathbf{\Sigma}_{i_{22}}^{-1} \mathbf{\Sigma}_{i_{21}}.$$



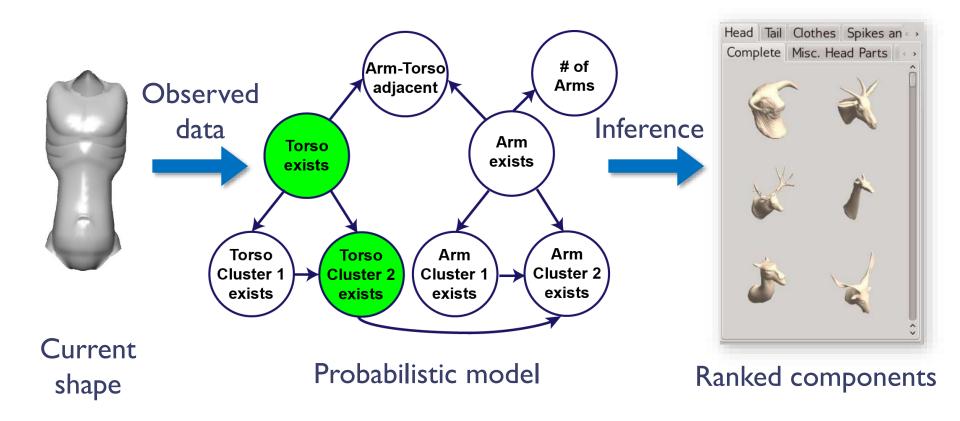
**Figure 5:** (*Left*) *Typical points sampled from the computed density functions of trees (top) and humans (bottom). (Right) Typical points chosen uniformly at random from these parametric spaces.* 

## Exploratory Modeling with Collaborative Design Spaces

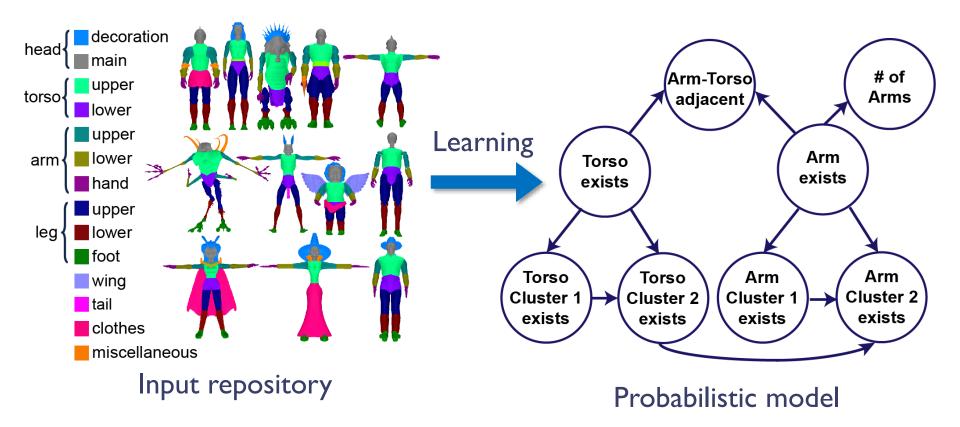
Jerry O. Talton Daniel Gibson Lingfeng Yang Pat Hanrahan Vladlen Koltun

Stanford University

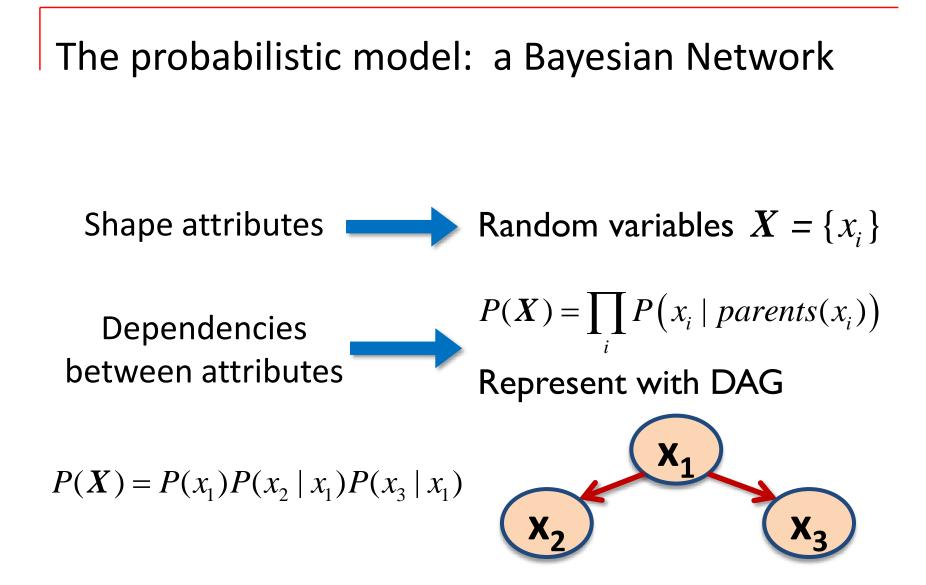
## Probabilistic model for presenting relevant components



