Data Efficient Reinforcement Learning with Off-Policy and Simulated Data

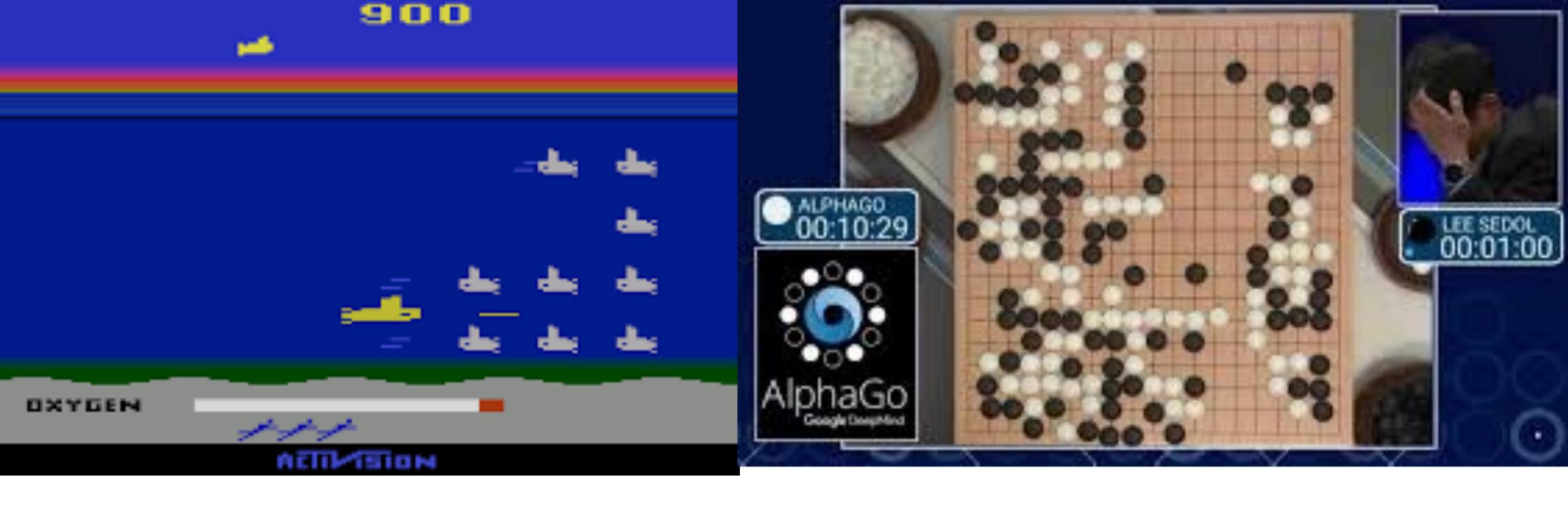
Josiah Hanna

PhD Oral Defense



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2











On-Policy

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Only use data generated by the current policy.

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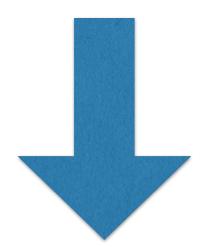
On-Environment

On-Policy

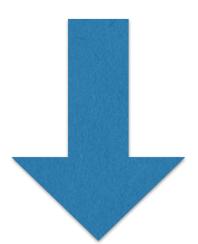
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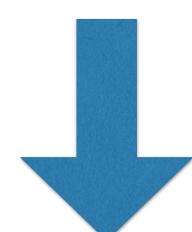
Simulated data is useless



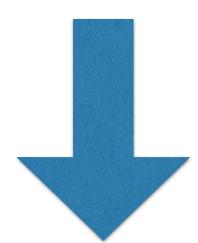
How should an RL agent collect off-policy data?



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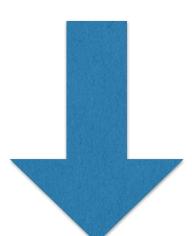


How should an RL agent weight off-policy data?

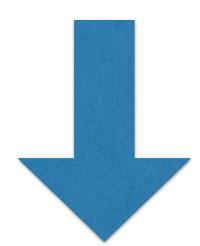


How should an RL agent collect off-policy data?

How can an RL agent use simulated data?

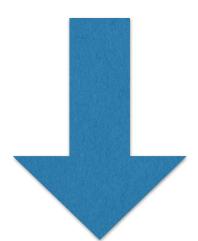


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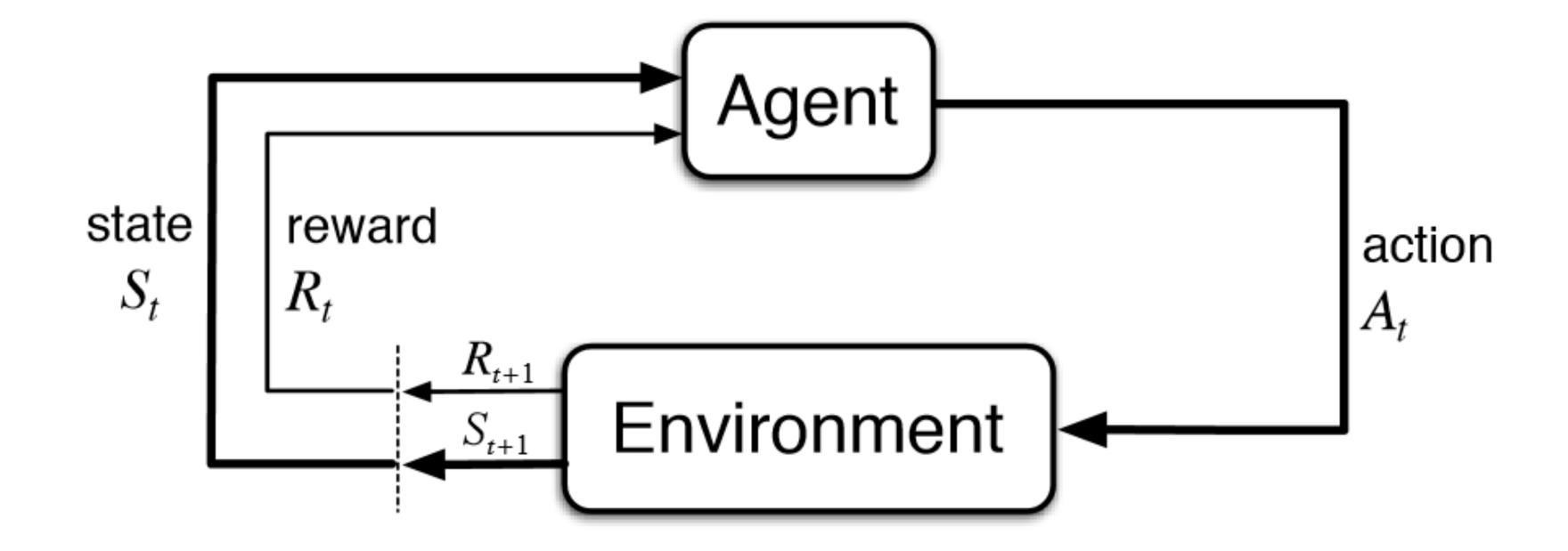
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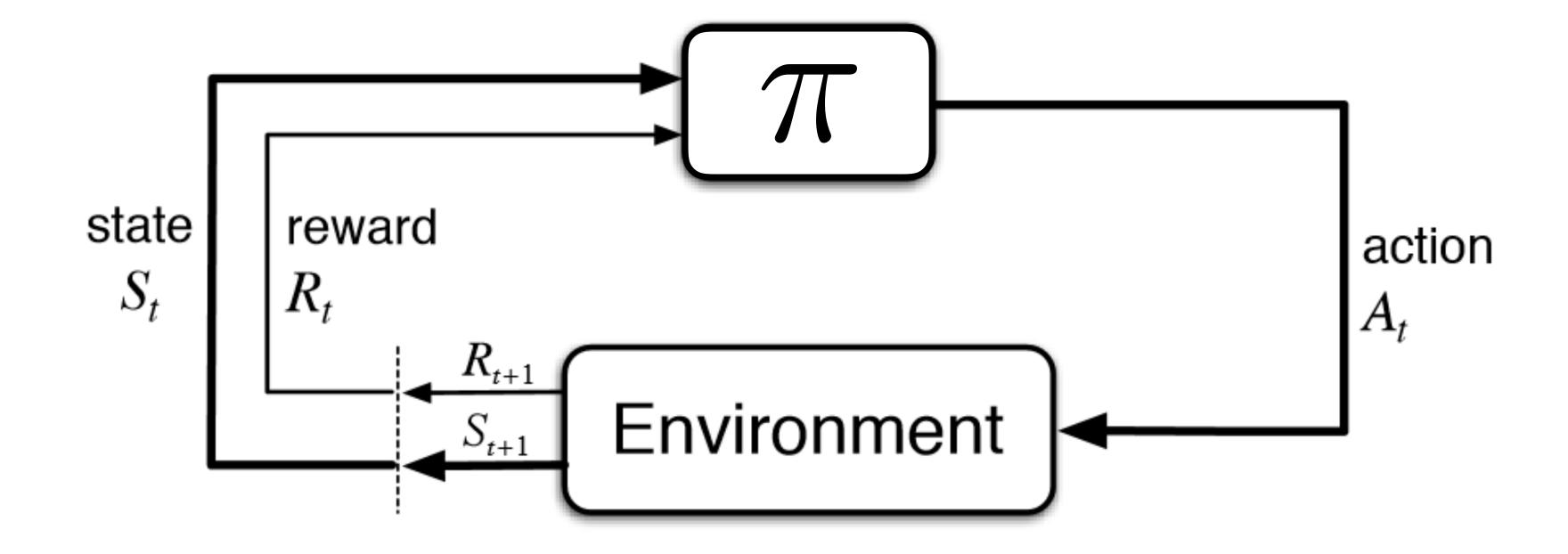


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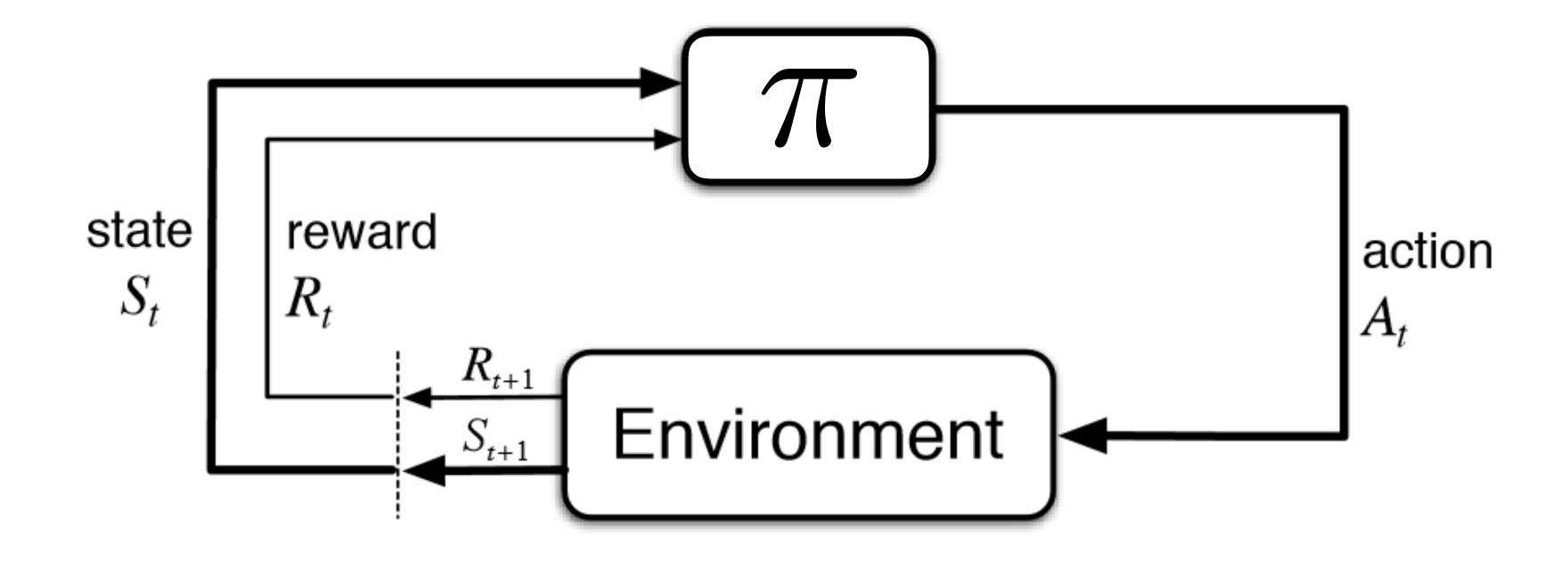
How can an RL agent combine simulated and off-policy data?



9

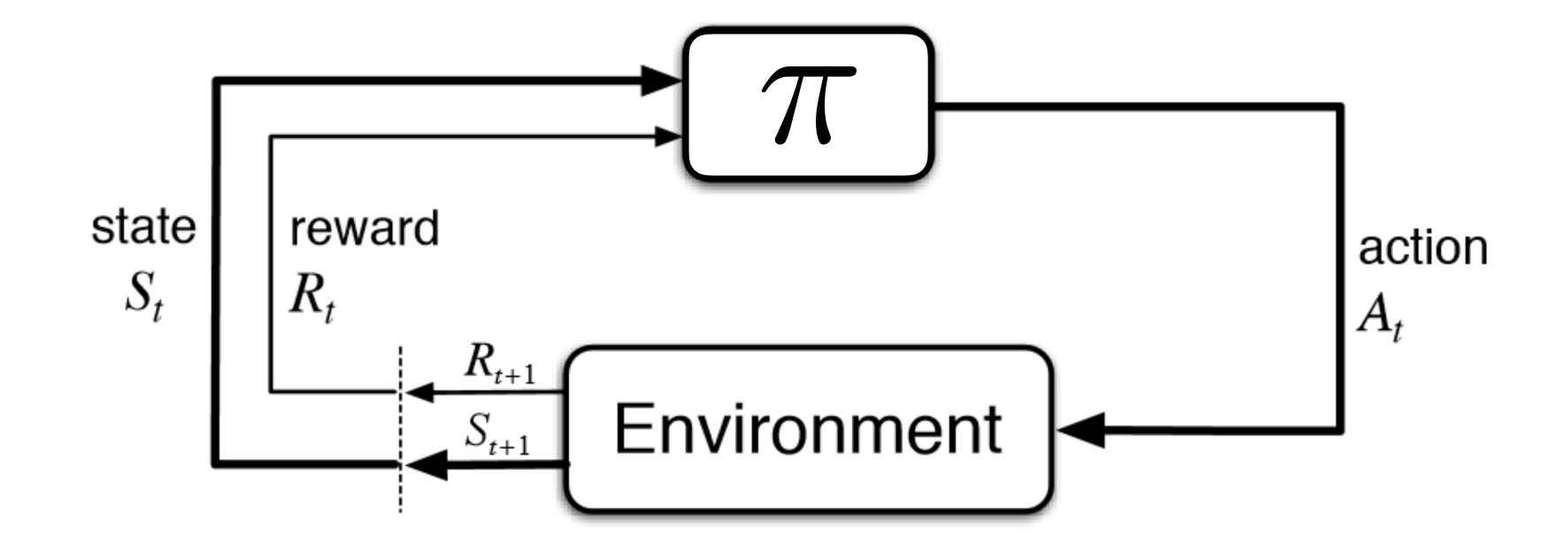


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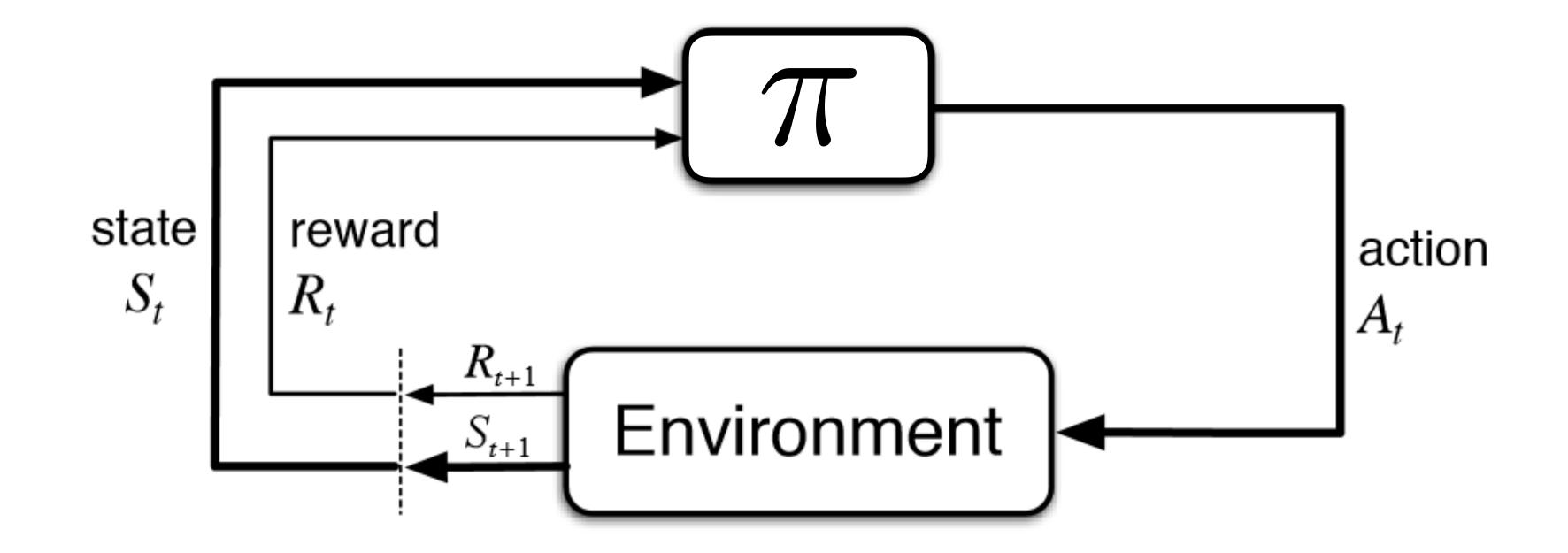
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 S_0



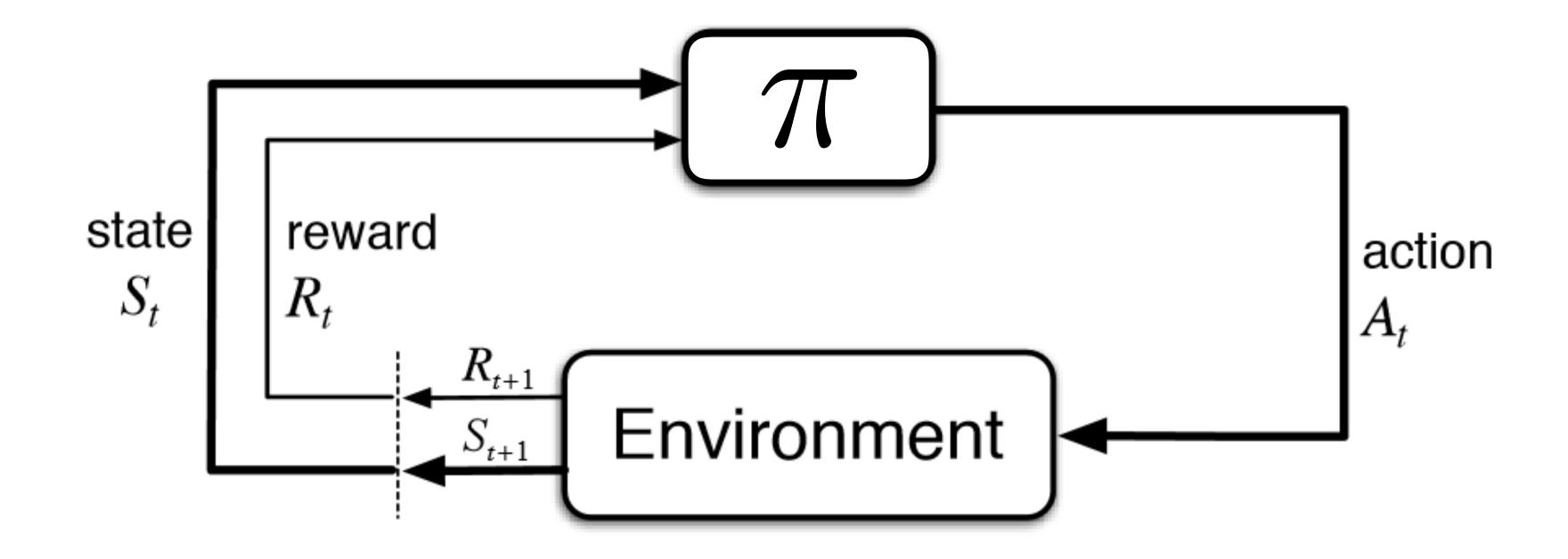
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$$S_0, A_0$$

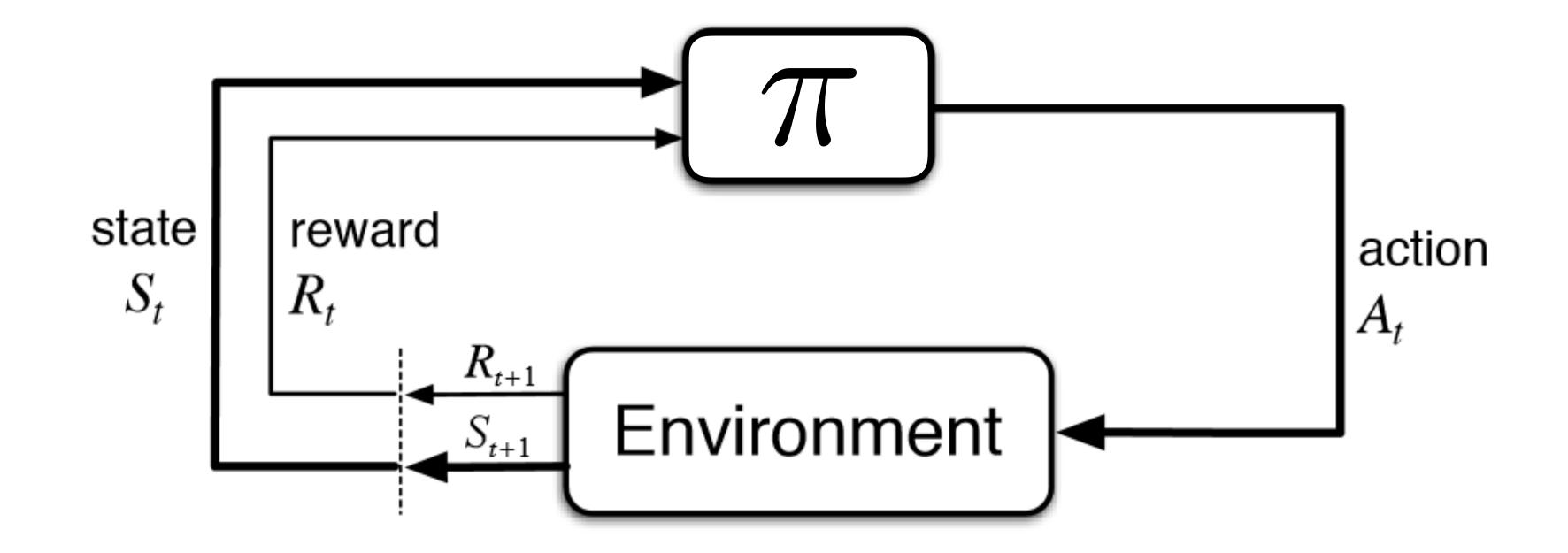


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$$S_0, A_0, R_0$$

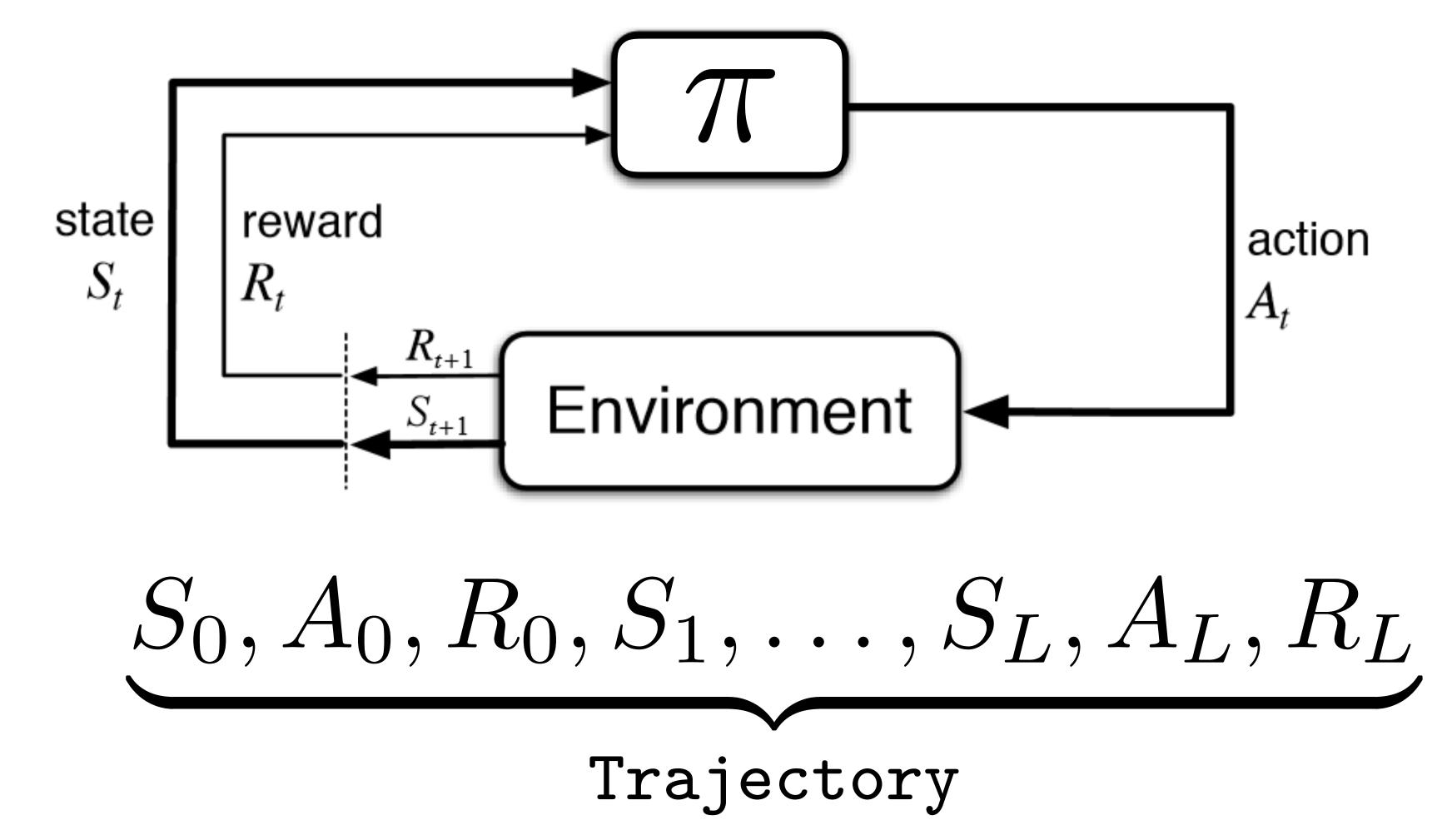


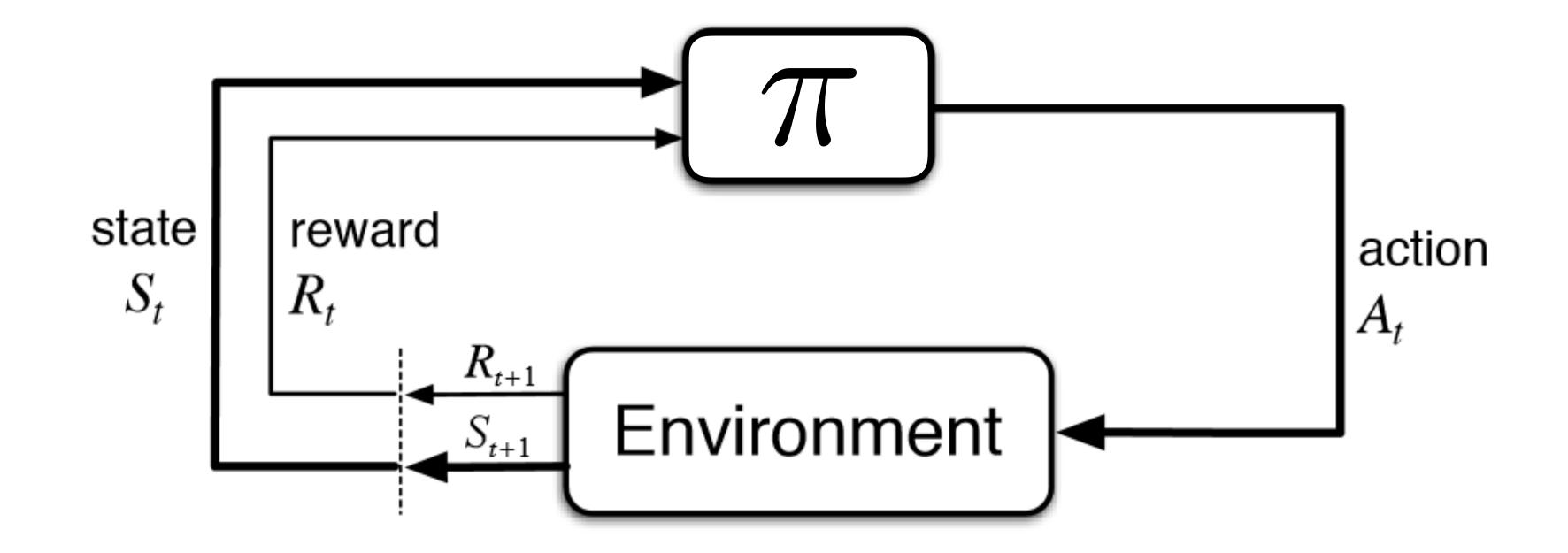
$$S_0, A_0, R_0, S_1$$



$$S_0, A_0, R_0, S_1, \ldots, S_L, A_L, R_L$$

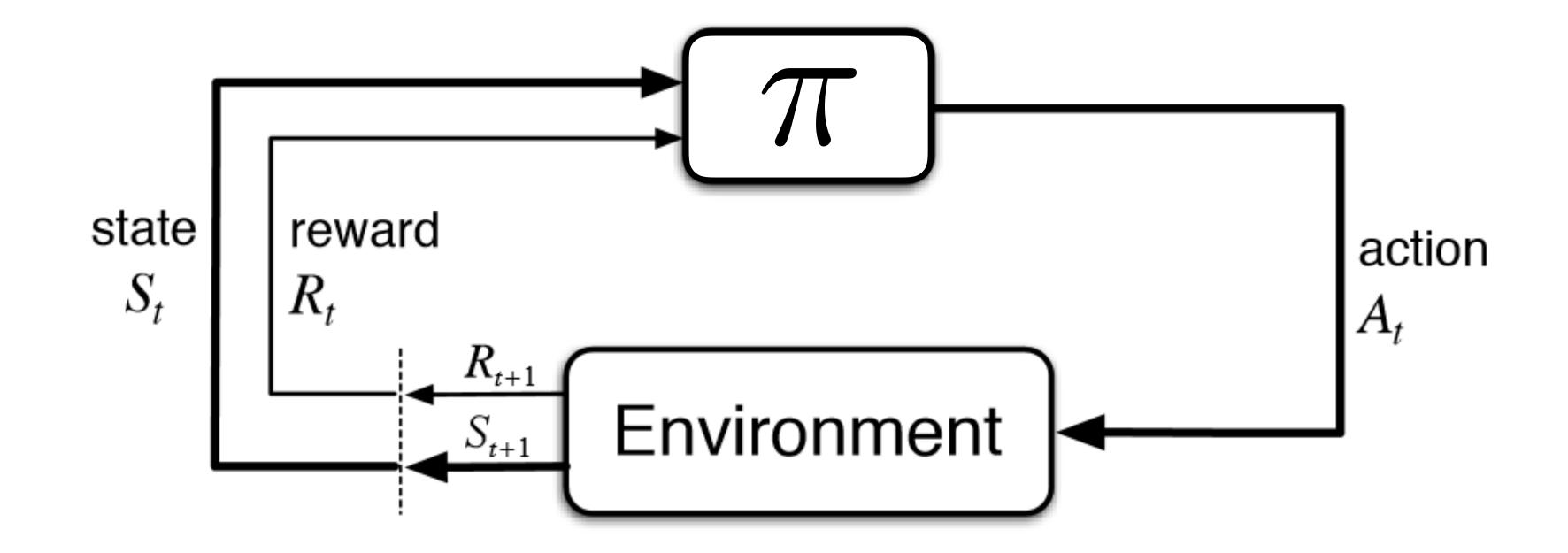
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Policy Improvement: Find policy that maximizes expected cumulative reward.

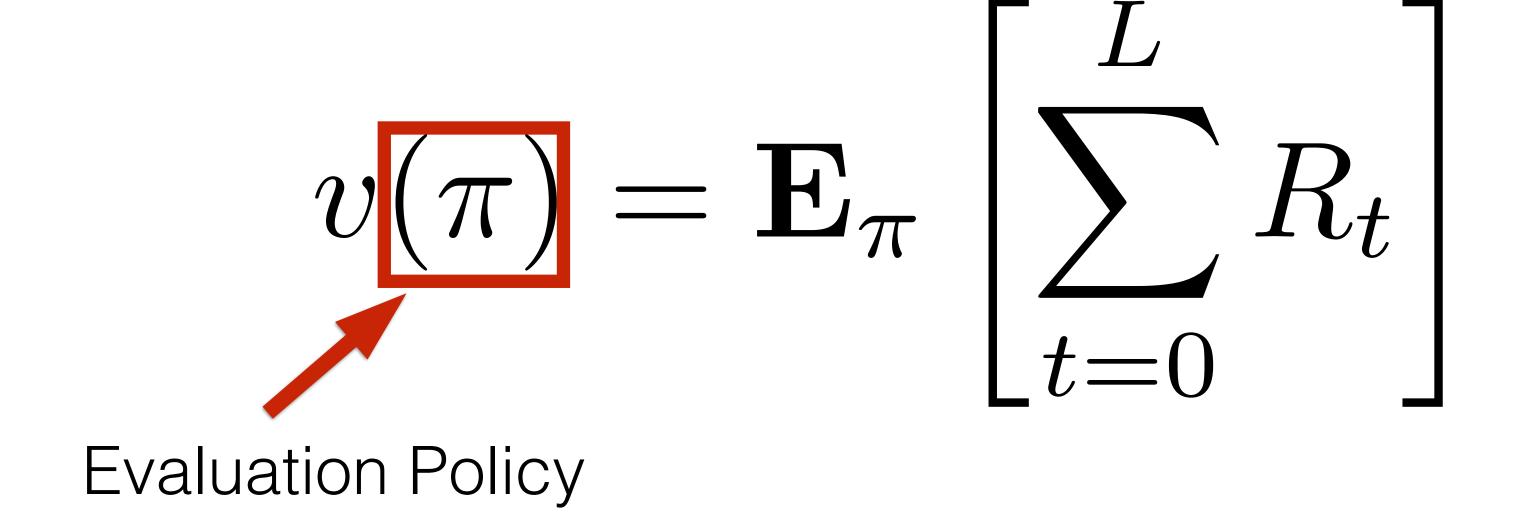
The Reinforcement Learning World



Policy Value Estimation: Given a fixed policy, determine the expected cumulative reward of that policy.

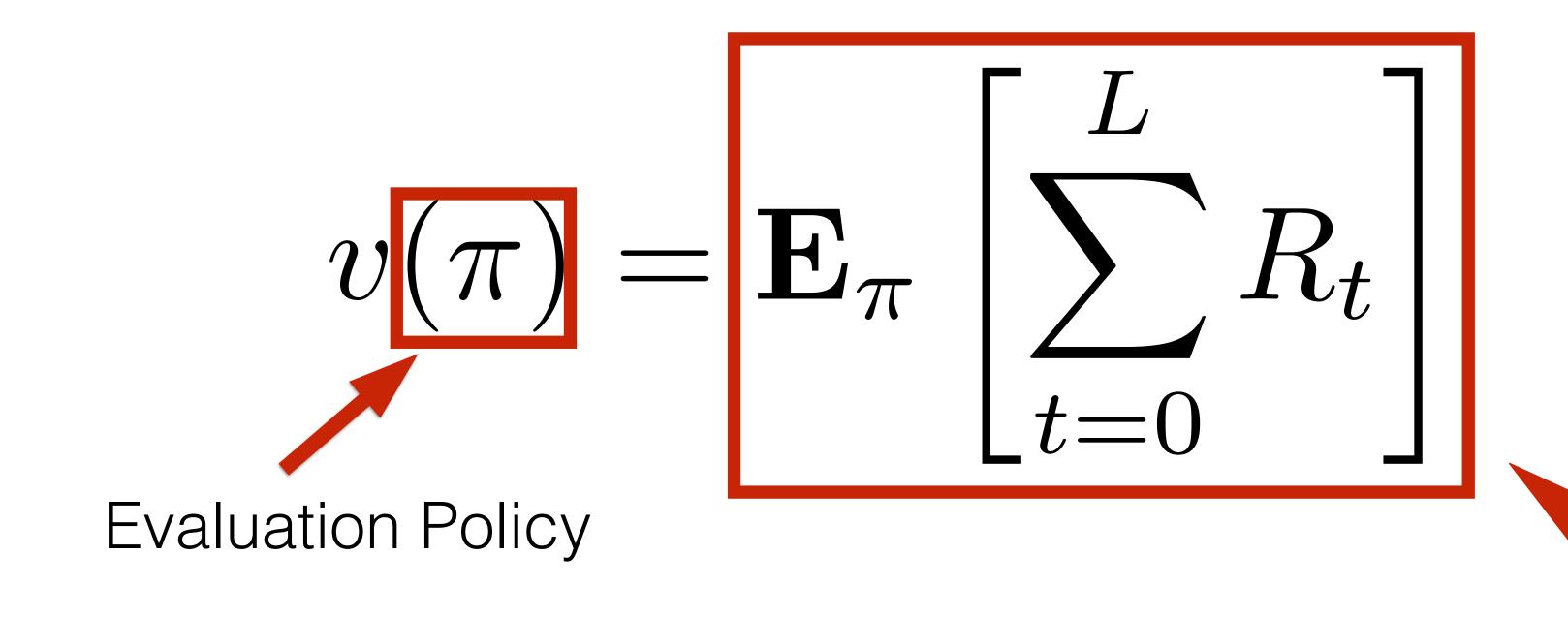
Josiah Hanna

$$v(\pi) = \mathbf{E}_{\pi} \left| \sum_{t=0}^{L} R_{t} \right|$$



$$v(\pi) = \mathbf{E}_{\pi} \left[\sum_{t=0}^{L} R_{t} \right]$$
 Evaluation Policy

$$\pi: \mathcal{S} \times \mathcal{A} \rightarrow [0, 1]$$



 $\pi: \mathcal{S} \times \mathcal{A} \rightarrow [0, 1]$

Expected Total Reward

1. Repeatedly run the evaluation policy.

$$S_0, A_0, R_0, \ldots, S_L, A_L, R_L$$

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$$S_0, A_0, R_0, \ldots, S_L, A_L, R_L$$

2. Average the total reward seen each trajectory.

$$\hat{v} = \frac{1}{m} \sum_{j=1}^{m} \sum_{t=0}^{L} R_t^{(j)}$$

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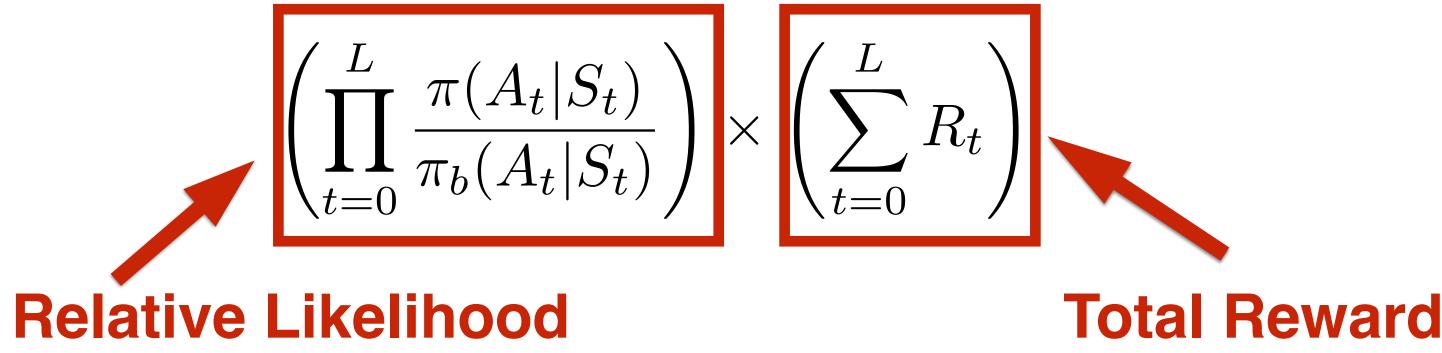
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$$\left(\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$

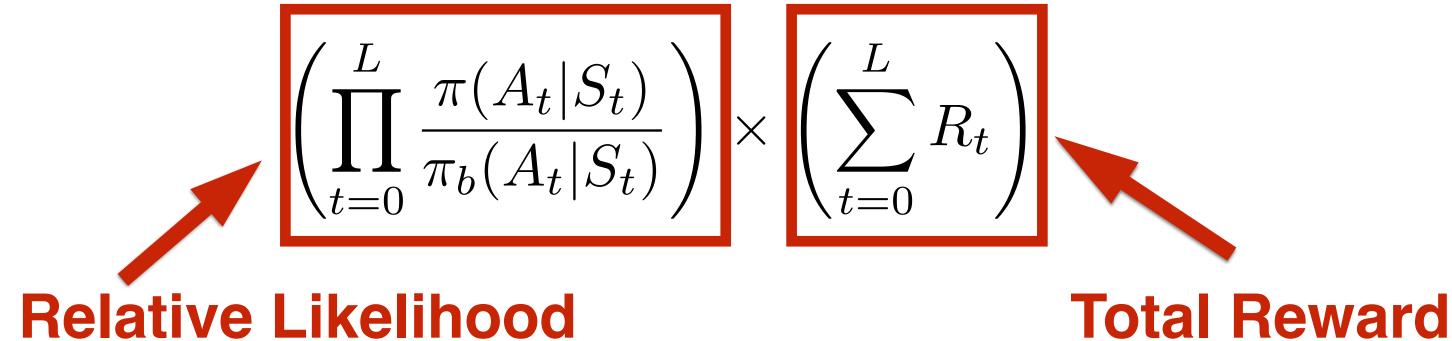
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Total Reward

- 1. Repeatedly run a different behavior policy.
- 2. Add up all of the reward received along each trajectory.
- 3. Re-weight the reward total.

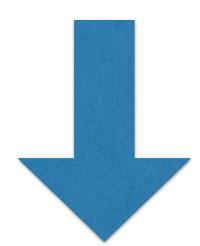


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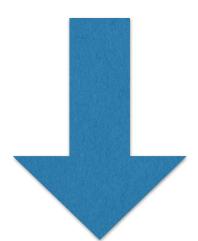
4. Average the re-weighted rewards.

How can a reinforcement learning agent leverage off-policy and simulated data to evaluate and improve upon the expected performance of a policy?



How should an RL agent collect off-policy data?

How can an RL agent use simulated data?

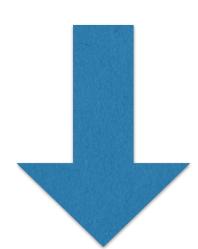


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How can an RL agent combine simulated and off-policy data?

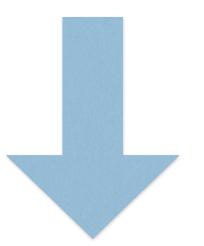
Can reinforcement learning be data efficient enough for real world applications?

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Can reinforcement learning be data efficient enough for real world applications?

How to choose the behavior policy for importance sampling?

$$\left(\frac{\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$

How to choose the behavior policy for importance sampling?

$$\left(\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$

15

Contribution 1: Formulation of behavior policy search problem and behavior policy gradient algorithm for policy value estimation.

Josiah Hanna

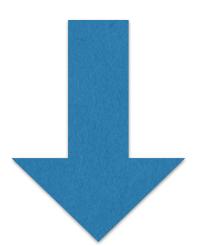
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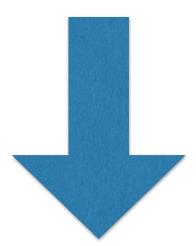
Contribution 2: Initial study of the behavior policy gradient algorithm combined with policy gradient policy improvement.

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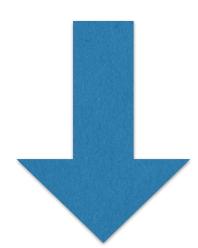


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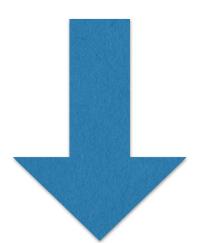
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How to correct for off-policy distribution shift?

$$\left(\frac{\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$

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17

Contribution 3: Family of regression importance sampling estimators that improve over ordinary importance sampling.

How to correct for off-policy distribution shift?

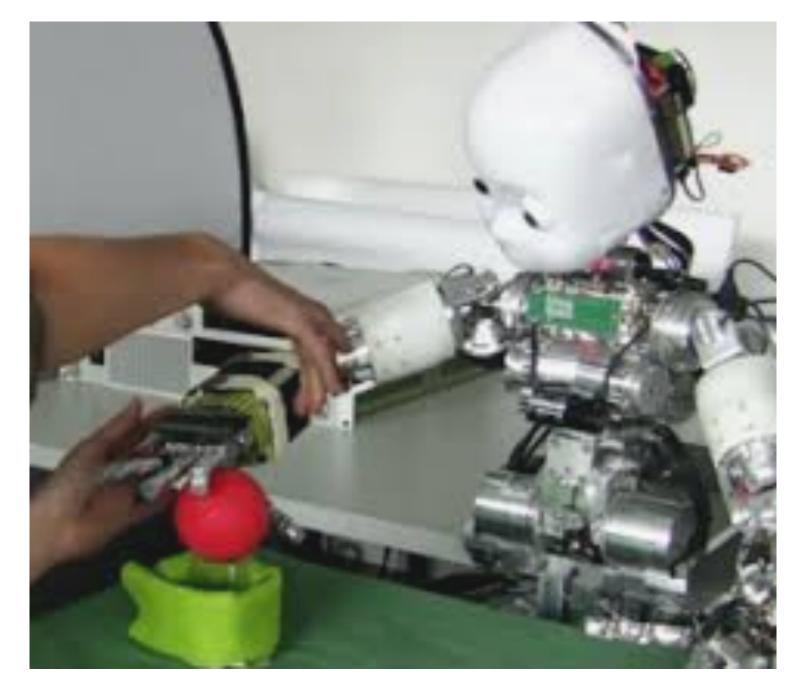
$$\left(\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$

Contribution 3: Family of regression importance sampling estimators that improve over ordinary importance sampling.

Contribution 4: Sampling error corrected policy gradient estimator that improves over Monte Carlo policy gradient estimators.

Importance sampling requires the behavior policy probabilities to be known.

$$\frac{\pi(a|s)}{\pi_b(a|s)}$$

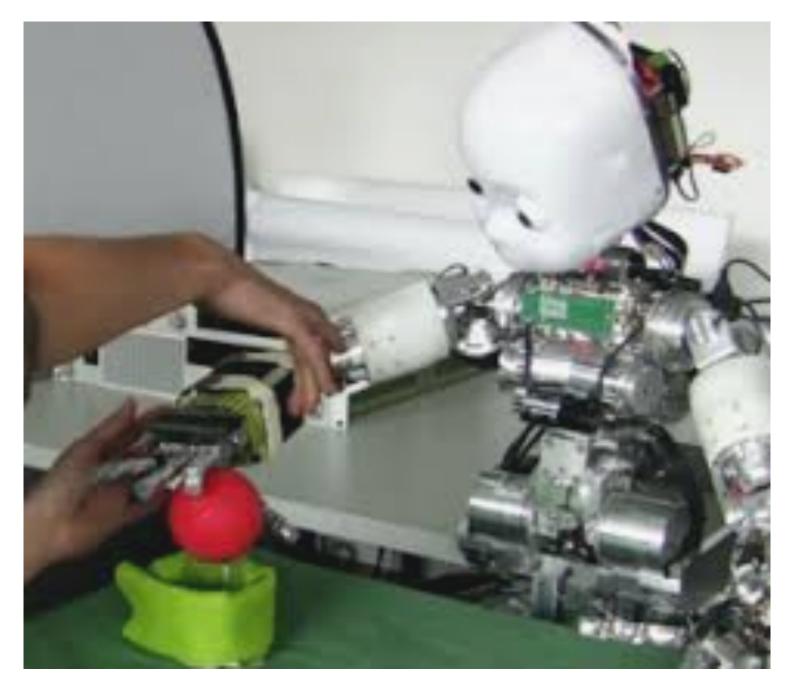


Credit: Brenna Argall

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$$\frac{\pi(a|s)}{\pi_b(a|s)}$$

18

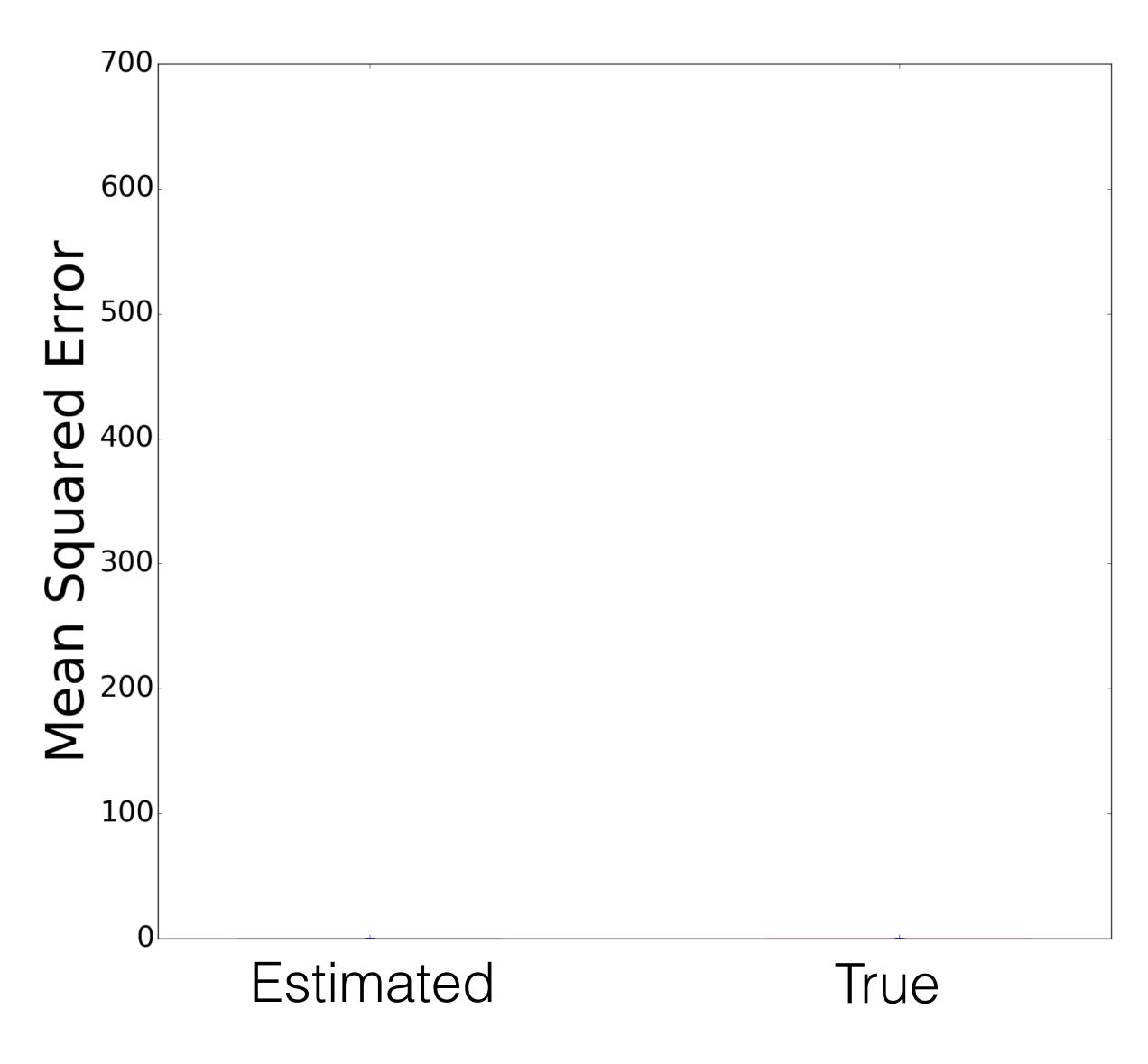


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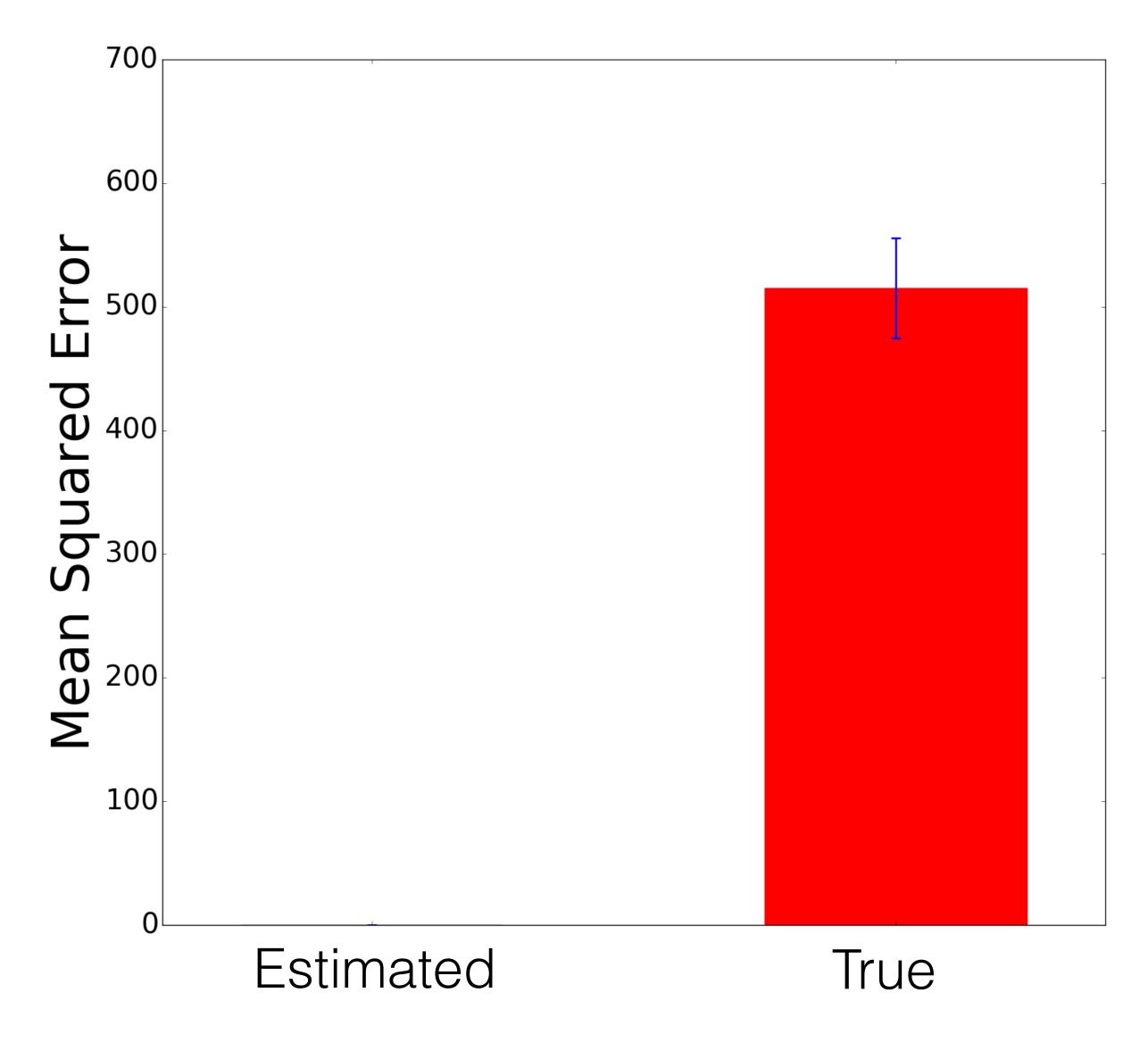
Importance sampling requires the behavior policy probabilities to be known.

$$\frac{\pi(a|s)}{\pi_b(a|s)} \to \frac{\pi(a|s)}{\pi_{\mathcal{D}}(a|s)}$$

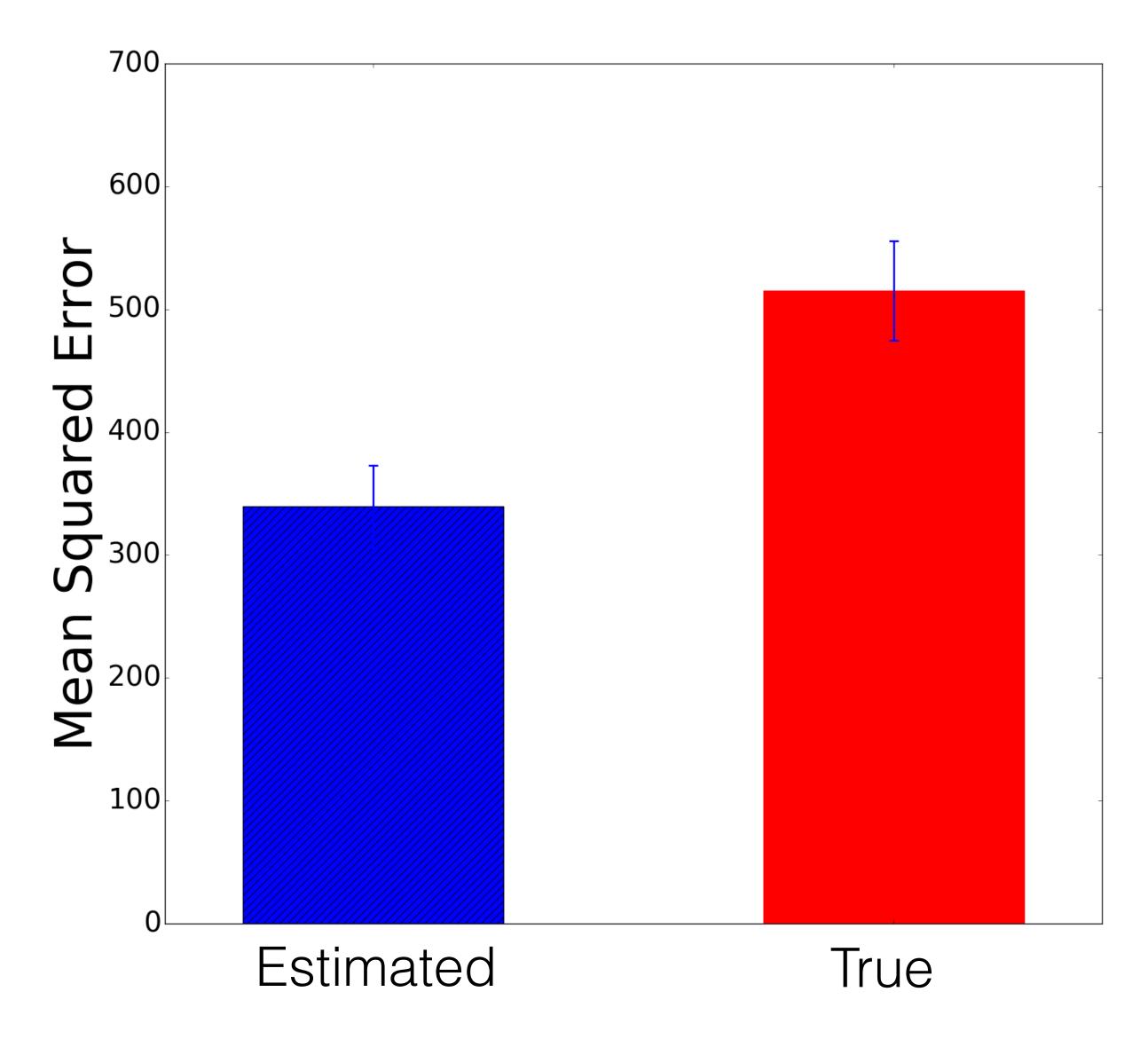
Baseline approach: maximum likelihood behavior policy estimation.



OpenAl's RoboschoolHopper-v1



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Given batch of trajectory data:

$$\mathcal{D} = \{(S_0^i, A_0^i, R_0^i, ..., S_L^i, A_L^i, R_L^i)\}_{i=1}^m$$

20

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Given an evaluation policy:

$$\pi: \mathcal{S} \times \mathcal{A} \rightarrow [0, 1]$$

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20

Estimate:

$$v(\pi) := \mathbf{E} \left[\sum_{t=0}^{L} \gamma^t R_t \right]$$

$$\mathtt{OIS}(\pi, \mathcal{D}) = \frac{1}{m} \sum_{i=1}^{m} \prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_b(a_t|s_t)} \sum_{t=0}^{L} \gamma^t R_t$$

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Discounted sum of rewards

$$\mathtt{OIS}(\pi, \mathcal{D}) = \frac{1}{m} \sum_{i=1}^{m} \prod_{t=0}^{L} \frac{\pi(a_t | s_t)}{\pi_b(a_t | s_t)} \sum_{t=0}^{L} \gamma^t R_t$$

Correction from behavior policy to evaluation policy

Discounted sum of rewards

$$RIS(n)(\pi, \mathcal{D}) = \frac{1}{m} \sum_{i=1}^{m} \prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_{\mathcal{D}}(a_t|s_{t-n}, a_{t-n}, ..., s_t)} \sum_{t=0}^{L} \gamma^t R_t$$

22

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22

Maximum likelihood behavior policy estimate (empirical policy).

$$\mathtt{RIS}(n)(\pi, \mathcal{D}) = \frac{1}{m} \sum_{i=1}^{m} \prod_{t=0}^{L} \frac{\pi(a_t | s_t)}{\pi_{\mathcal{D}}(a_t | s_{t-n}, a_{t-n}, ..., s_t)} \sum_{t=0}^{L} \gamma^t R_t$$

22

Correction from empirical policy to evaluation policy.

23

1. Estimated Propensity Scores (Hirano et al. 2003, Li et al. 2015).

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23

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We are the first to show using an estimated behavior policy improves importance sampling in multi-step environments.

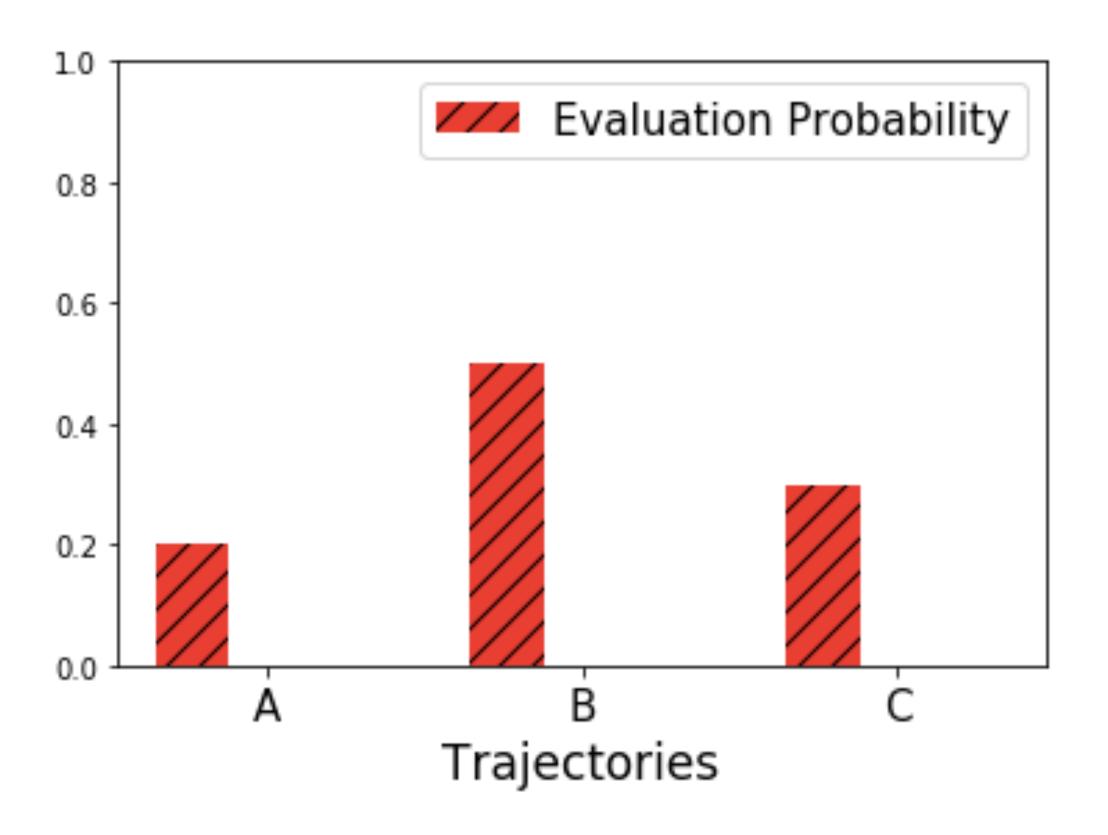
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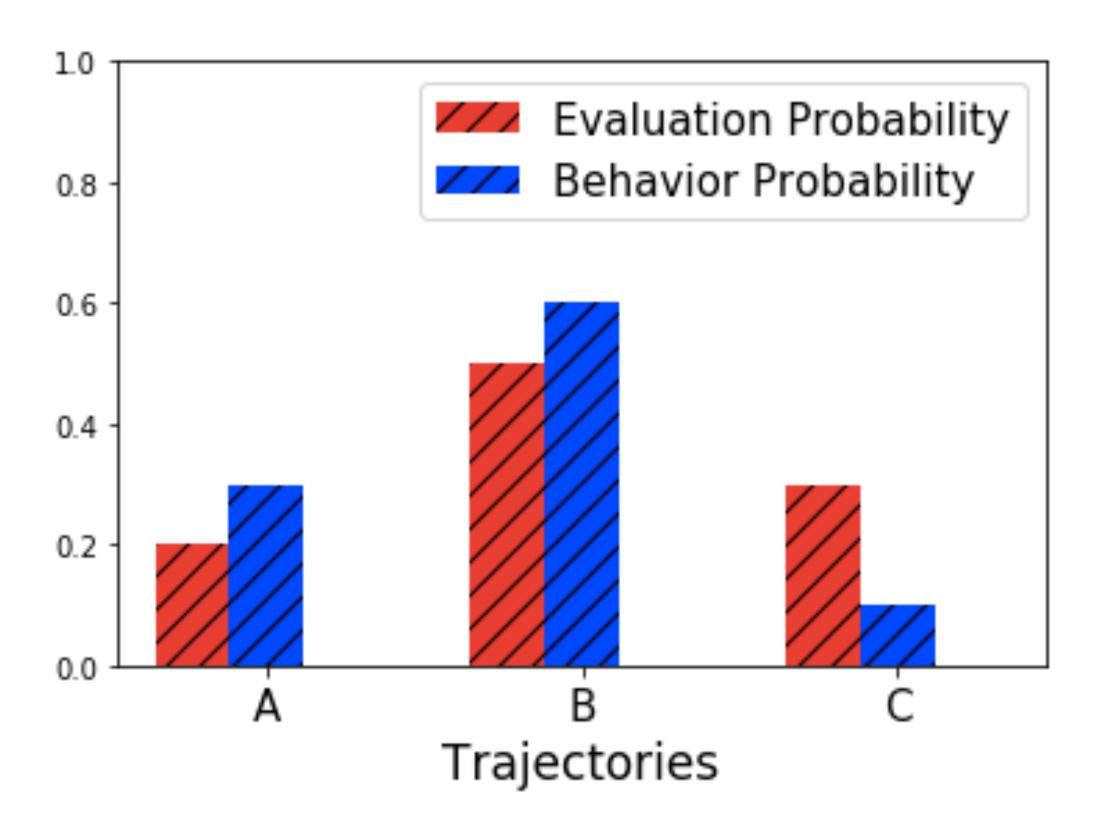
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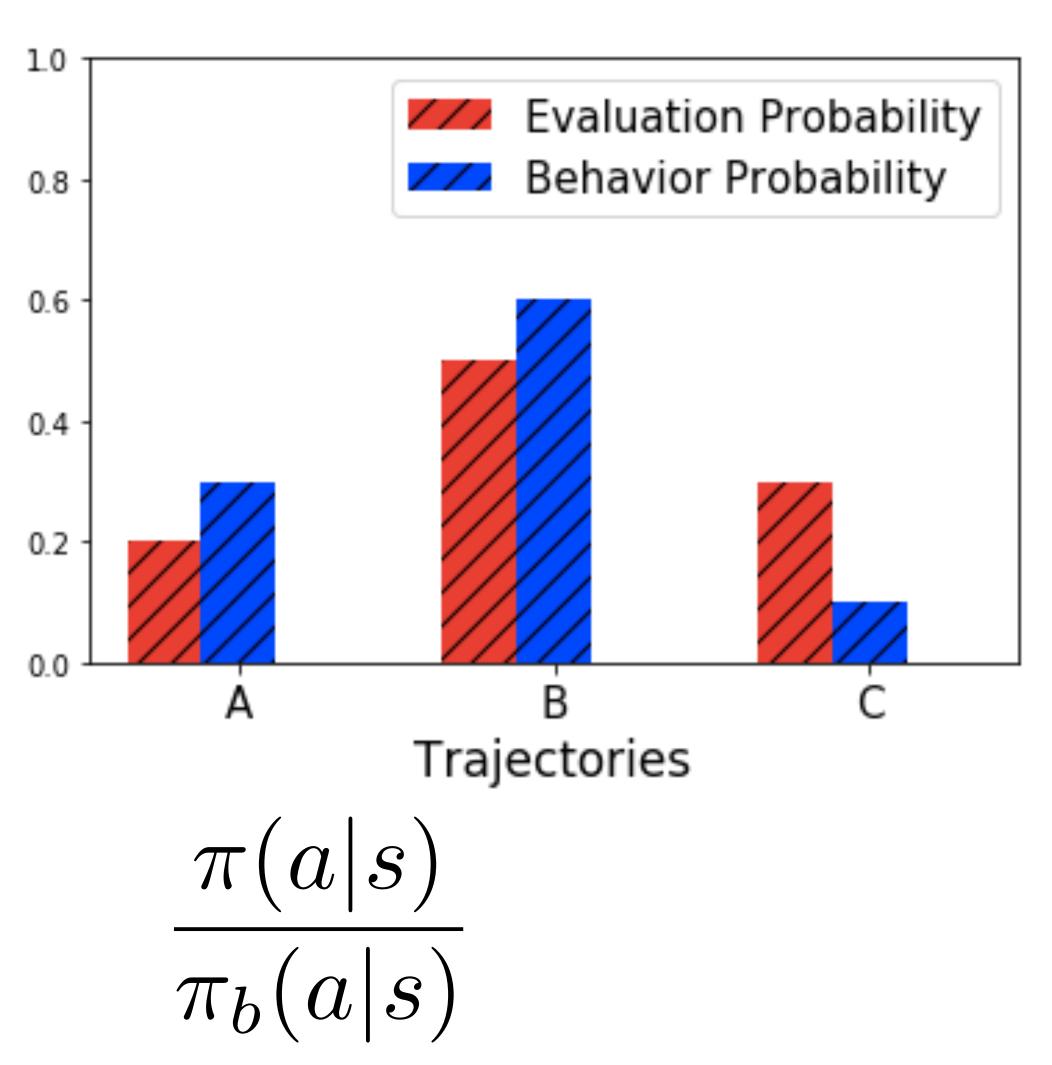
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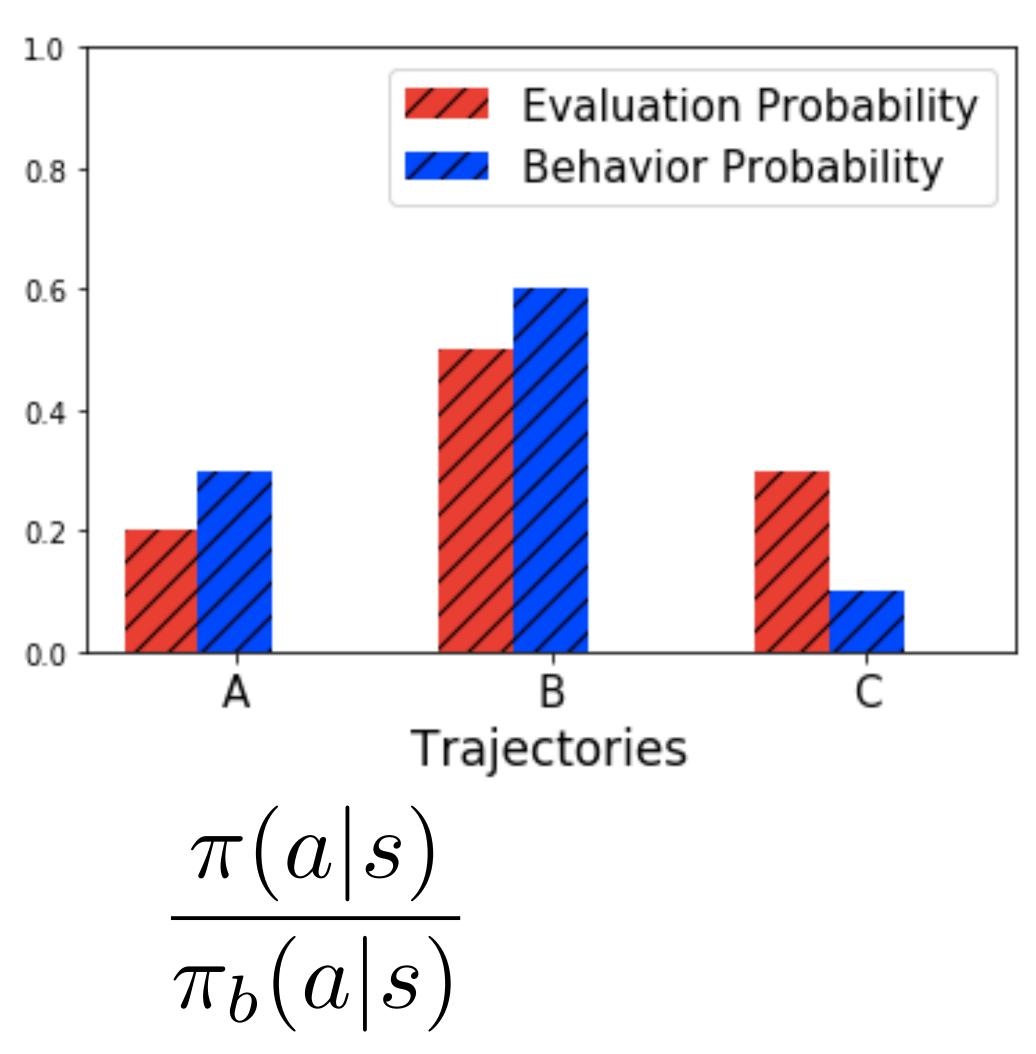
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Correction from empirical policy to evaluation policy.

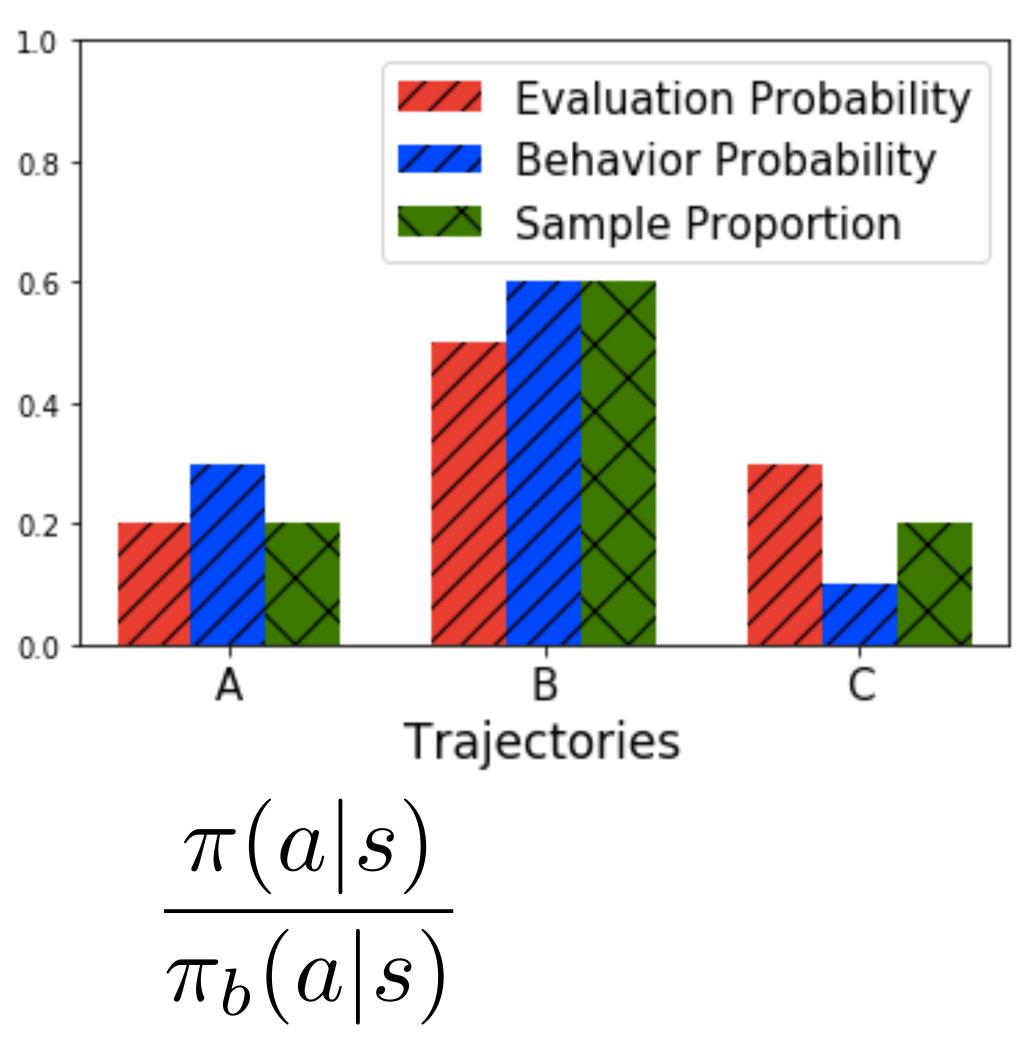






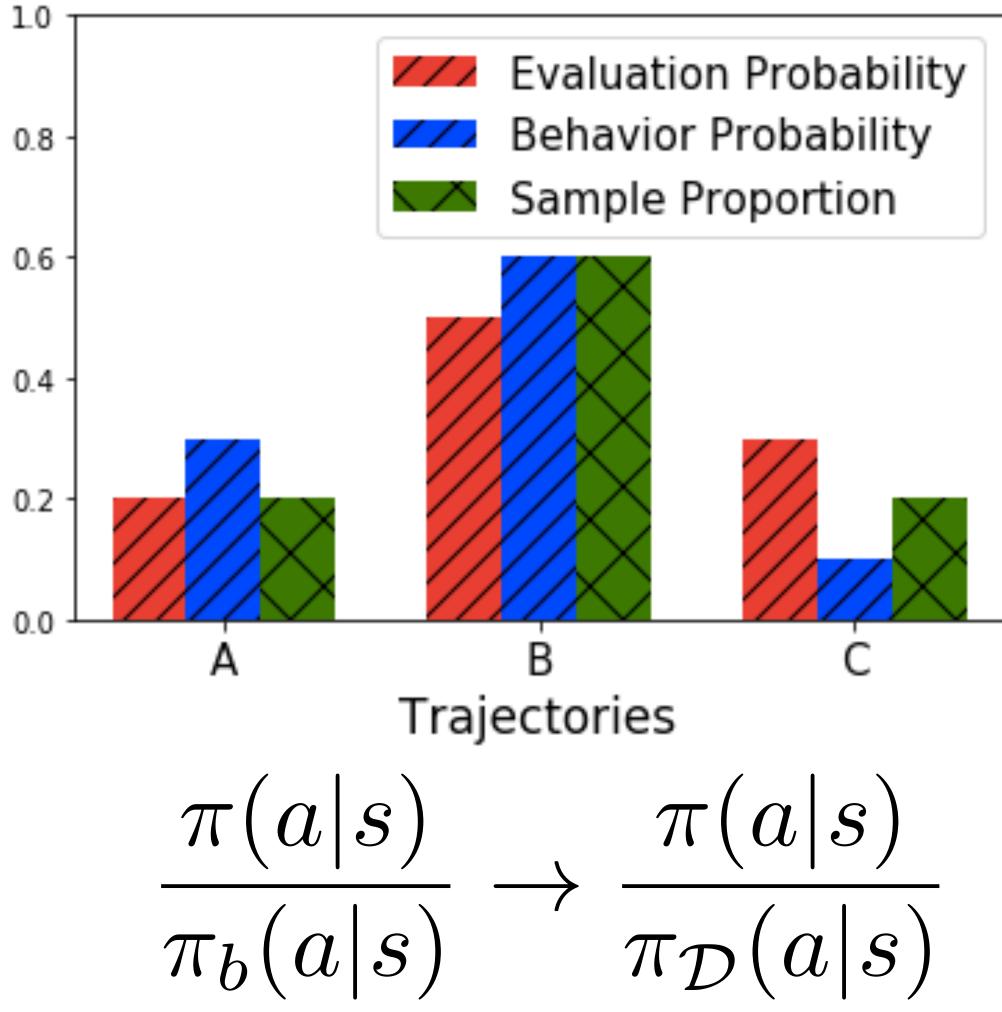


Observed data contains 1 of A, 3 of B, and 1 of C

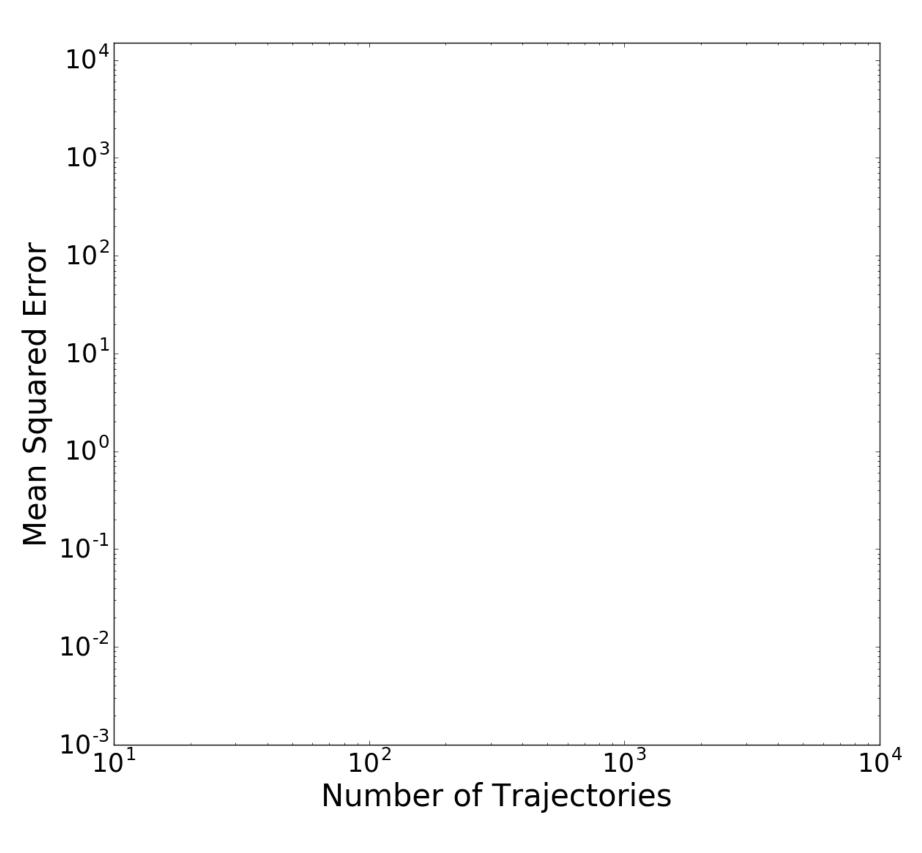


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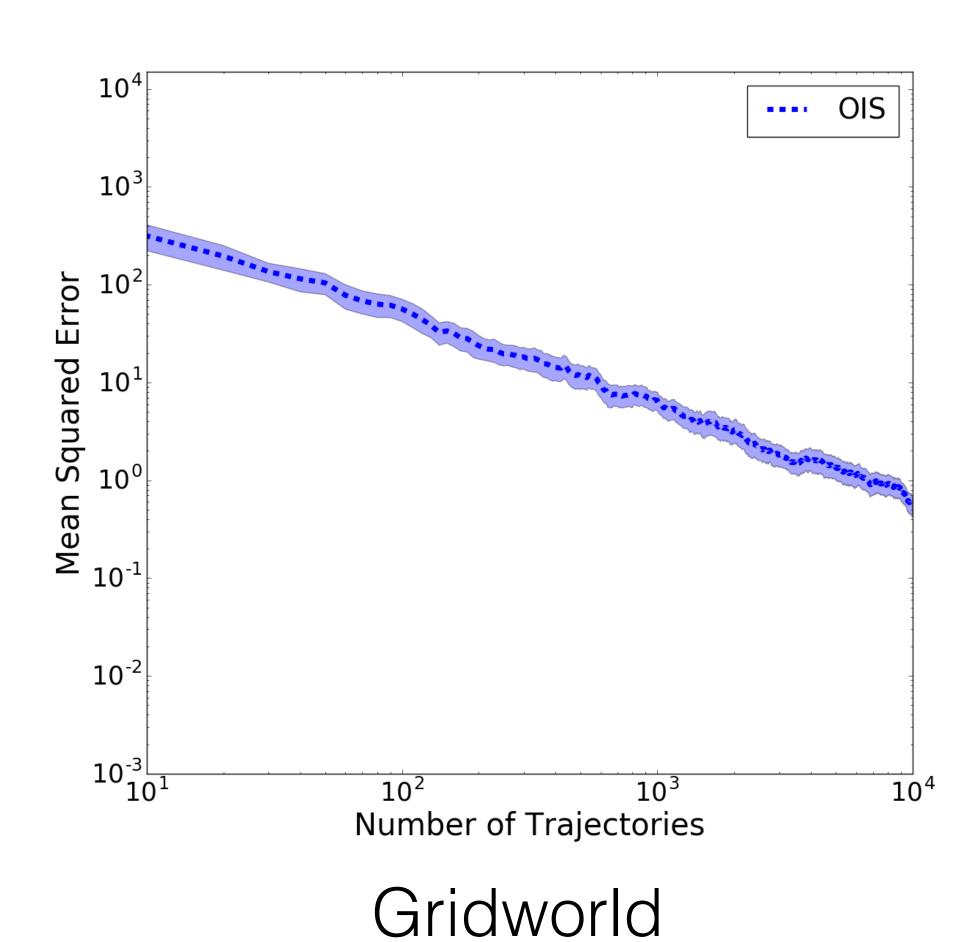
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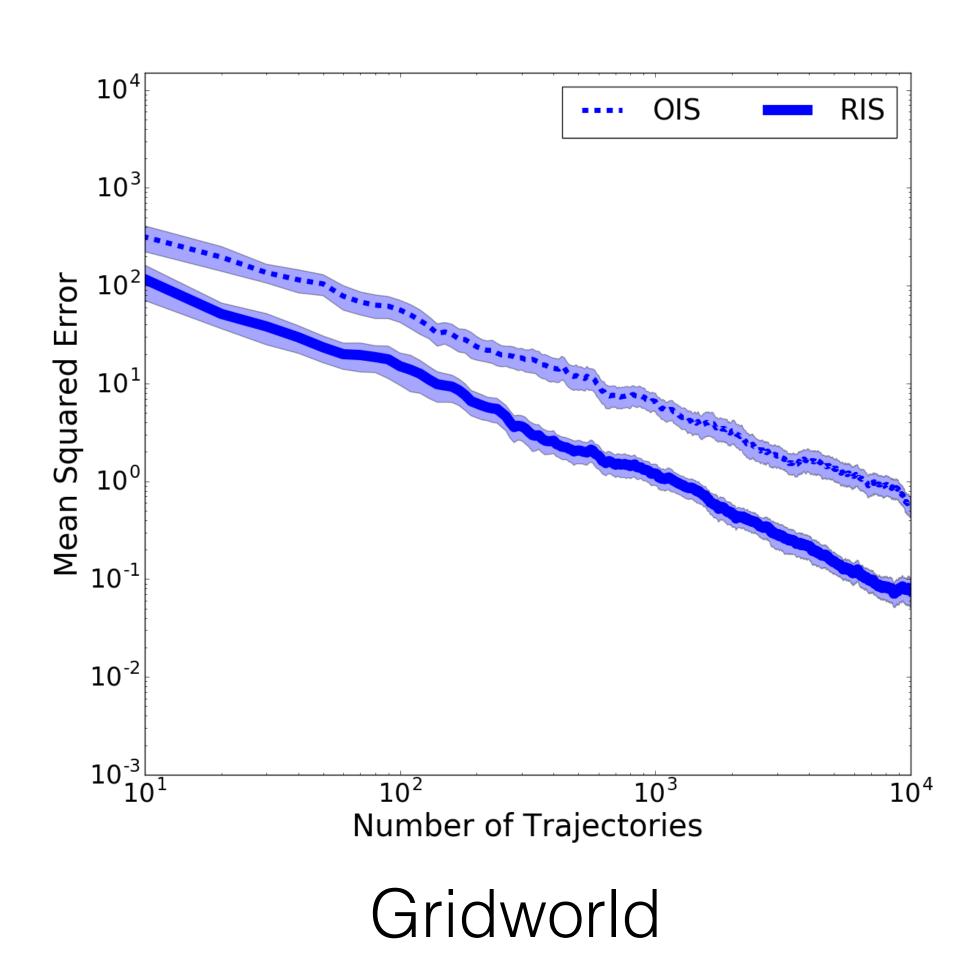