### The model is learned from an input shape repository

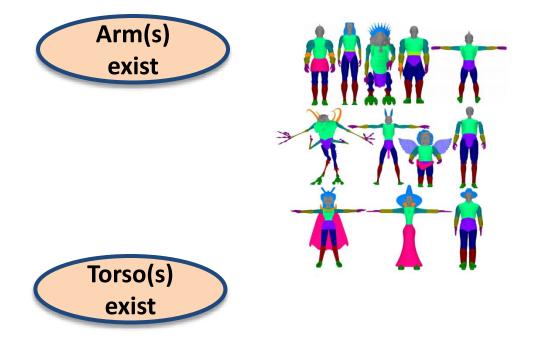


## Formulation



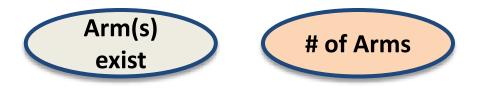
Random variables  $E_l$ 

#### Existence of component from category l



Random variables  $N_l$ 

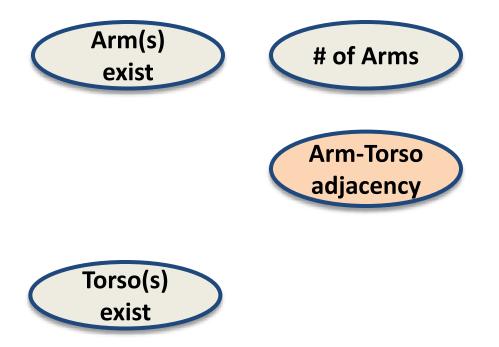
Number of components from category l





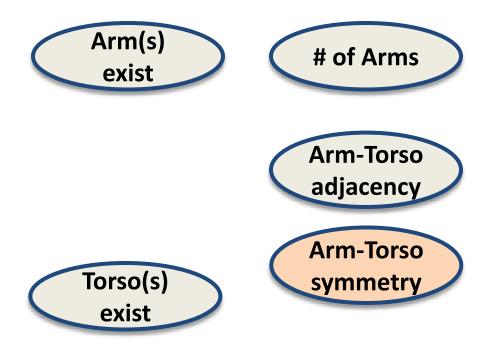
Random variables  $A_{l,l'}$ 

Adjacency between components from categories *l* and *l*'



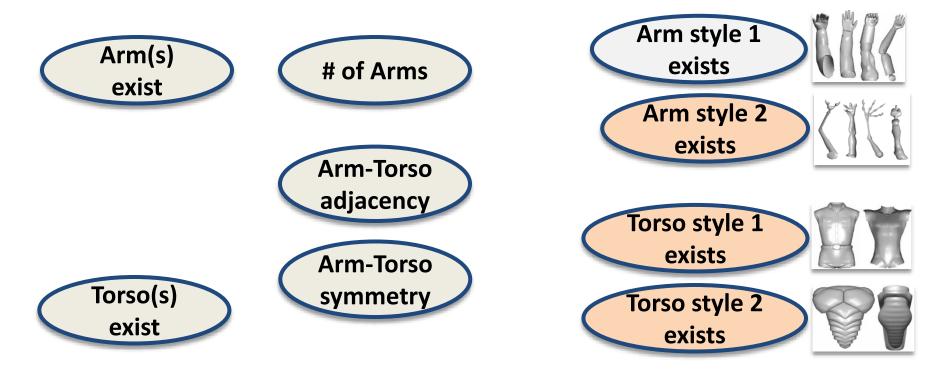
## Random variables $R_{l,l'}$

Symmetry relation between components from categories l and l'