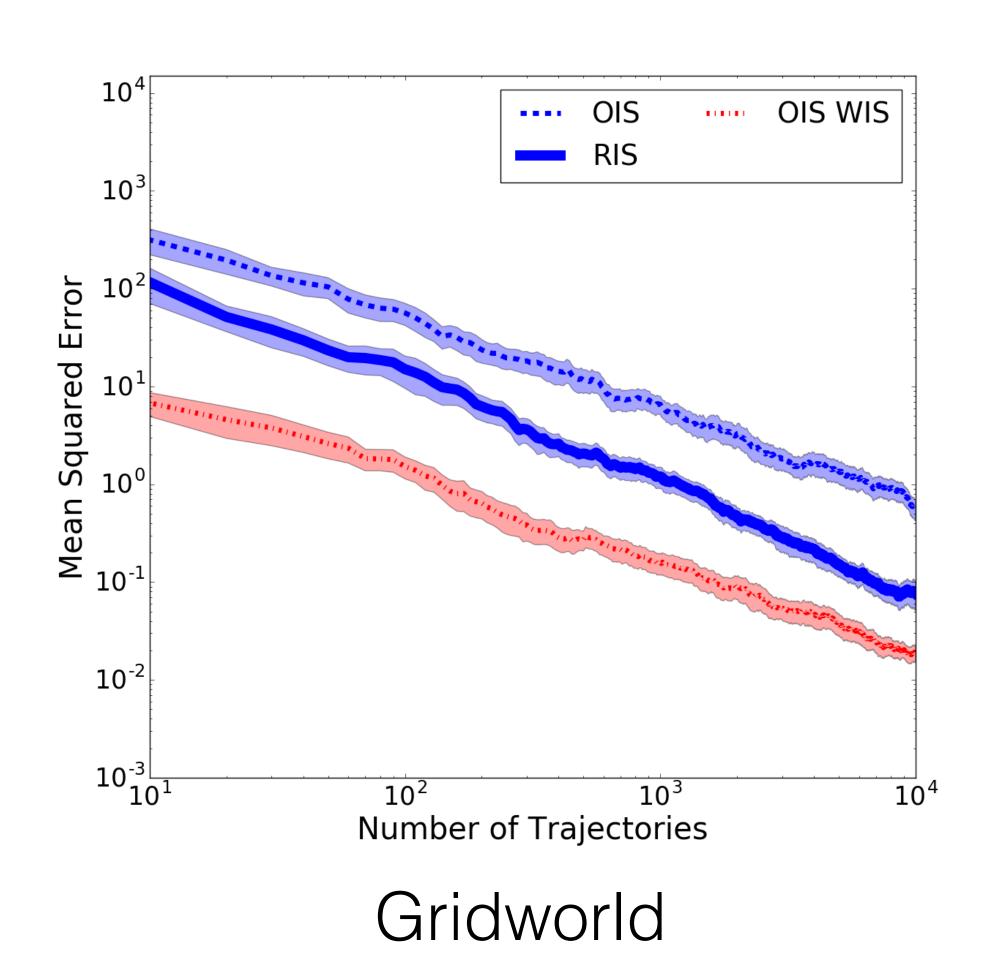
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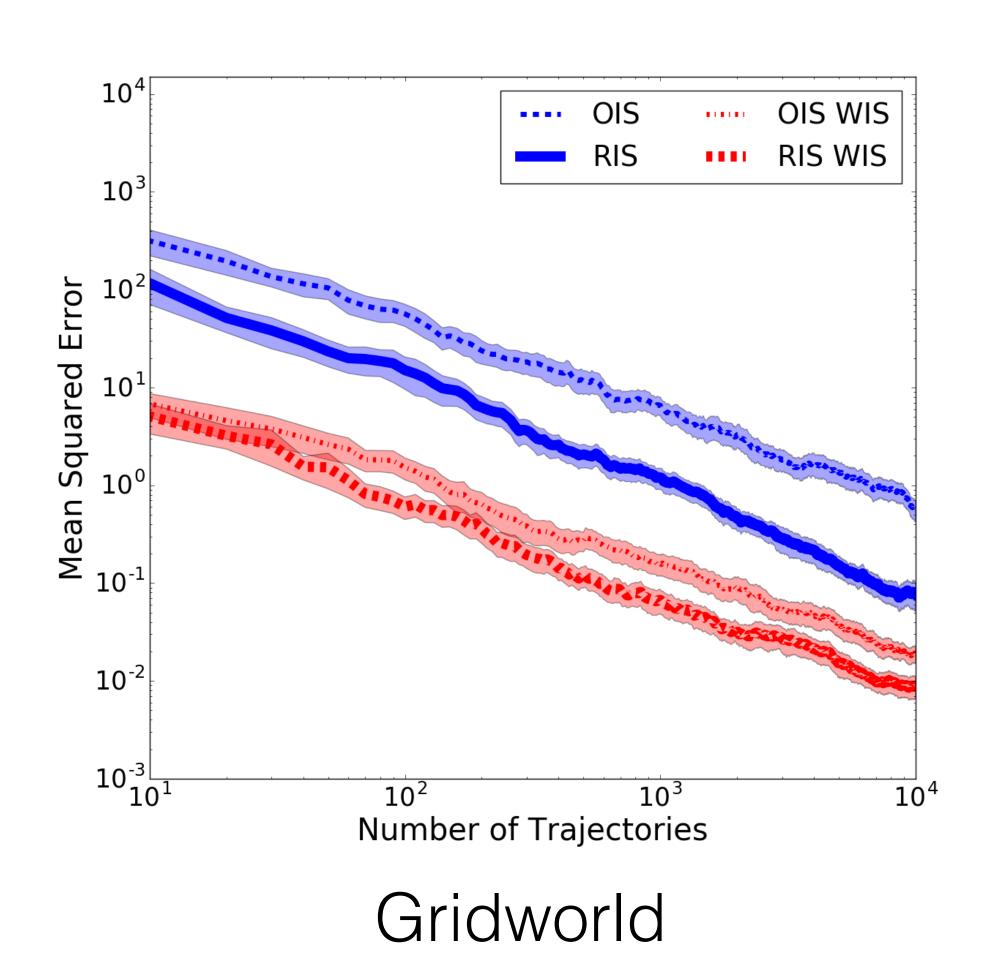


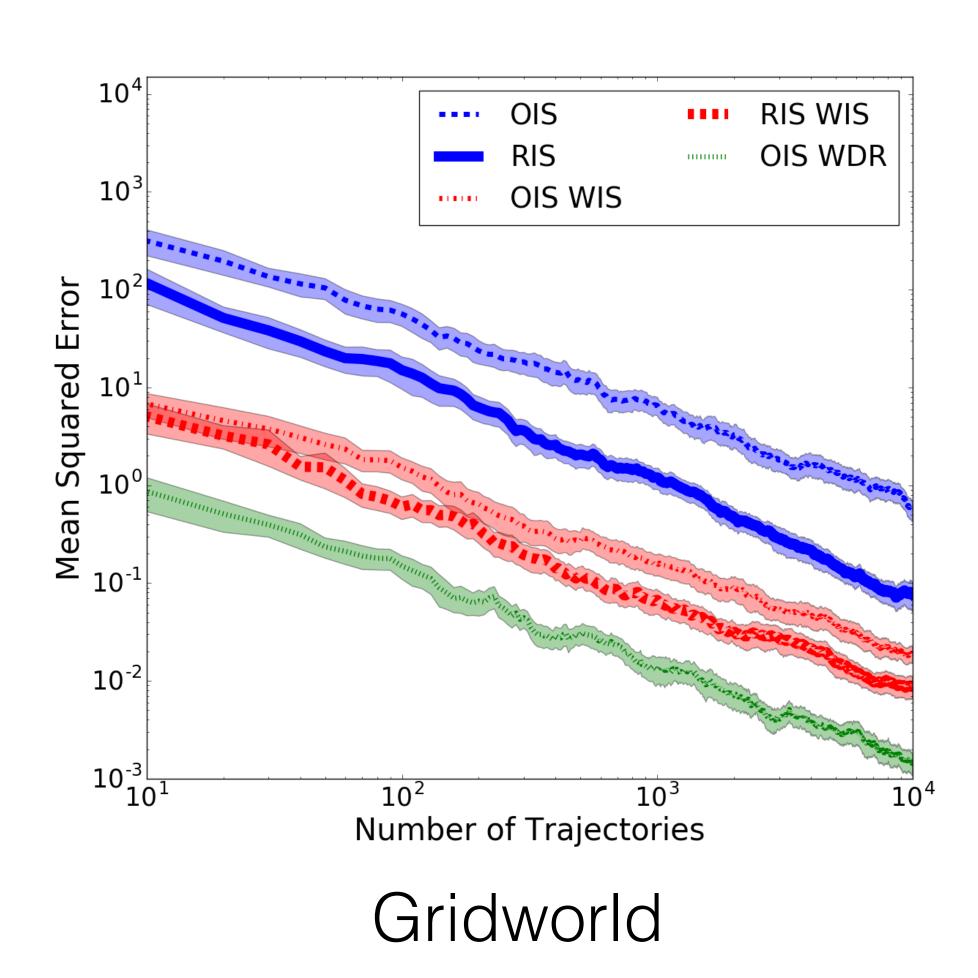
Gridworld

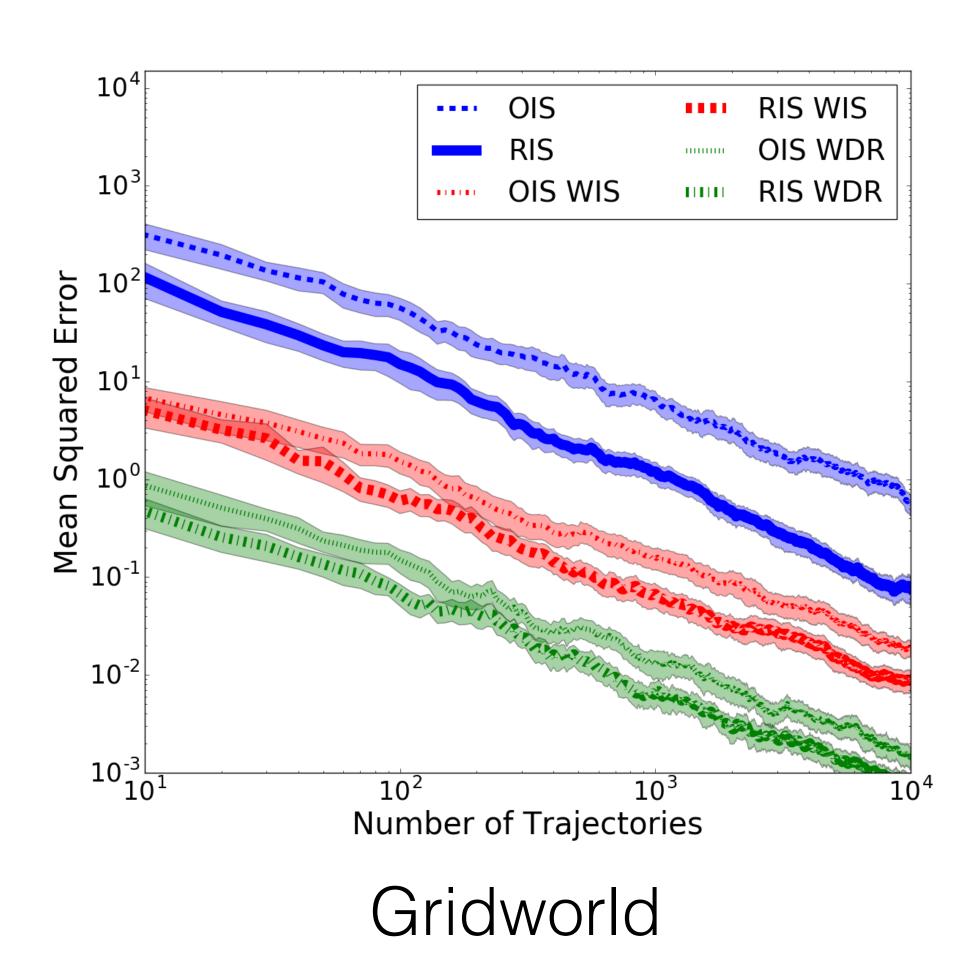


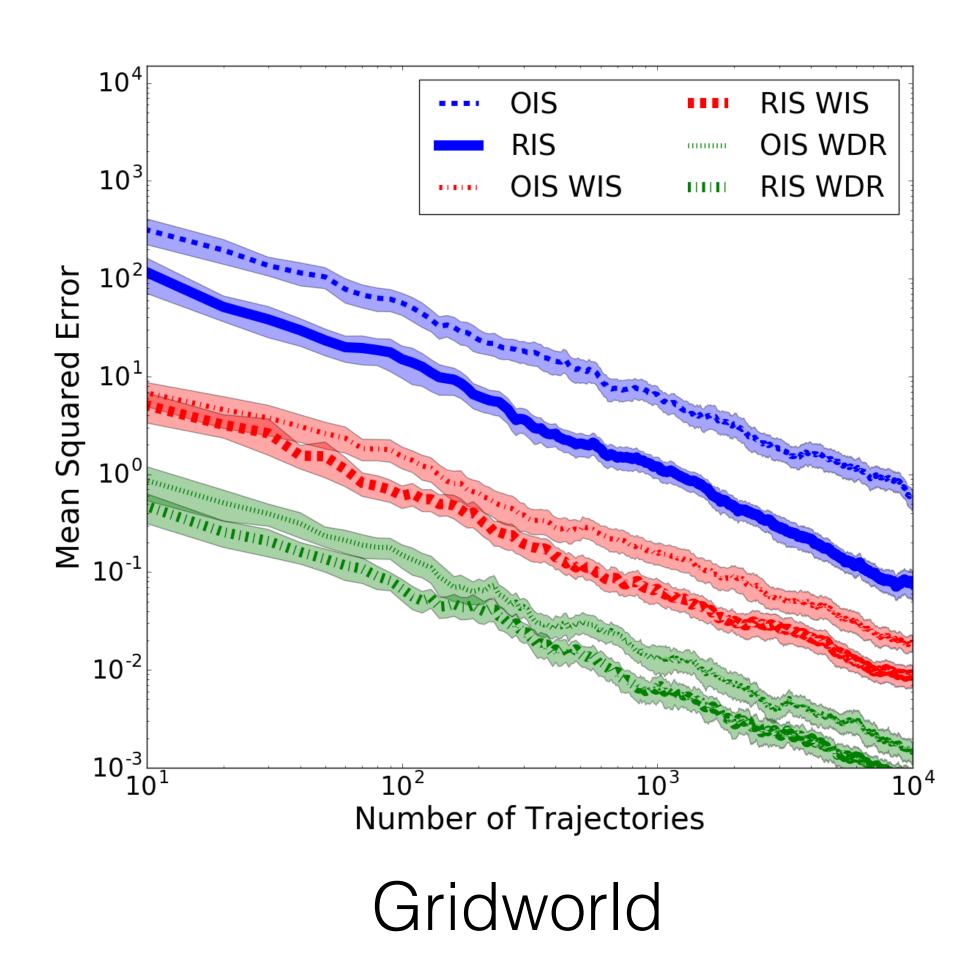






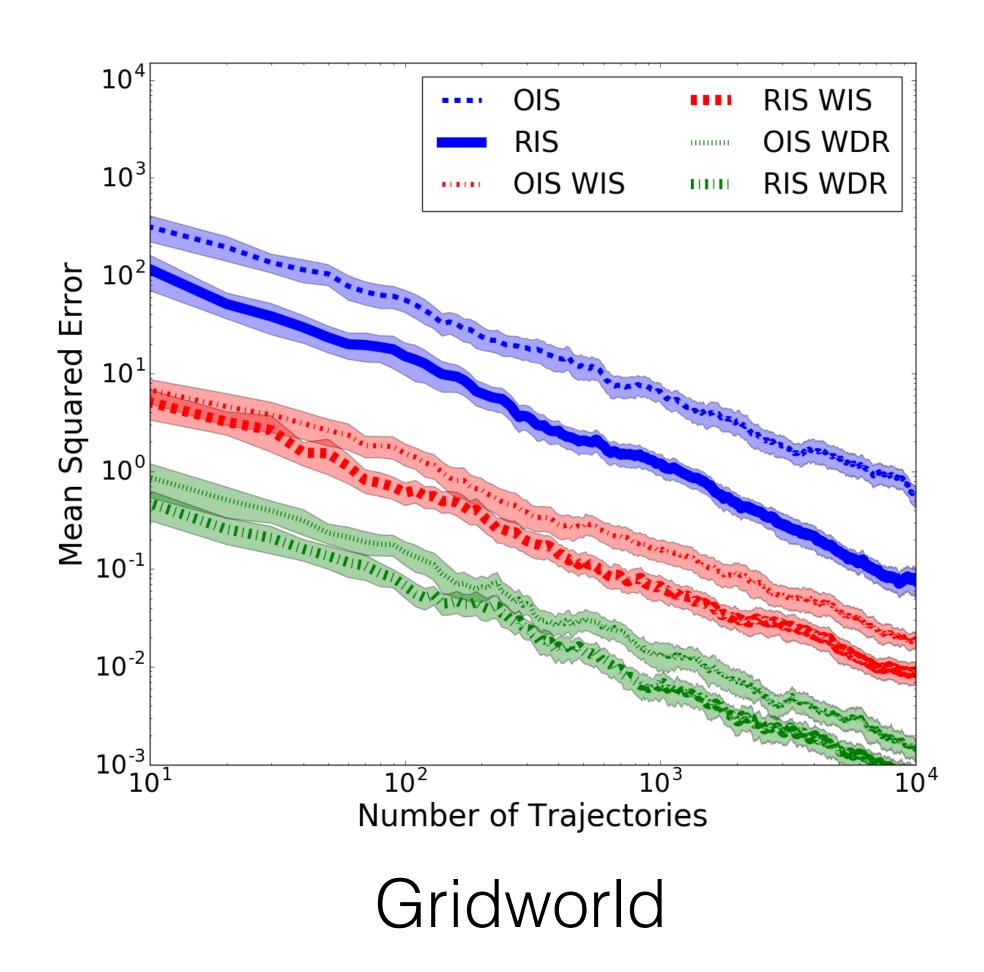






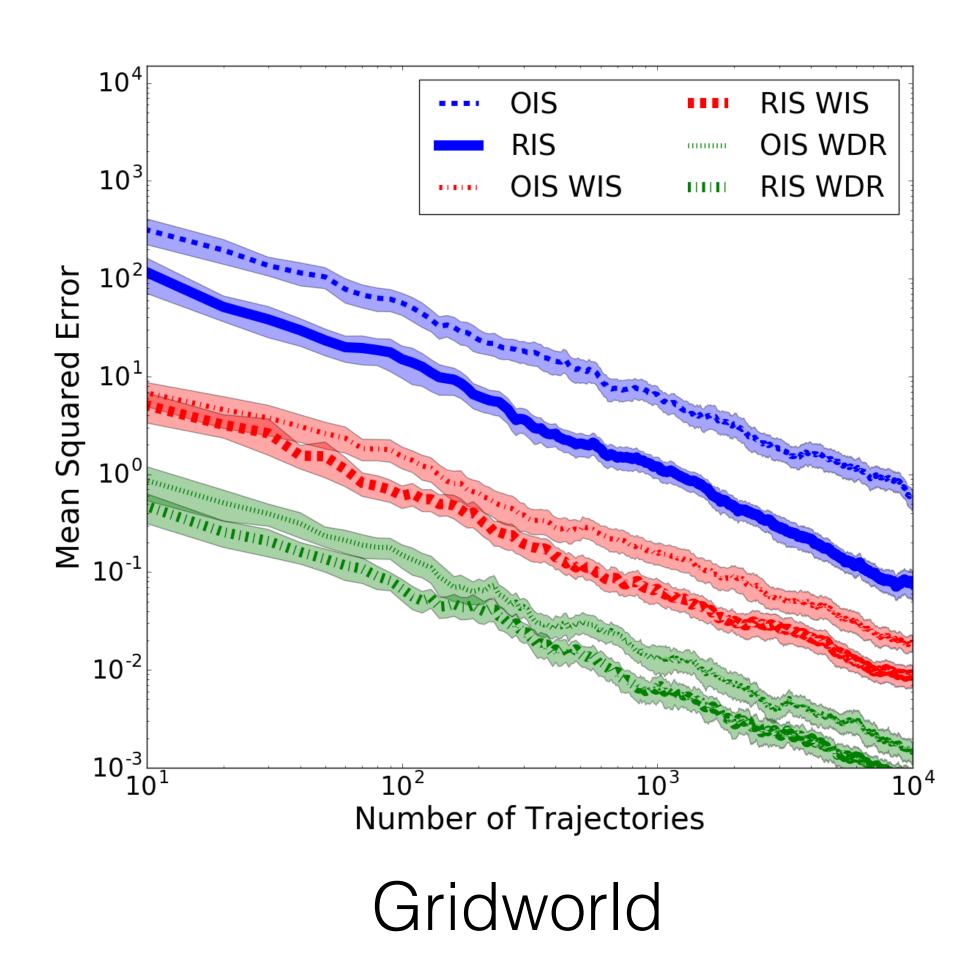
 10^{4} Erro 10³ Squared 501 Mean 10^{1} 10⁰₁₀² 10^{3} 10^{4} Number of Trajectories

Linear Dynamical System



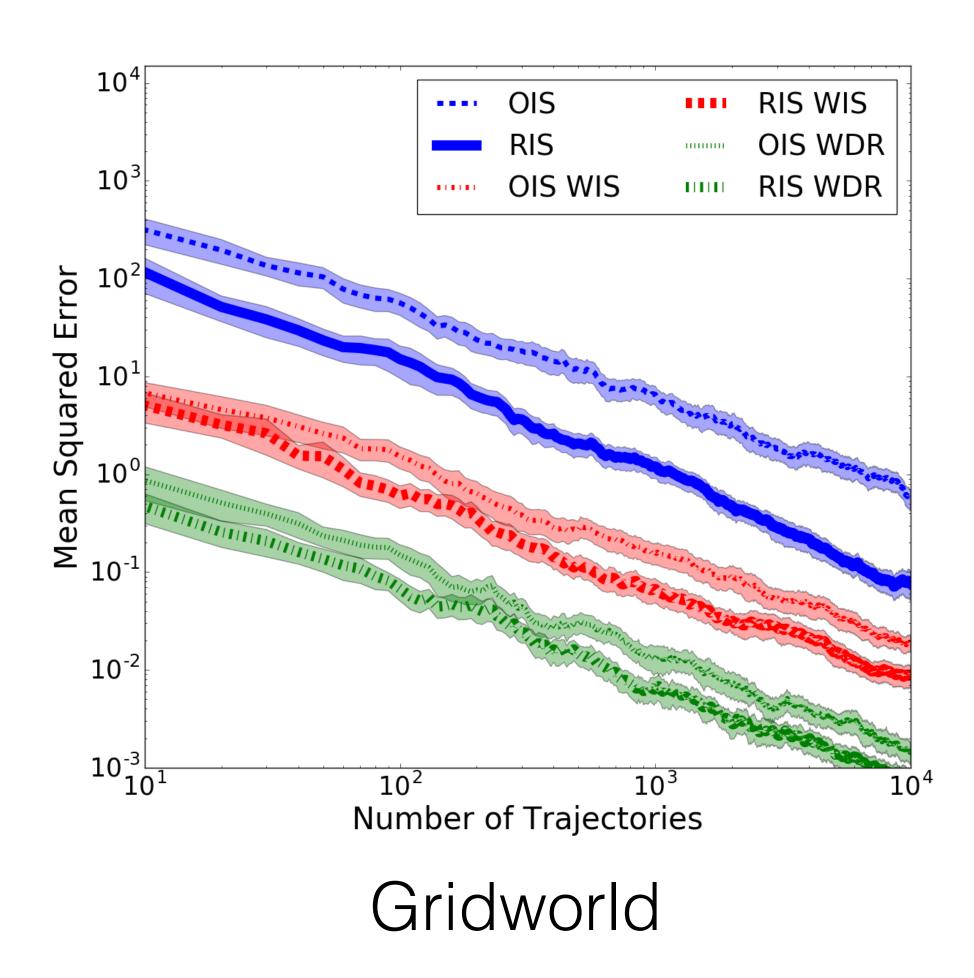
OIS 10² 10^{3} Squared 501 Mean 10^{1} 100¹02 10^{3} 10^{4} Number of Trajectories

Linear Dynamical System



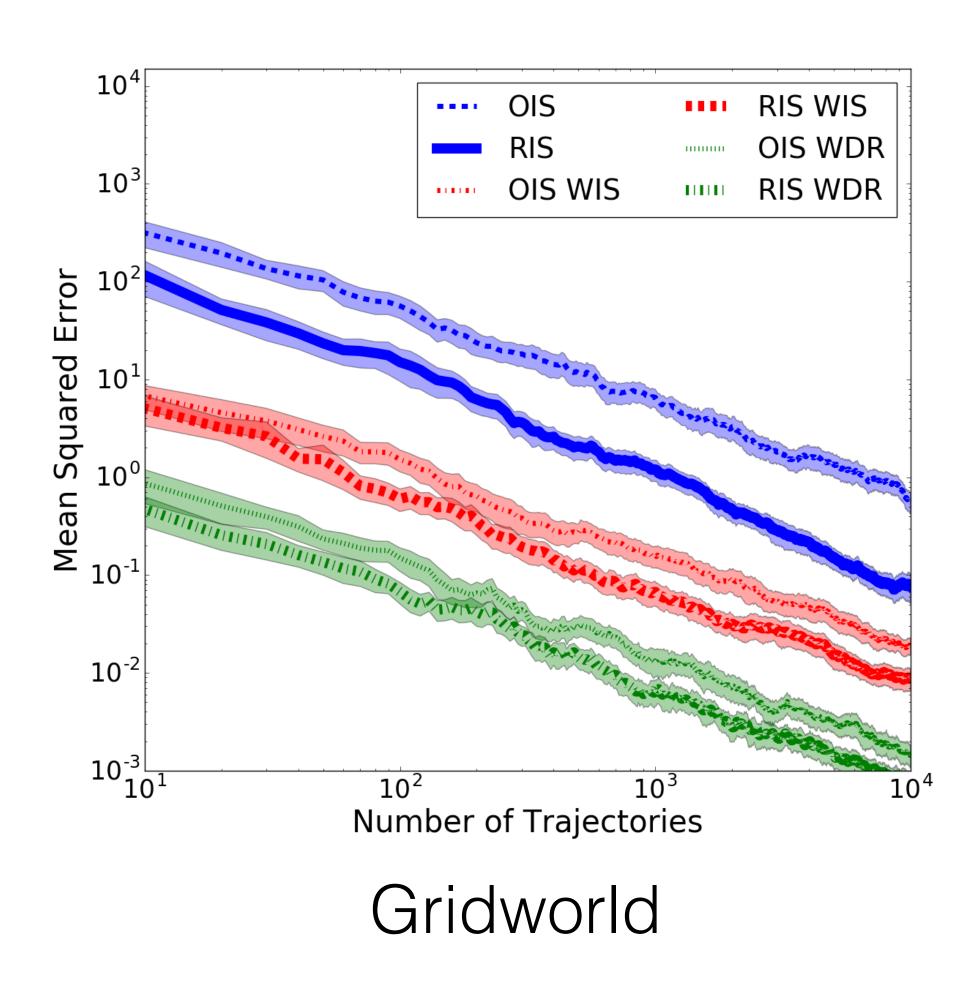
RIS OIS 10² Error 10^{3} Squared 501 Mean 10^{1} 10⁰₁₀² 10^{3} 10^{4} Number of Trajectories

Linear Dynamical System



OIS PDIS OIS IIIIII RIS 10^{4} Squared 501 Mean 10^{1} 100¹00² 10^{3} 10^{4} Number of Trajectories

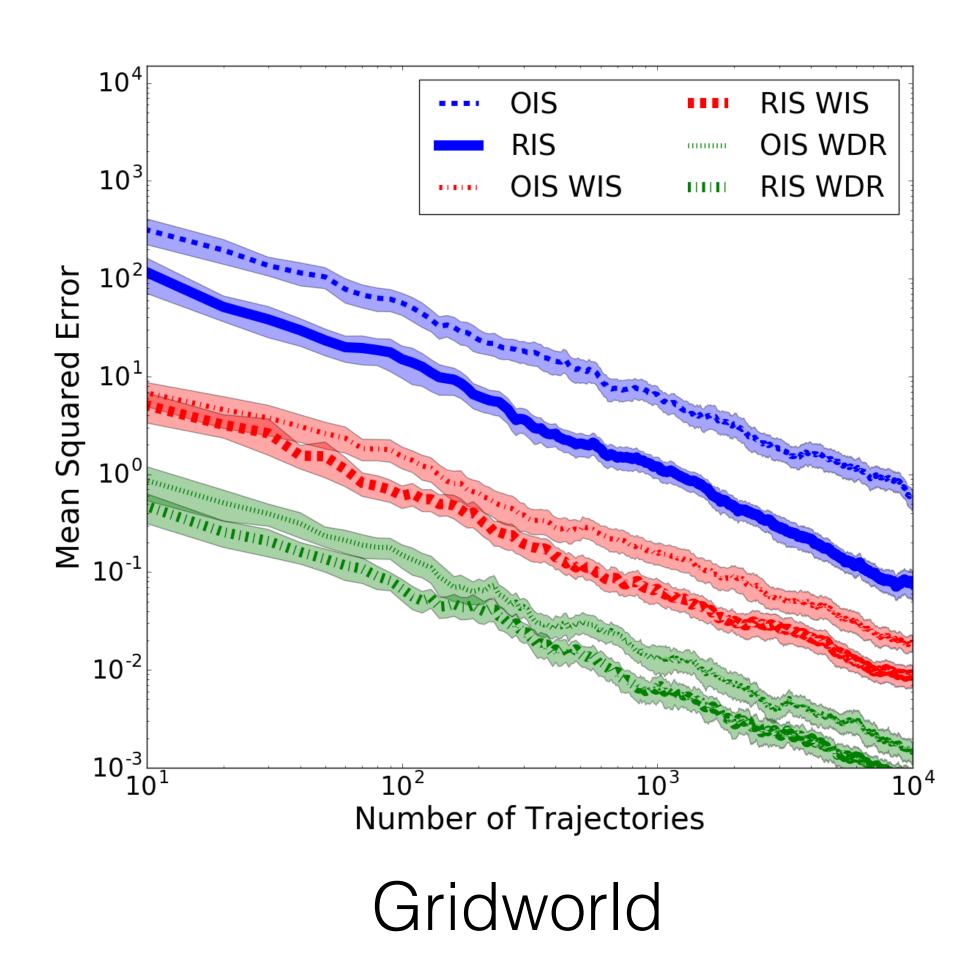
Linear Dynamical System



OIS PDIS OIS **RIS PDIS** RIS 10² Squared 501 Mean 10^{1} 100¹00² 10^{3} 10^{4} Number of Trajectories

Linear Dynamical System

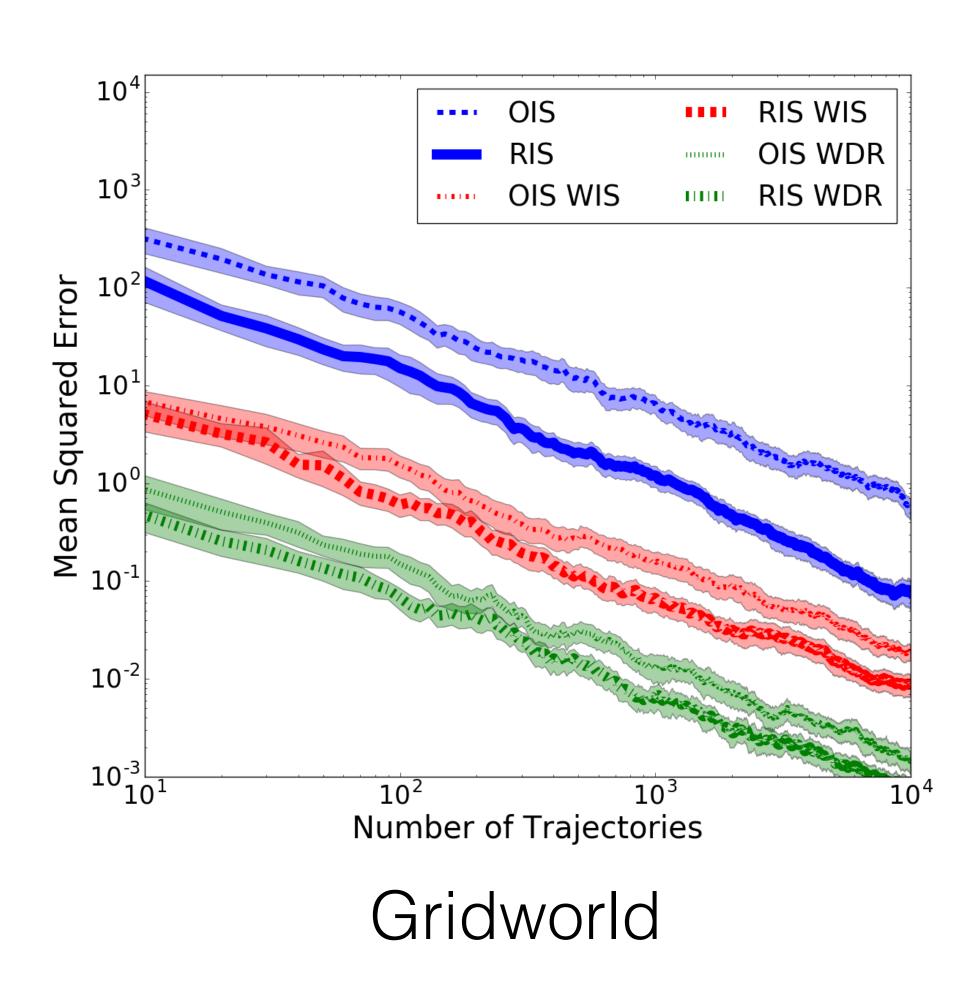
Empirical Results



RIS PDIS OIS OIS WIS RIS 10² OIS PDIS Squared 501 Mean 10^{1} 100¹02 10^{3} 10^{4} Number of Trajectories

Linear Dynamical System

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RIS PDIS OIS OIS WIS RIS 10² OIS PDIS RIS WIS Squared 501 Mean 10^{1} 100¹02 10^{3} 10^{4} Number of Trajectories

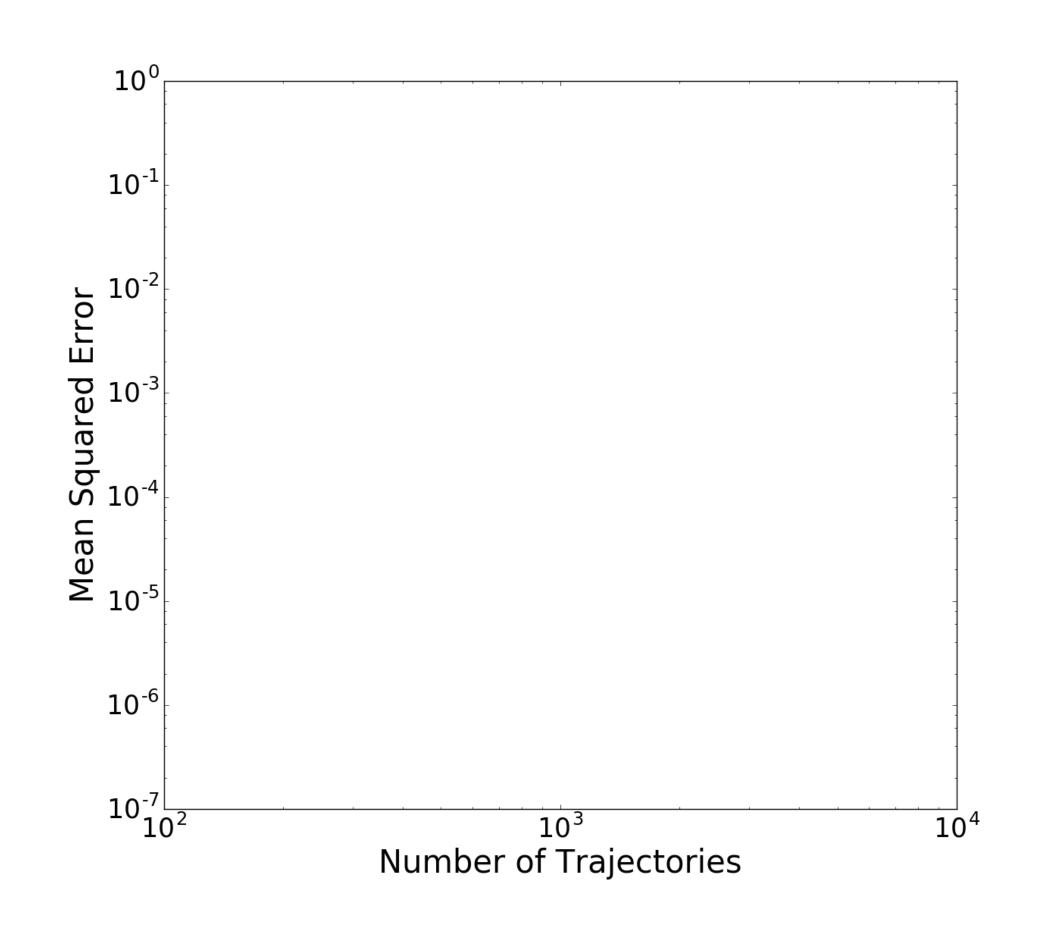
Linear Dynamical System

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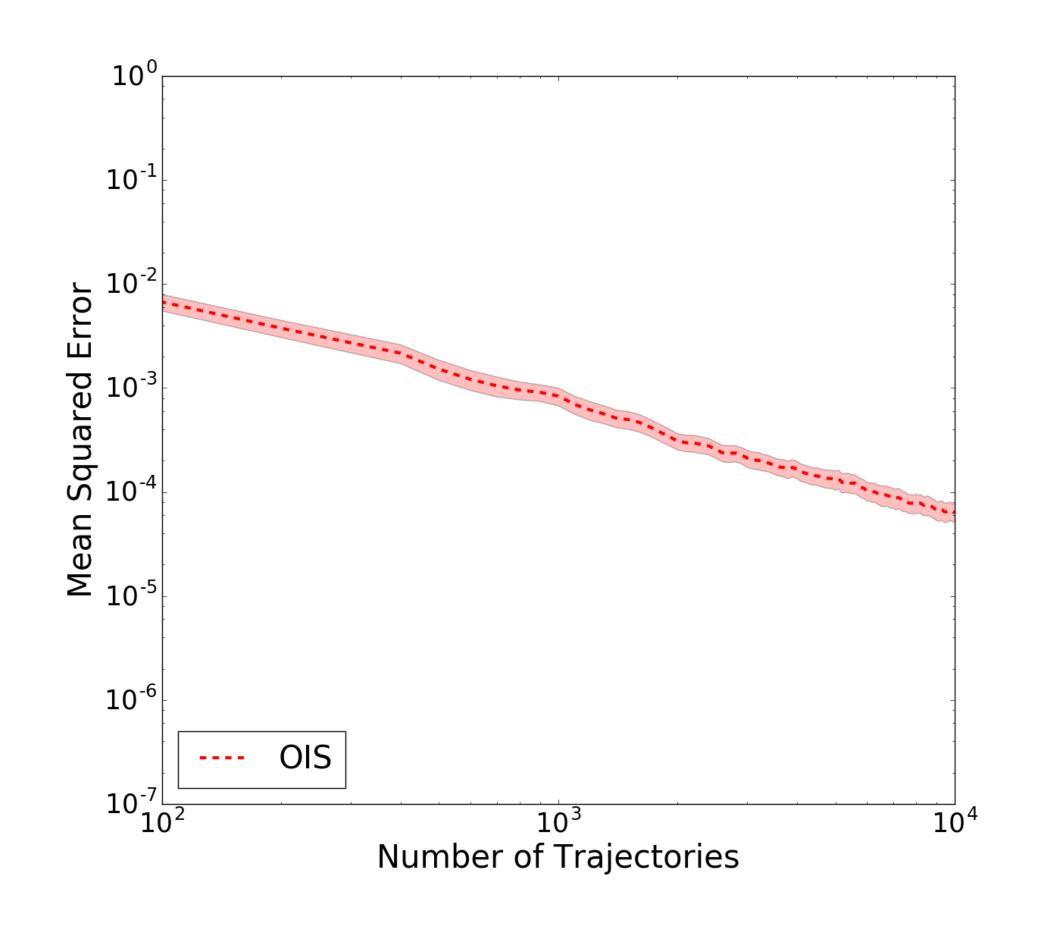
$$\prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_{\mathcal{D}}(a_t|s_{t-n}, a_{t-n}, ..., s_t)}$$

$$\prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_{\mathcal{D}}(a_t|s_{t-n}, a_{t-n}, ..., s_t)}$$



SinglePath MDP (horizon of 5)

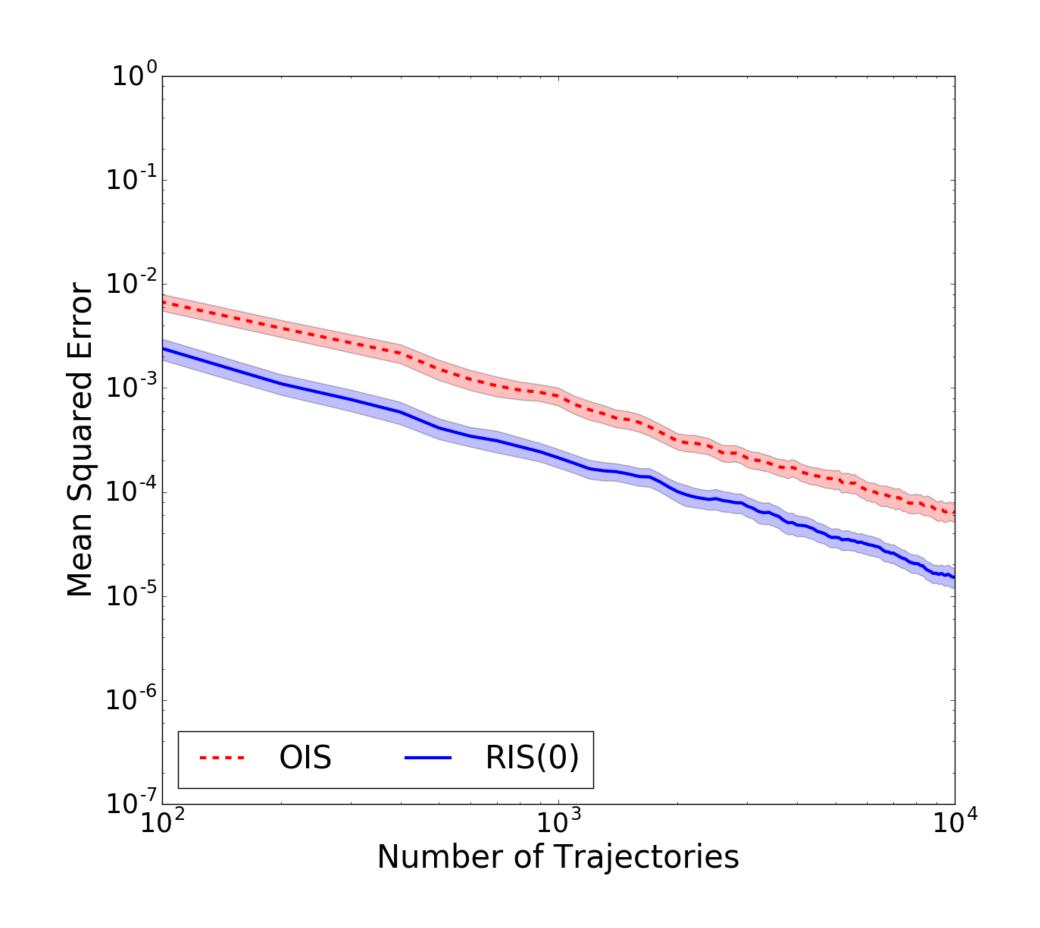
$$\prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_{\mathcal{D}}(a_t|s_{t-n}, a_{t-n}, ..., s_t)}$$



SinglePath MDP (horizon of 5)

27

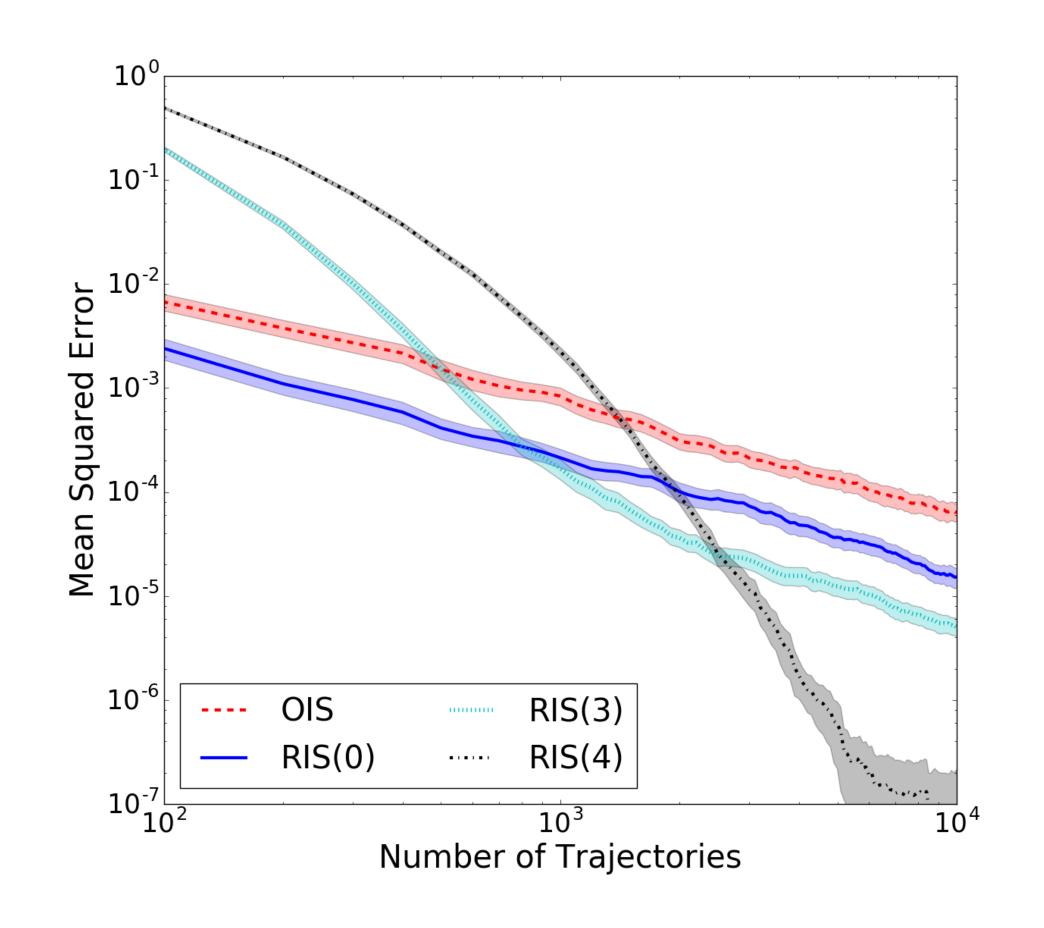
$$\prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_{\mathcal{D}}(a_t|s_{t-n}, a_{t-n}, ..., s_t)}$$



SinglePath MDP (horizon of 5)

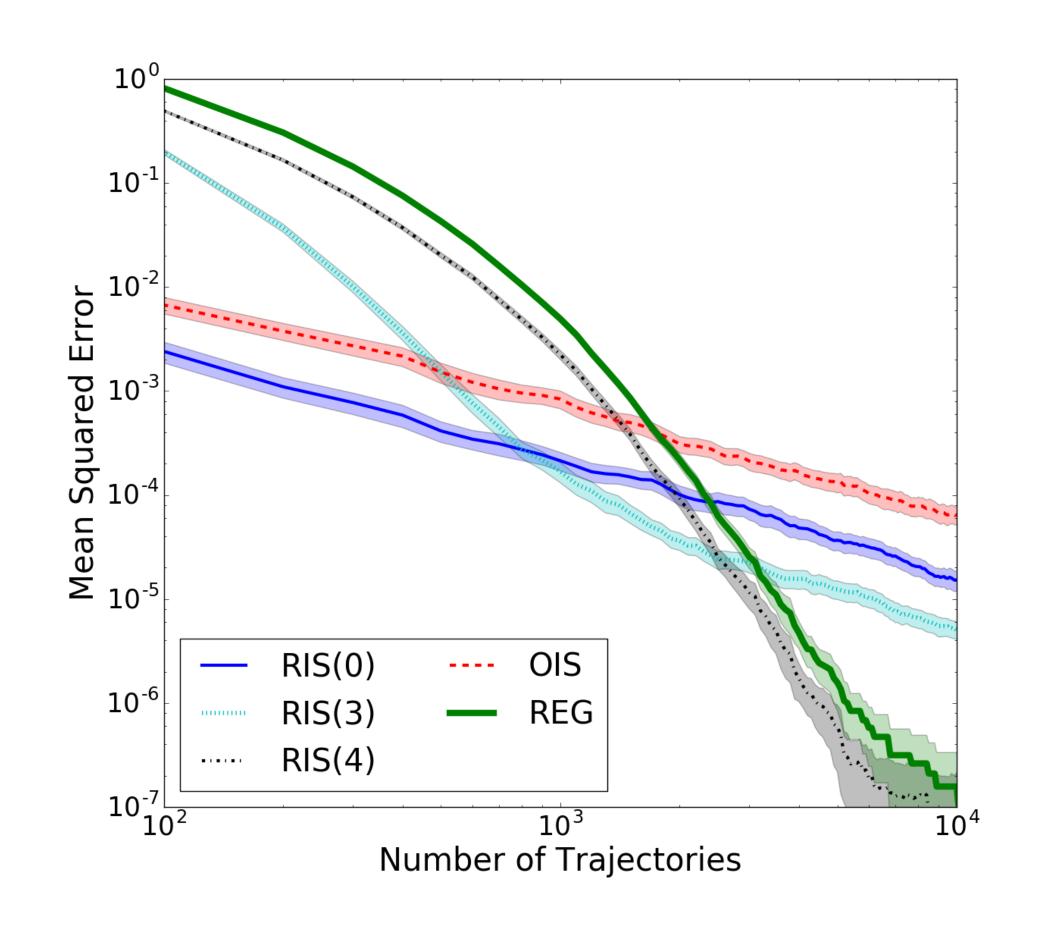
27

$$\prod_{t=0}^{L} \frac{\pi(a_t|s_t)}{\pi_{\mathcal{D}}(a_t|s_{t-n}, a_{t-n}, ..., s_t)}$$



SinglePath MDP (horizon of 5)

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SinglePath MDP (horizon of 5)

28

Same results when behavior policy and evaluation policy are identical.

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- 3. Can correcting sampling error improve other types of reinforcement learning algorithms?

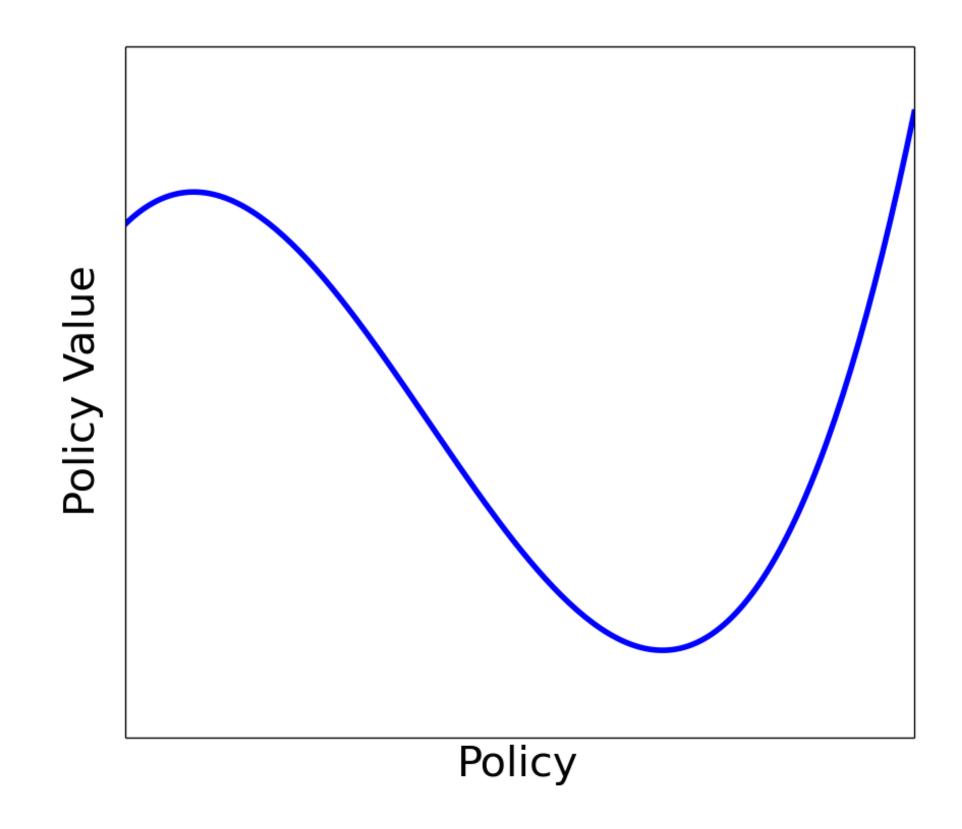
Same results when behavior policy and evaluation policy are identical.

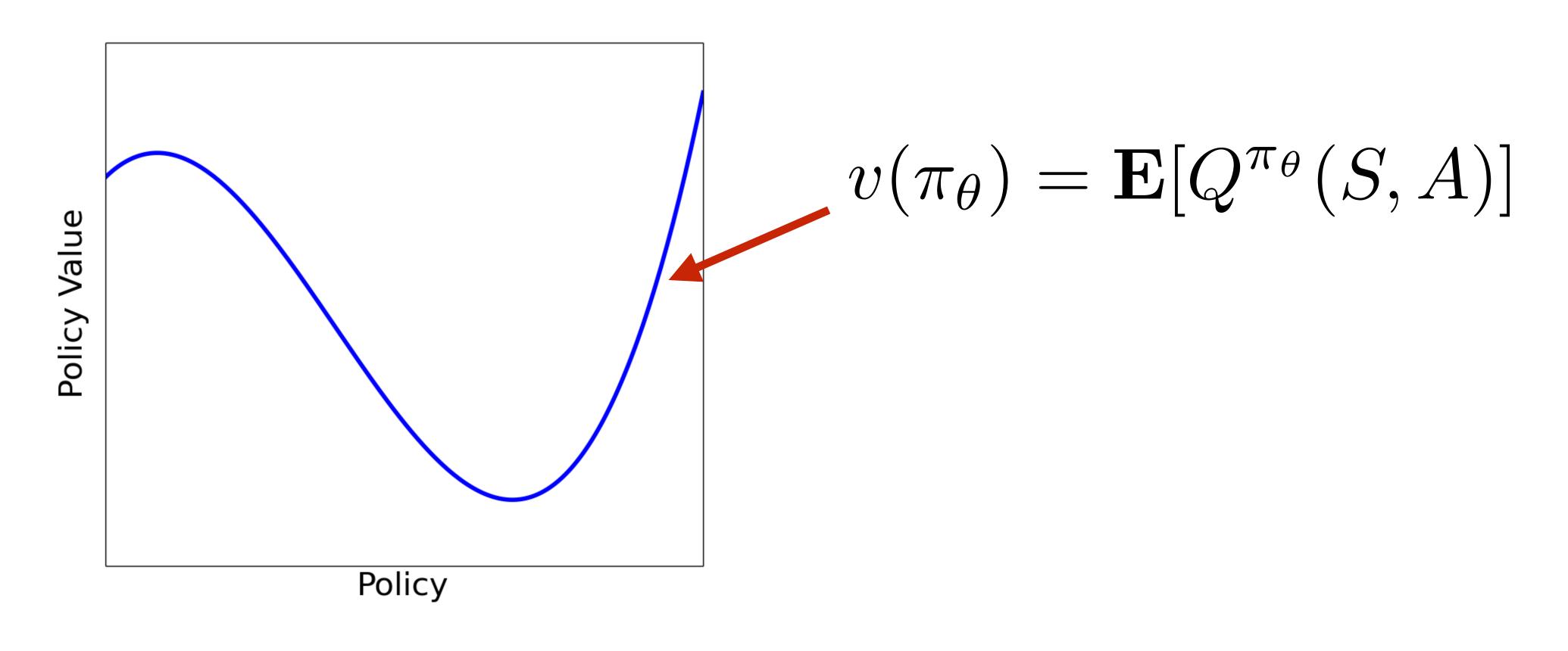
- 1. Any Monte Carlo sampling method may suffer from sampling error.
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Contribution 4:

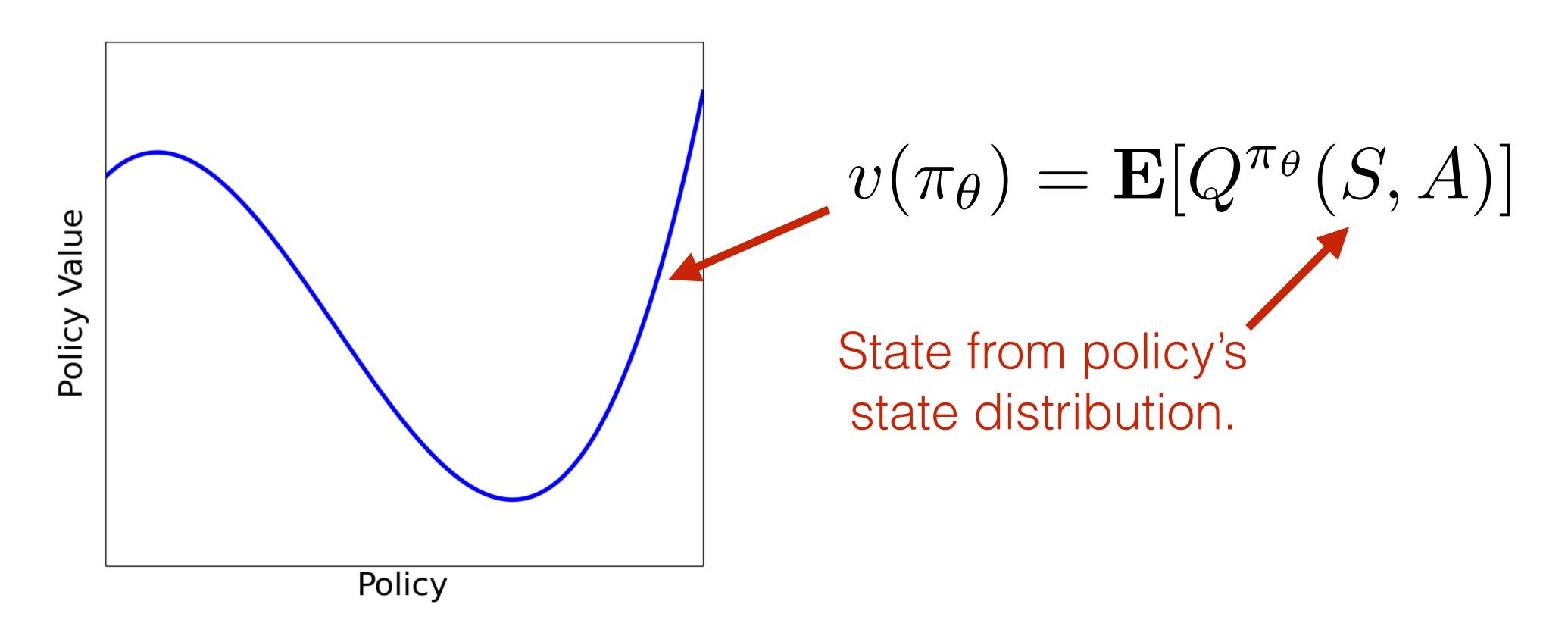
Sampling error corrected policy gradient estimator that improves over Monte Carlo policy gradient estimators.

29

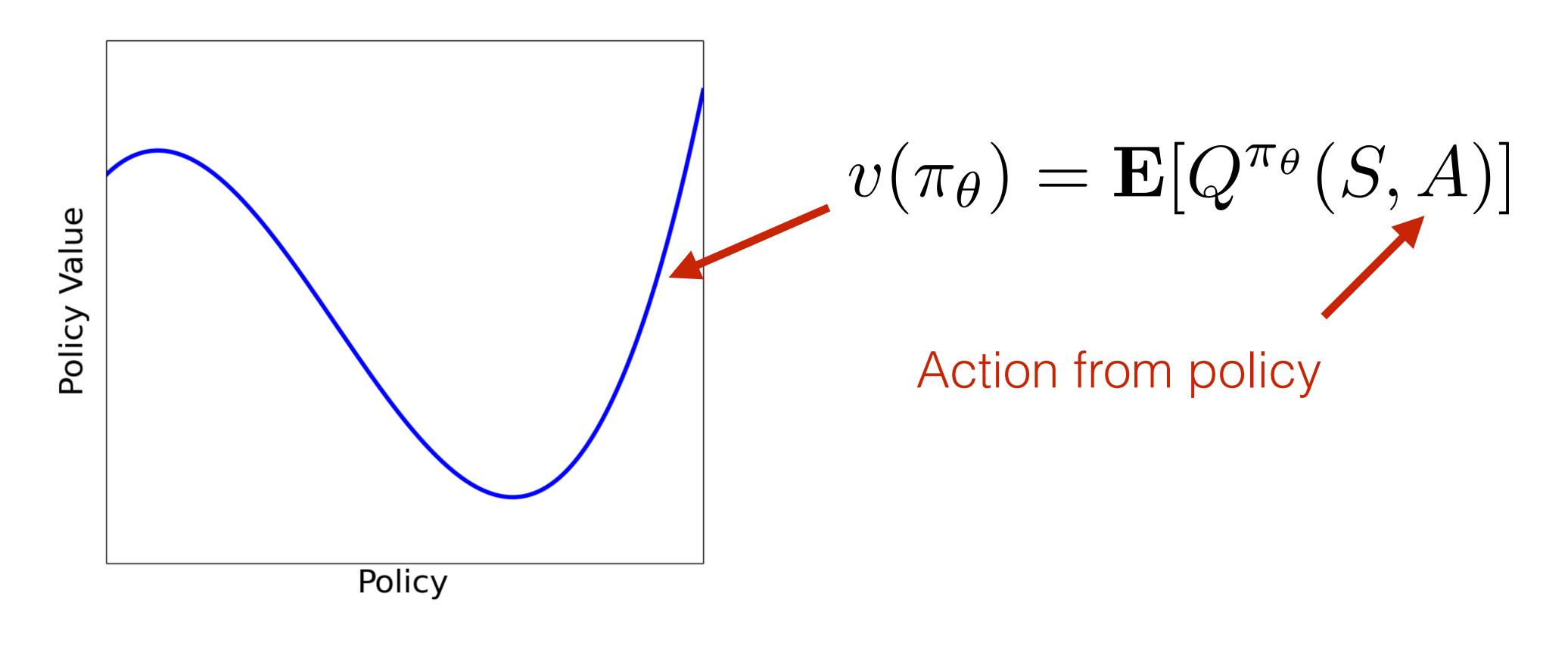




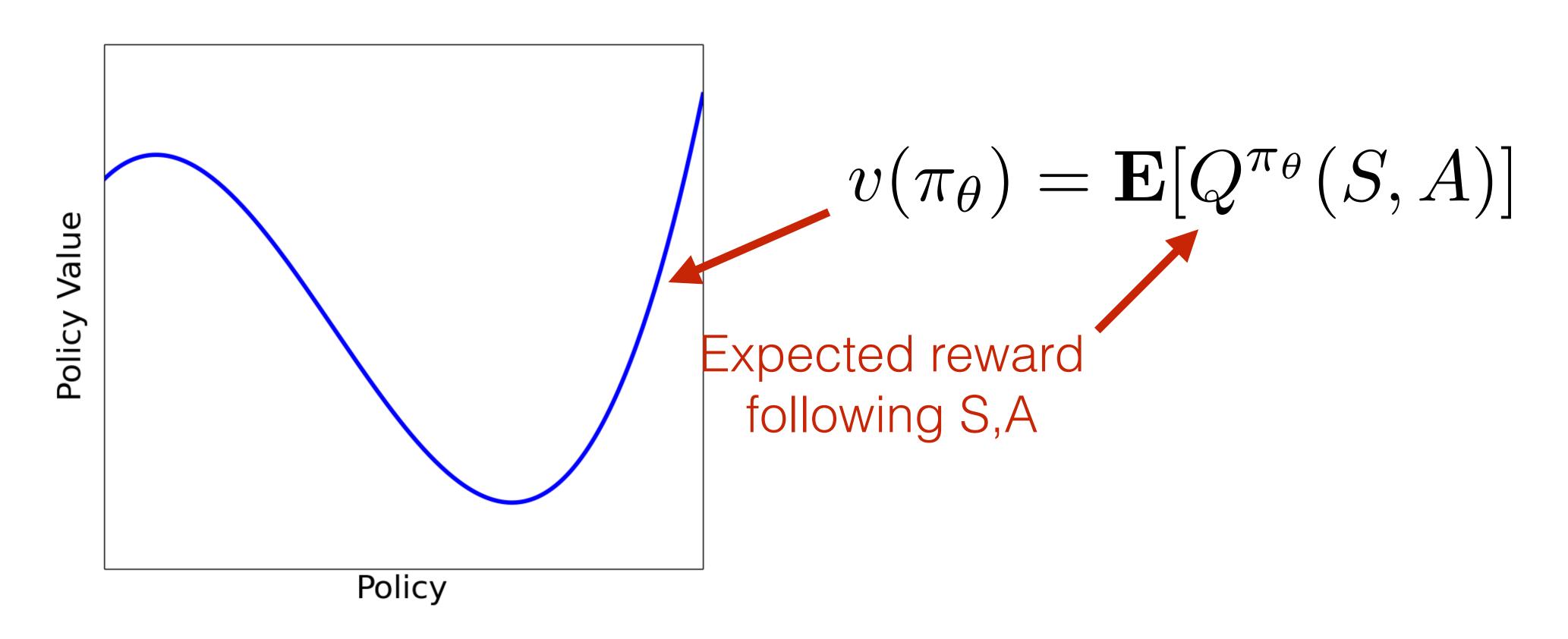
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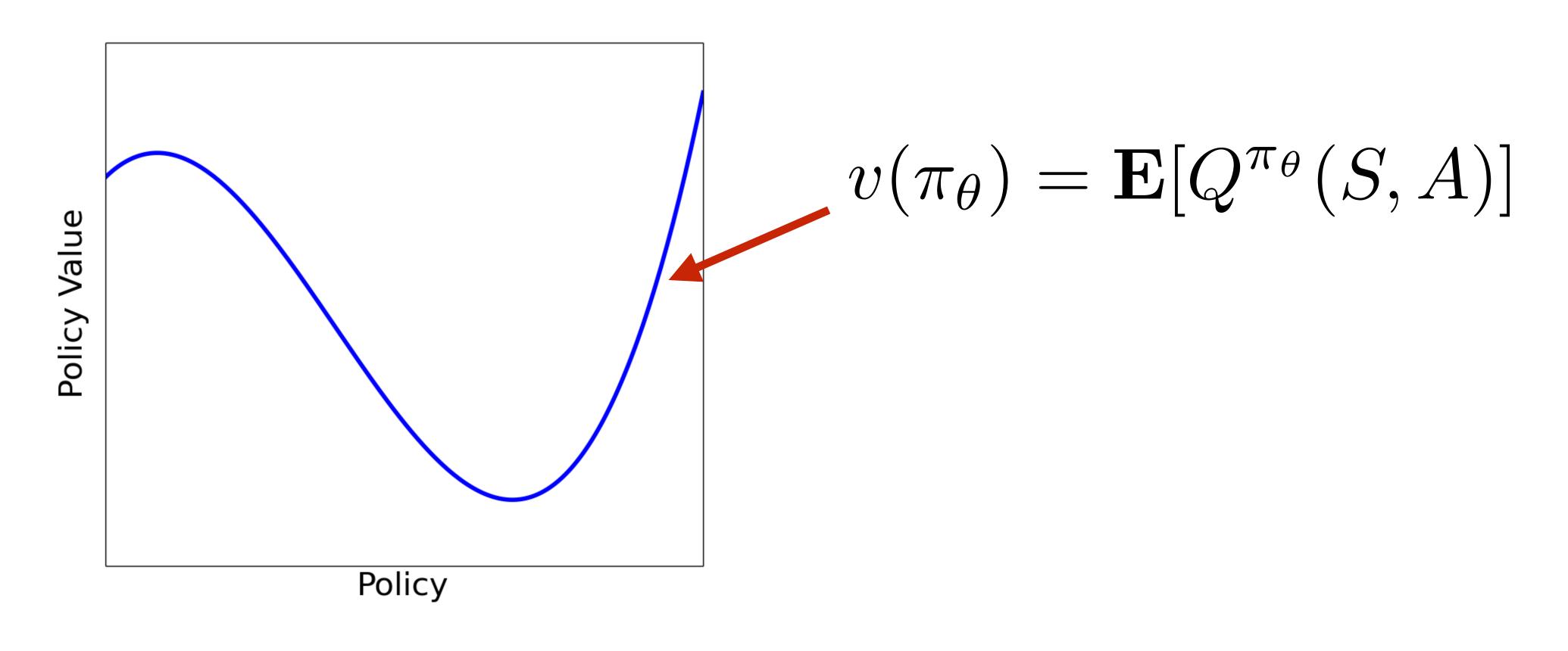
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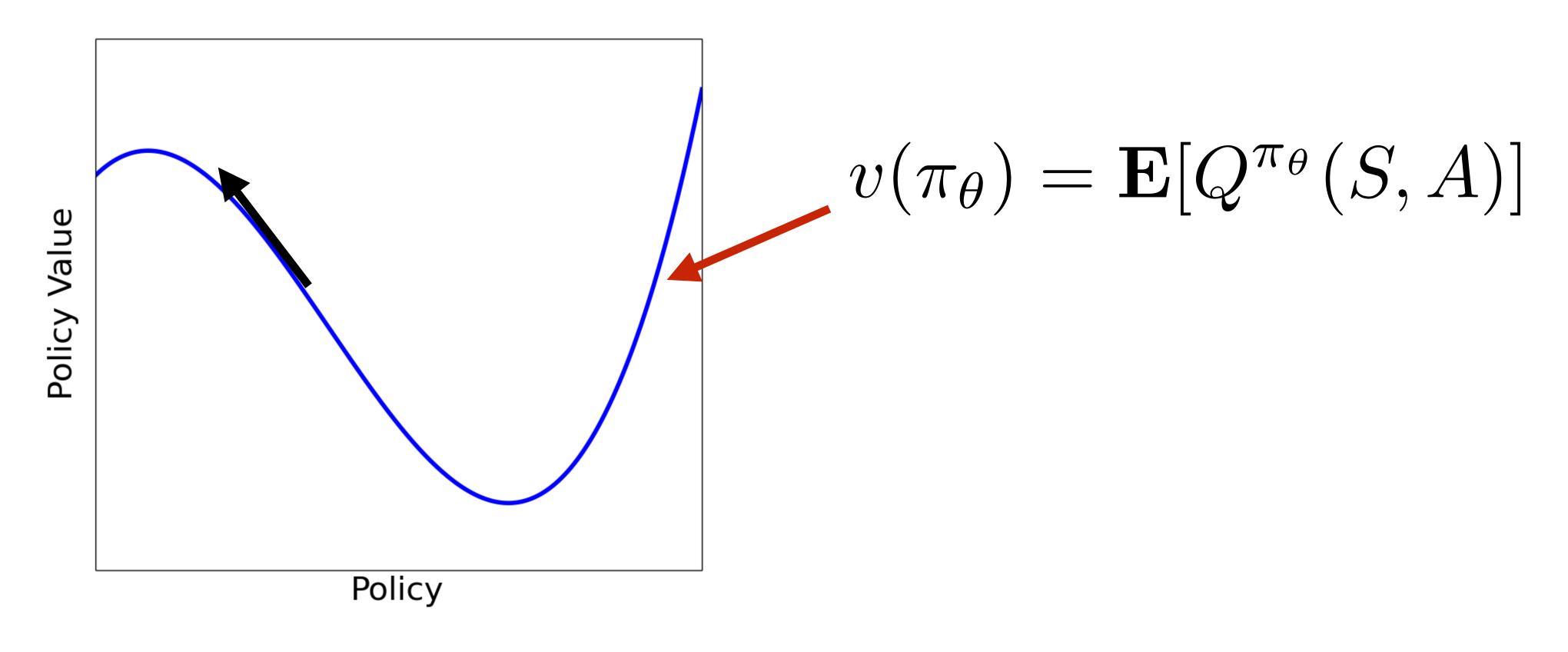
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29

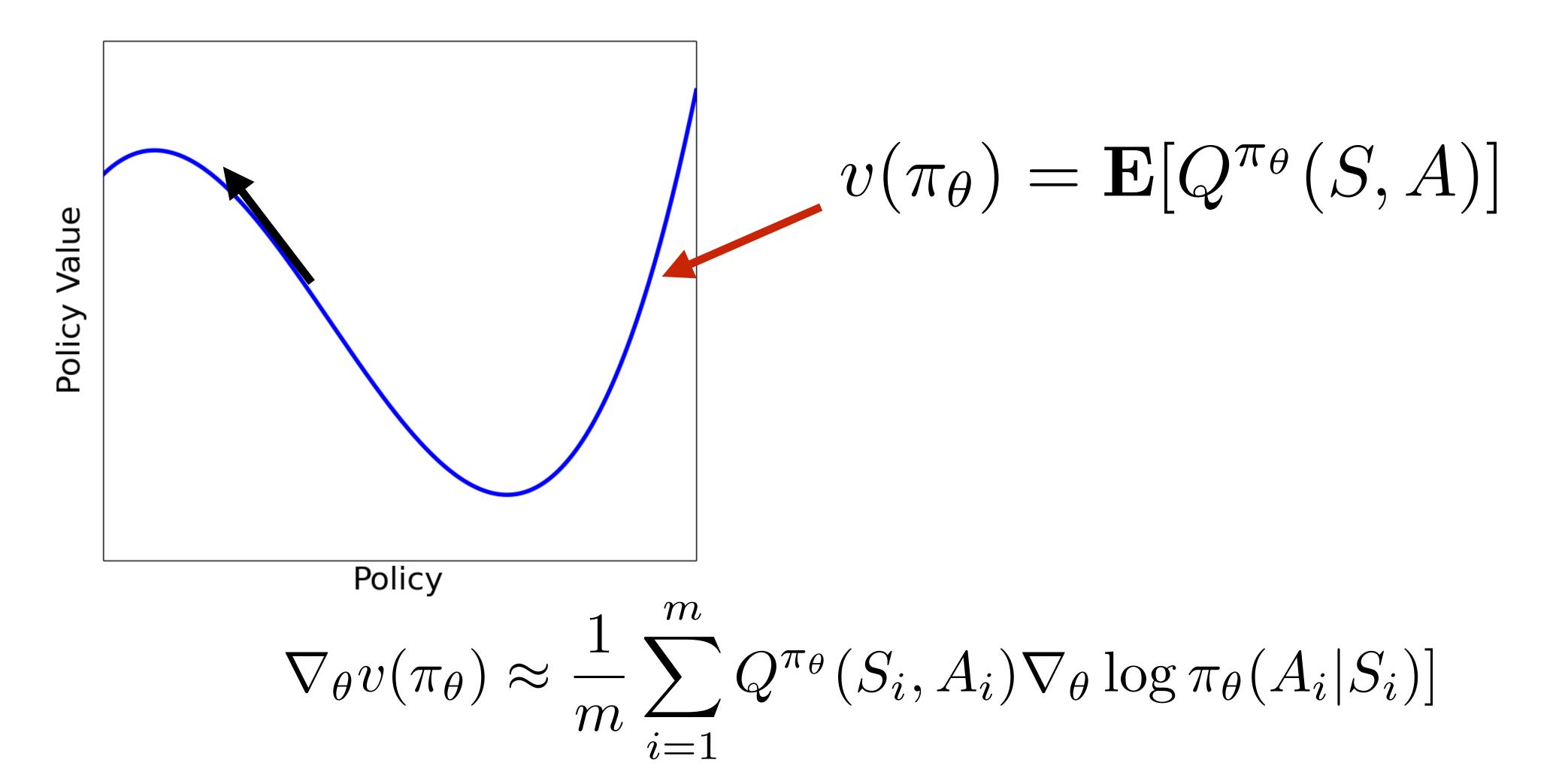


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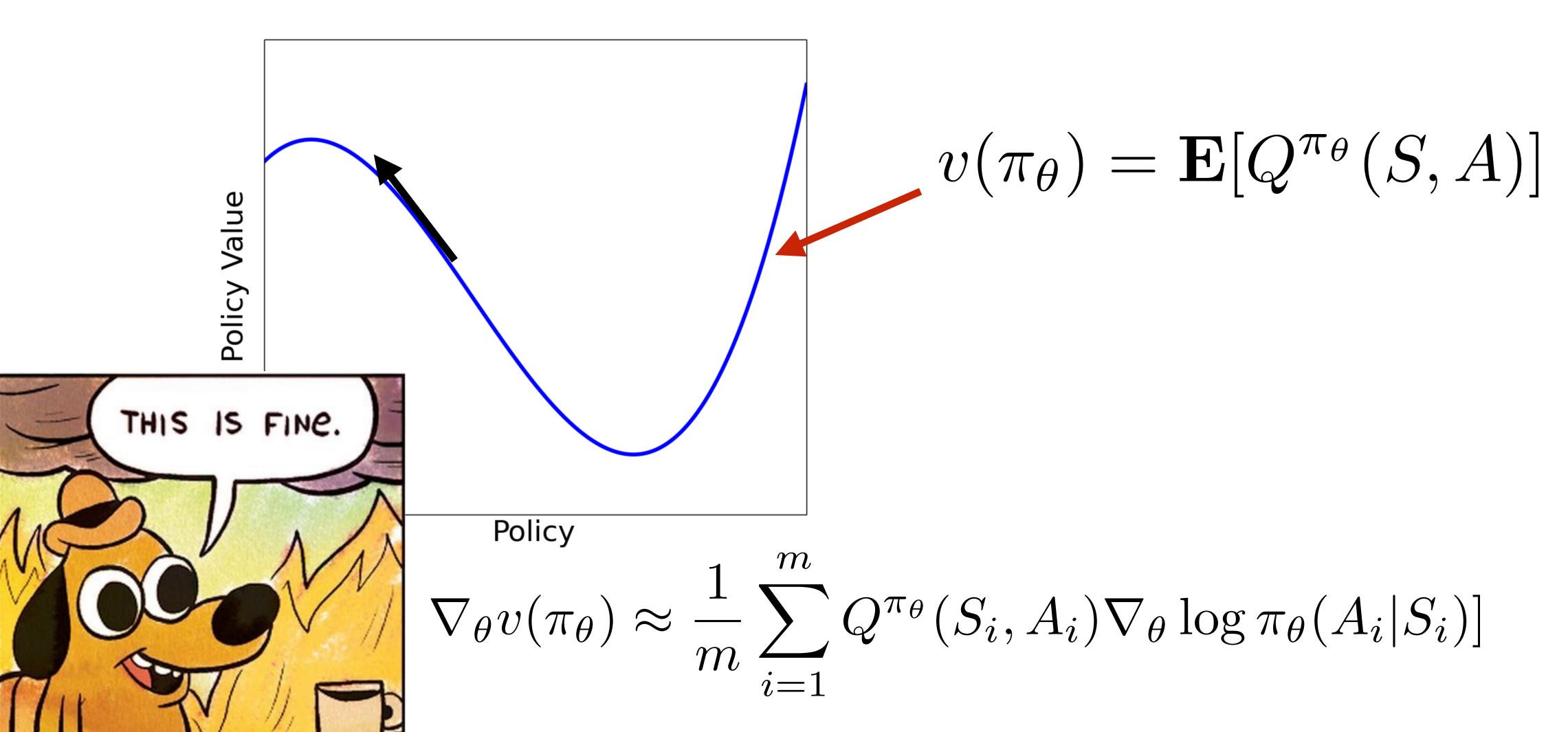


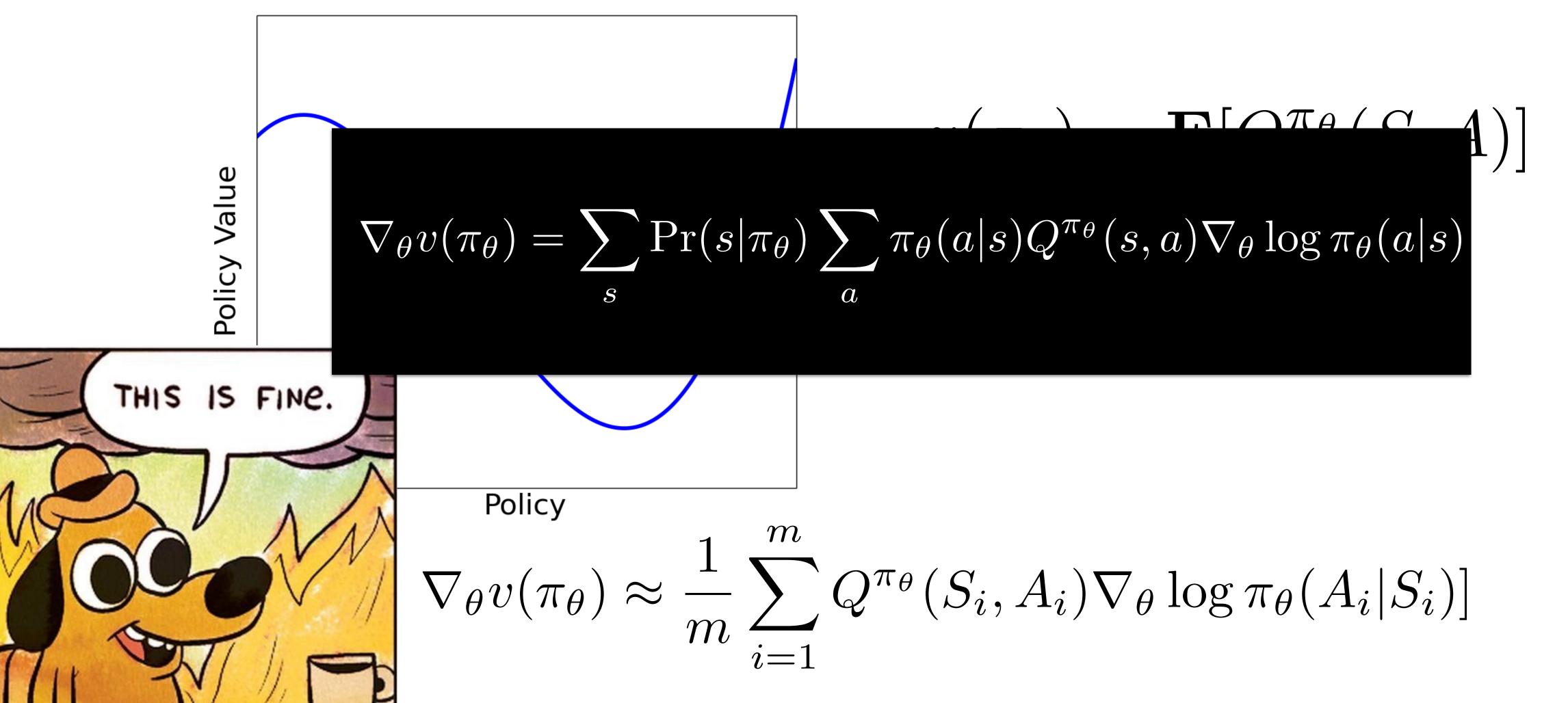
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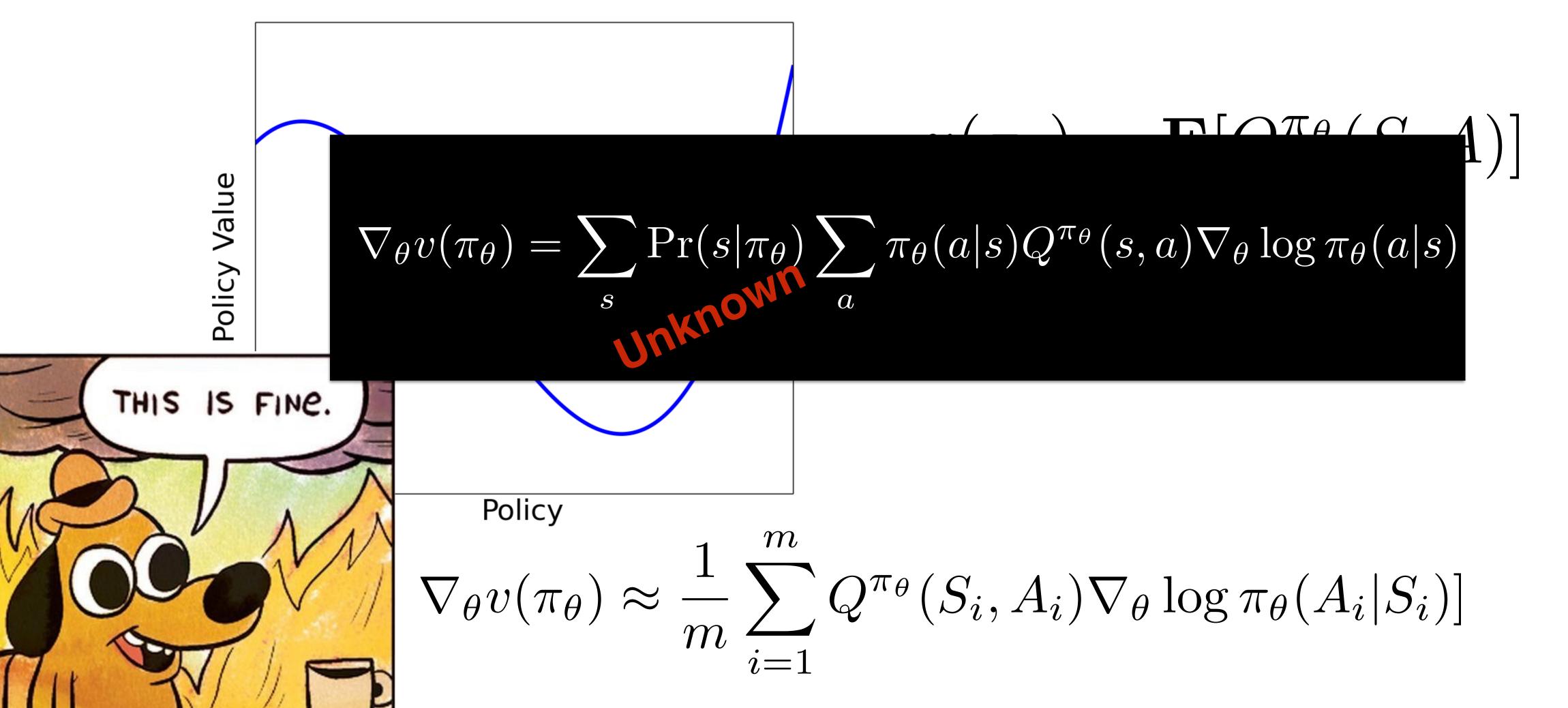
$$\nabla_{\theta} v(\pi_{\theta}) = \mathbf{E}[Q^{\pi_{\theta}}(S, A) \nabla_{\theta} \log \pi_{\theta}(A|S)]$$