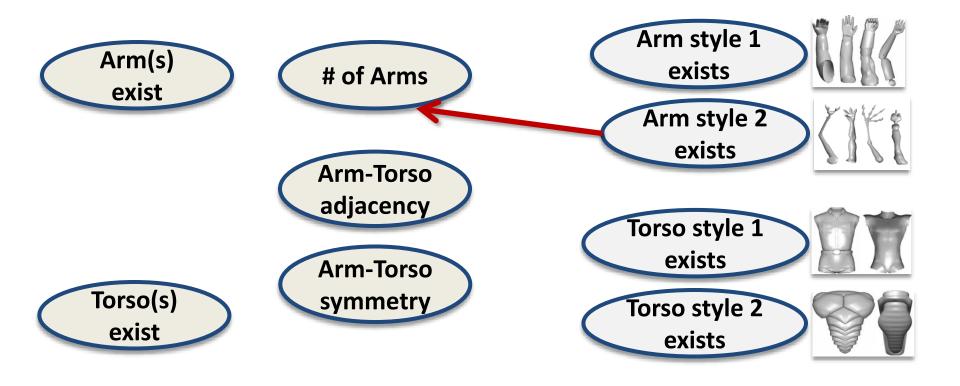


Random variables  $S_{s,l}$ 

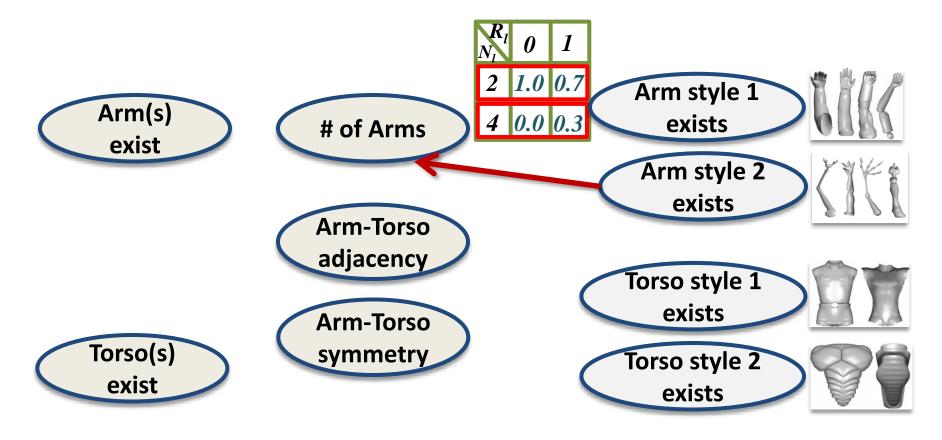
#### Existence of component from style cluster *s* of category *l*



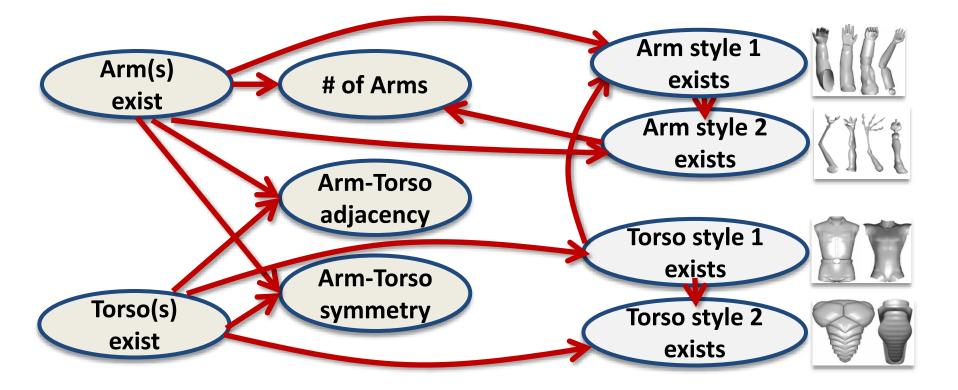
## Dependencies between random variables