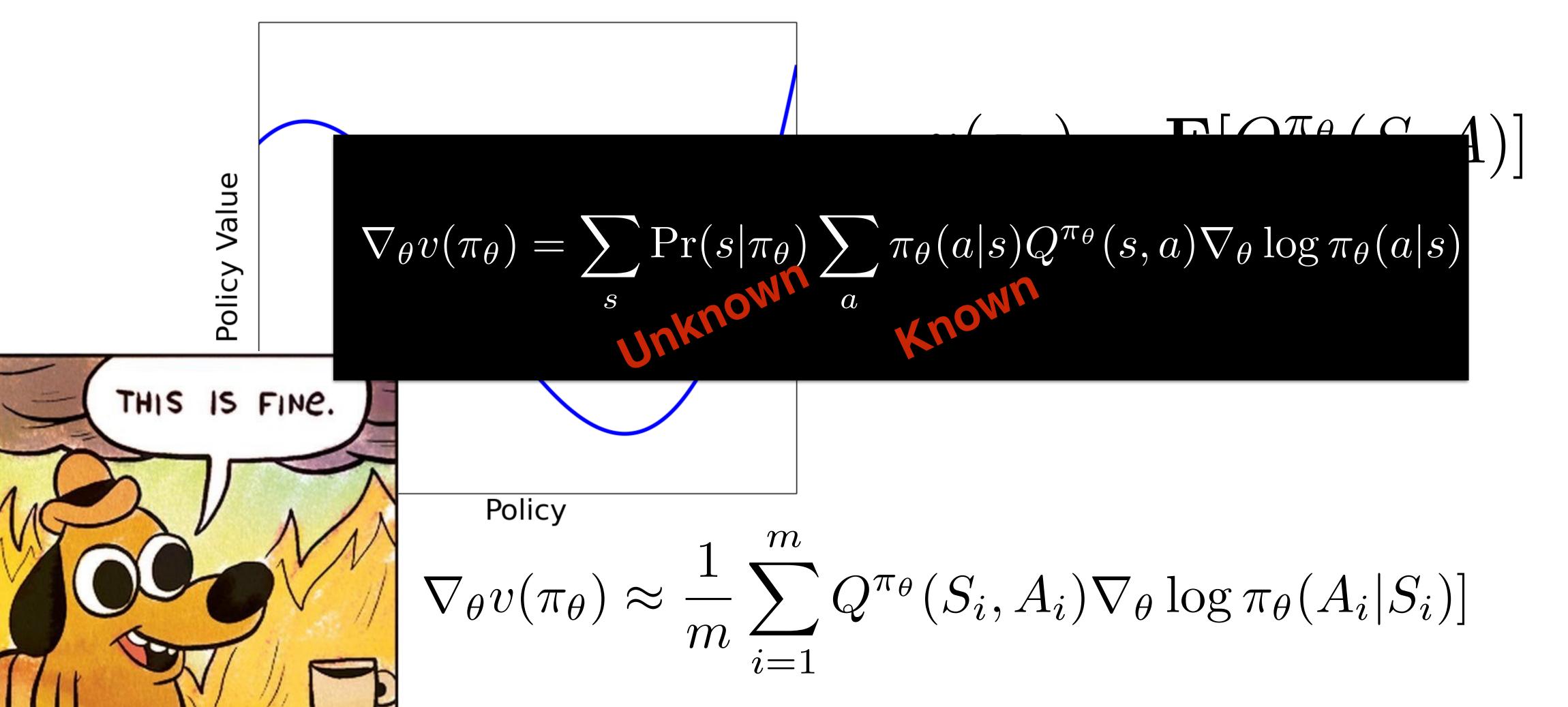


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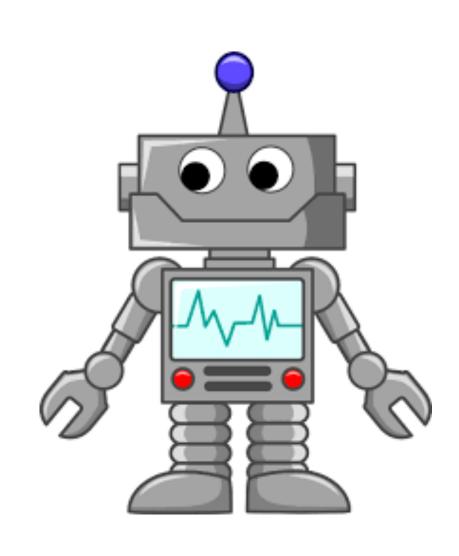


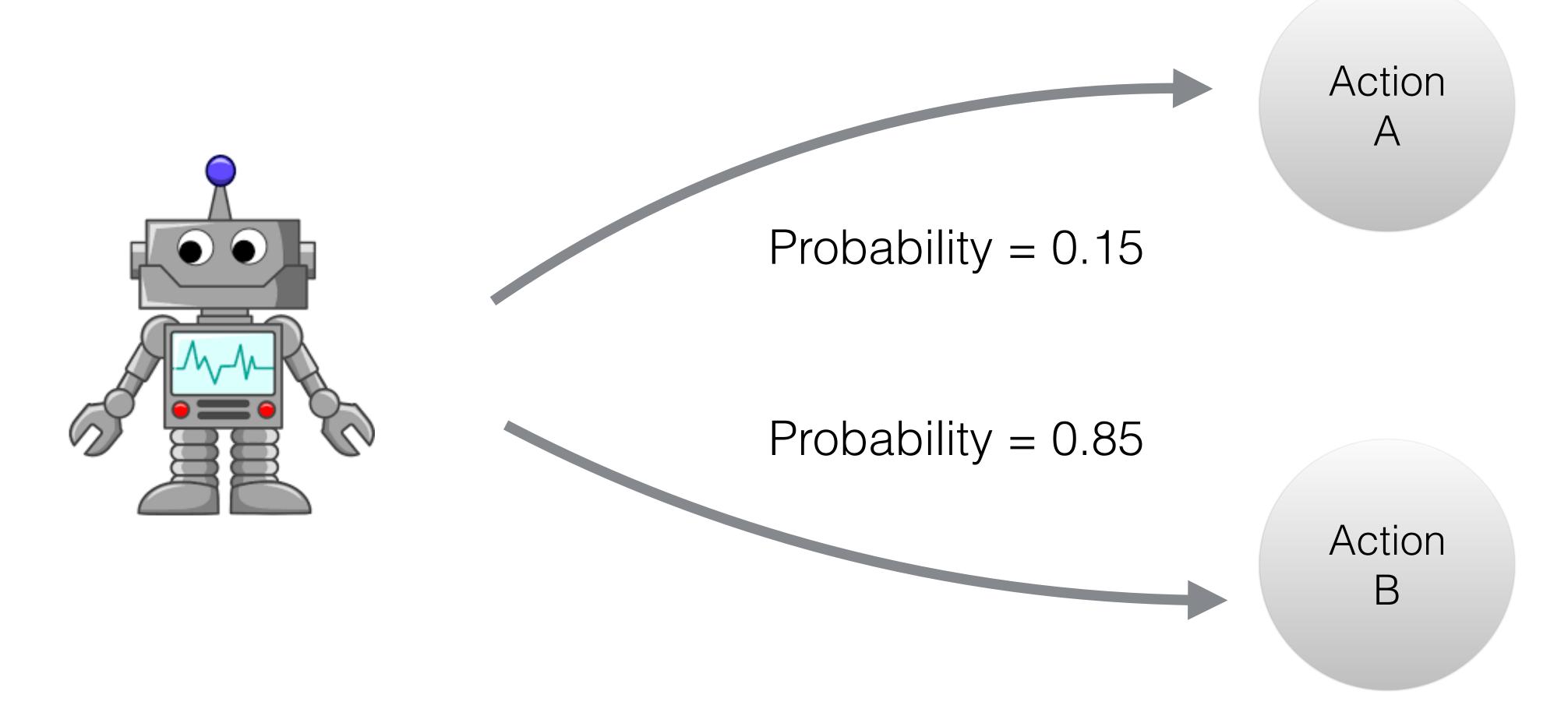
1. Execute current policy for m steps.

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- 3. Throw away observed data and repeat (on-policy).

31

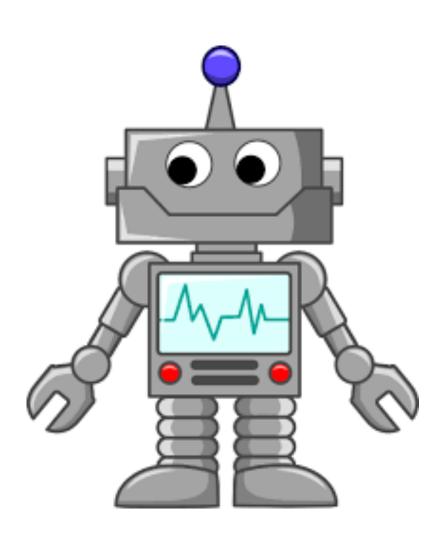




31

Proportion = 0.1

Action A



Probability = 0.15

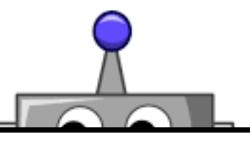
Probability = 0.85

Proportion = 0.9

Action B

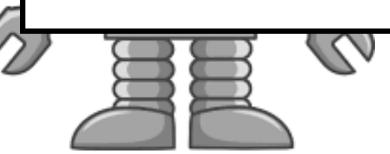
Proportion = 0.1

Action A



Drobobility 015

For a finite amount of data, it may appear that the wrong policy generated the data.



Probability = 0.85

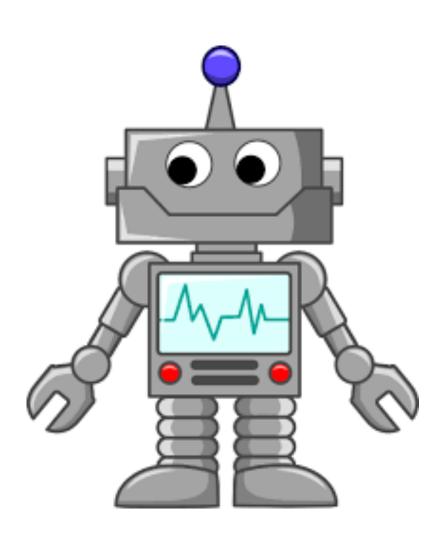
Proportion = 0.9

Action B

Sampling Error

Proportion = 0.1

Action A



Probability = 0.15

Probability = 0.85

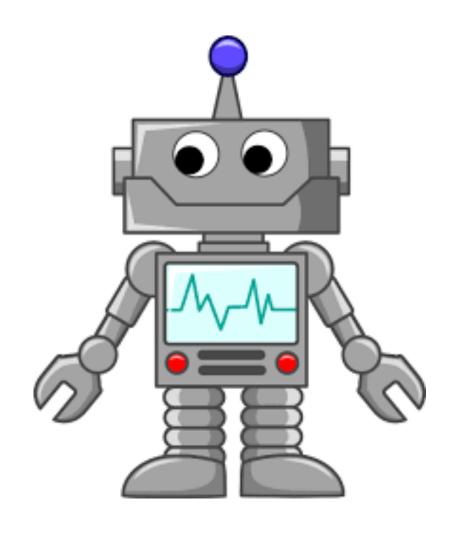
Proportion = 0.9

Action B

Sampling Error

Proportion = 0.15

Action A



Probability = 0.15

Probability = 0.85

Proportion = 0.85

Action B

32

Pretend data was generated by policy that most closely matches the observed data.

32

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$$\pi_{\phi} = \operatorname{argmax}_{\phi'} \sum_{i=1}^{m} \log \pi_{\phi'}(a_i|s_i)$$

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$$\nabla_{\theta} v(\pi_{\theta}) \approx \frac{1}{m} \sum_{i=1}^{m} \frac{\pi_{\theta}(a_i|s_i)}{\pi_{\phi}(a_i|s_i)} Q^{\pi_{\theta}}(S_i, A_i) \nabla_{\theta} \log \pi_{\theta}(A_i|S_i)$$

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Importance Sampling

$$abla v(\pi_{\theta}) pprox \frac{1}{m} \sum_{i=1}^{m} \frac{\pi_{\theta}(a_i|s_i)}{\pi_{\phi}(a_i|s_i)} Q^{\pi_{\theta}}(S_i, A_i) \nabla_{\theta} \log \pi_{\theta}(A_i|S_i)$$

32

33

1. Execute current policy for m steps.

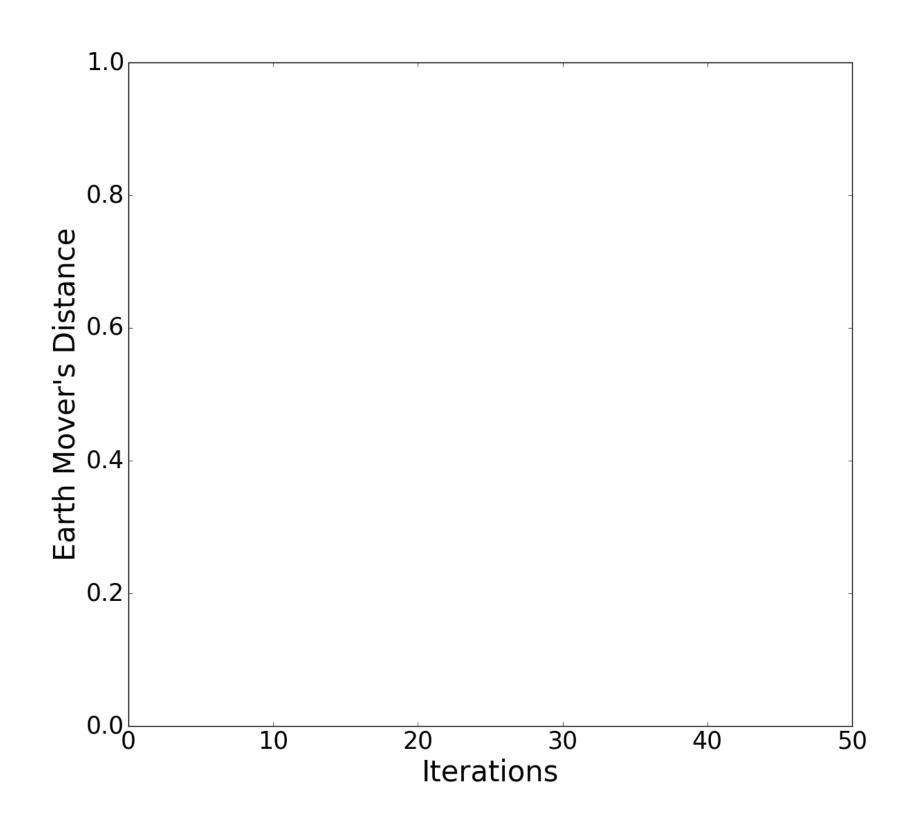
- 1. Execute current policy for m steps.
- 2. Estimate empirical policy with maximum likelihood estimation.

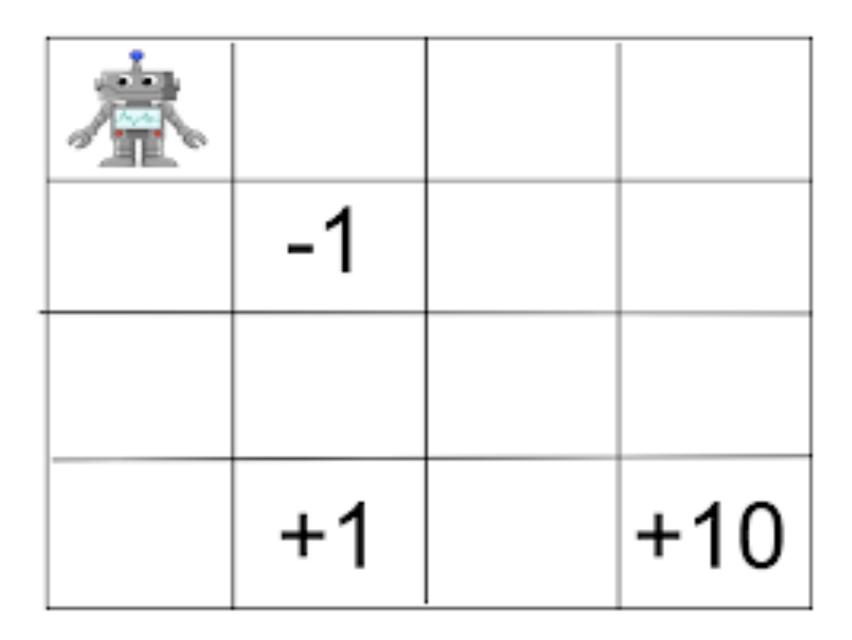
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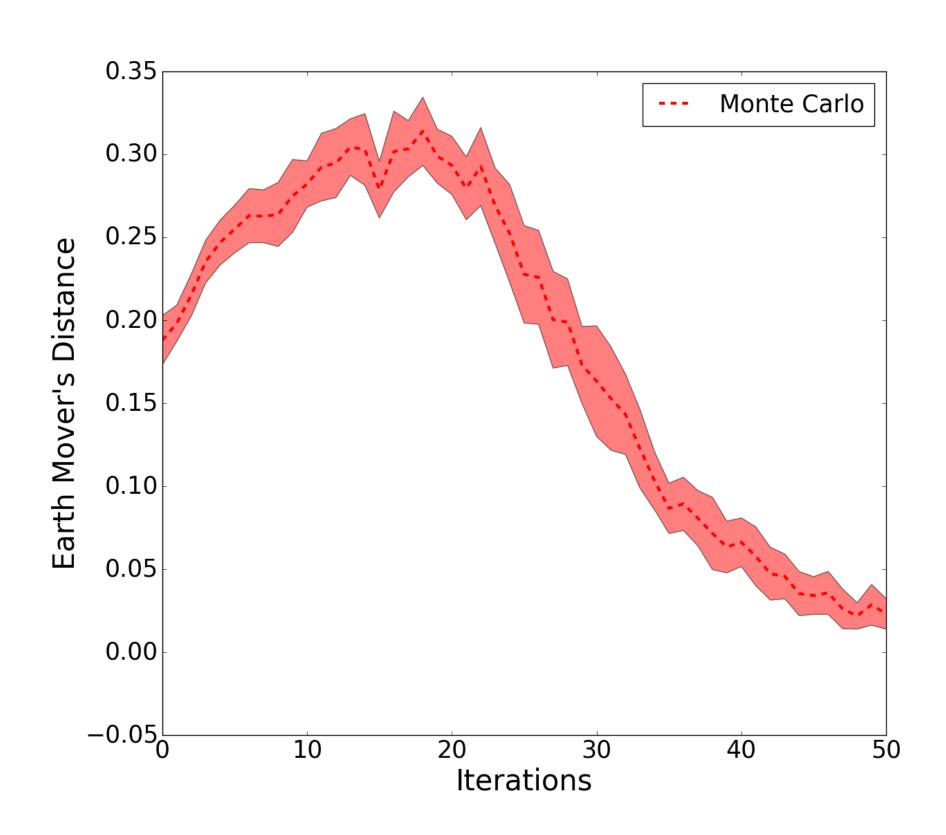
-1	
+1	+10

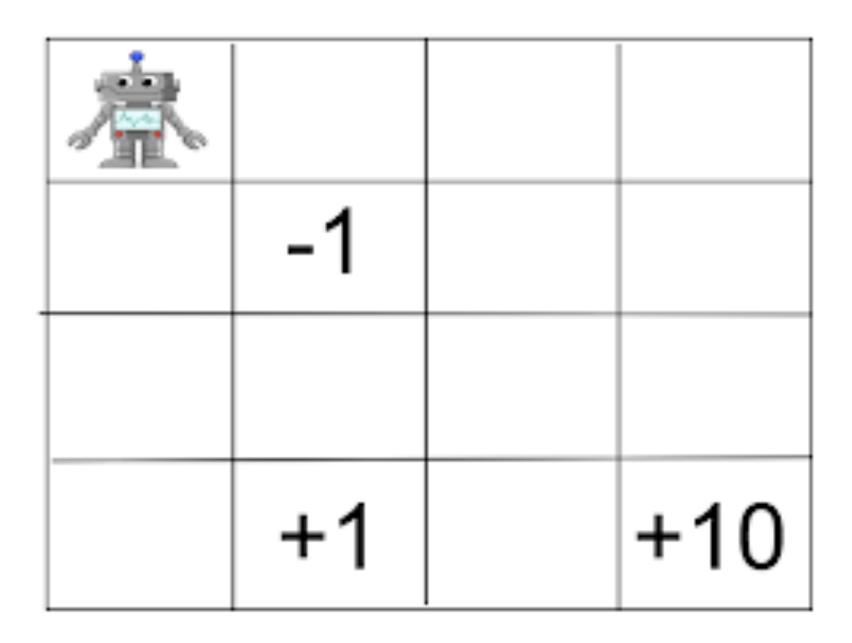
GridWorld
Discrete State and Actions



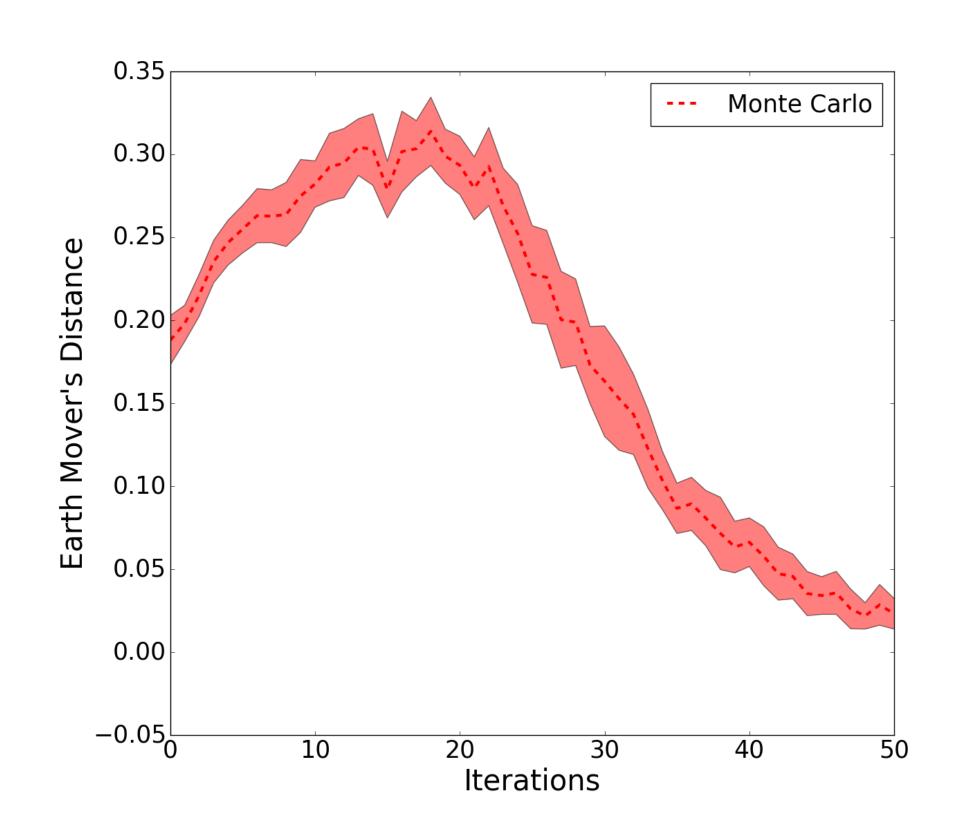


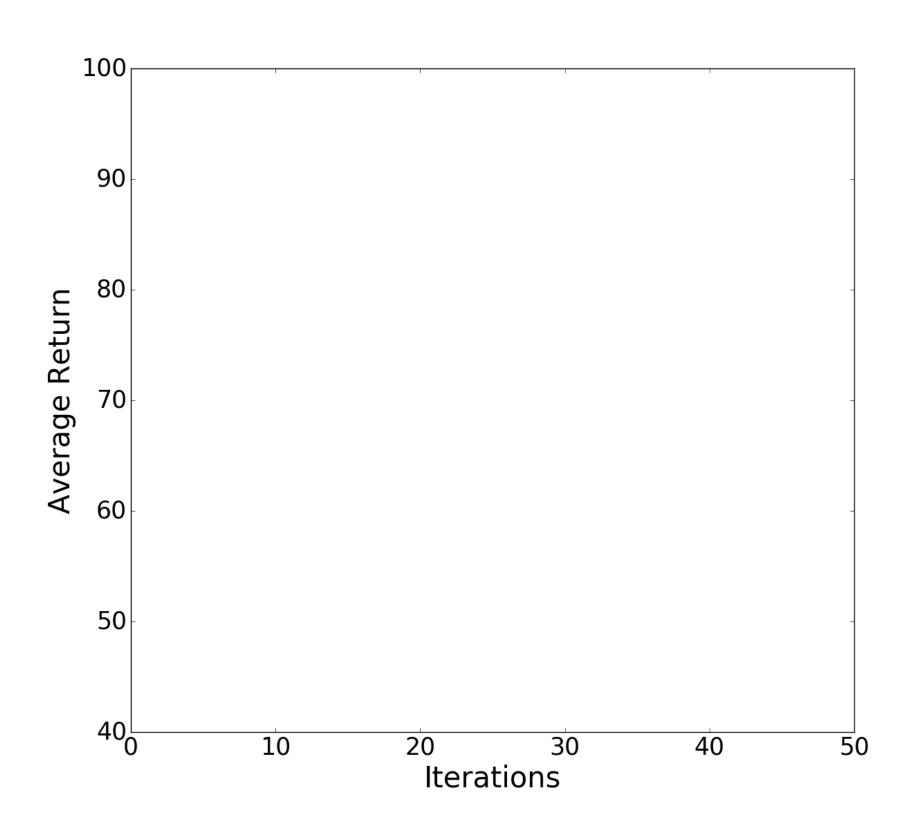
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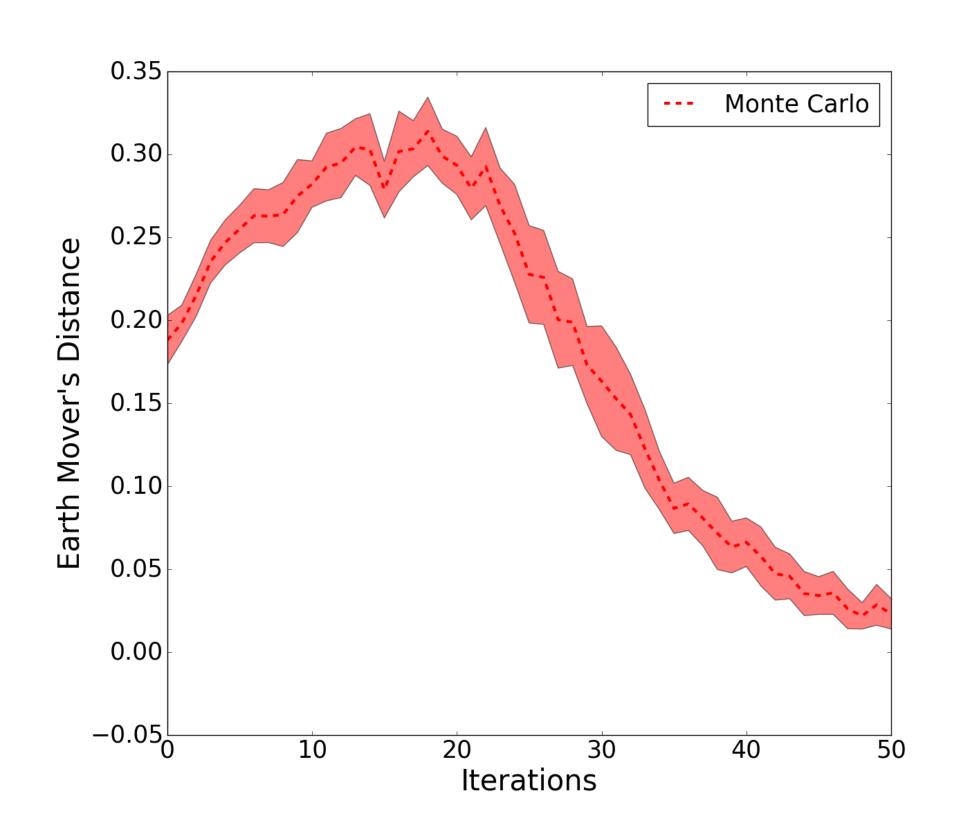


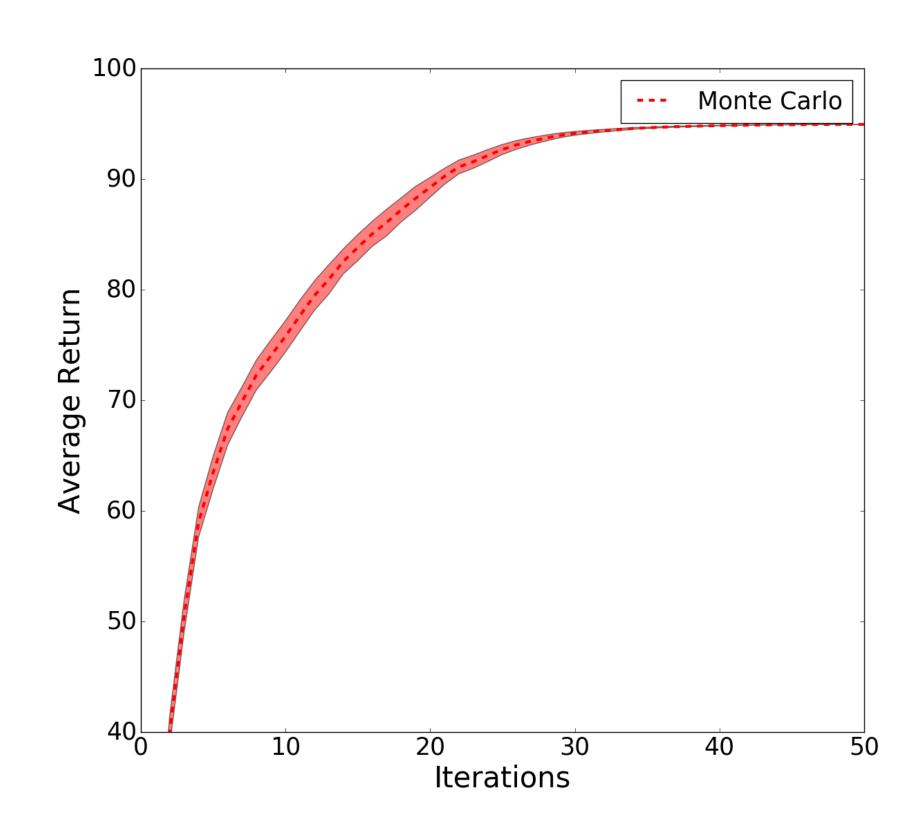
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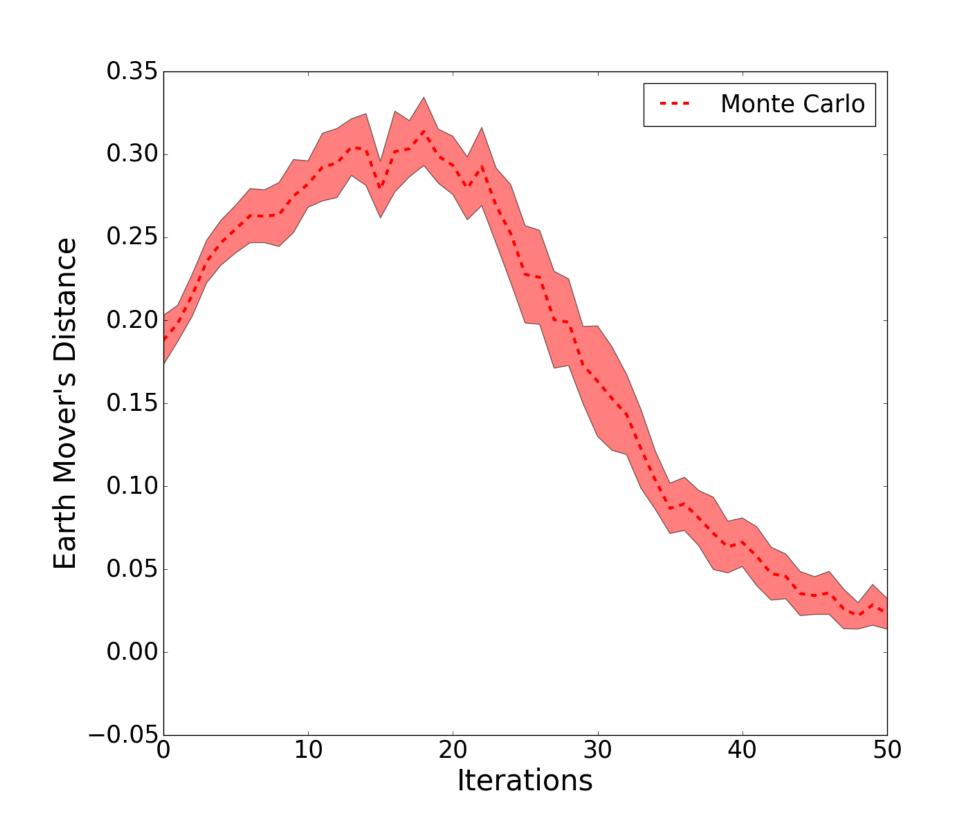


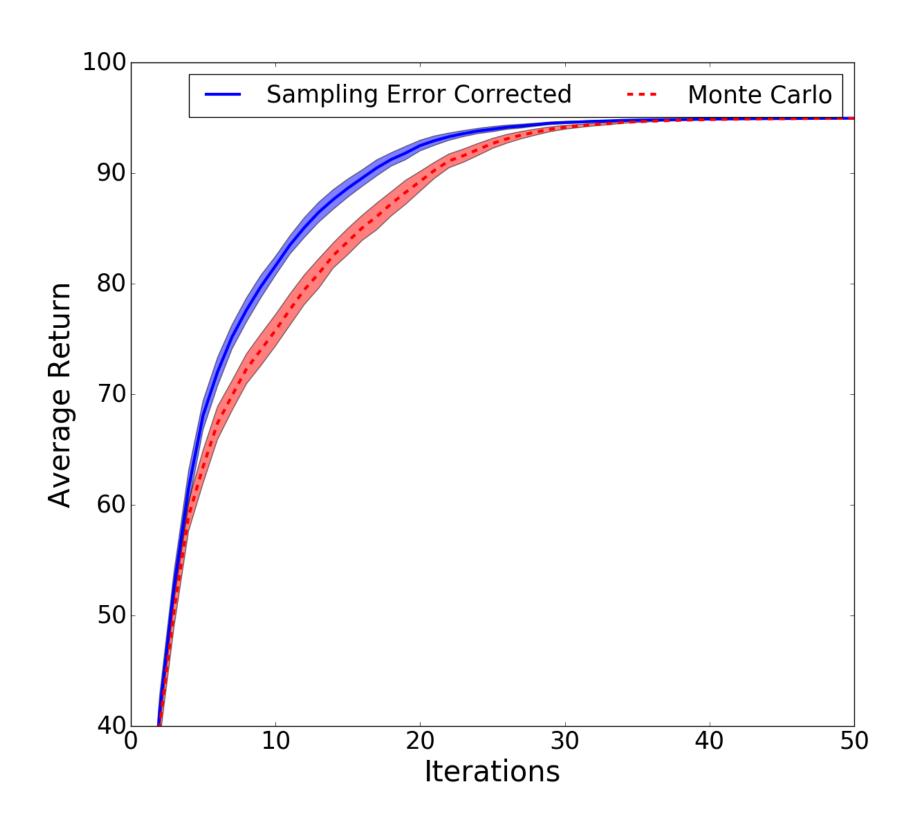
GridWorld
Discrete State and Actions





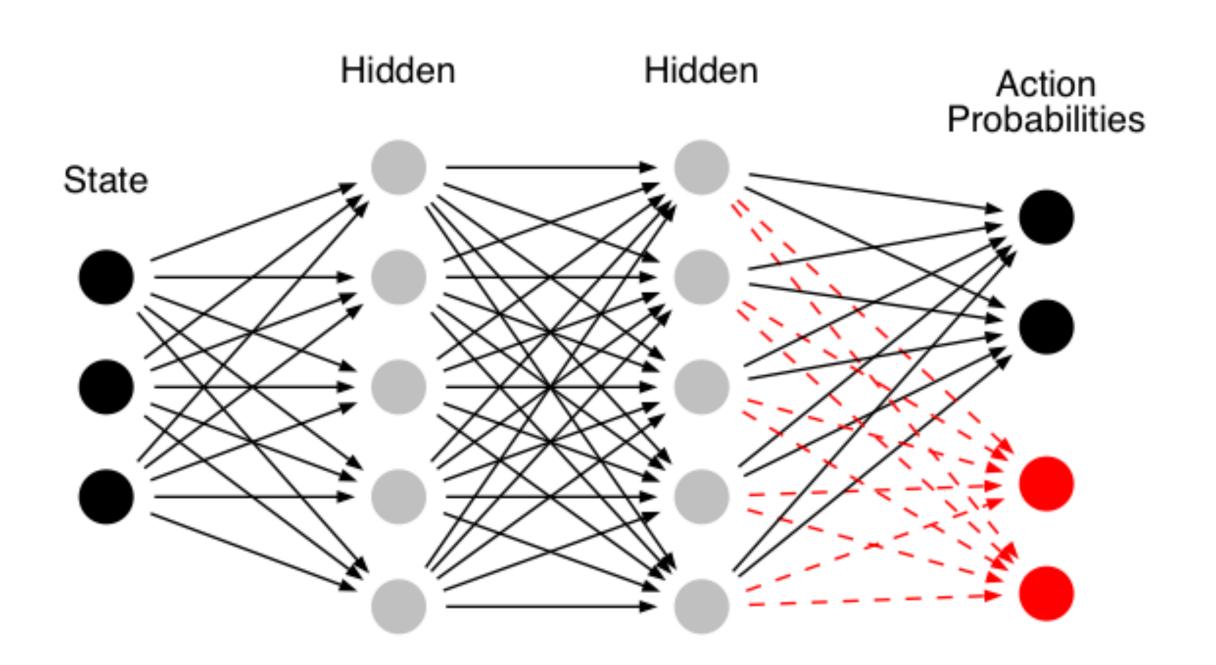
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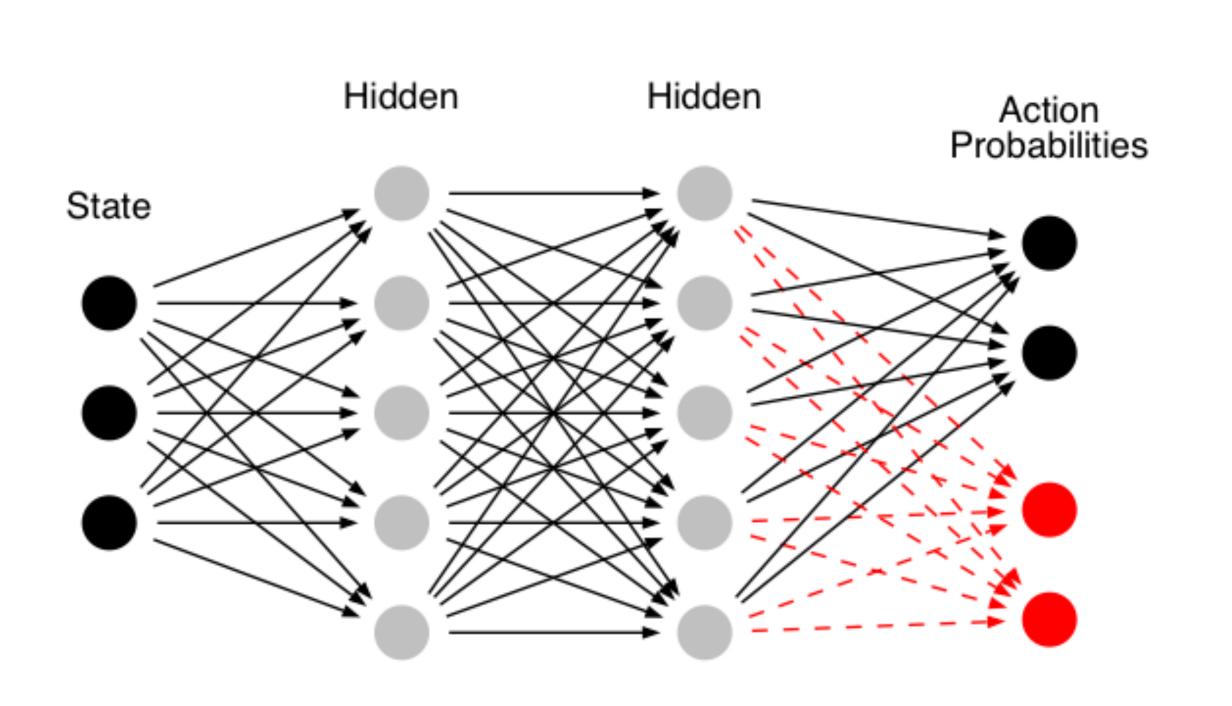


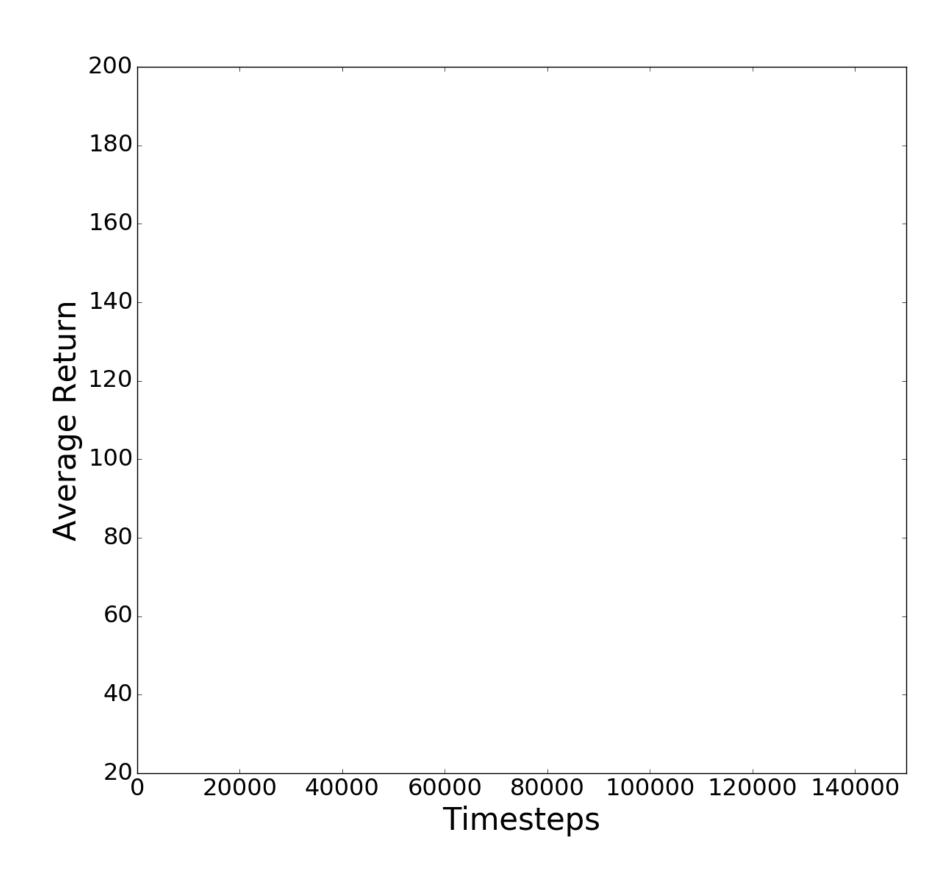
GridWorld
Discrete State and Actions

Cartpole
Continuous state and discrete actions

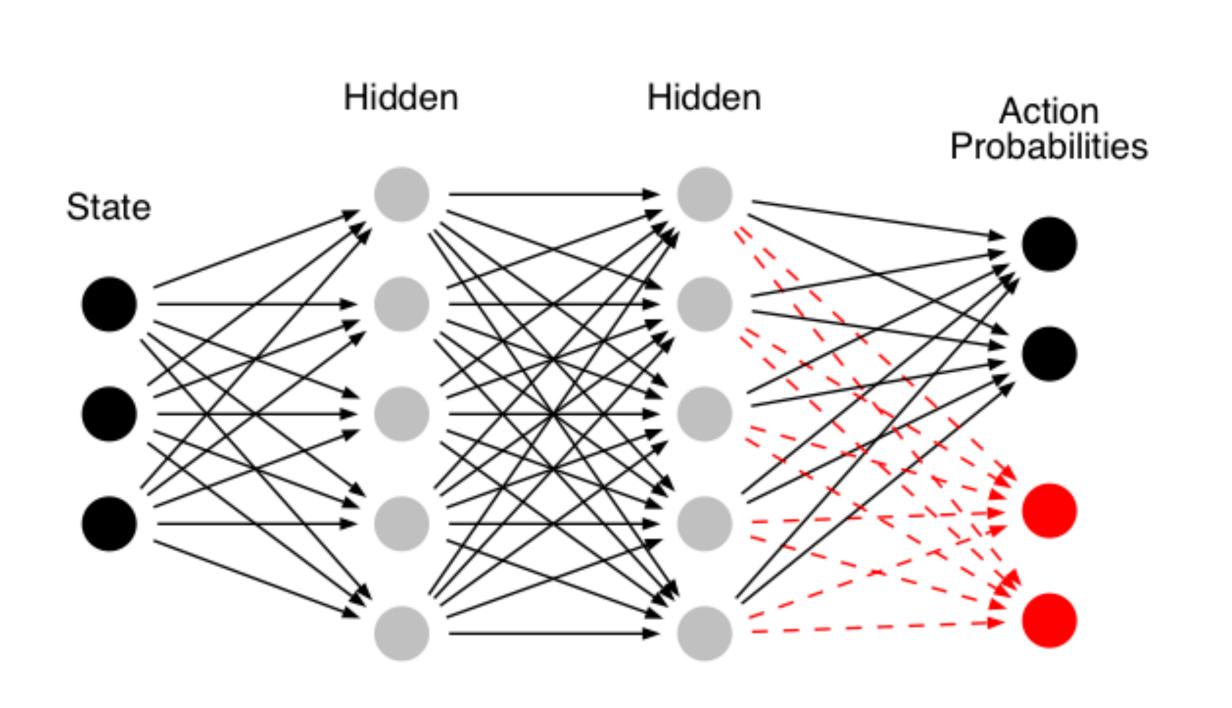


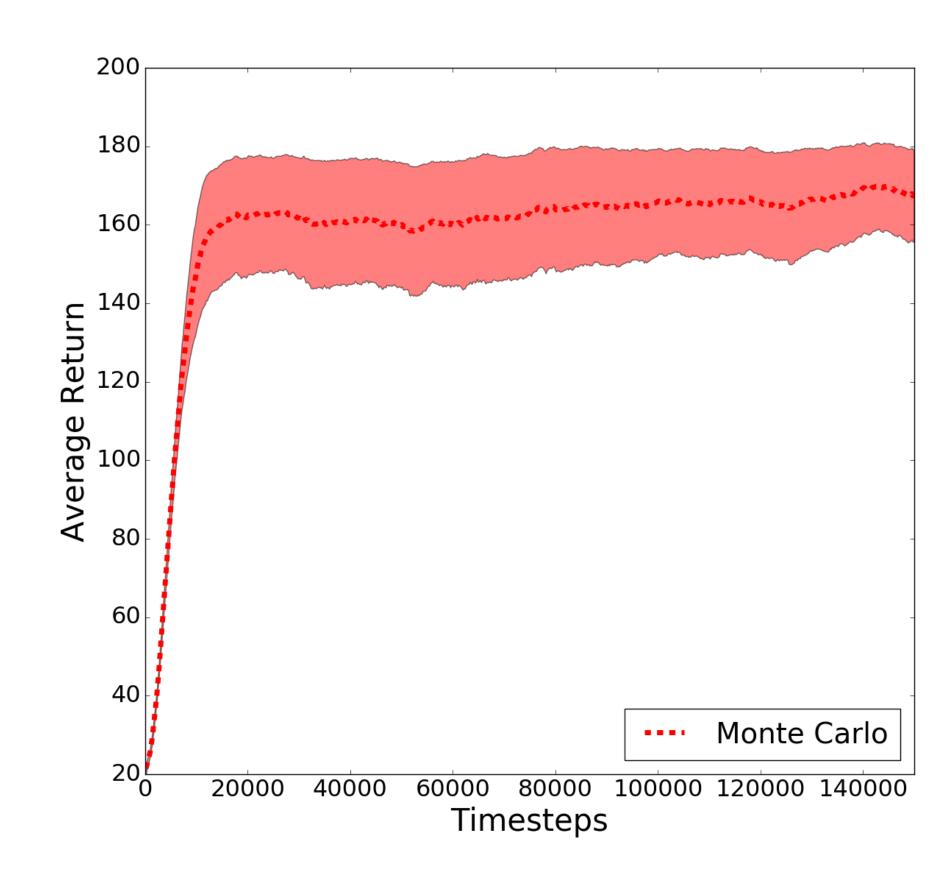
Cartpole
Continuous state and discrete actions



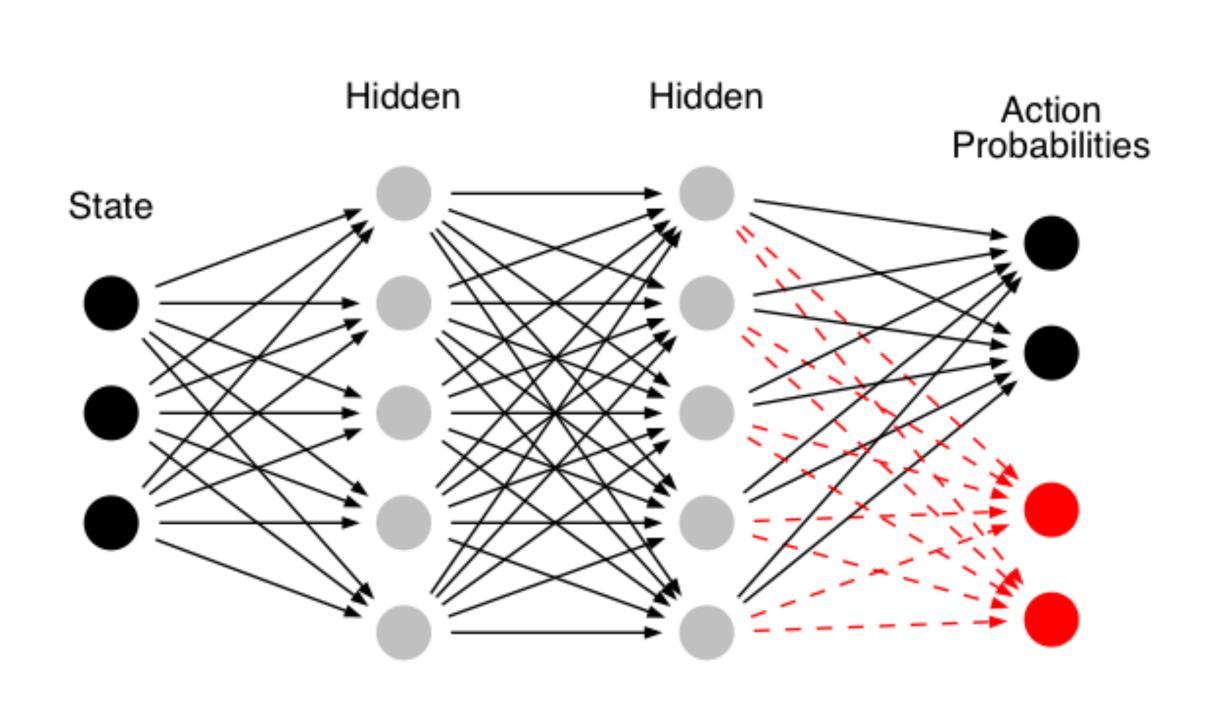


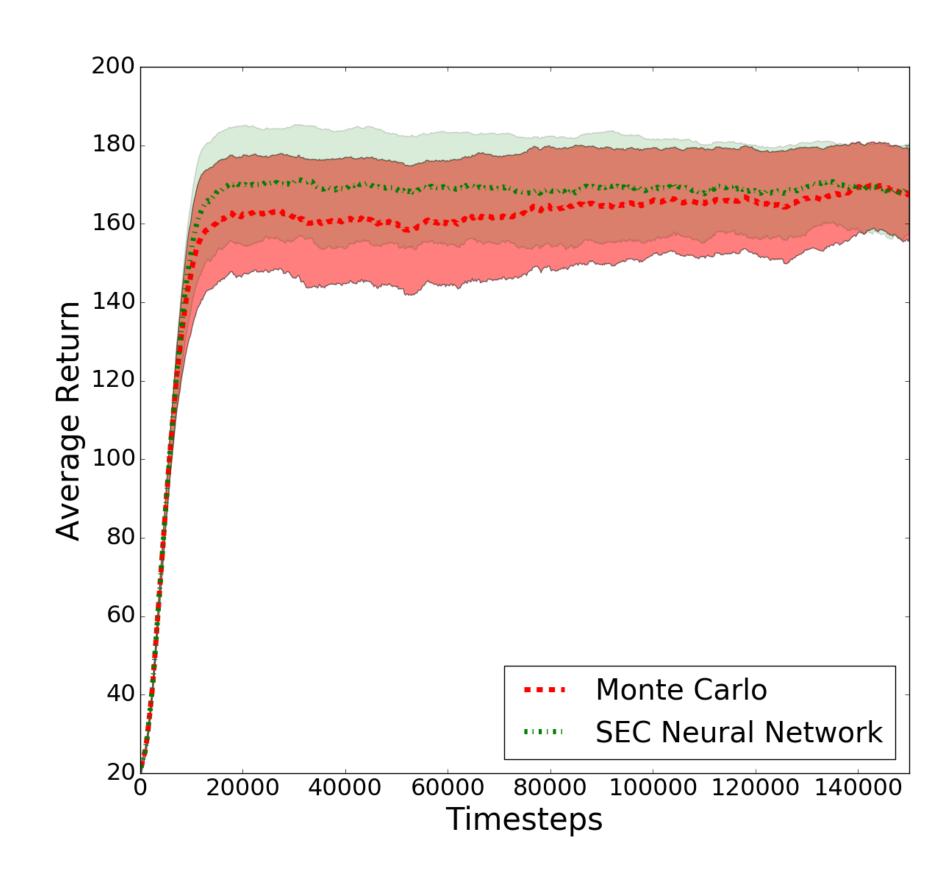
Cartpole
Continuous state and discrete actions



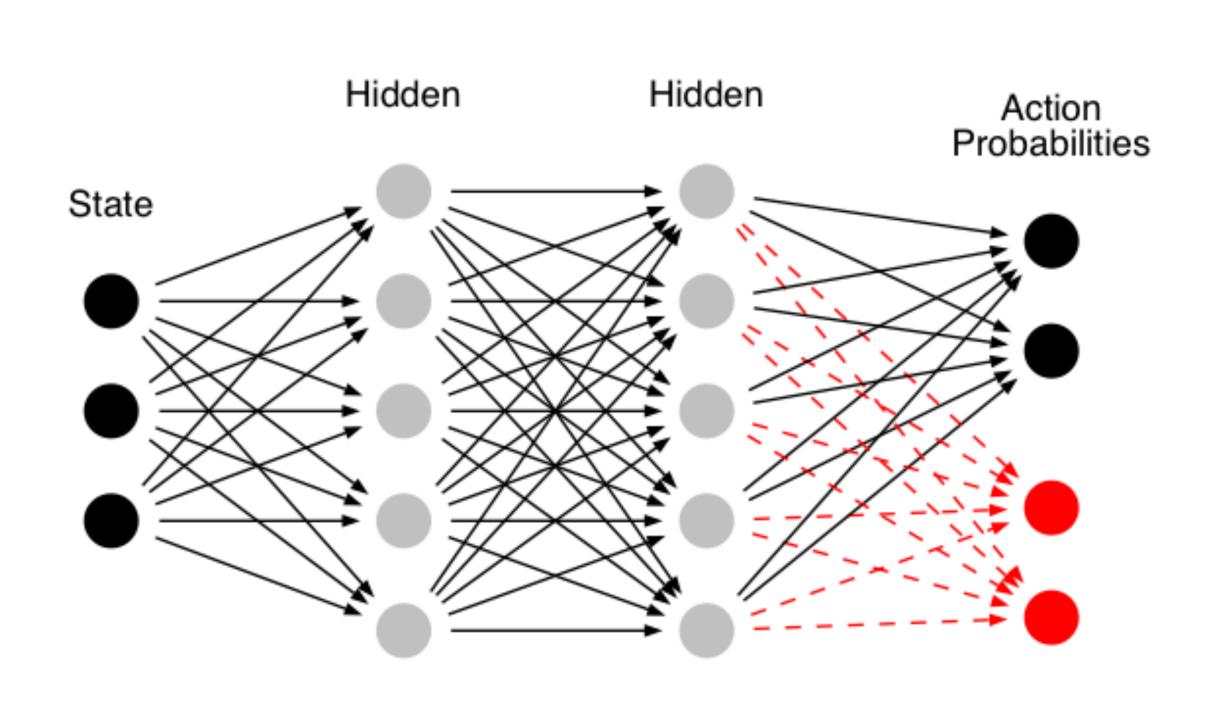


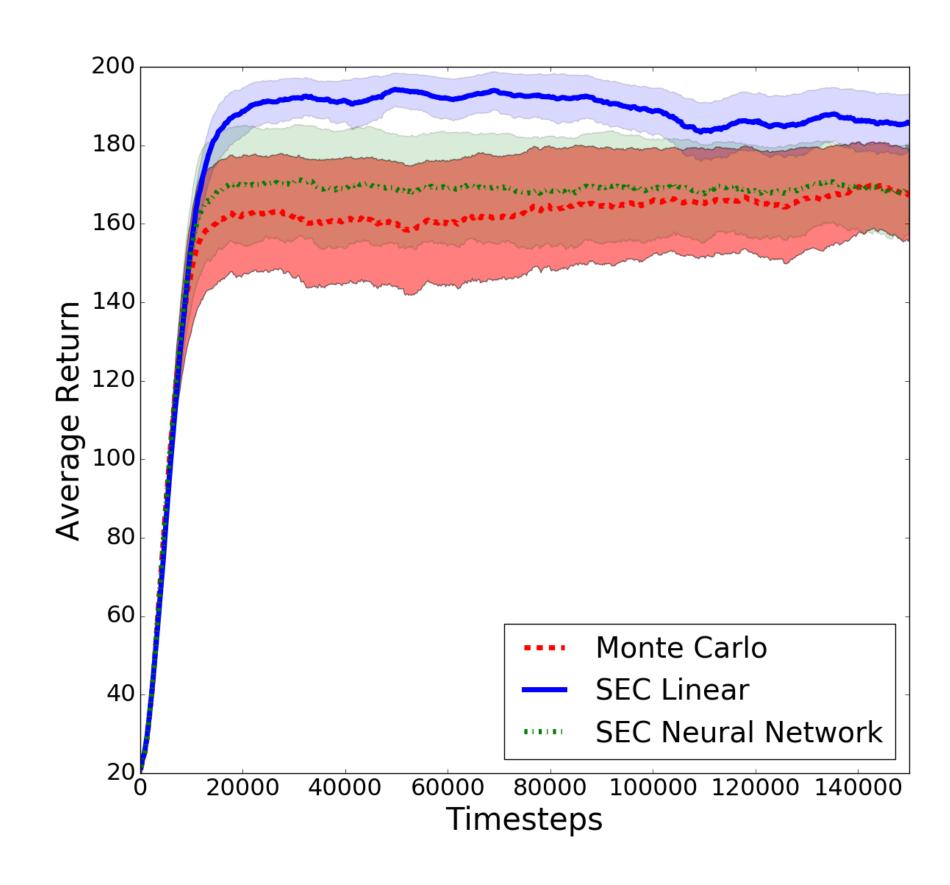
Cartpole
Continuous state and discrete actions





Cartpole
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Cartpole
Continuous state and discrete actions

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36

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 - Blackbox importance sampling (Liu and Lee 2017), Bayesian Monte Carlo (Gharamani and Rasmussen 2003).

37

37

Contribution 3: Family of regression importance sampling estimators that improve over ordinary importance sampling.

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Additional results in dissertation: Asymptotic variance analysis, consistency of RIS, additional experiments.

Weighting Off-policy Data

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Contri that in

Doing so corrects sampling error in policy value and policy

gradient estimates.

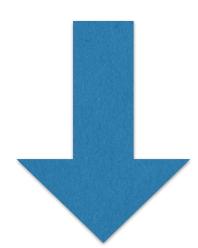
37

Addition

of RIS,

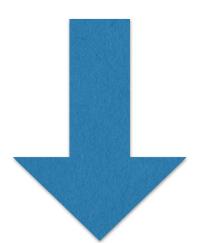
additional experiments.

How can a reinforcement learning agent leverage off-policy and simulated data to evaluate and improve upon the expected performance of a policy?



How should an RL agent collect off-policy data?

How can an RL agent use simulated data?

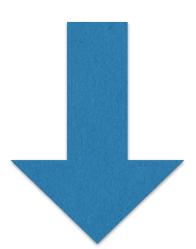


How should an RL agent weight off-policy data?

How can an RL agent combine simulated and off-policy data?

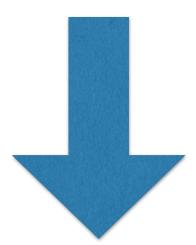
Can reinforcement learning be data efficient enough for real world applications?

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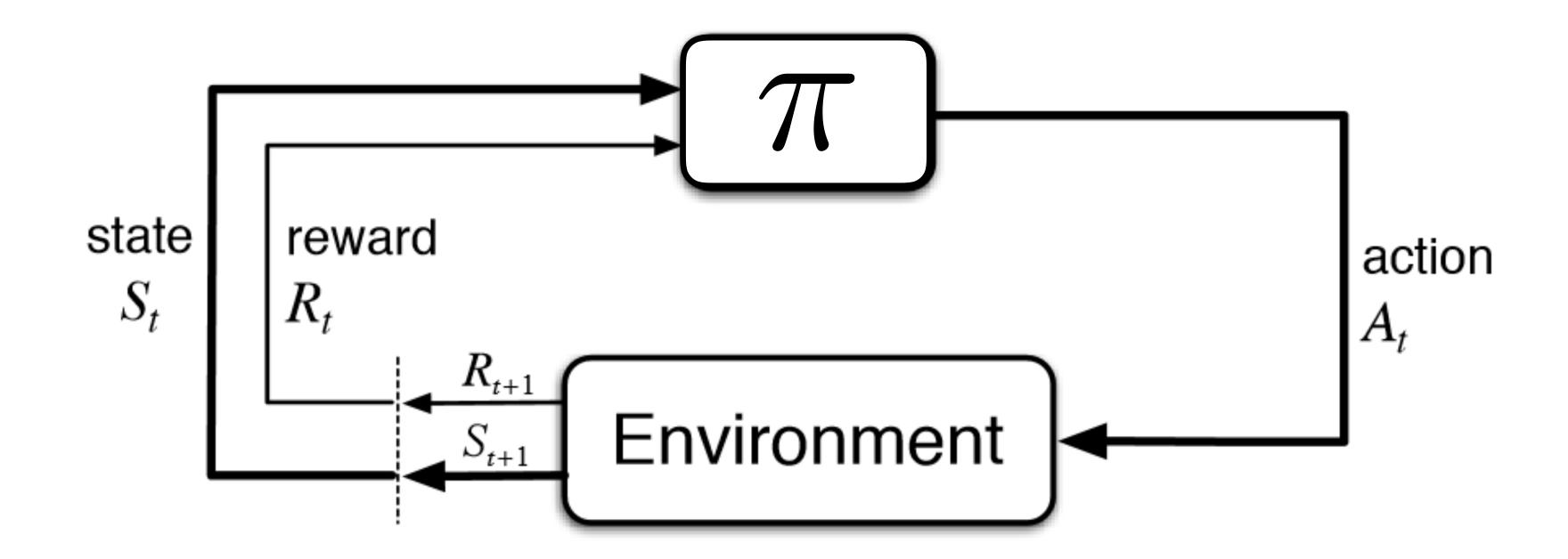
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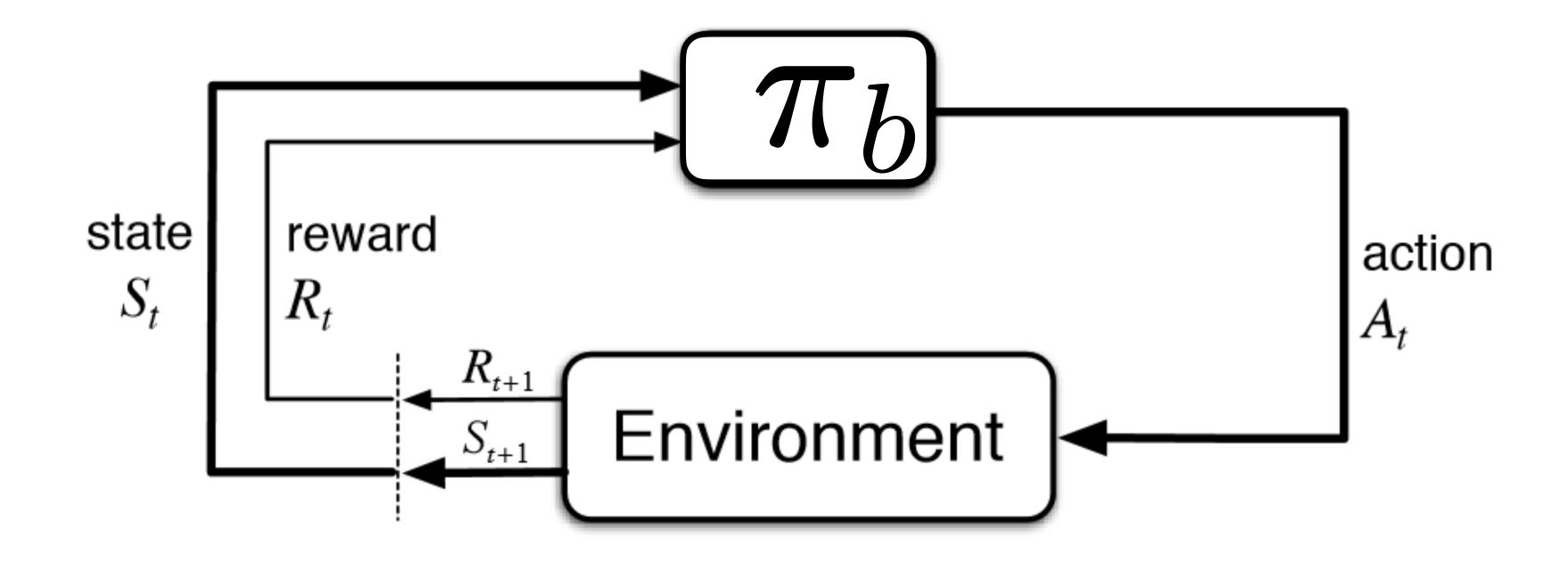
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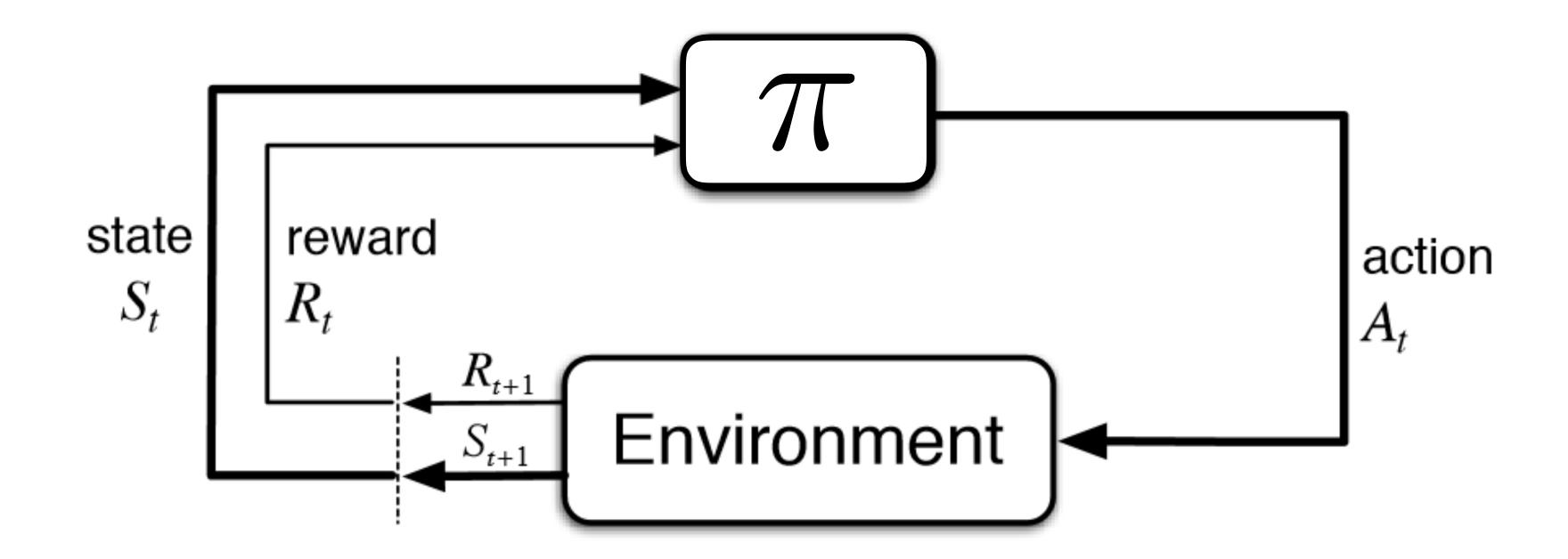
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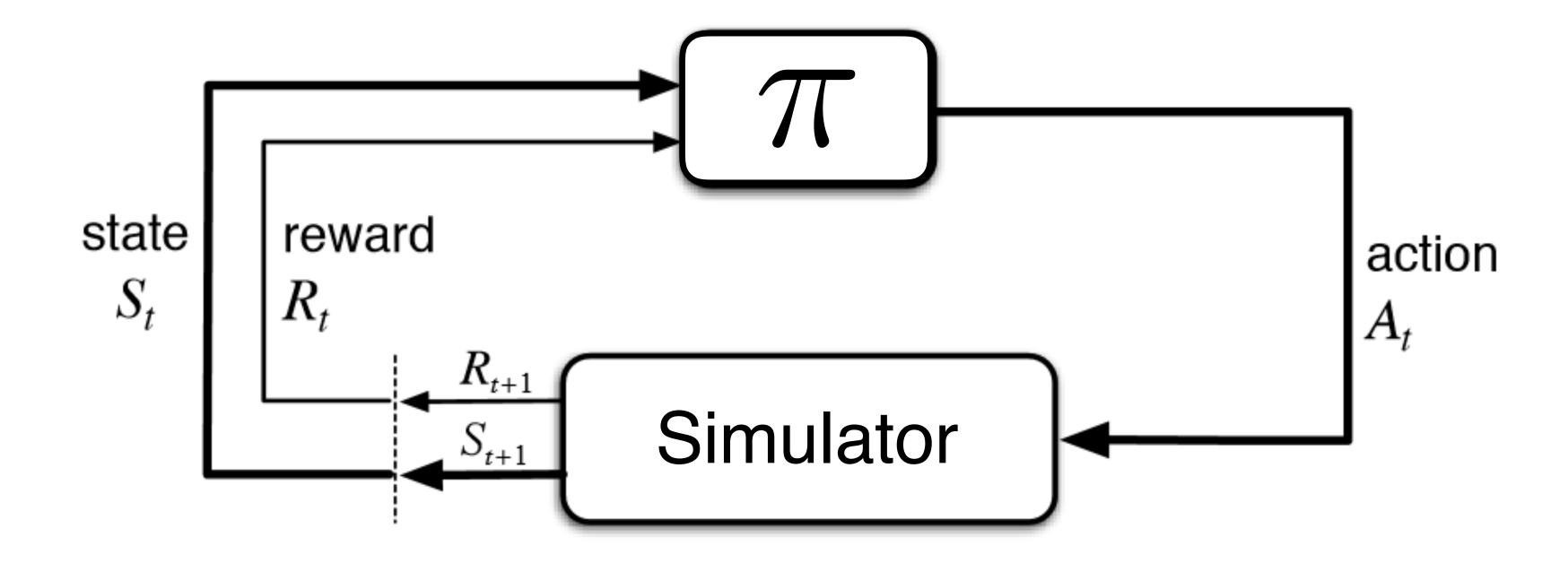
$$S_0, A_0, R_0, S_1, \ldots, S_L, A_L, R_L$$



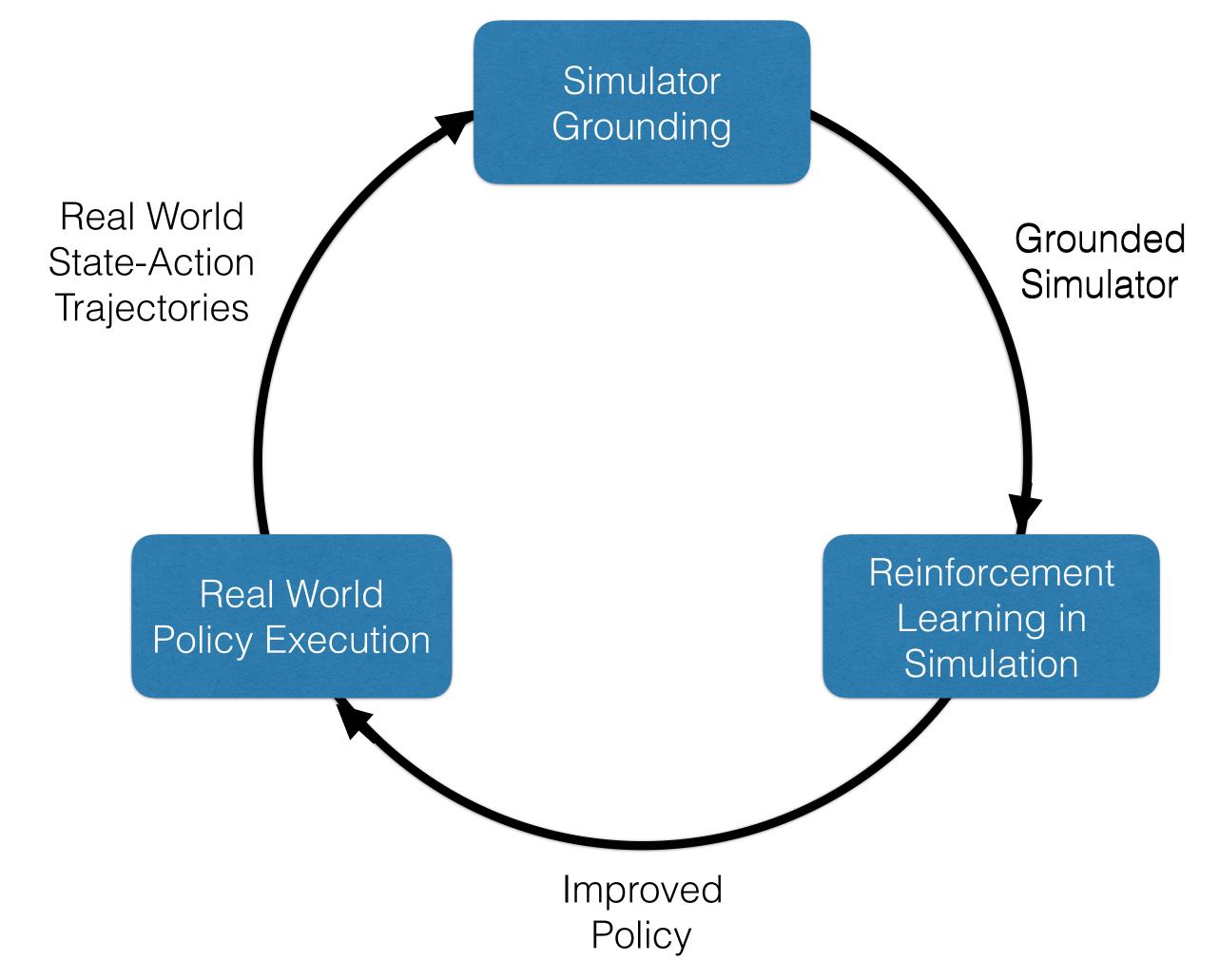
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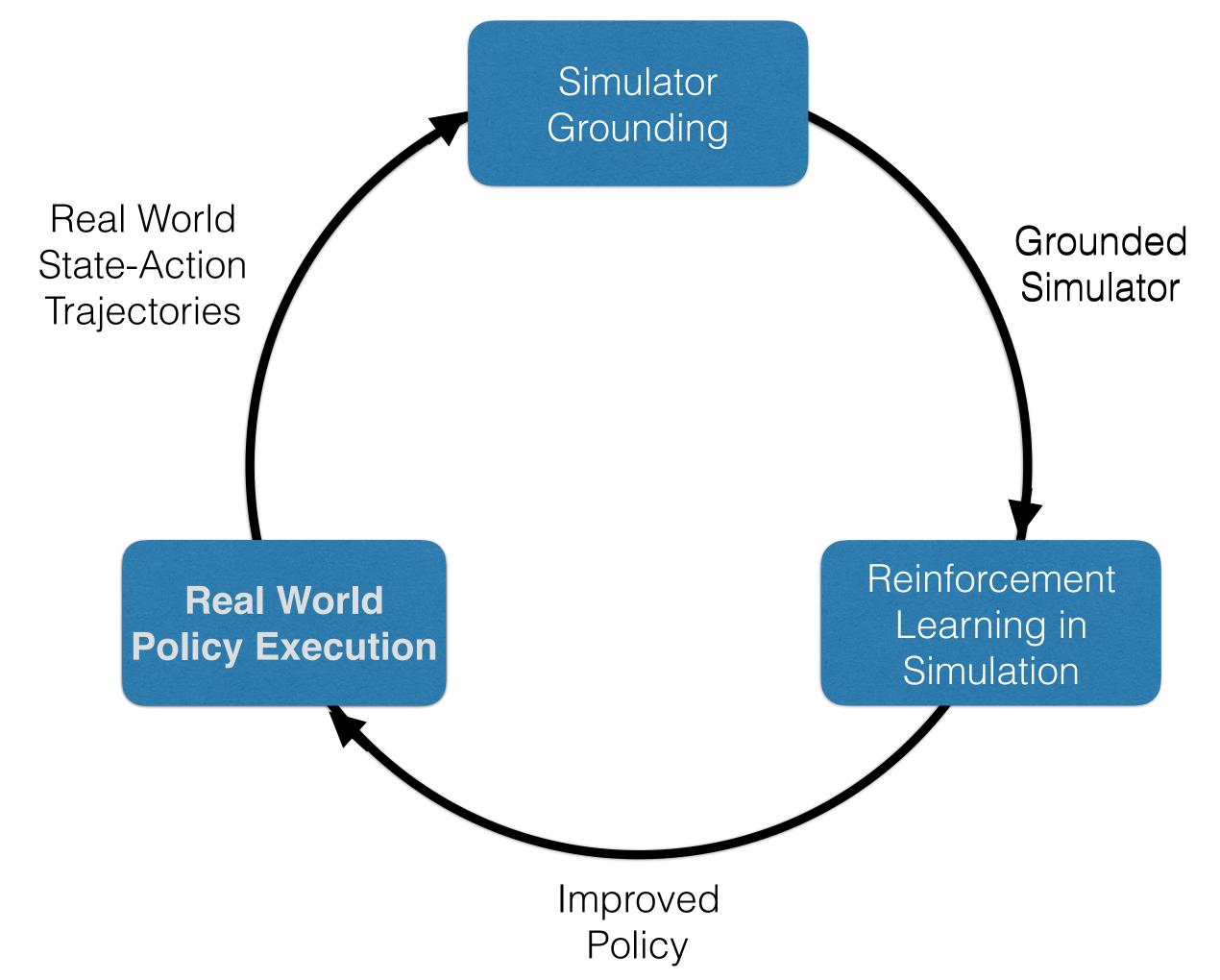


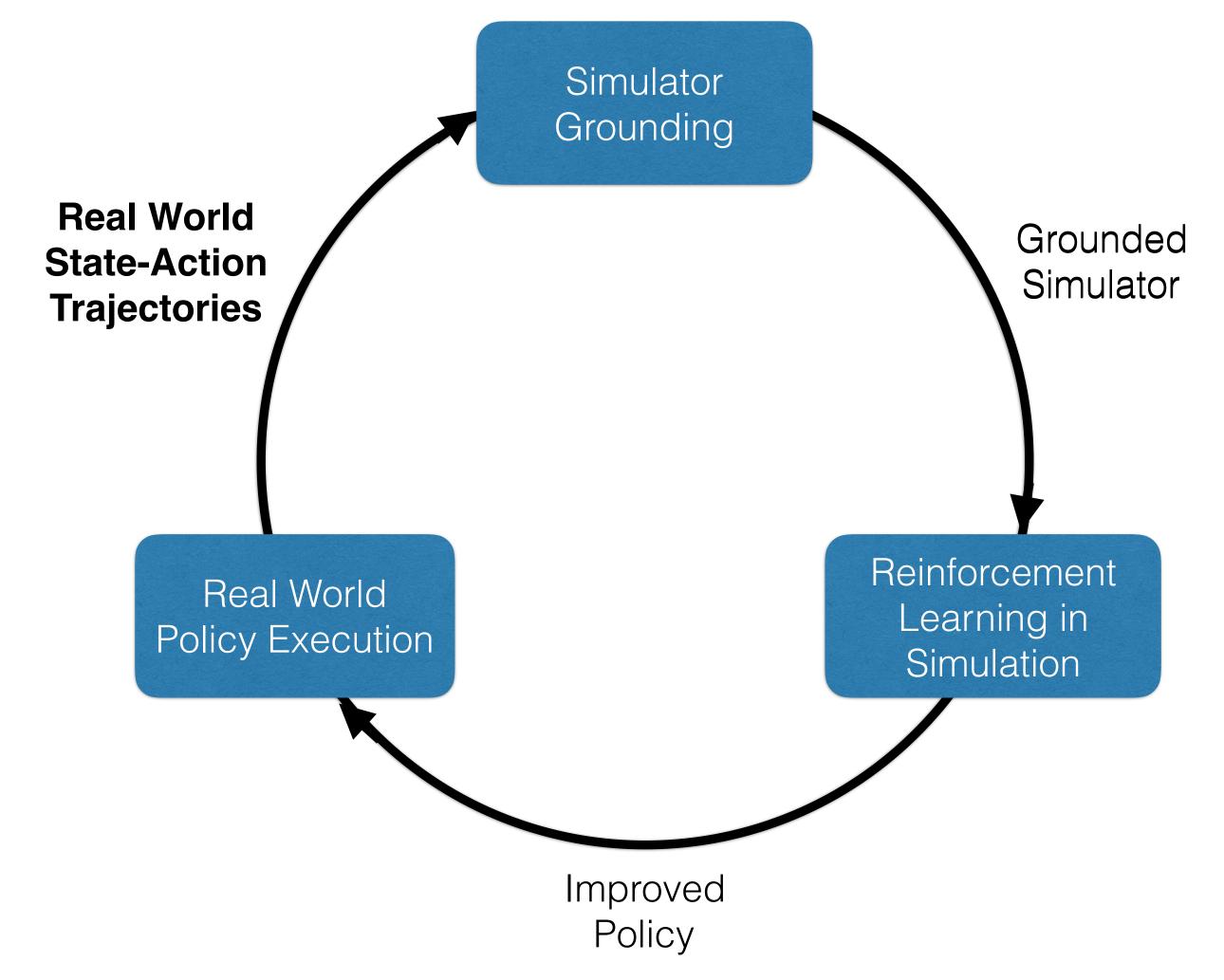
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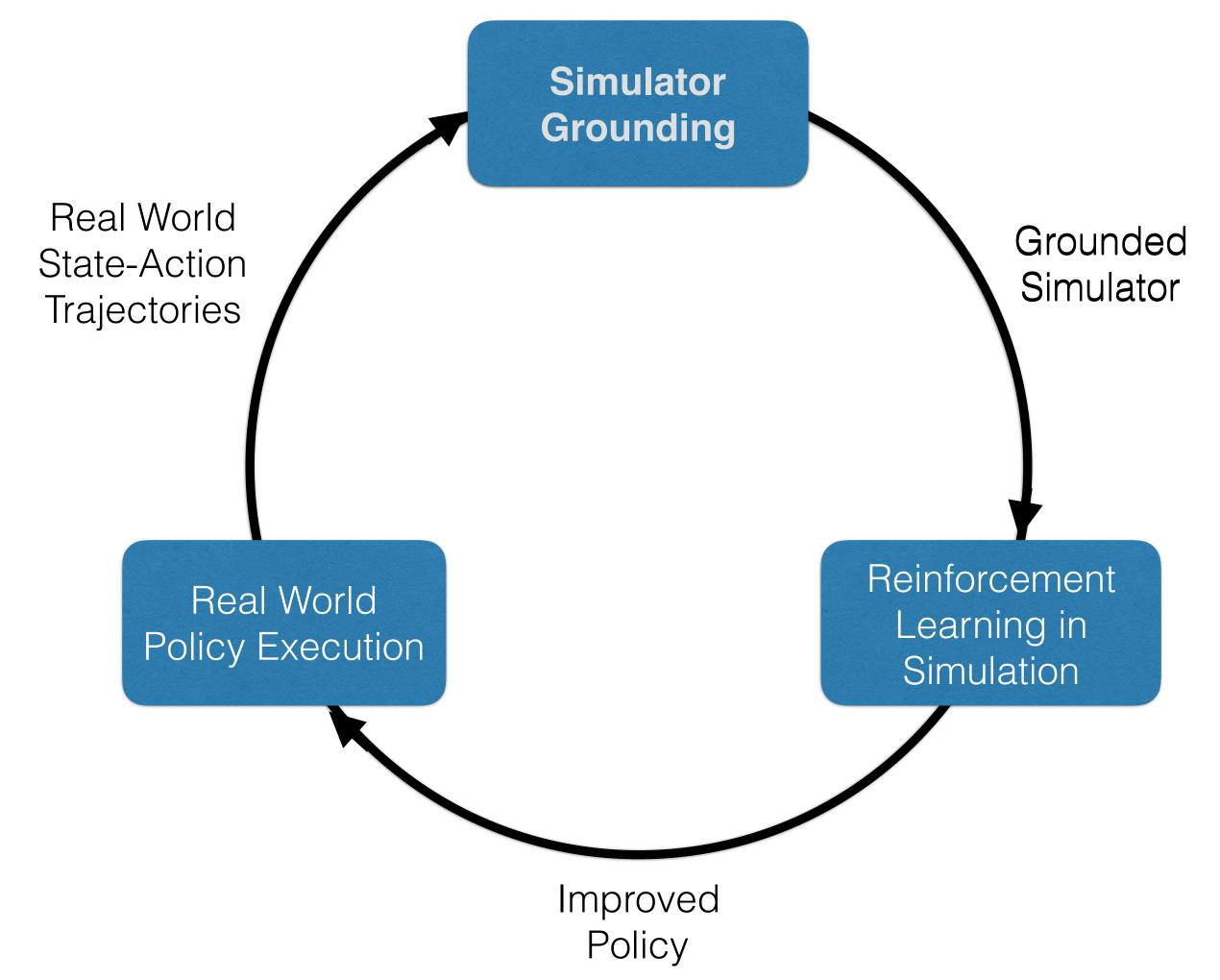