### Conditional probability tables

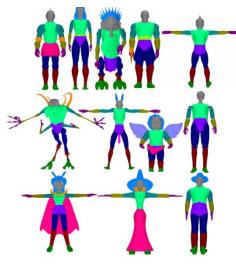


### Dependencies between random variables



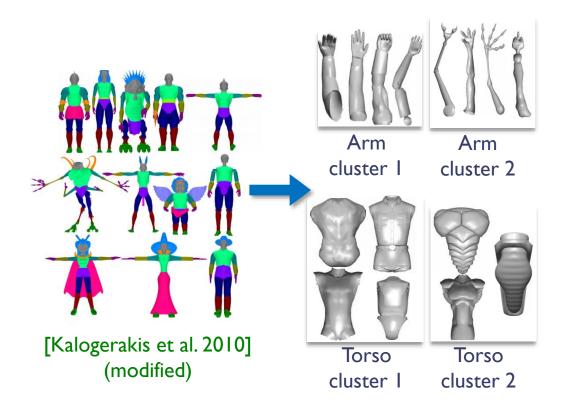
### Learning

## Learning the CPTs and the graph structure

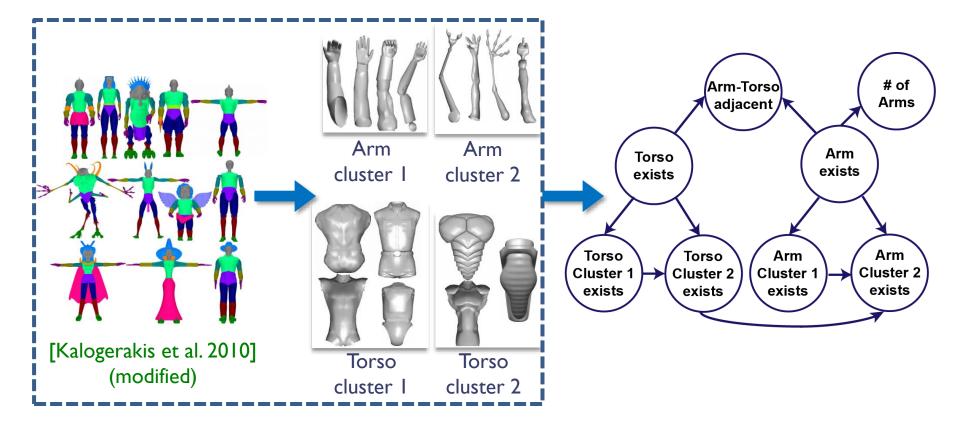


[Kalogerakis et al. 2010] (modified)

## Learning the CPTs and the graph structure



### Learning the CPTs and the graph structure



Structure and parameter learning

Maximize Bayesian Information Criterion

$$BIC = \log P(D \mid G, \mathbf{\theta}) - \frac{1}{2} v \log n$$

Structure and parameter learning

Maximize Bayesian Information Criterion

$$BIC = \log P(D | G, \theta) - \frac{1}{2} v \log n$$
  
Likelihood term  
D: training data

- G: graph structure
- $\theta$ : CPT entries

Structure and parameter learning

Maximize Bayesian Information Criterion

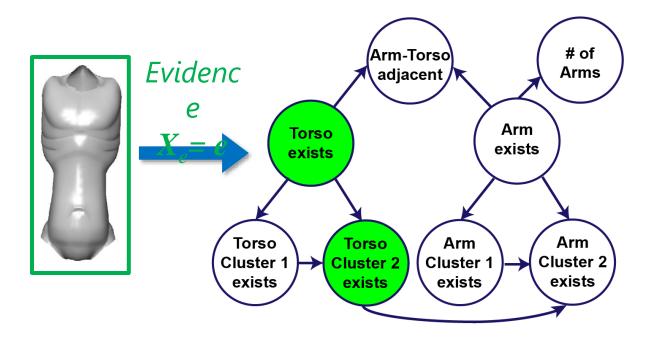
$$BIC = \log P(D | G, \theta) - \frac{1}{2} v \log n$$

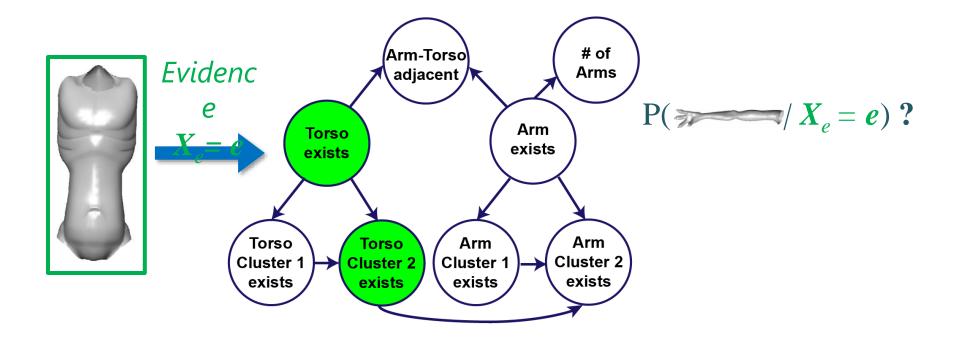
#### **Penalize model complexity**

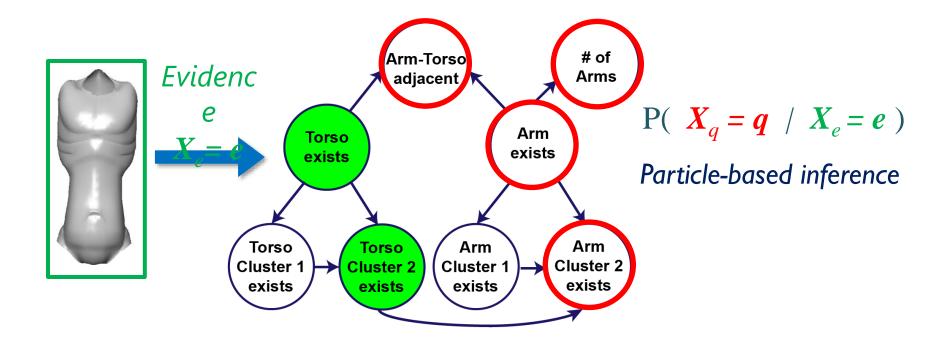
- v: # of independent CPT entries
- *n*: # of training shapes

Optimized using local search heuristics (adding, removing and flipping edges)









# Examples of shapes created by users