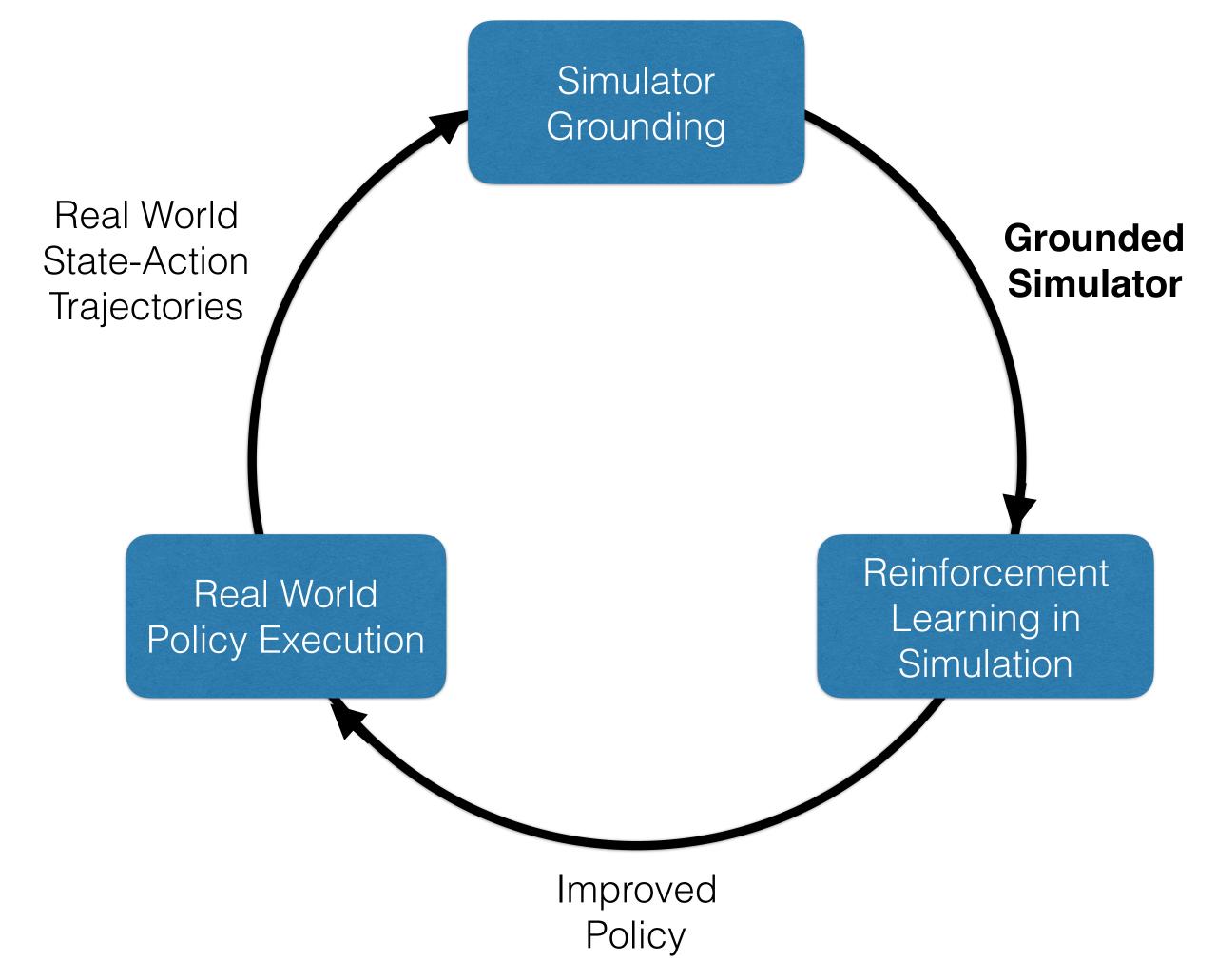
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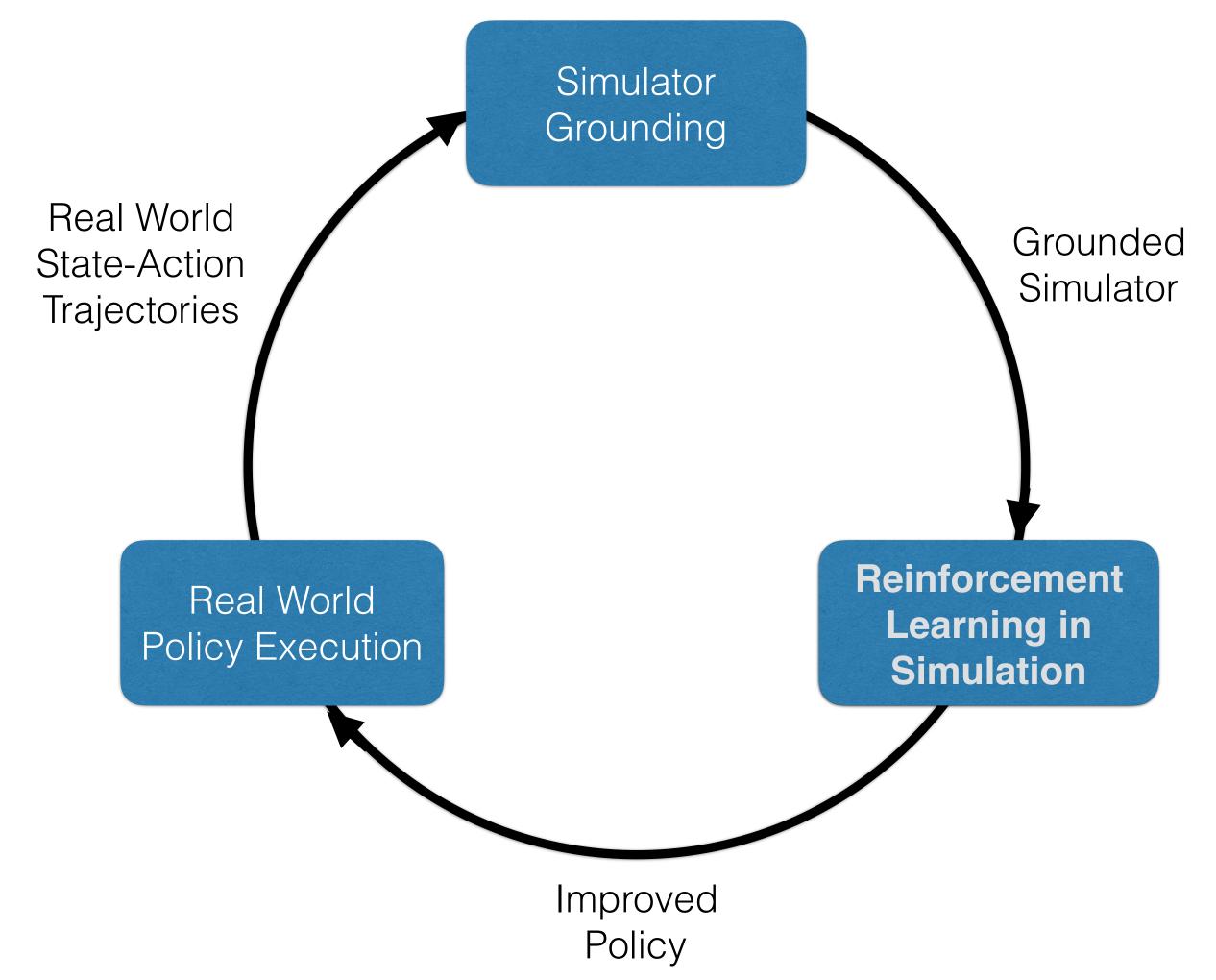


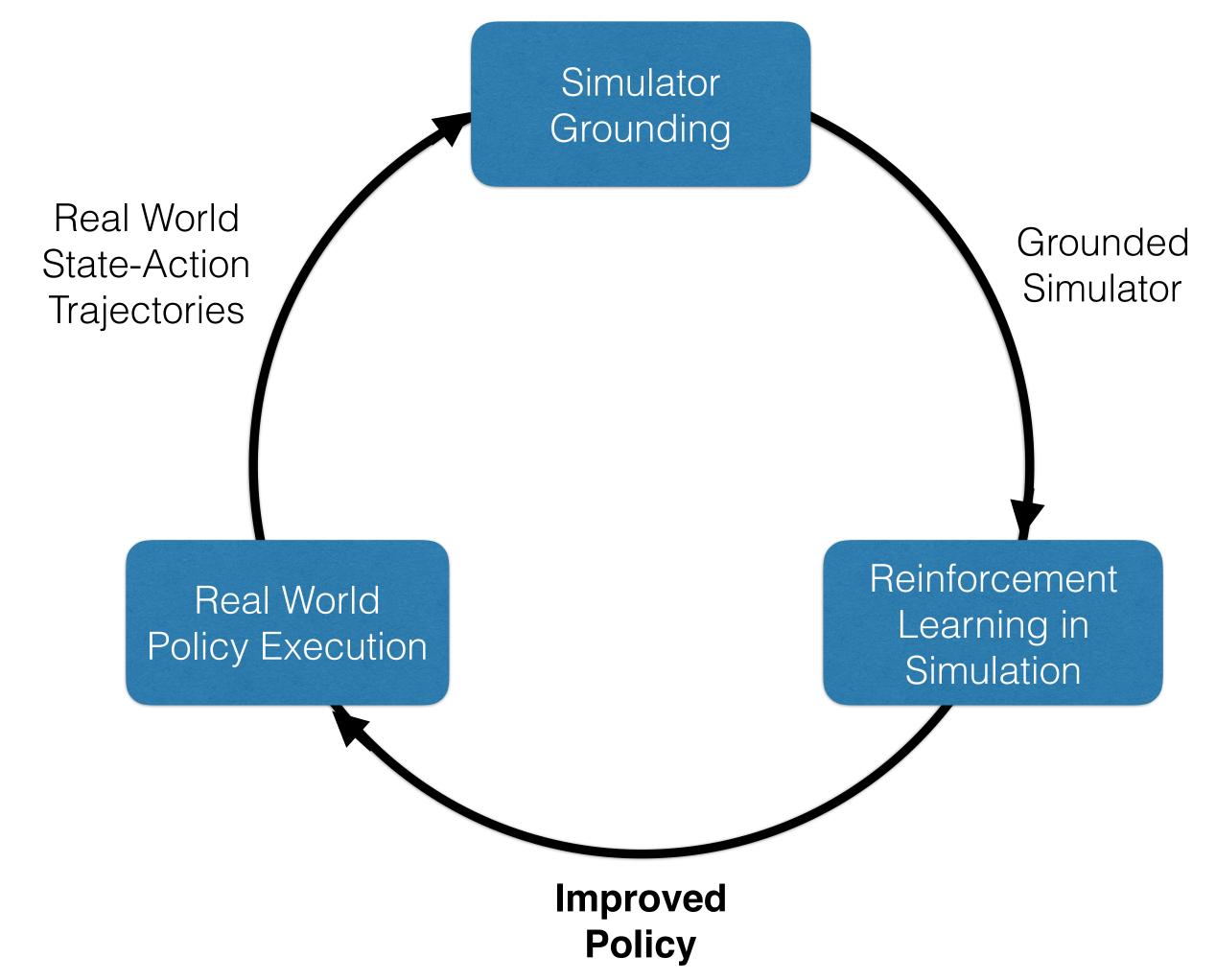


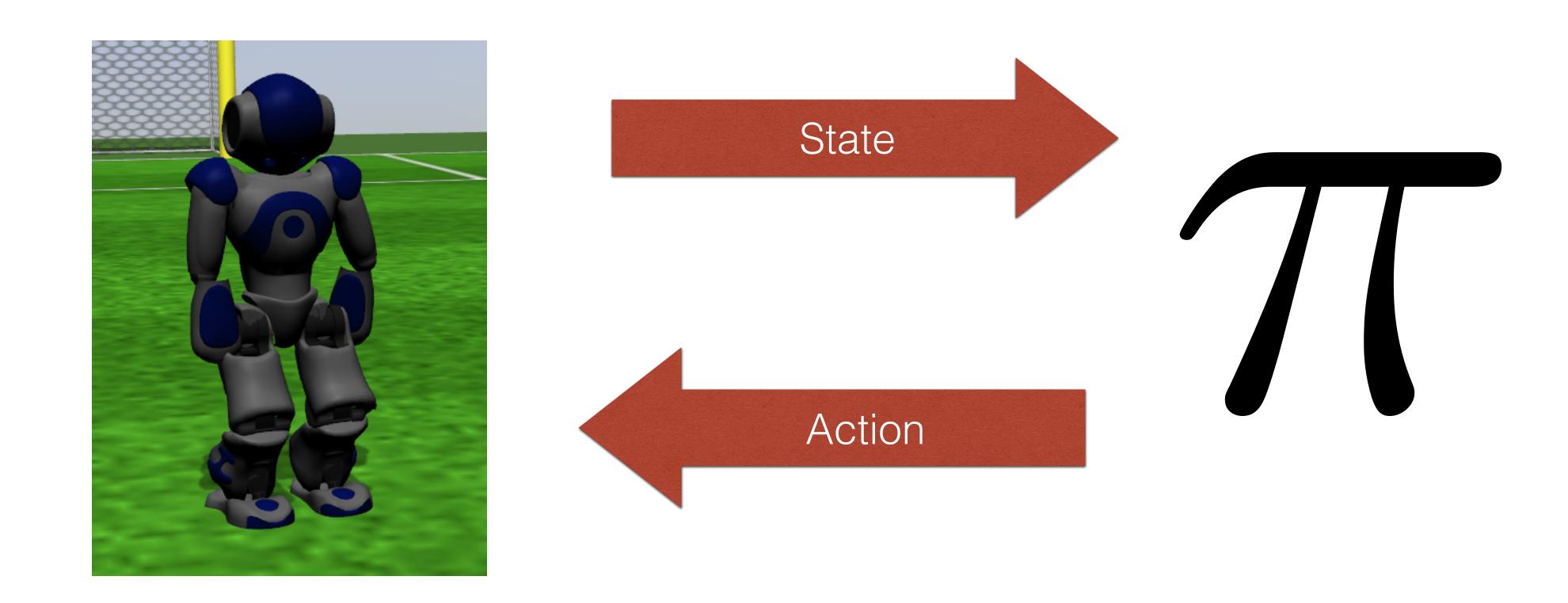


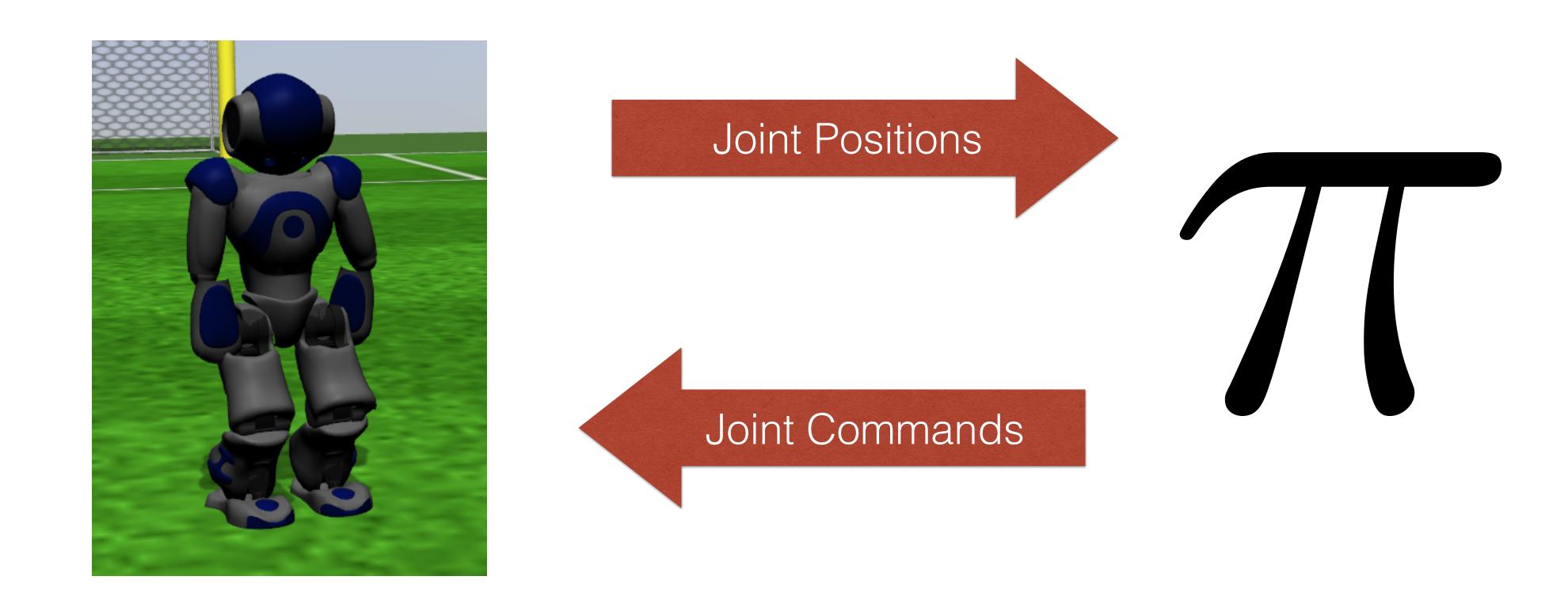


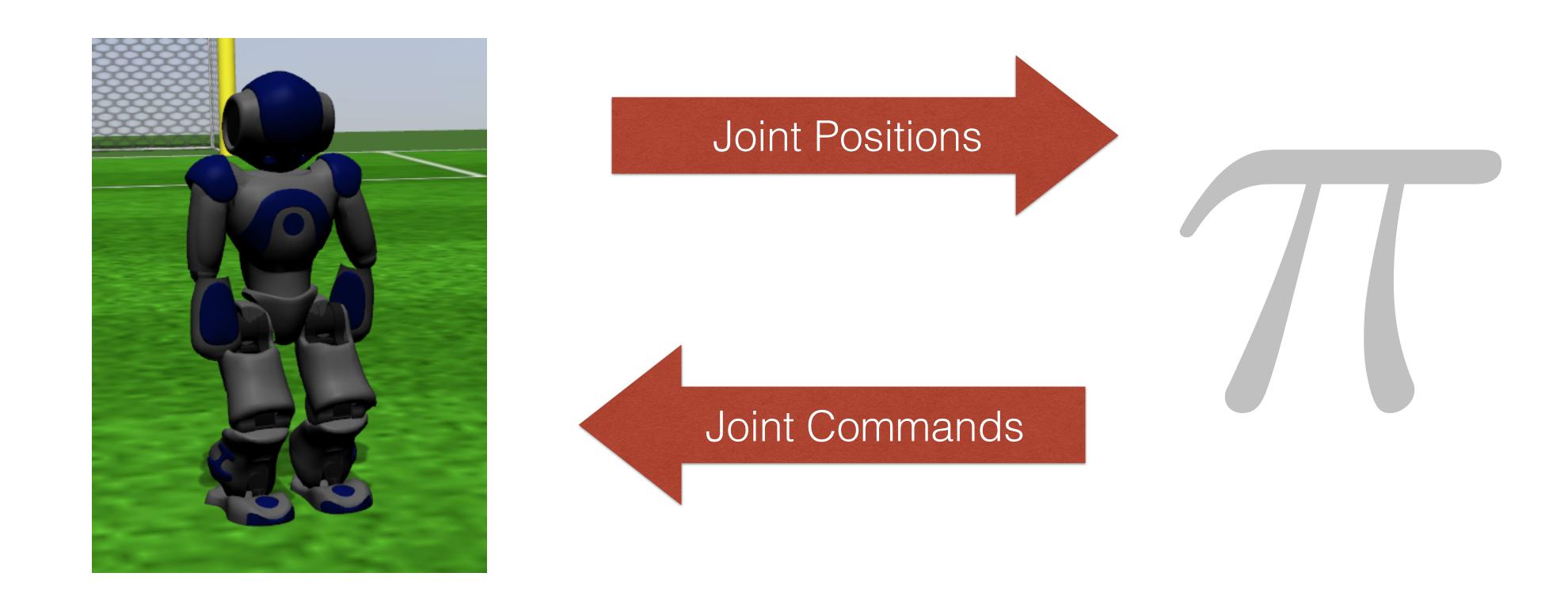


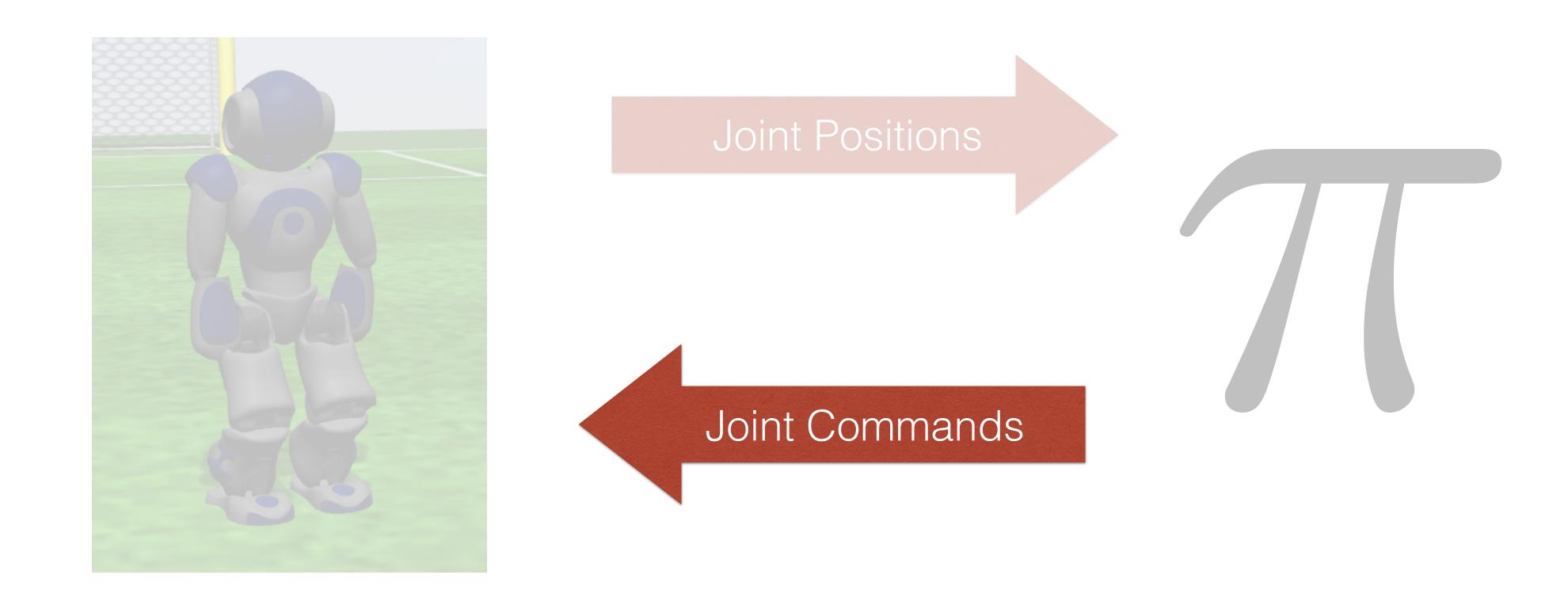


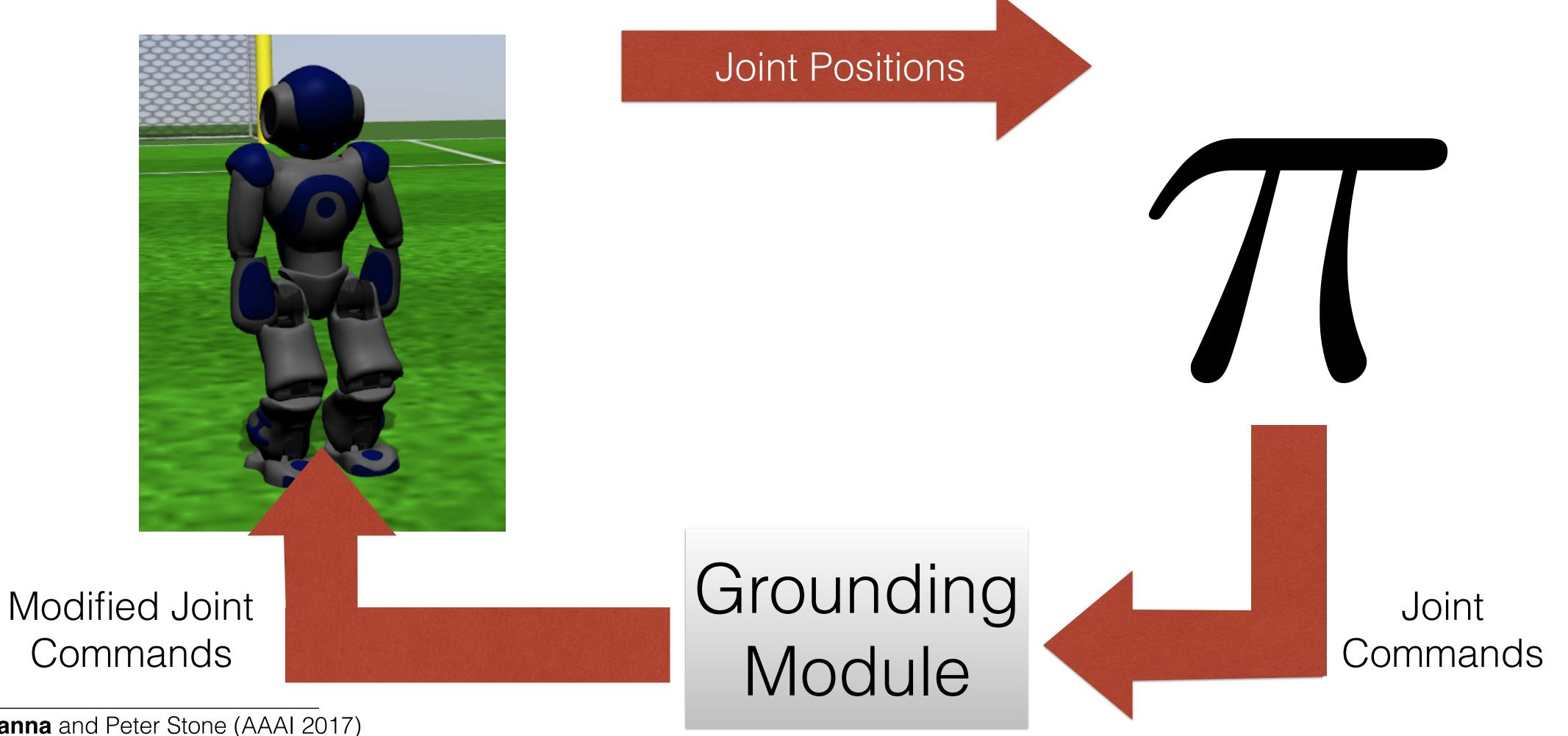


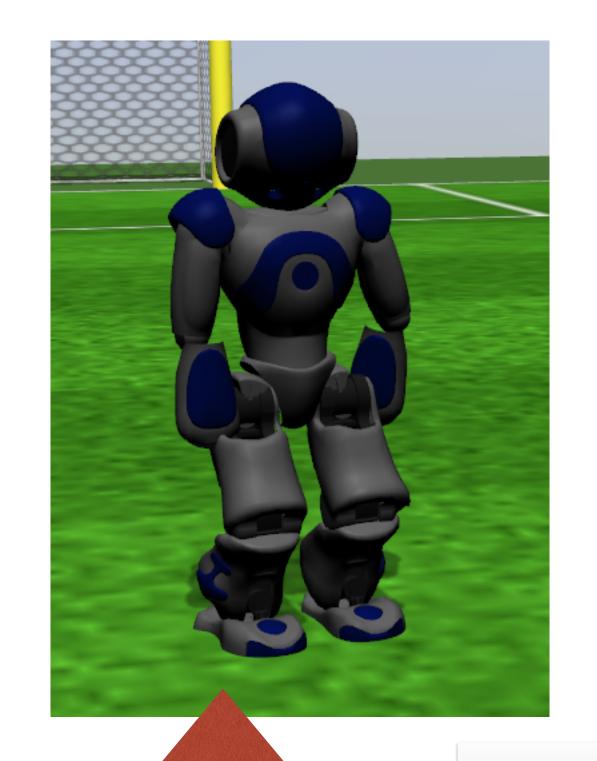




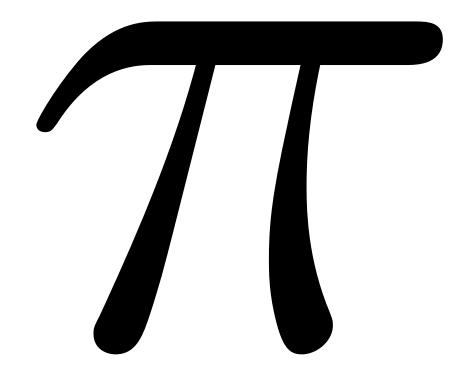








Joint Positions



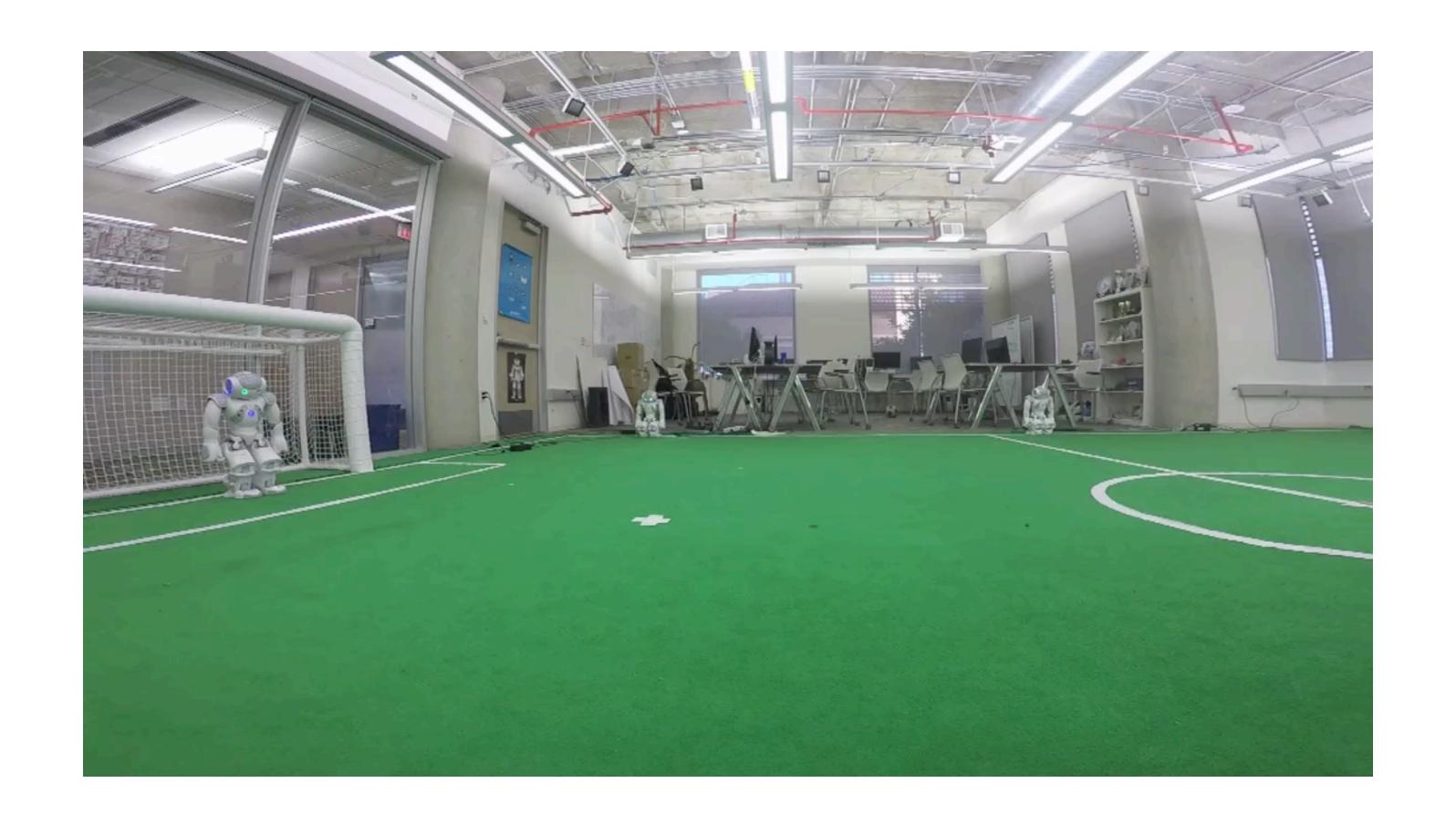
Modified Joint Commands

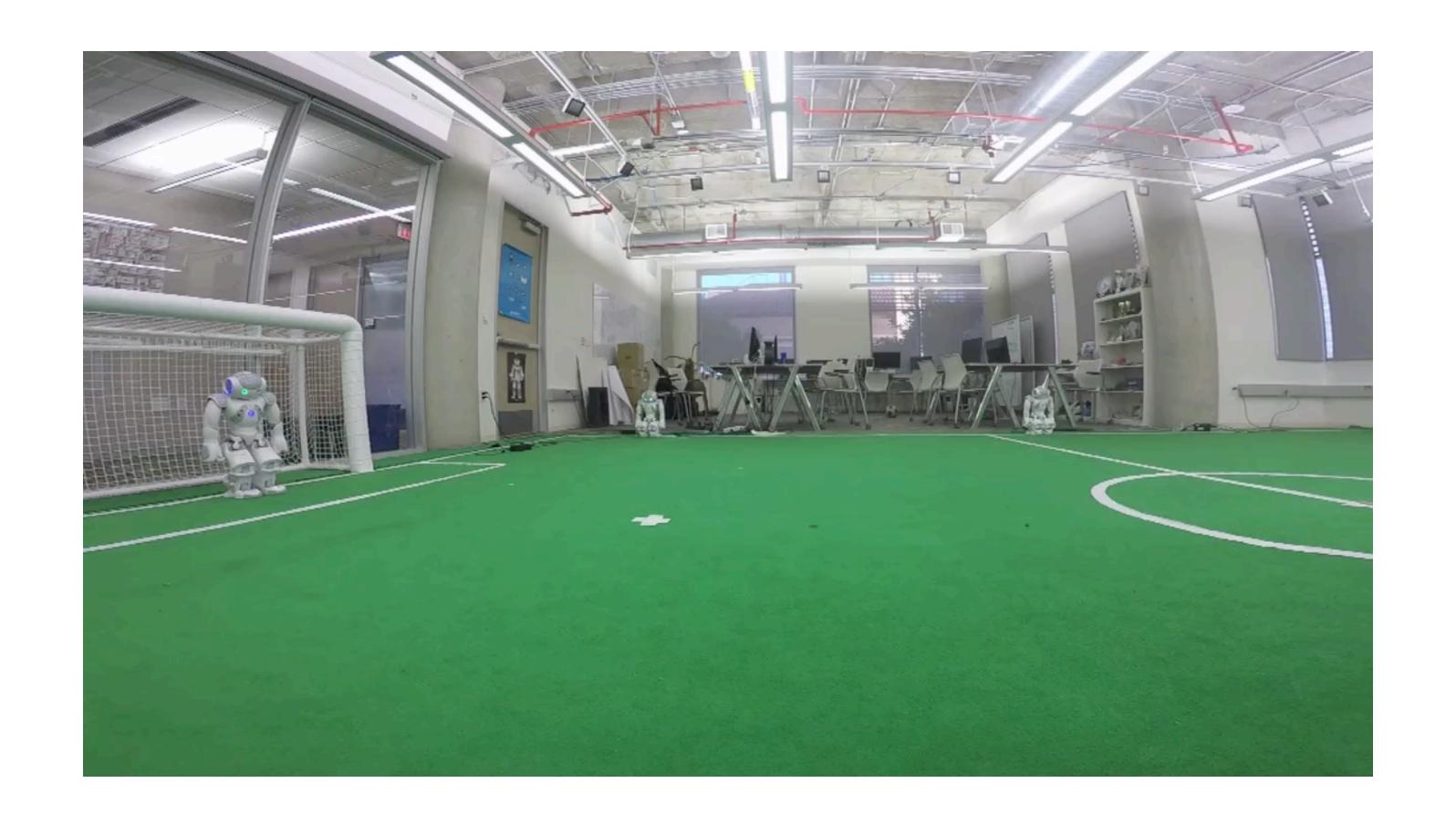
Choose action that causes same effect in simulation.

Predict real world effect.



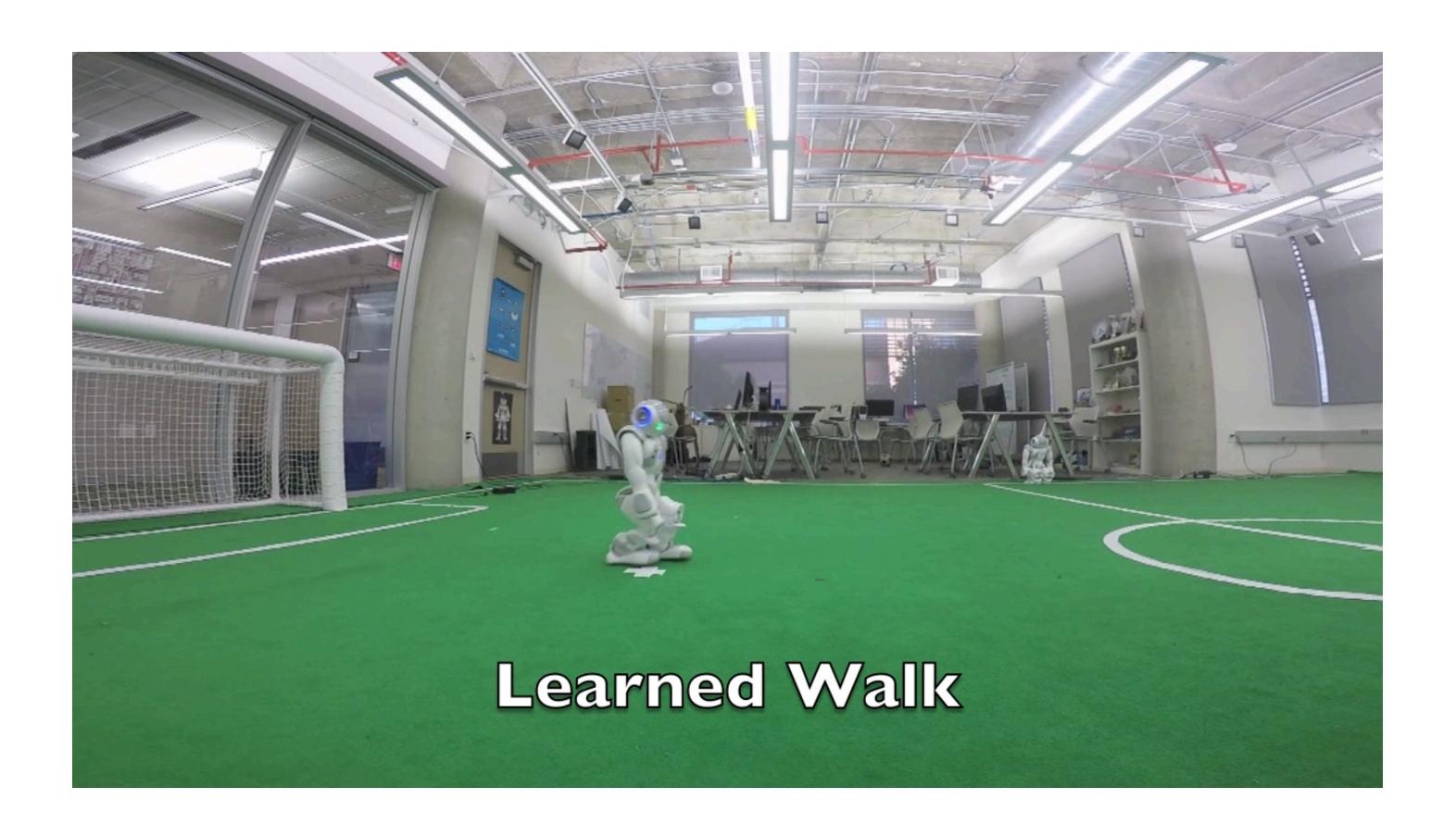
Josiah Hanna and Peter Stone (AAAI 2017)











Sim-to-sim transfer: Learning Arm Control

45

NAO robot learning to move arm joints to target position.

Transfer from Simspark simulator to Gazebo simulator.

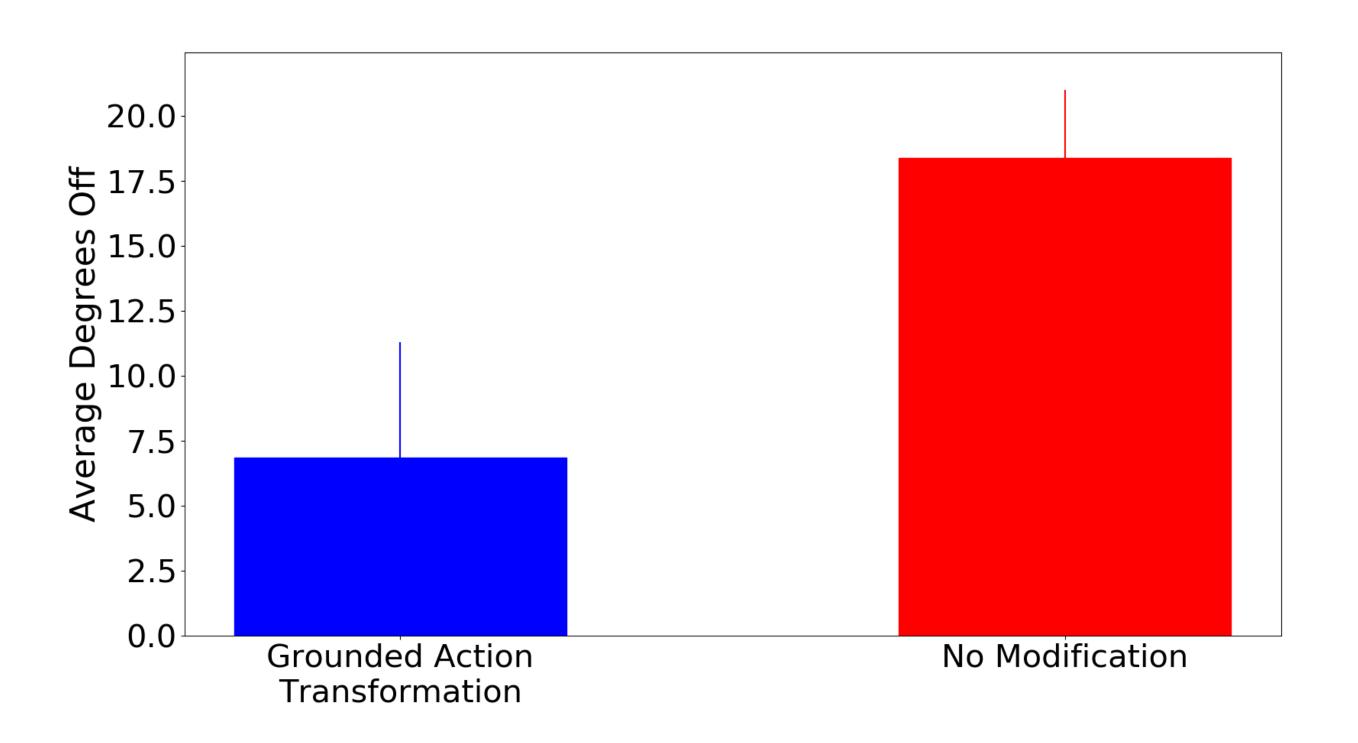


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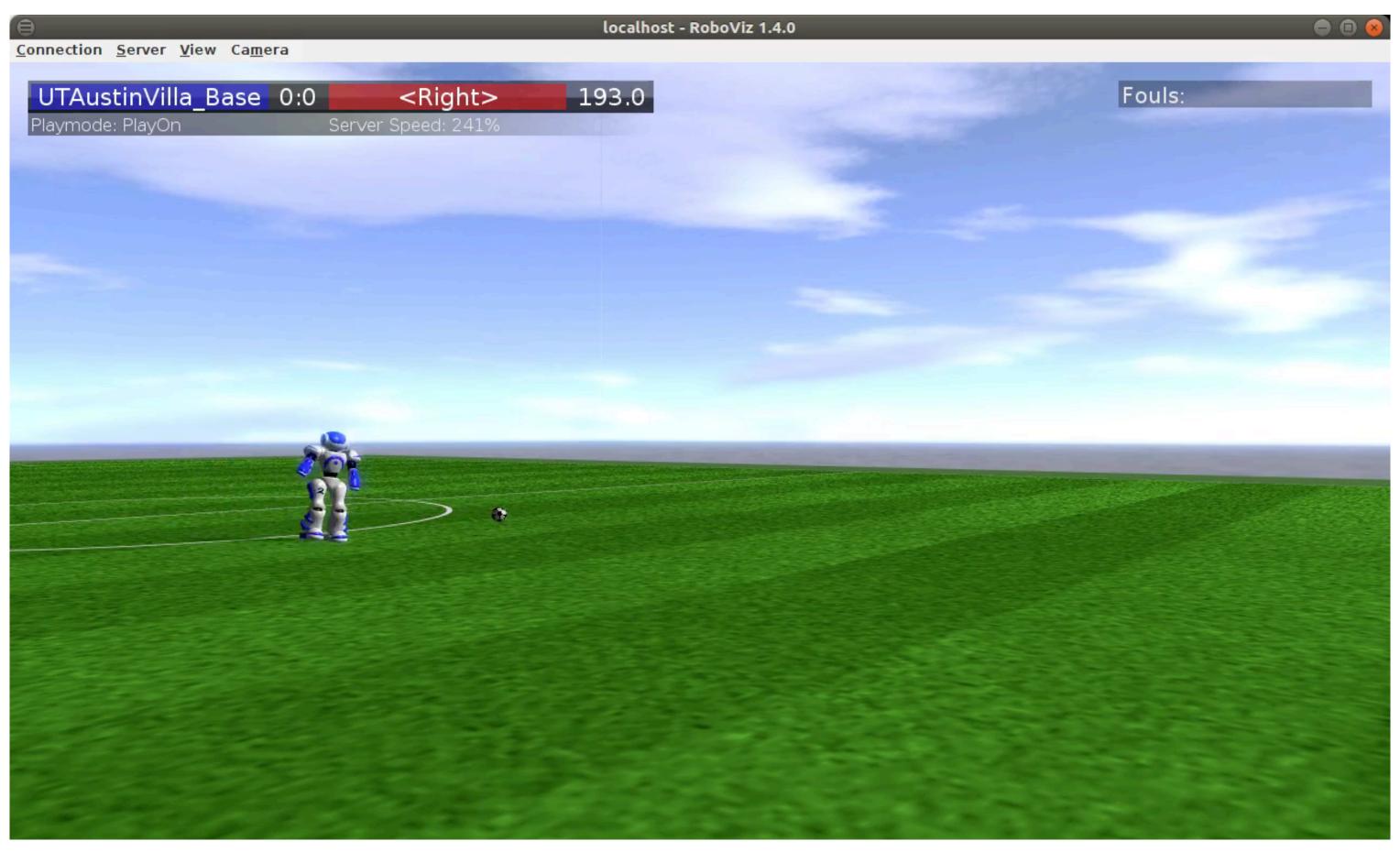


Learning to walk with less prior knowledge

46

Josiah Hanna

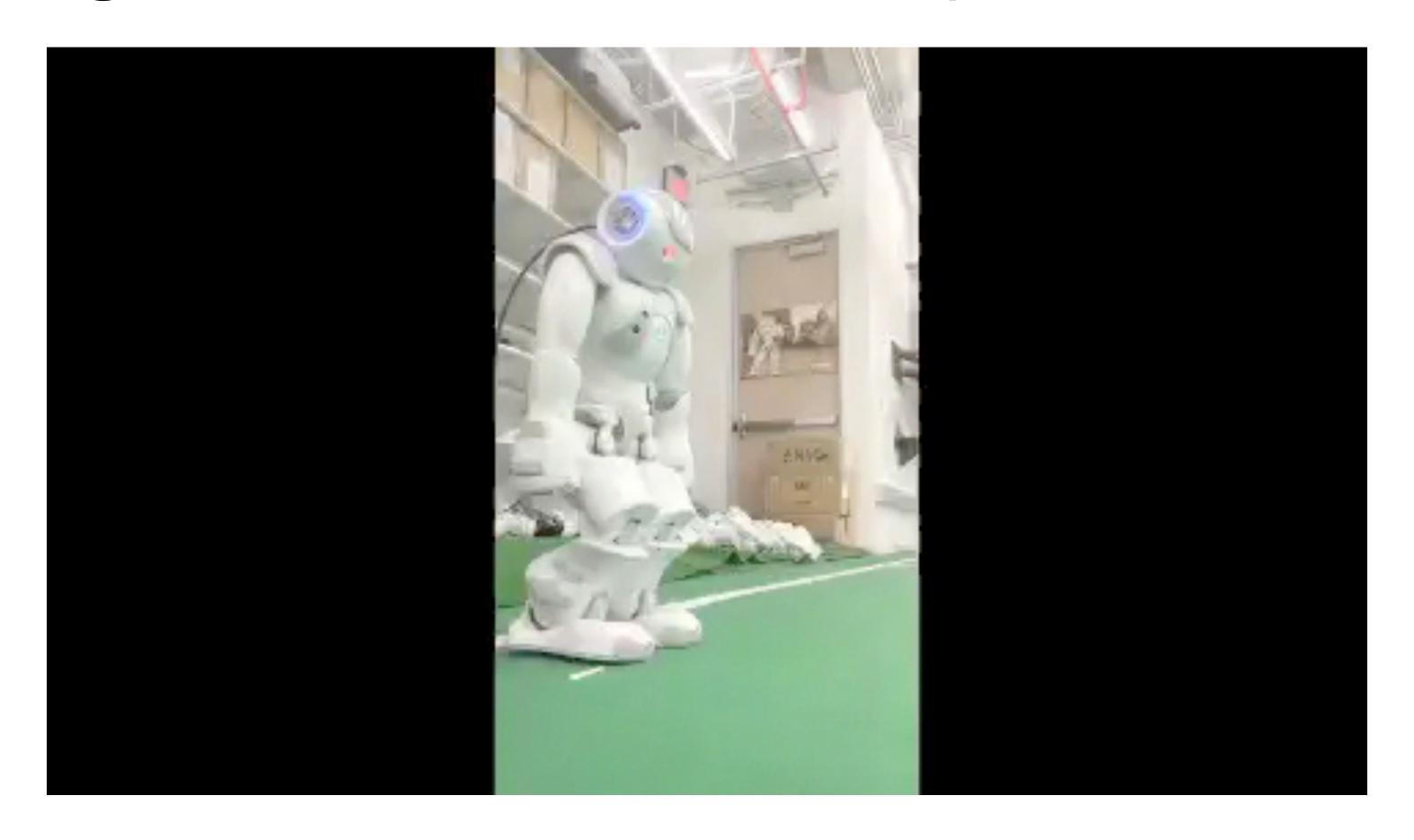
Learning to walk with less prior knowledge



46

Josiah Hanna

Learning to walk with less prior knowledge



46

Josiah Hanna

47

Contribution 5: Grounded action transformation algorithm allowing an RL agent to learn from simulated data.

Take-away Message

Contr allowi

Modifying the policy's actions can correct discrepancy between simulation and reality.

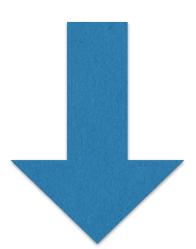
Take-away Message

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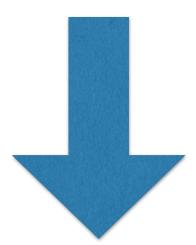
Additional results in dissertation: Bound on error in model-based policy value estimation, additional empirical results.

How can a reinforcement learning agent leverage off-policy and simulated data to evaluate and improve upon the expected performance of a policy?



How should an RL agent collect off-policy data?

How can an RL agent use simulated data?

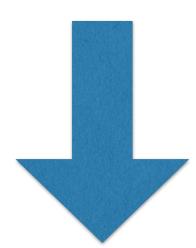


How should an RL agent weight off-policy data?

How can an RL agent combine simulated and off-policy data?

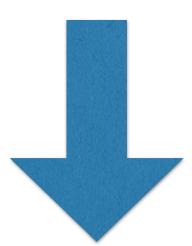
Can reinforcement learning be data efficient enough for real world applications?

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Combining Simulated and Off-Policy Data

49

Combining Simulated and Off-Policy Data

Contribution 6: Model-based bootstrap algorithm for approximate high confidence off-policy value estimation.

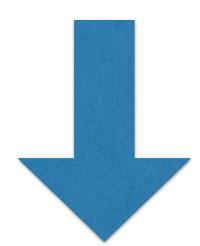
49

Combining Simulated and Off-Policy Data

Contribution 6: Model-based bootstrap algorithm for approximate high confidence off-policy value estimation.

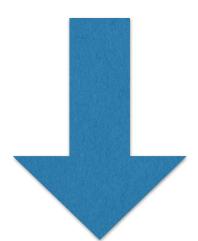
Contribution 7: Weighted doubly robust bootstrap algorithm for approximate high confidence off-policy value estimation.

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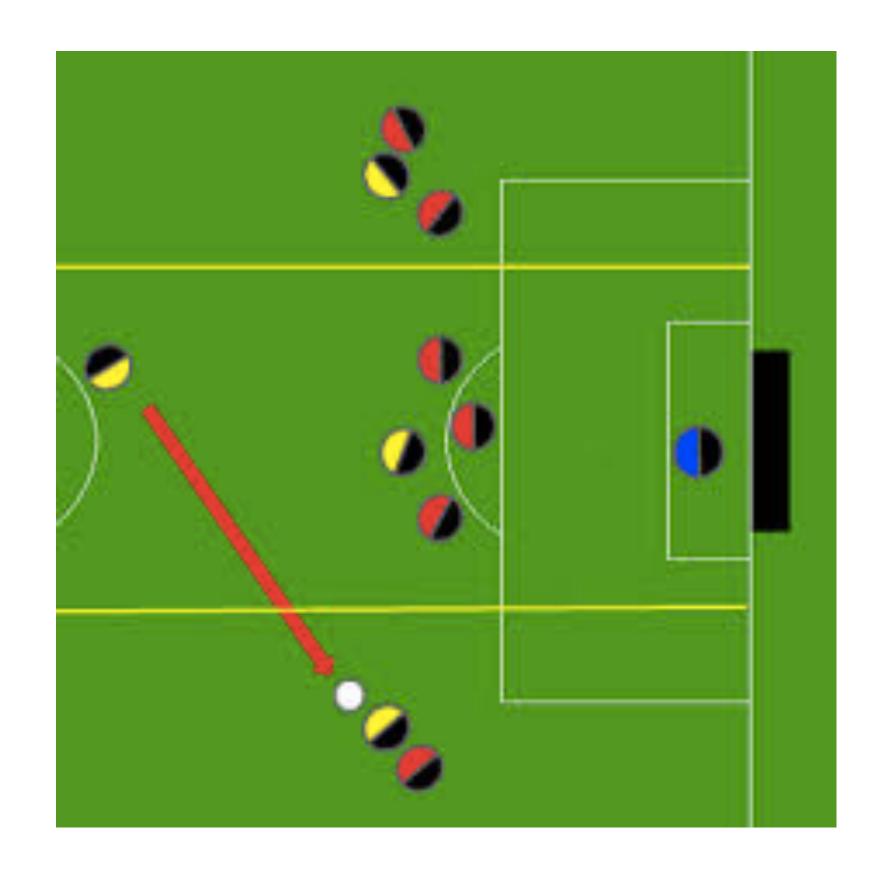
- 1. Hierarchical sim-to-real.
- 2. Optimal sampling for regression importance sampling.
- 3. From policy value estimation to policy evaluation.

52



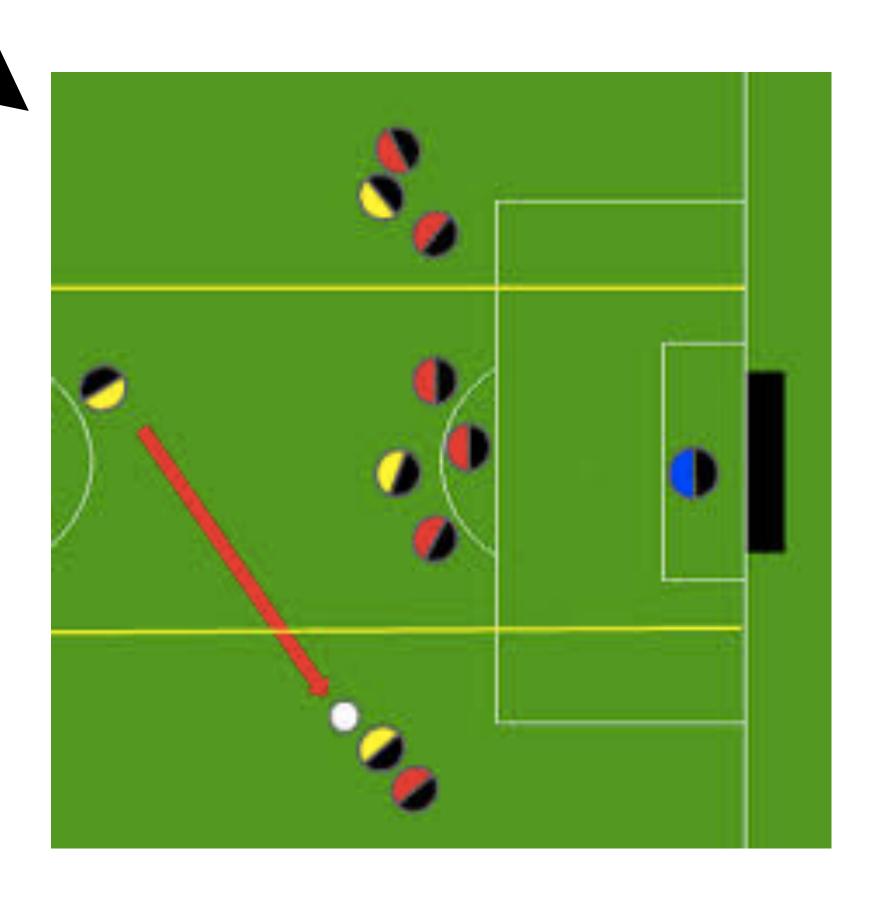
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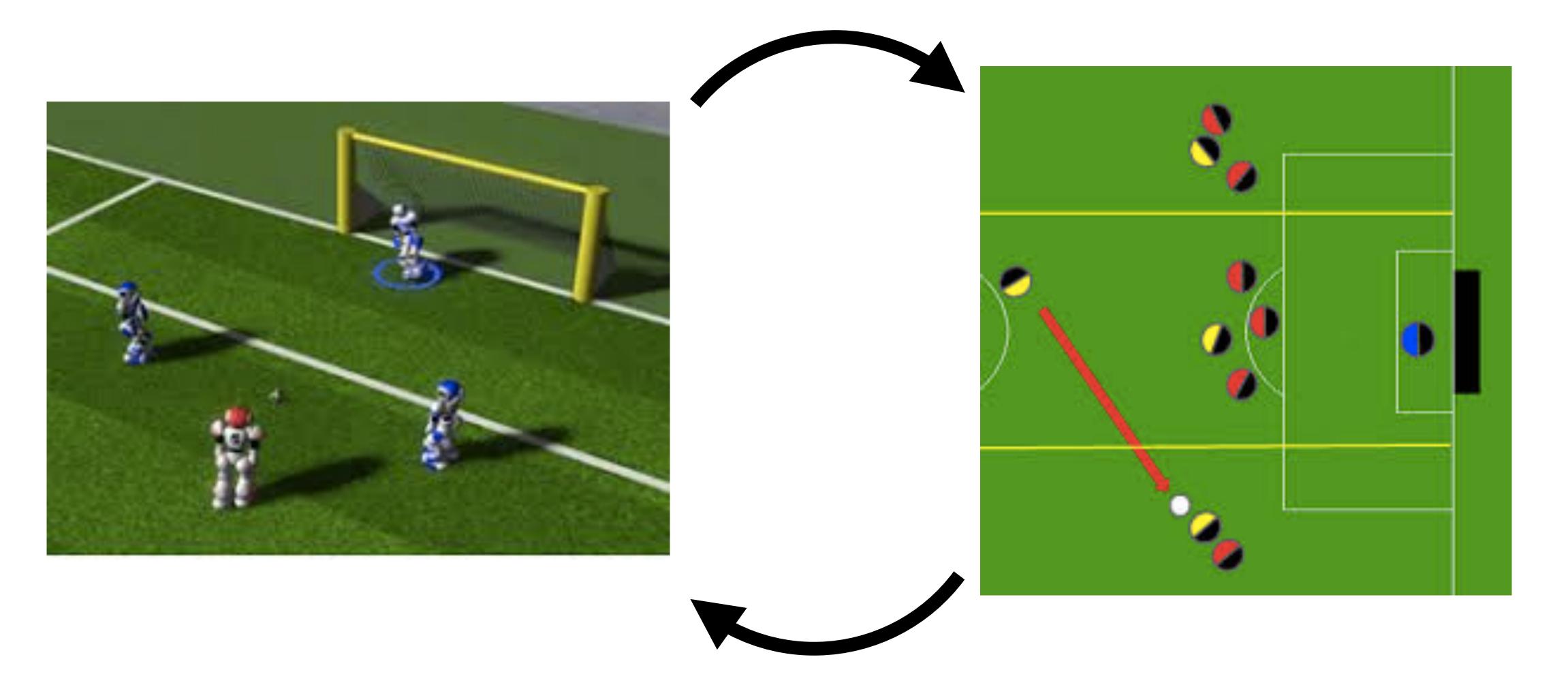




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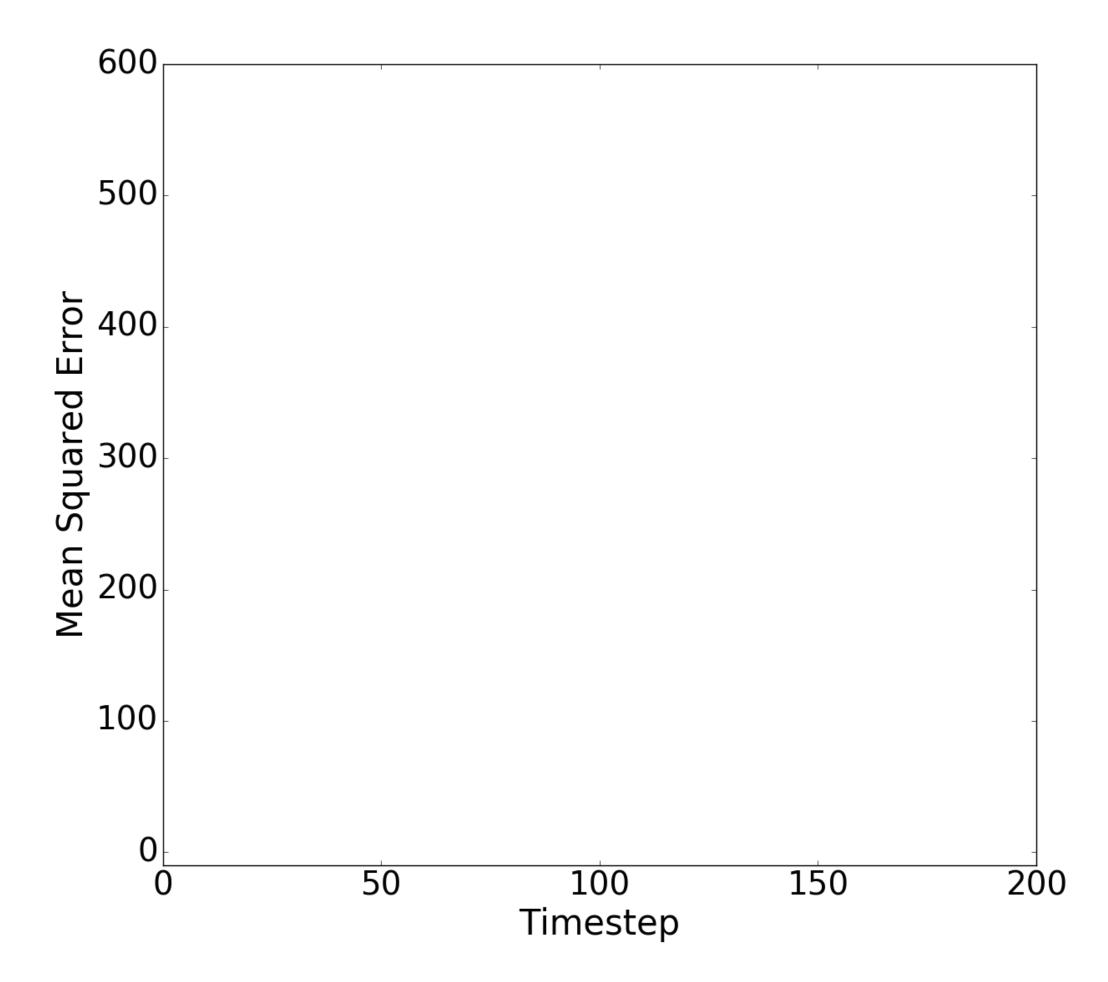
$$\left(\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$

53

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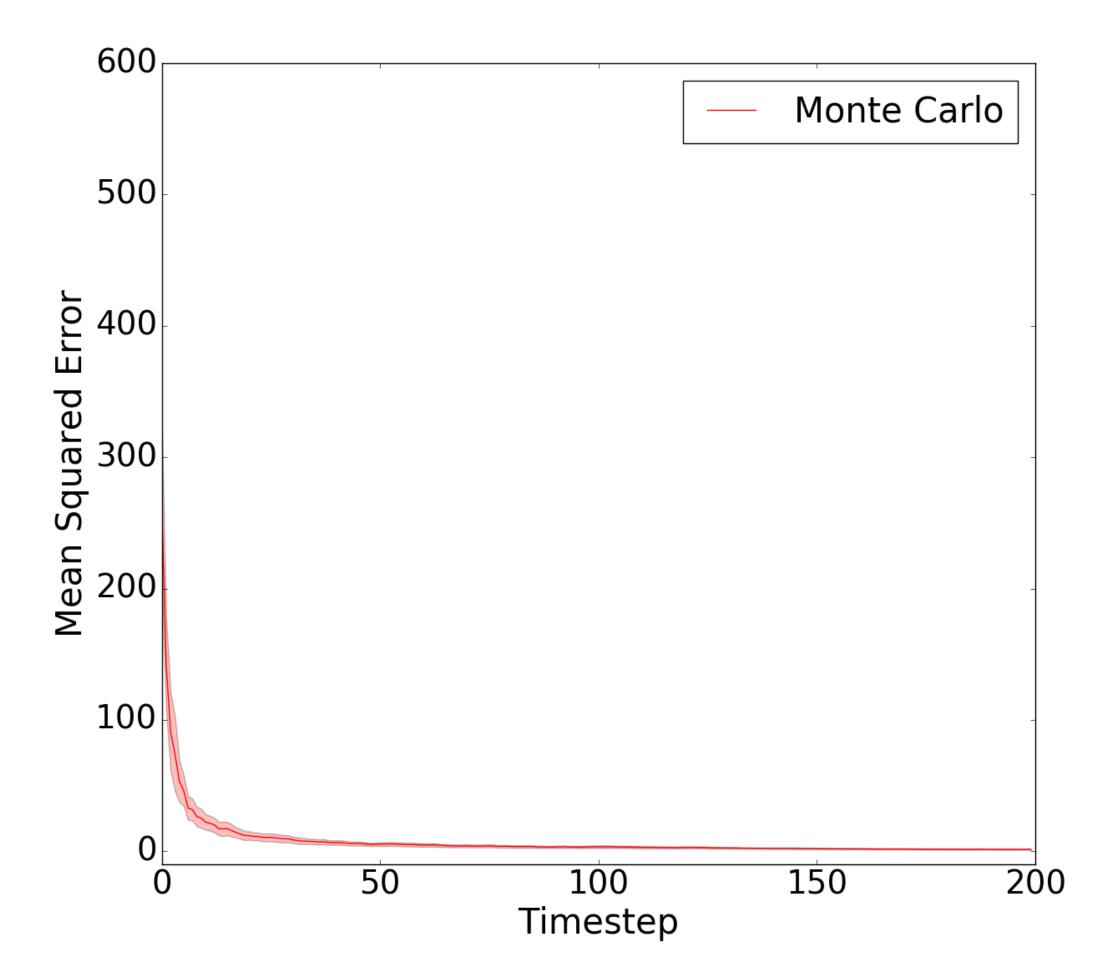
53

$$\left(\frac{\prod_{t=0}^{L} \frac{\pi(A_t|S_t)}{\pi_b(A_t|S_t)}}{\pi_b(A_t|S_t)}\right) \times \left(\sum_{t=0}^{L} R_t\right)$$



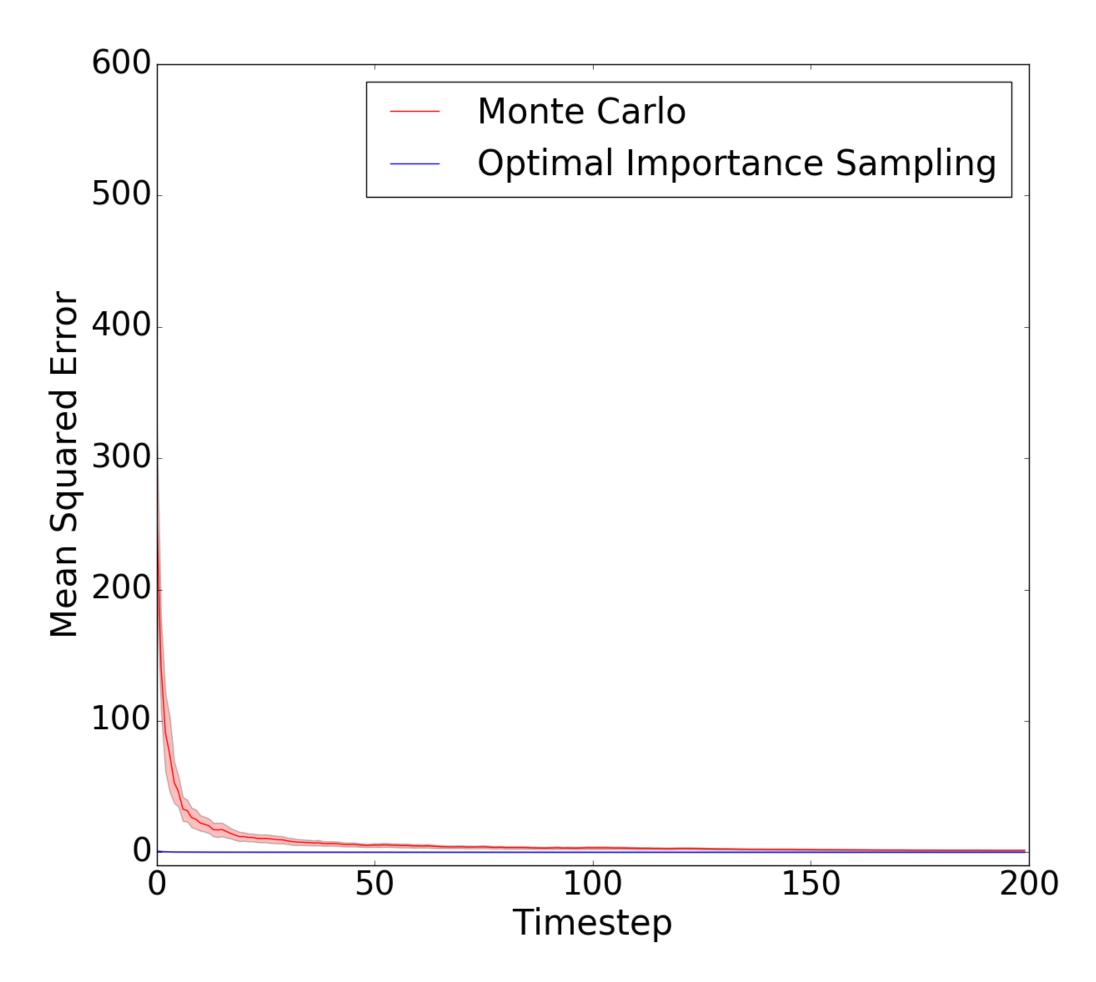
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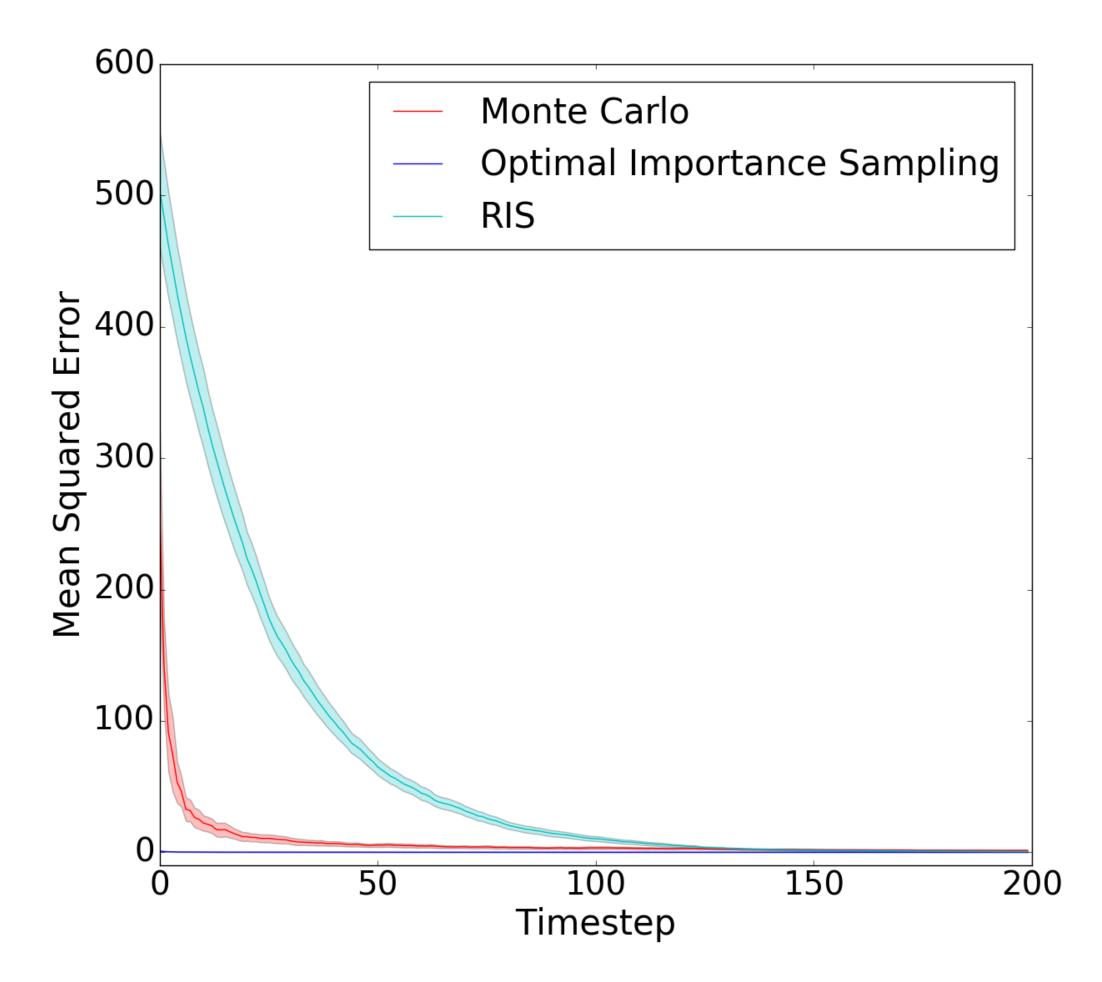
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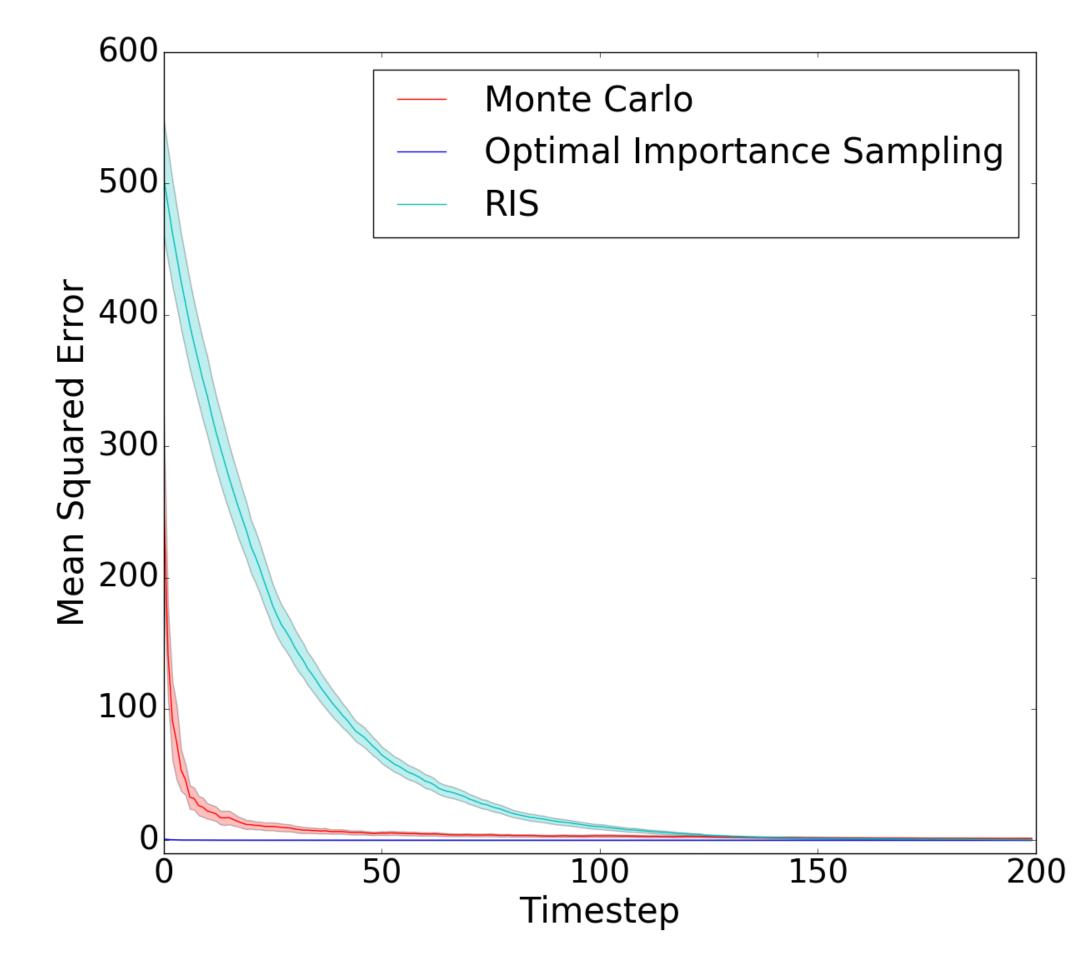


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50-armed bandit with stochastic rewards.

RIS needs to observe every arm!

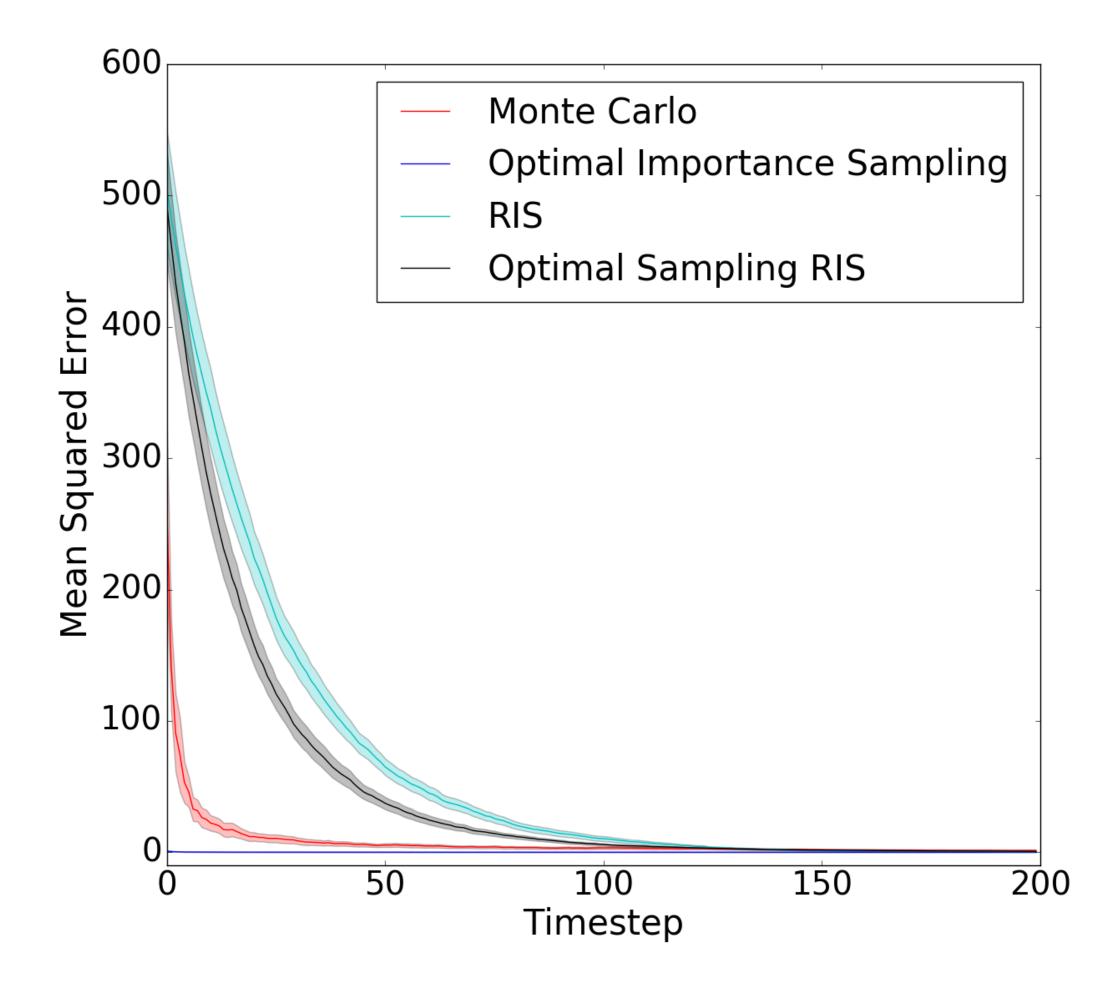


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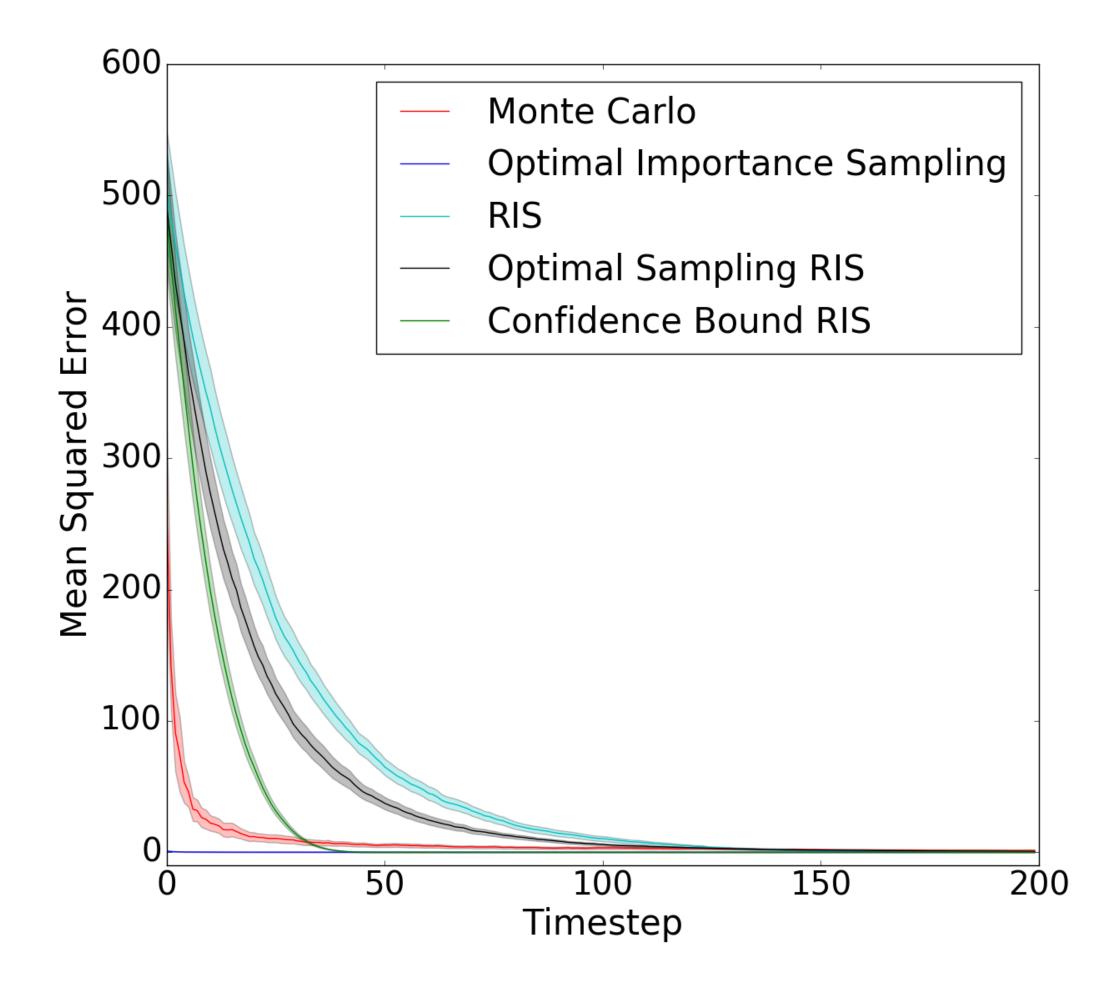


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What is optimal behavior policy with changing value function?

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Collecting data:

What is optimal behavior policy with changing value function?

Weighting data:

How to estimate behavior policy during online learning?

54

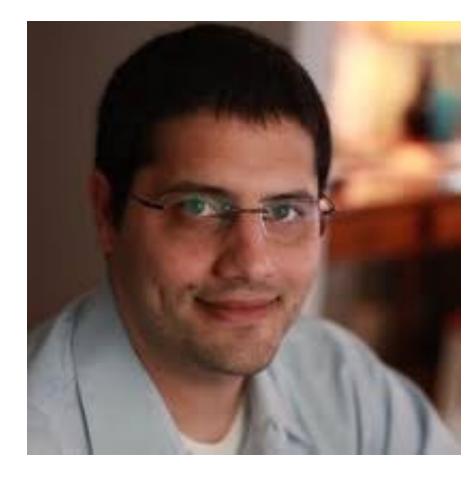
Acknowledgments



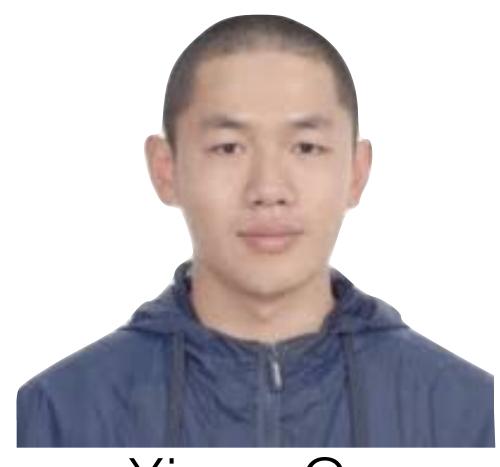
Peter Stone



Scott Niekum



Phil Thomas



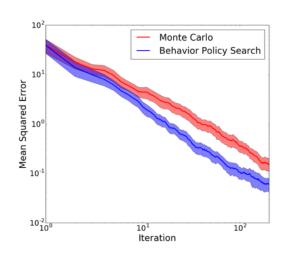
Xiang Gu



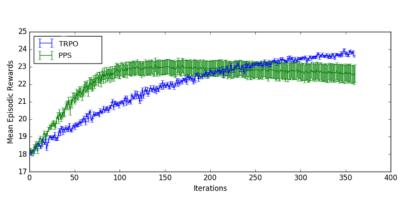


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ICML 2017 AAAI SS 2018



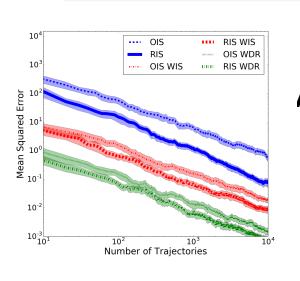
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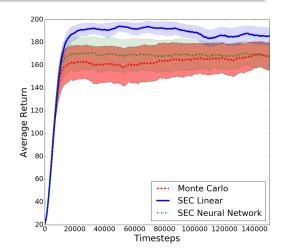
AAAI 2017



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AAMAS 2019 ICML 2019



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AAMAS 2017

